

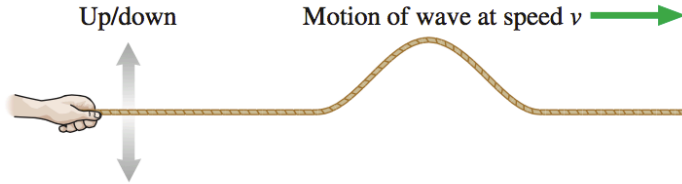
# ONDES ET SON



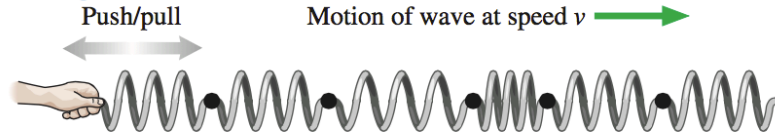
PGC-09

## Two types of traveling waves

### A transverse wave

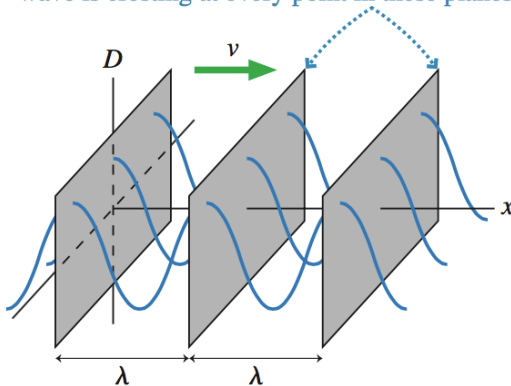


### A longitudinal wave



**FIGURE 20.20** A plane wave.

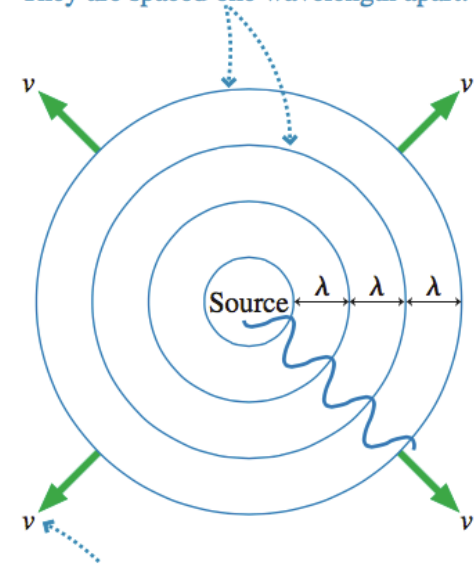
Very far from the source, small segments of spherical wave fronts appear to be planes. The wave is cresting at every point in these planes.



**FIGURE 20.19** The wave fronts of a circular or spherical wave.

(a)

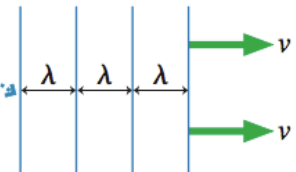
Wave fronts are the crests of the wave. They are spaced one wavelength apart.



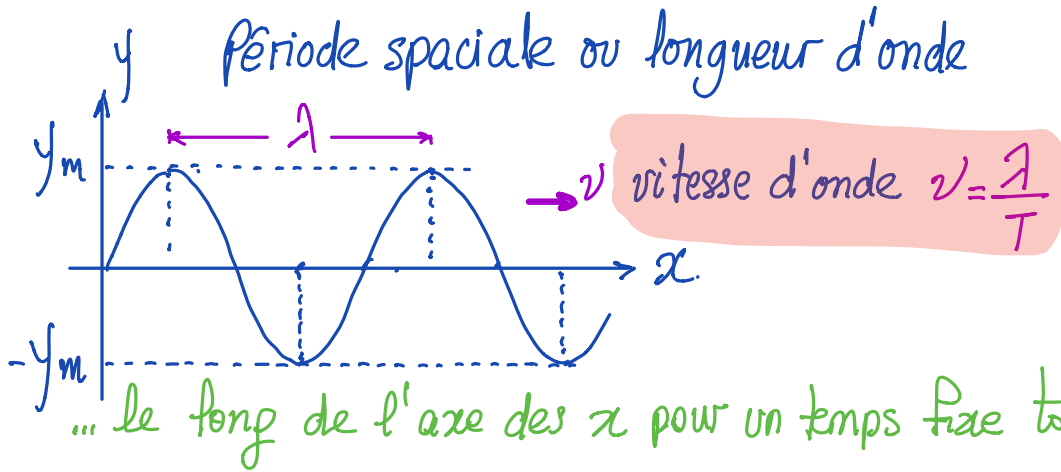
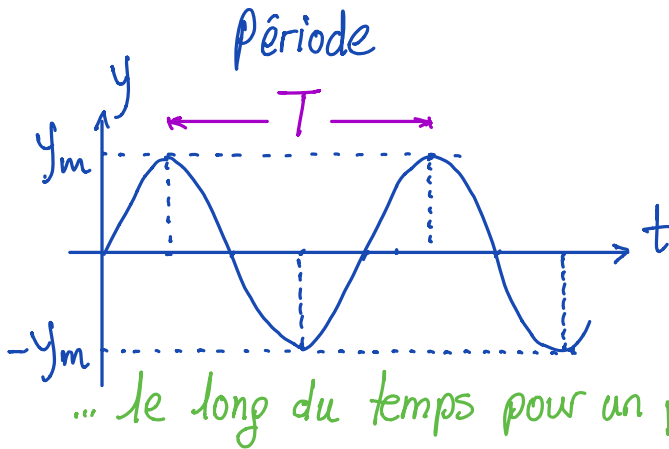
The circular wave fronts move outward from the source at speed  $v$ .

(b)

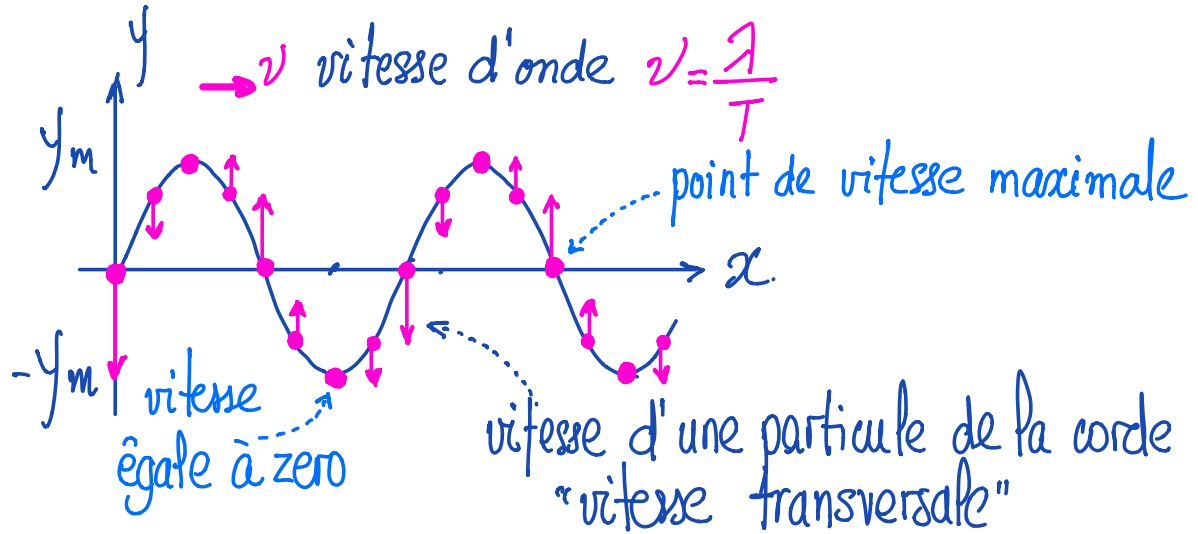
Very far away from the source, small sections of the wave fronts appear to be straight lines.



$$y(x,t) = y_m \sin(kx - \omega t + \phi)$$



# VITESSE DU MOYEN

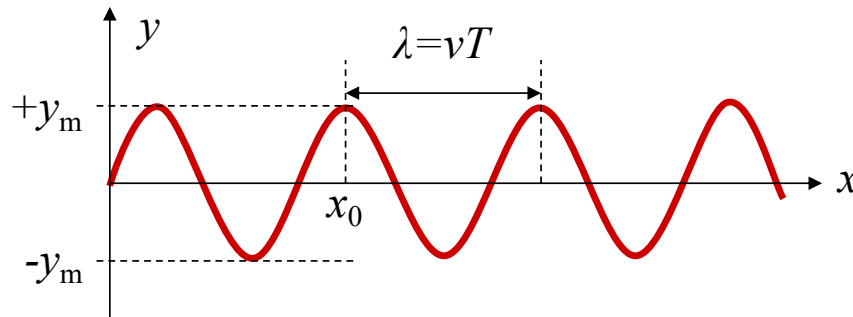


$$u = \frac{dy}{dt}$$

# EXEMPLE

$$y(x,t) = y_m \sin(kx - \omega t + \phi)$$

Considérons une onde sinusoïdale le long d'une corde :  $y(x,t) = 0.00327 \sin(72.1x - 2.72t)$

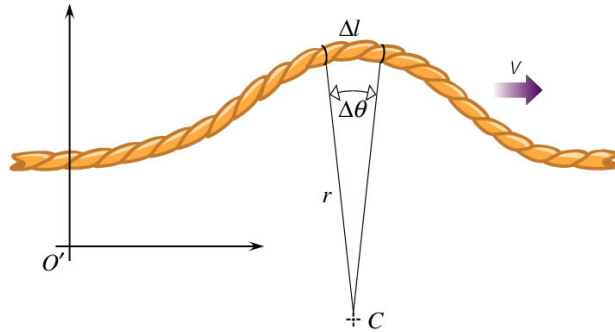


- Déterminez  $y_m$ ,  $k$ ,  $\phi$ ,  $T$ ,  $f$  et la vitesse de l'onde. -
- Calculez la vitesse et l'accélération transversales. -

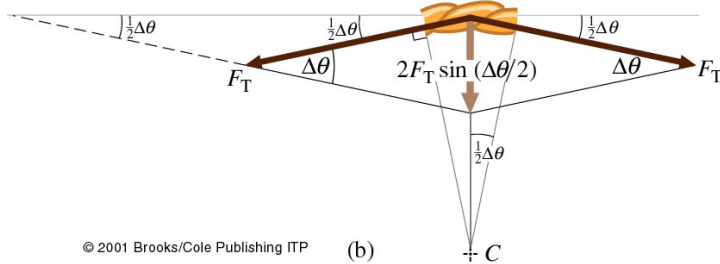
$$u = \frac{dy}{dt} = -\omega y_m \cos(kx - \omega t)$$

$$a = \frac{du}{dt} = -\omega^2 y_m \sin(kx - \omega t)$$

# ONDE SUR CORDE TENDUE



(a)



(b)

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$$v = \sqrt{\frac{F_T}{\mu}}$$

$\mu$ : masse linéique

# QUESTION

Si on double la tension d'une corde, la vitesse de l'onde est

- (a) Doublée,
- (b) multipliée par 4,
- (c) multipliée par 1.414,
- (d) divisée par 2,
- (e) aucune de ces réponses.

$$\left. \begin{aligned} U_1 &= \sqrt{\frac{F_{T_1}}{\mu}} \\ U_2 &= \sqrt{\frac{F_{T_2}}{\mu}} \end{aligned} \right\} \Rightarrow$$

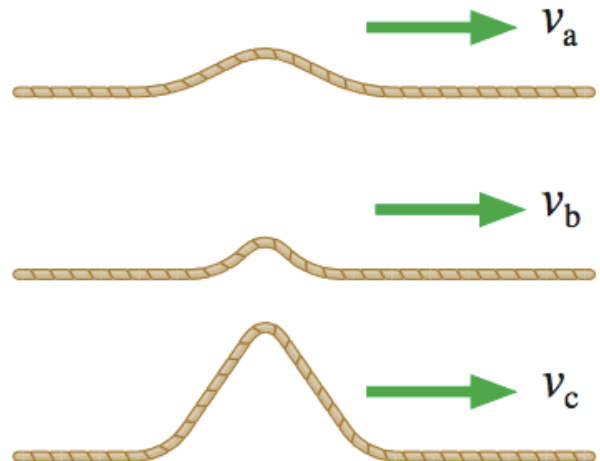
$$\frac{U_1}{U_2} = \sqrt{\frac{F_{T_1}}{F_{T_2}}}$$

# QUESTION

$$v = \sqrt{\frac{F_T}{\mu}}$$

Trois ondes se propagent au long des cordes identiques. Quelle aura la plus grande vitesse:

- (a) A
- (b) B
- (c) C
- (d) Aucune de ces reponses





# GENERATING A SINUSOIDAL WAVE

Une corde très longue avec  $\mu = 2.0 \text{ g/m}$  est tirée avec une tension de  $5.0 \text{ N}$ . À  $x = 0 \text{ m}$  on connecte un moteur qui vibre à  $100 \text{ Hz}$  avec une amplitude de  $2.0 \text{ mm}$ . On considère  $t = 0$  quand le déplacement vertical est maximal.

- (a) Quelle est l'équation du déplacement pour l'onde progressive dans cette corde?
- (b) À  $t = 5.0 \text{ ms}$ , quel sera le déplacement de la corde à une position  $2.7 \text{ m}$  loin du moteur?

$$(a) y = y_m \sin(kx - \omega t + \phi)$$

$$y_m = 2.0 \text{ mm}$$

$$x, t = 0: y = y_m \Rightarrow y_m \sin \phi = y_m \Rightarrow \phi = \frac{\pi}{2}$$

$$\omega = 2\pi f \Rightarrow \omega = 200\pi \text{ rad/s}$$

$$k = \frac{2\pi}{\lambda} = \omega/v \quad \left. \begin{array}{l} v = \sqrt{\frac{F_T}{\mu}} = 50 \text{ m/s} \end{array} \right\} \Rightarrow k = 4\pi \frac{\text{rad}}{\text{m}}$$

$$y = (2.0 \text{ mm}) \times \sin\left[2\pi\left[(2 \text{ m}^{-1})x - (100 \text{ s}^{-1})t\right] + \frac{\pi}{2}\right] \\ = (2 \text{ mm}) \cos\left[2\pi(\dots)\right] \uparrow$$

$$(b) t_1 = 5.0 \text{ ms} = 5 \times 10^{-3} \text{ s}$$

$$x_1 = 2.7 \text{ m}$$

$$y(t_1, x_1) = \dots = 1.6 \text{ mm}$$

# LA VITESSE DE PROPAGATION DES ONDES

$$v = \sqrt{\frac{\text{facteur de force élastique}}{\text{facteur d'inertie}}}$$

$$v = \sqrt{\frac{F_T}{\mu}}$$

liquide :

$$v = \sqrt{\frac{B}{\rho}}$$

solide :

$$v = \sqrt{\frac{E}{\rho}}$$

gaz

$$v = \sqrt{\frac{P}{\rho}}$$

# ÉNERGIE TRANSMISE PAR UNE ONDE ÉLASTIQUE

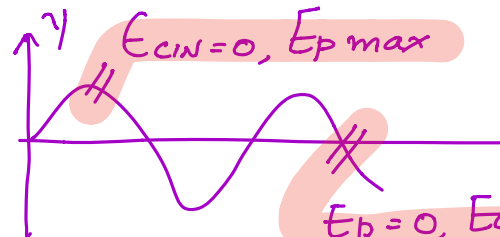
$$\bar{P} = \frac{1}{2} \mu v \omega^2 y_m^2$$

Puissance moyenne  
transmise

$$v = \sqrt{\frac{F_T}{\mu}}$$

$$\bar{P} = \frac{1}{2} \sqrt{\mu F_T} \omega^2 y_m^2$$

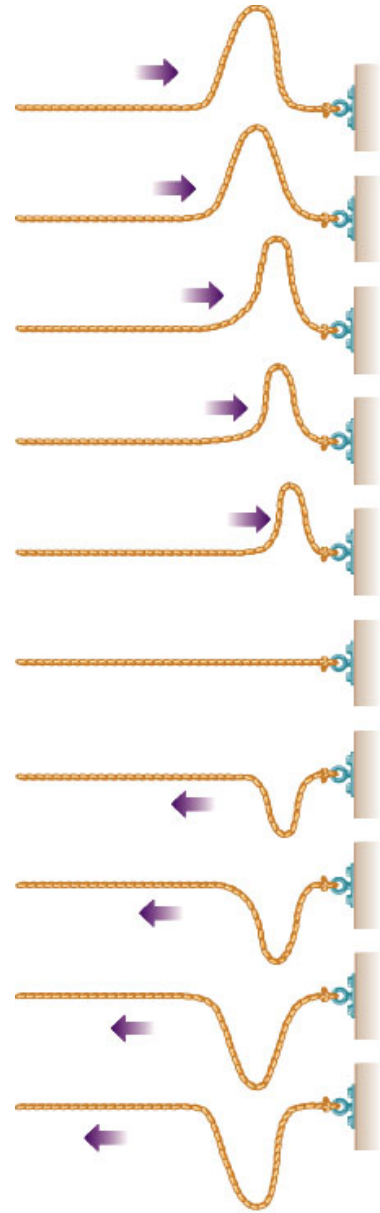
Energie transportée  $\propto \omega^2, y_m^2$



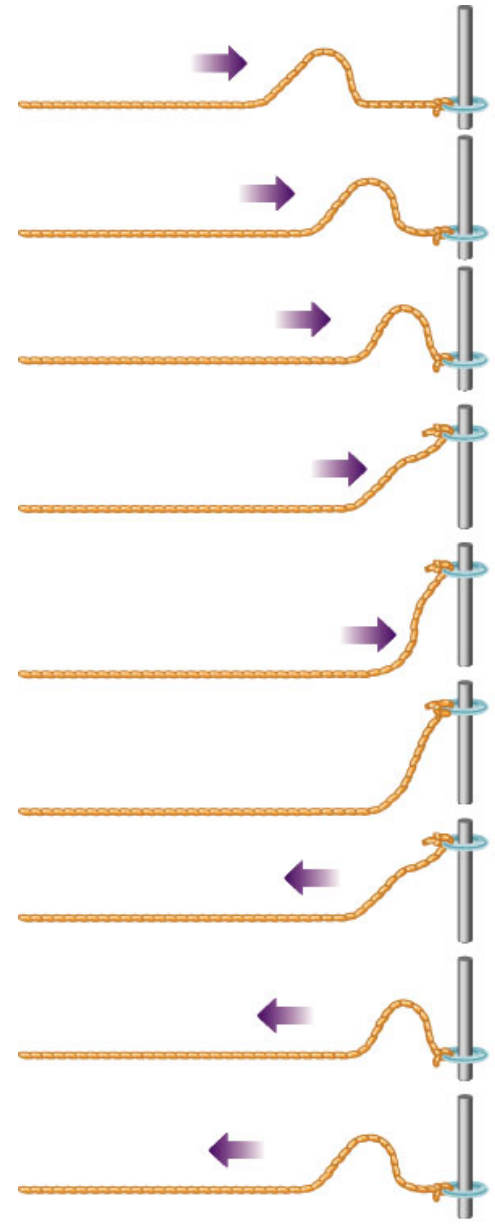
$E_{cin} = 0, E_p \text{ max}$

$E_p = 0, E_{cin} \text{ max}$

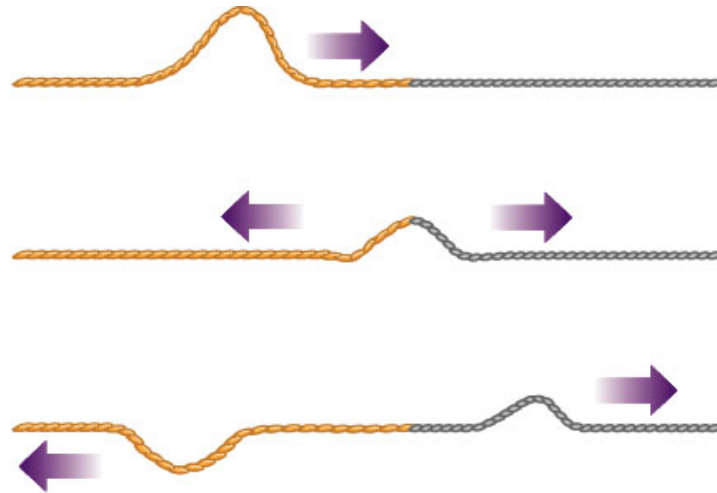
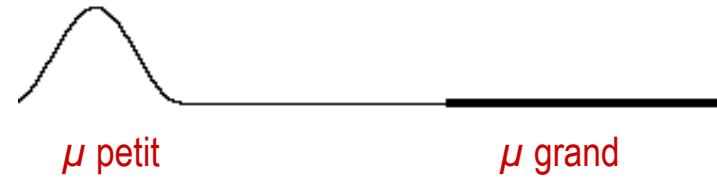
# RÉFLEXION, ABSORPTION ET TRANSMISSION



# RÉFLEXION, ABSORPTION ET TRANSMISSION

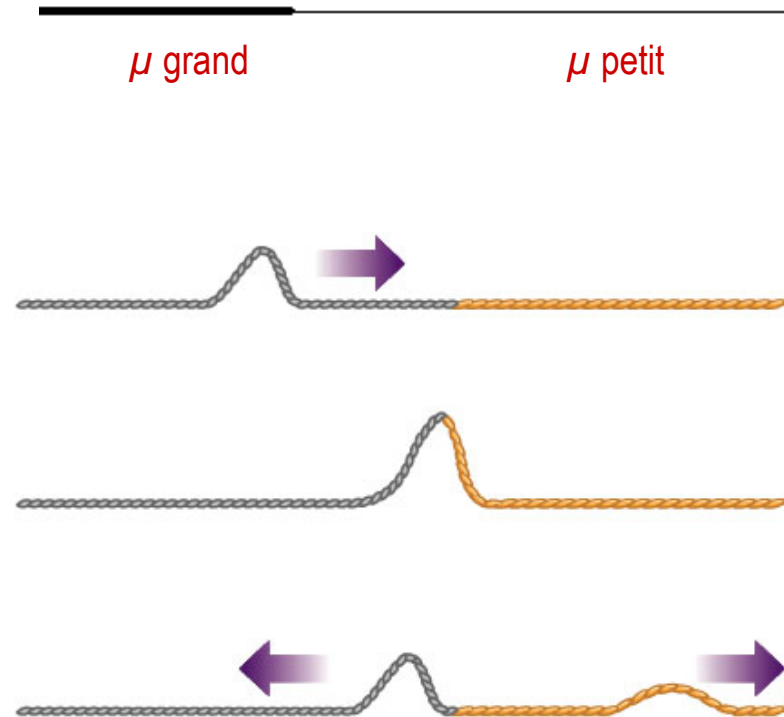


# RÉFLEXION, ABSORPTION ET TRANSMISSION



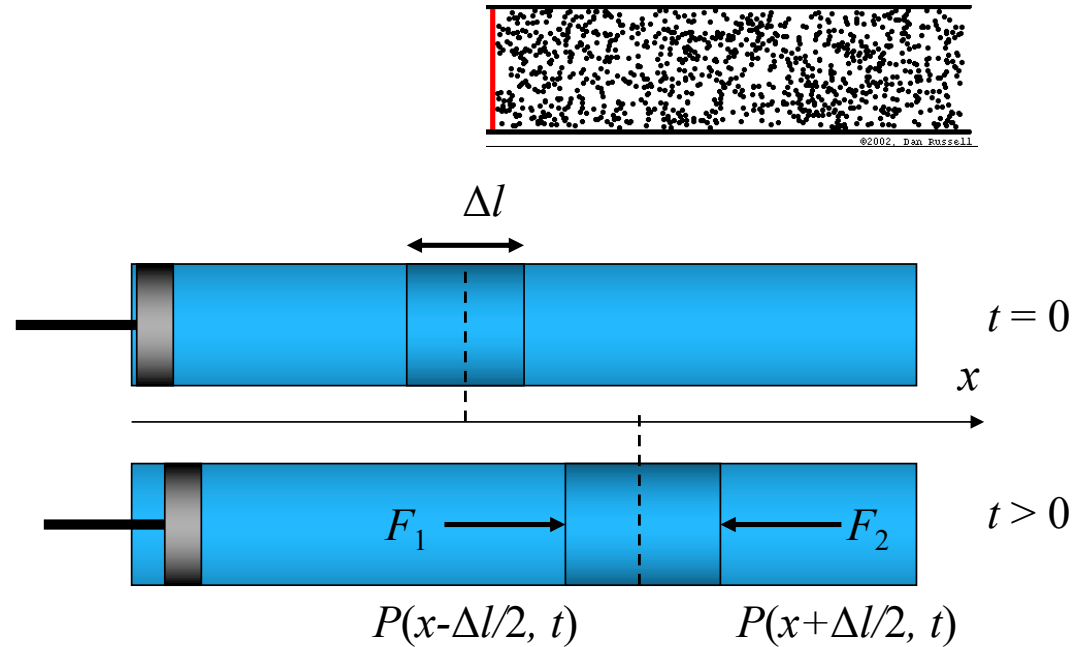
(a)

# RÉFLEXION, ABSORPTION ET TRANSMISSION



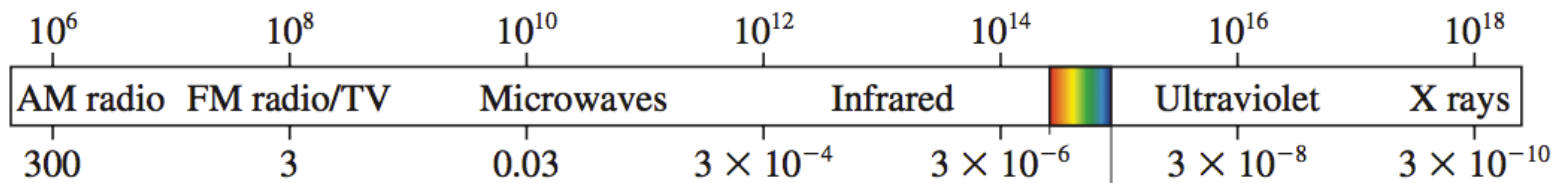
(b)

# ONDE DE PRESSION

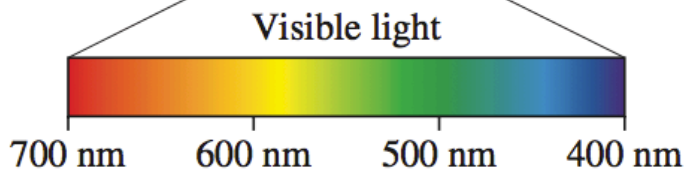
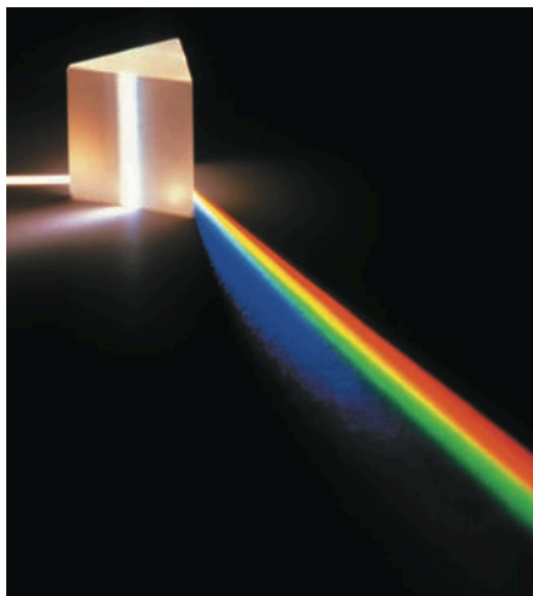




Increasing frequency (Hz) →



← Increasing wavelength (m)



White light passing through a prism is spread out into a band of colors called the *visible spectrum*.

# **LE SON COMME UNE ONDE**

# VITESSE DU SON - EXEMPLE

$$v = \lambda f$$

Milieu	Vitesse (m/s)
Air (0°C)	331
Air (20°C)	343
Helium (0°C)	970
Ethyl alcohol	1170
Eau (20°C)	1480
Granite	6000
Aluminium	6420

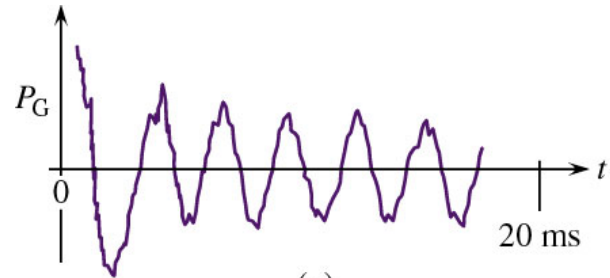
$v \uparrow$

$\lambda \uparrow$

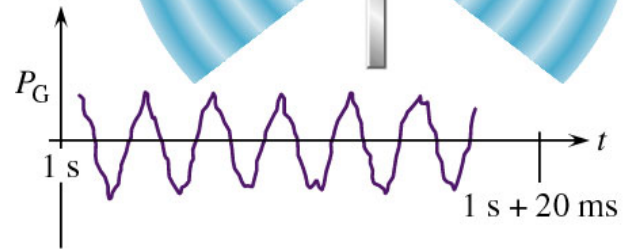
Tableau 18.1: La vitesse du son.

Pour comparer: la vitesse de la lumière est  $3.00 \times 10^8$  m/s

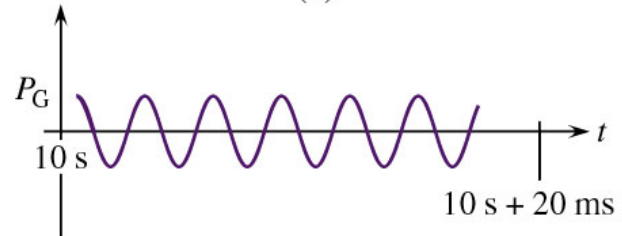
# LE DIAPASON



(a)



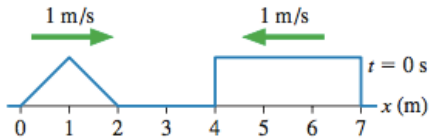
(b)



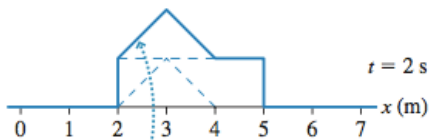
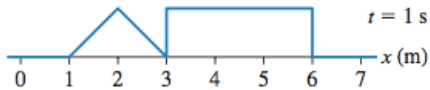
(c)

# LA SUPERPOSITION DES ONDES

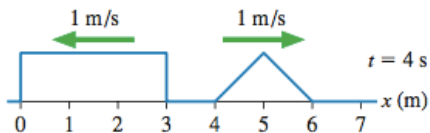
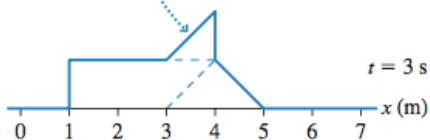
$$y_{\text{fin}} = y_1 + y_2$$



Two waves approach each other.



The net displacement is the point-by-point summation of the individual waves.



Both waves emerge unchanged.

# ANALYSE FOURIER

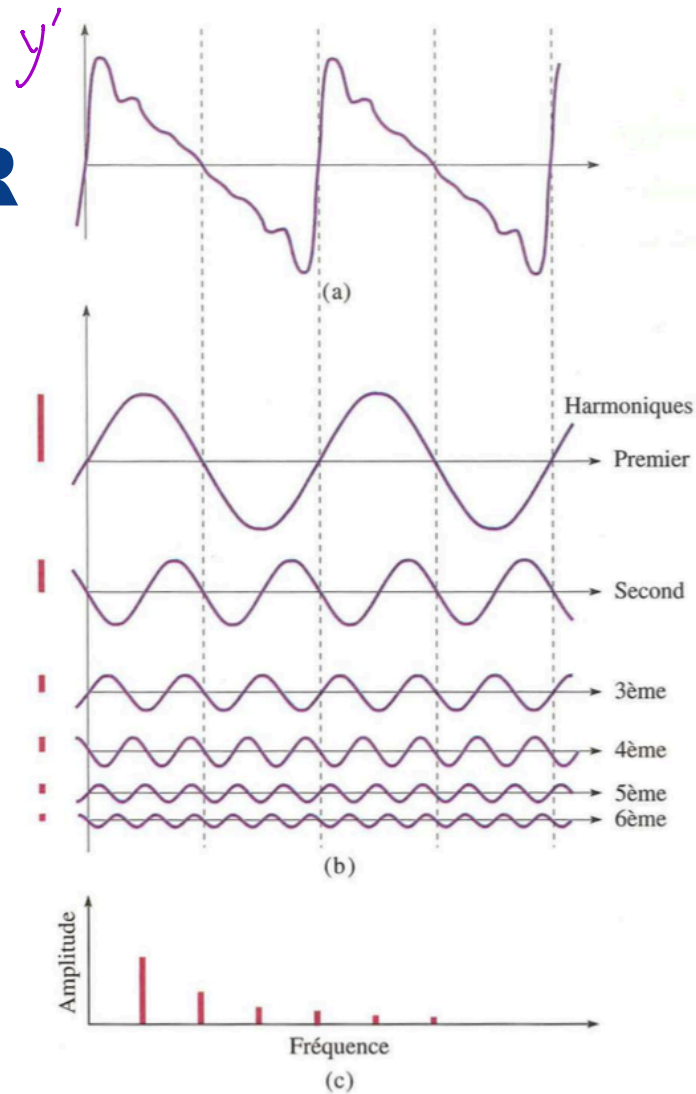
$$y'(x,t) = a_1 \sin(\omega t + \phi_1) + a_2 \sin(2\omega t + \phi_2) + a_3 \sin(3\omega t + \phi_3) + \dots$$

$$y'(x,t) = \sum_n a_n \sin(n\omega t + \phi_n)$$

$\omega = 2\pi f$

$n=1$ : fondamentale

$n=2, 3, \dots$  harmonique



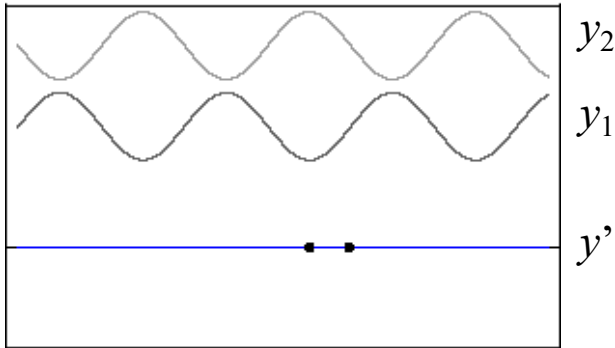
$$\sin \alpha + \sin \beta = 2 \sin\left(\frac{\alpha + \beta}{2}\right) \cdot \sin\left(\frac{\alpha - \beta}{2}\right)$$

# INTERFÉRENCE D'ONDES

$$y_1 = Y_m \sin(kx - \omega t)$$

$$y_2 = Y_m \sin(kx - \omega t + \phi)$$

$$y'(x, t) = y_1(x, t) + y_2(x, t)$$



$$y' = y_1 + y_2 =$$

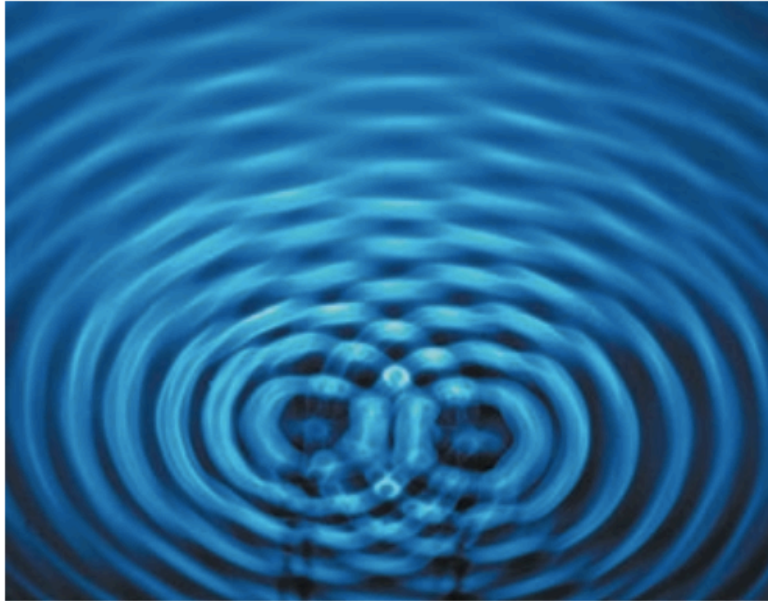
$$= Y_m \left[ \sin(kx - \omega t) + \sin(kx - \omega t + \phi) \right]$$

$$= 2Y_m \cos\left(\frac{\phi}{2}\right) \cdot \sin\left(kx - \omega t + \frac{\phi}{2}\right)$$

Pour  $\phi = 0$  : inter. Constructive

$\phi = \pi$  : inter. Destructive

# INTERFÉRENCE D'ONDES

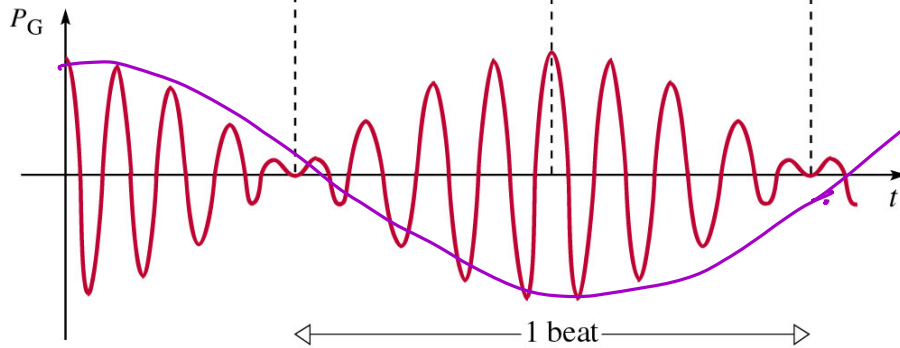
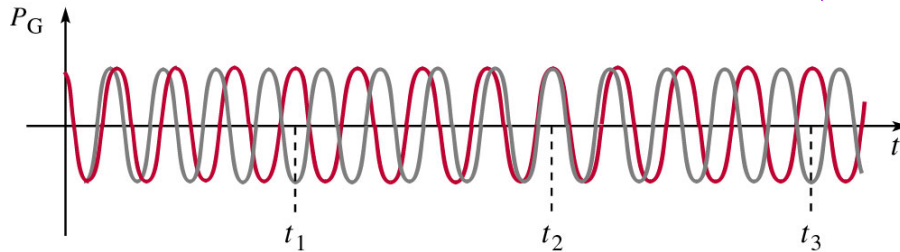


Two overlapping water waves create an interference pattern.



# BATTEMENTS

$$f_1 \approx f_2$$



$$f = f_1 - f_2$$