## Beam Test Oct 2003: Ion Charge Analysis

- Beam test 2003
- Goal: charge discrimination algorithm with high efficiency and low contamination
- Signal characterization for charges from Beryllium to Neon
- Probability $P_{\mathbb{Z}}$ that a cluster is generated by a particle of charge $\mathbb{Z}$
- Implementation of a probability test for the estimation of the charge associated to a track
- Status of the work


## Beam test 2003



Ions of average energy » $10 \mathrm{GeV} / \mathrm{n}$ extracted from an Indium beam of $158 \mathrm{GeV} / \mathrm{n}$ on a Beryllium target, selected by $A / Z$ ratio:
$-A / Z=1.00,6 \%$ of tot. ev., mainly protons
$-A / Z=2.00,77 \%$ of tot. ev., He component is dominant (Be is suppressed)
$-A / Z=2.25,16 \%$ of tot. ev., ${ }^{9}$ Be component is dominant
$-\mathrm{A} / \mathrm{Z}=2.35,1 \%$ of tot. ev., ${ }^{7} \mathrm{Li}$ component is dominant (He is suppressed)

## Sample selection

## Calibration

- $\sigma_{\text {ped }}$ " $2.5(3)$ for $p(n)$-side


## Clusterizzation

. Seed with Signal/Noise $(S N)>5$.
. Neightboring strips with $S N>2$.


Identification of an event of $\mathbf{Z > 2}$
. One and only one cluster for each ladder/side (only 12 clusters)
. Cluster charge amplitude $>$ helium total charge
-A good probability for $\chi^{2}$ of the linear fit between the 6 points of $p(n)$ side

## impact point VS cluster amplitude: $n$-side

Cluster amplitude: total charge of a cluster, all strips ( $\sum \mathbf{s}_{\mathrm{i}}$ ) Impact Point (IP): obtained with a 5 point fit


## impact point VS cluster amplitude: p-side

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## $n$-side: $\eta$ distribution

$\eta$ : charge center of gravity between the two higher strips $\quad \eta=\frac{Q_{R}}{Q_{R}+Q_{L}}$


Three " $\boldsymbol{\eta}$ regions"

- Readout region: $\boldsymbol{\eta} \cdot 0.15$ or $\boldsymbol{\eta}>0.85$
. Interstrip region: $0.15<\boldsymbol{\eta} \cdot 0.35$ or $0.65<\boldsymbol{\eta} \cdot 0.85$
- Not read strip region: $0.35<\boldsymbol{\eta} \cdot 0.65$
. 3 different charge specta
- Charge peak selection on the sixth ladder


## n -side: signal characterization

. Sixth ladder amplitude selection in a restricted window around the energy loss peaks (first ladder peak selection to study the sixth ladder)
. Study the charge distributions on the other ladders
. Signal characterization with a Landau = Gauss + exponential tail
. Low efficiency and great purity samples


## n-side: purity of the samples

.fit the all charges spectrum of the sixth ladder: the only free parameters are the normalizations of the charge distributions
. integration of the charge contributions around the peaks
( $)$ ample purity : » $98 \%$ with a Z - 1 contamination of » $1 \%$
Oow efficiency $\square$ improve the efficiency using a likelihood based test


cluster amplitude, $A D C$ | A lberto Oliva | contamination of B |
| :---: | :---: |
| University of P\&rugid the C sample |  |



Tracker meeting 24/10/2006

## n-side: shape parameters

. Shape parameters

- $\sigma$ : width of the Gaussian distribution
- $\varepsilon$ : width of the Landau distribution
- $\lambda$ : slope of the exponential function
- $\mathbf{w}_{\text {exp }}:$ weight of the exponential function (Area $\mathrm{exp} / \mathrm{Area}_{\mathrm{to}}$ )
. Given $Z$ and $\eta$ these parameters are similar for the different ladders (the maximum variation is of the order of $» 10 \%$ )
.MPV values differ from ladder to ladder



## n-side: shape parameters

| parameters | ladder 1 | ladder 2 | ladder 3 | ladder 4 | ladder 5 | ladder 6 | spread (\%) |
| :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| $\epsilon(\mathrm{ADC})$ | 21,12 | 27,6 | 30,01 | 22,37 | 29,3 | 25,51 | 14,0611 |
| $\sigma(\mathrm{ADC})$ | 111,48 | 101,04 | 96,01 | 110,11 | 95,08 | 97,55 | 7,0787 |
| $\lambda(1 / \mathrm{ADC})$ | 94,73 | 91,71 | 91,24 | 88,07 | 82,6 | 92,04 | 4,6943 |
| $W_{\text {exp }}$ | 0,1012 | 0,0747 | 0,0587 | 0,0566 | 0,0647 | 0,0492 | 27,5204 |



## Nitrogen (readout region)

The shape is not so different

## n -side: relative gain

. Ladder to ladder differences are parametrized by a traslation coefficient:

$$
G_{l}(Z, \eta)=\frac{M P V_{l}}{M P V_{3}}(Z, \eta)=G_{l}
$$

. The parameter $\mathrm{G}_{\boldsymbol{l}}$ is independent from Z and $\eta \rightarrow$ relative gain
.A unique charge parametrization can be used for all the ladders


## n-side: probability and likelihood

## Probability distribution on the single ladder

. The probability $P_{Z}$ that a cluster corresponds to a $Z$ ion is defined as:

$$
P_{Z}(x ; l, \eta)=\frac{f\left(G_{l} \cdot x ; Z, \eta\right)}{\int_{-\infty}^{+\infty} f\left(G_{l} \cdot x ; Z, \eta\right)}
$$

Likelihood on $\mathbf{n}$ ladders

$$
L(Z)=-\sum_{i}^{n} \log P_{Z}(x ; l, \eta)
$$

.we want $0 \cdot L \cdot 1$, then:

- if $L(Z)<10^{-50} \rightarrow L(Z)=10^{-50}$
$-L(Z)=1+L(Z) /(50 \phi n)$



## n-side: likelihood ratio test (6 ladders)

-which test for the charge estimation?

- Maximum likelihood: has the maximum efficiency
- Recursive likelihood ratio: a parametrized contamination

$$
L R(Z)=\frac{L(Z)}{L(Z)+L(Z-1)}>c
$$



Separation between $Z$ and $Z$ - 1



## n-side: inefficiency and contamination (6 ladders)

.tests have been applied to clean samples (» 98\%) tuning $c_{1}$ and $c_{2}$

- inefficiency: percentage of not recognized $Z$ events
.contamination: percentage of not-Z events recognized as Z

. $c_{1}$ and $c_{2}$ are nearly charge independent
. for $c_{1}=0.53$ e $c_{2}=0.40 \rightarrow$ efficiency $» 98 \%$ and contamination »1\%


## n-side: inefficiency and contamination (6 ladders)

| $\%$ | Inefficiency | Contamination by $Z-1$ | Contamination by $Z+1$ |
| :--- | :---: | :---: | :---: |
| $\mathrm{Be}^{*}$ | $2.2 \pm 0.1$ | - | $0.76 \pm 0.03$ |
| $\mathrm{~B}^{*}$ | $1.39 \pm 0.05$ | $1.24 \pm 0.05$ | $1.02 \pm 0.03$ |
| $\mathrm{C}^{*}$ | $1.70 \pm 0.06$ | $0.23 \pm 0.02$ | $1.52 \pm 0.06$ |
| $\mathrm{~N}^{*}$ | $2.3 \pm 0.1$ | $0.13 \pm 0.01$ | $0.88 \pm 0.04$ |
| $\mathrm{O}^{*}$ | $1.81 \pm 0.08$ | $0.10 \pm 0.02$ | $1.7 \pm 0.1$ |
| $\mathrm{~F}^{*}$ | $3.2 \pm 0.2$ | $0.07 \pm 0.01$ | $1.27 \pm 0.08$ |
| $\mathrm{Ne}^{*}$ | $1.67 \pm 0.09$ | $0.14 \pm 0.03$ | - |

Table 3: Inefficiency and contamination in \% for the LR test with a choise of $c_{1}=0.53$ and $c_{2}=0.40$ for the different samples selected with the sixth ladder amplitude neighbors peak criterion.
. Inefficiency and contamination can be an overestimated because the sample are not clean (there is » $1 \%$ of $Z-1$ events in each $Z$ sample)

## n-side: charge with only one ladder

Charge reconstructed with the sixth ladder

| 10 |  |  |  |  |  | 0.006 | 0.993 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 9 |  |  |  |  | 0.013 | 0.945 | 0.041 |
| 8 |  |  |  | 0.014 | 0.953 | 0.029 | 0.001 |
| 7 |  |  | 0.011 | 0.958 | 0.027 | 0.001 |  |
| 6 |  | 0.01 | 0.961 | 0.026 |  |  |  |
| 5 | 0.009 | 0.962 | 0.026 | 0.001 |  |  |  |
| 4 | 0.945 | 0.042 | 0.003 |  |  |  |  |
| $Z$ | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| Charge reconstructed with the likelihood ratio of 5 ladder |  |  |  |  |  |  |  |

. "real charge" estimated with 5 ladders .the charge on the last ladder is reconstructed with the maximum likelihood method
.the right charge is reconstructed at » $95 \%$ while at » $3 \%$ is reconstructed as Z - 1

## p-side: problems

. superposition of the total charge profile function of I.P. for the different ions
. not linear relation between amplitude and energy deposited [ B. Alpat et al., NIM A 540 (2005) 121-130 ]
. a deformed $\eta$ distribution (the spatial resolution has a strong systematic component)


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## p-side: strip correction

## Hypothesis

. The $\eta$ deformation could arise from a not linear behaviour in the single strip signal

## Proof

-A $n$-cluster is associated to each p-cluster . On p-side only the seed strip is considered
. Interstrip region: $0.45<\eta_{p}<0.55$
. On n -side the cluster amplitude is considered
. Combine the information of all the ladder using the relative gain


## Proposed correction

. a polynomial fit of the seed VS n-side amplitude
. Linearization (hard, soft)
. Correction applied to all the p-cluster strips (the same for all the ladders)

$$
A D C_{c o r r, l}=G_{l} \cdot A D C_{c o r r}^{*}=f_{S C}\left(A D C^{*}\right)=f_{S C}\left(\frac{A D C_{l}}{G_{l}}\right)
$$

## $p$-side: $\eta$ distribution


. Implantation structure

## p-side: spatial resolution

. ladders allignement .fit of a 5 point track .analisys of the residual $\Delta x$ distribution .evaluation of the spatial resolution (» $\sigma_{\Delta x}-\sigma_{\mathrm{ft}}$ )




## p-side: charge characterization

. Charge samples are obtained with the $n$-side likelihood test
. Clean separation in $\eta$ region is now possible also on $p$-side
-The ladders differences can be parametrized with a single parameter (relative gain)
-A set of p.d.f. have been calculated for the different ions

- Costruction of a p-side likelihood test


## p-side: test efficiency


.the p-side charge is reconstructed with the maximum likelihood method .the right charge is recognized in » $90 \%$ of the events

## Status of the work

$\rightarrow$ Implementation of a charge discrimination algorithm with high efficiency and low contamination. An AMS-note is in preparation:
Heavy Ions $(Z>2)$ Charge Analysis for the
October 2003 Beam Test of the AMS-02 Tracker
Ladders
$\Rightarrow$ Use the algorithm to find fragmentation events and to study their topology
$\rightarrow$ Compare these result with a FLUKA Monte Carlo simulation


