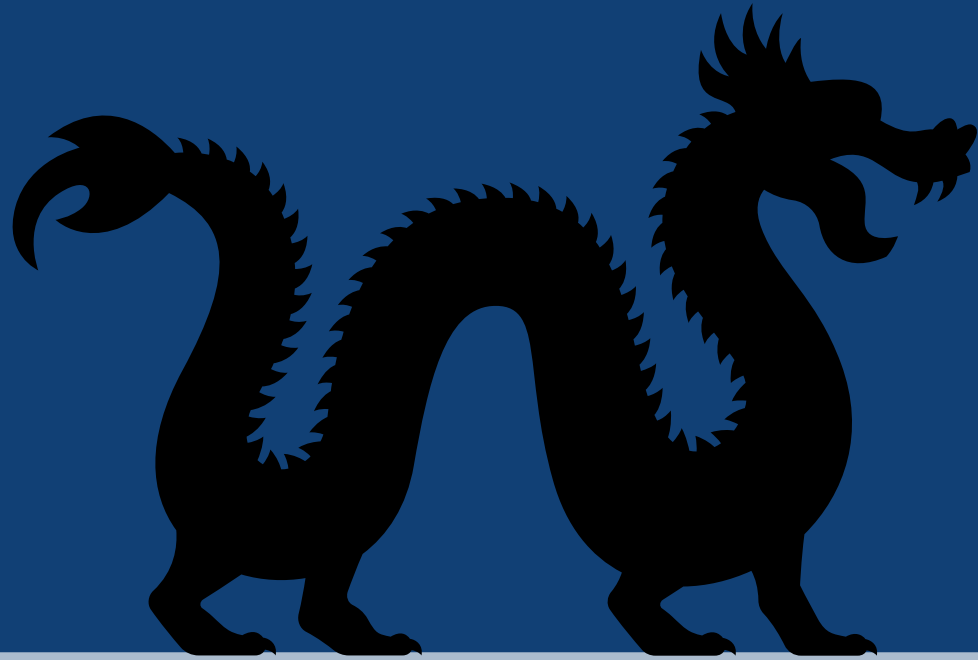


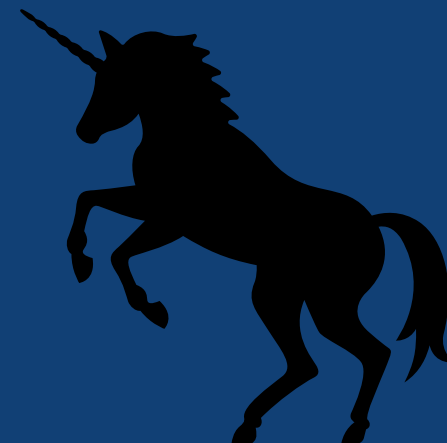
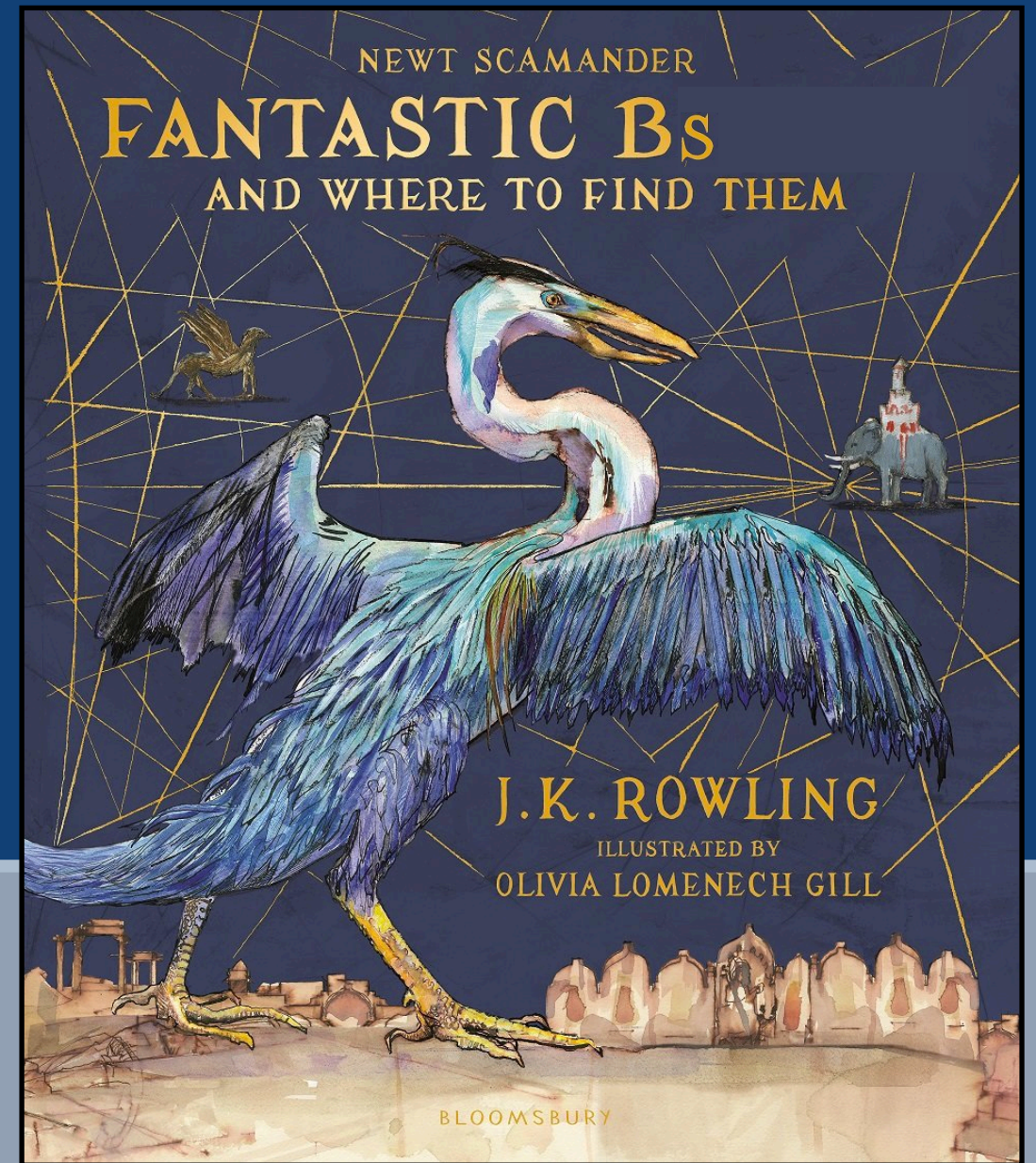


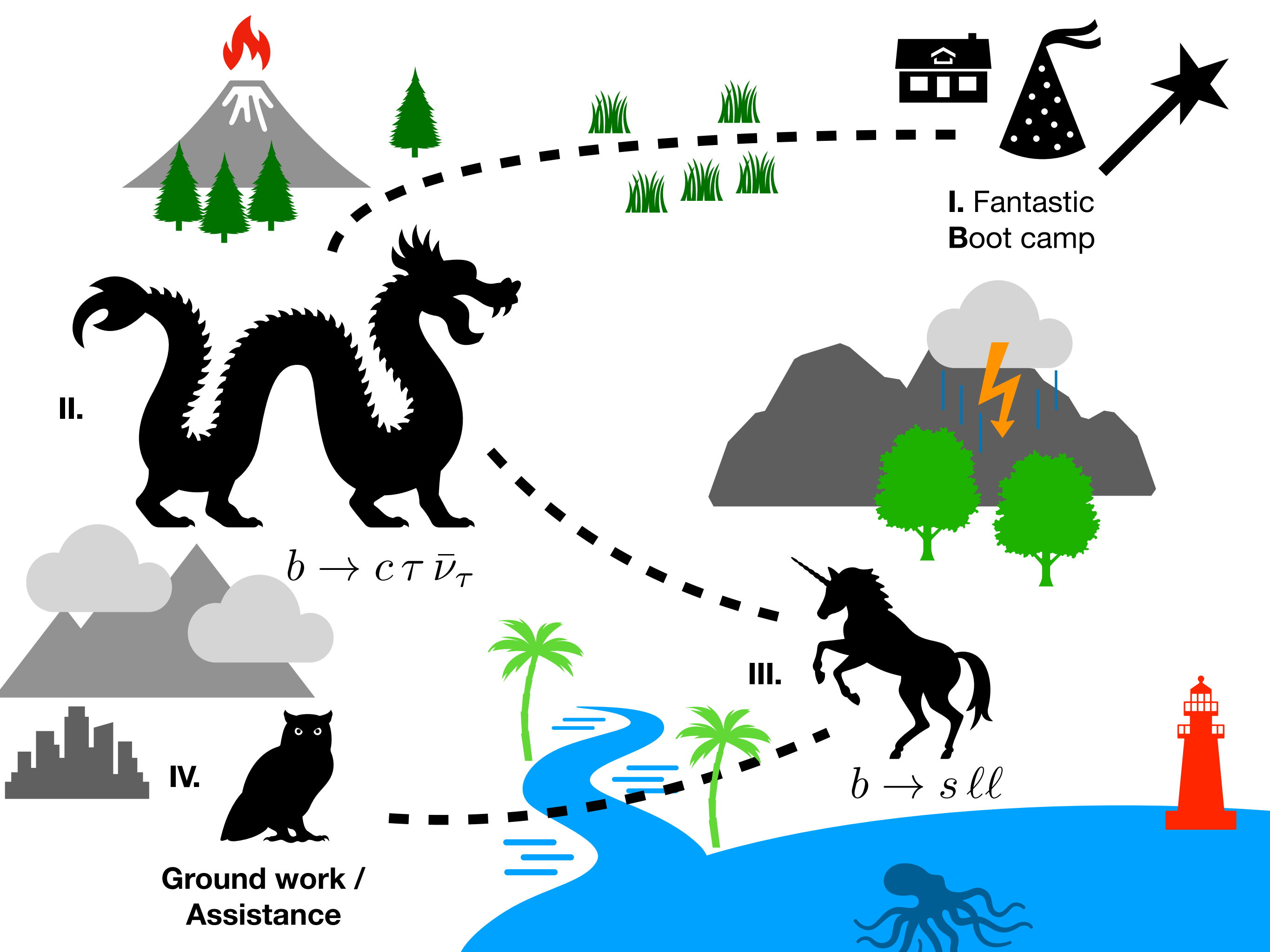
Fantastic Bs

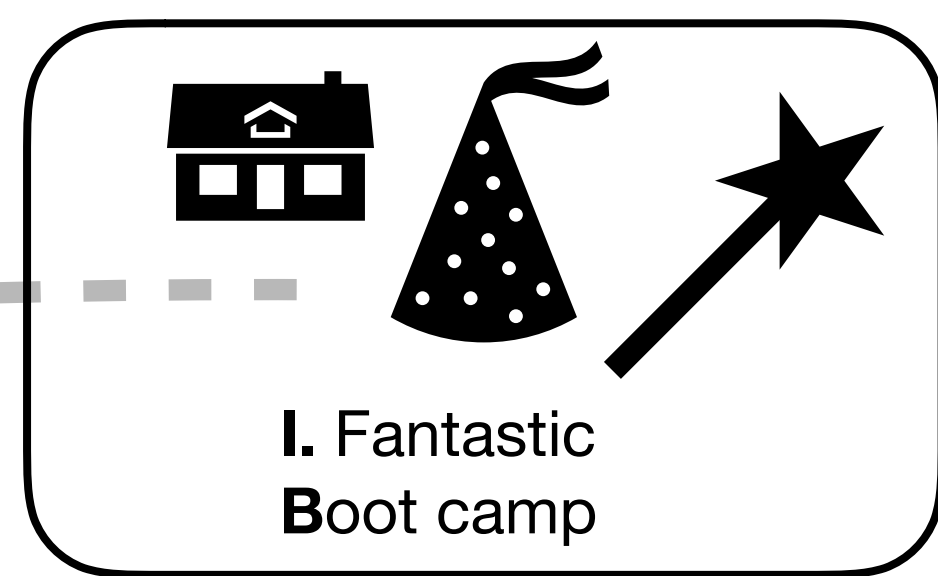
**B-Mesons &
b-Baryons!**



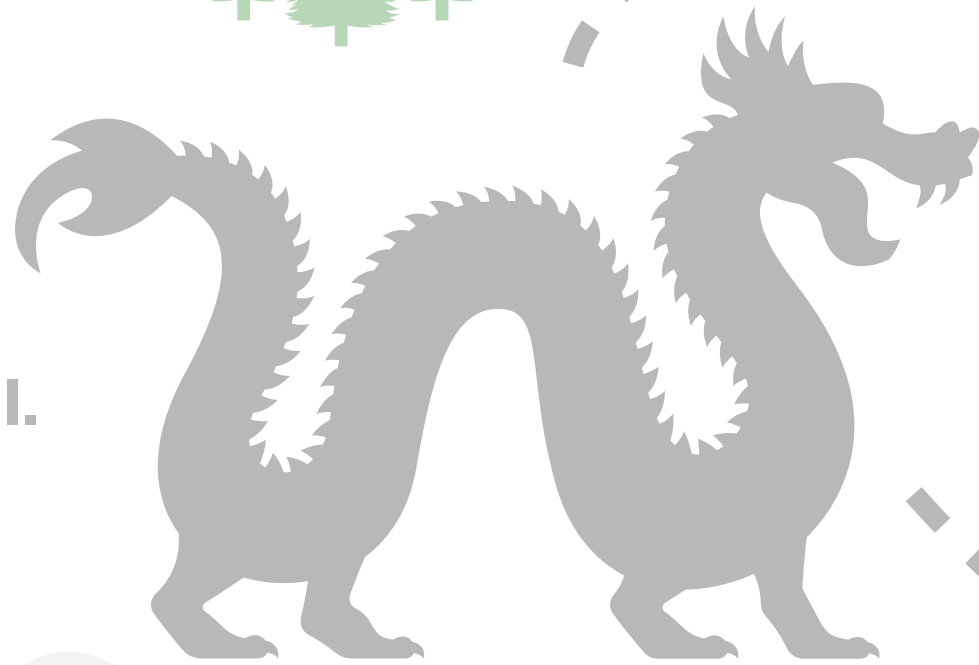
... and where to find them



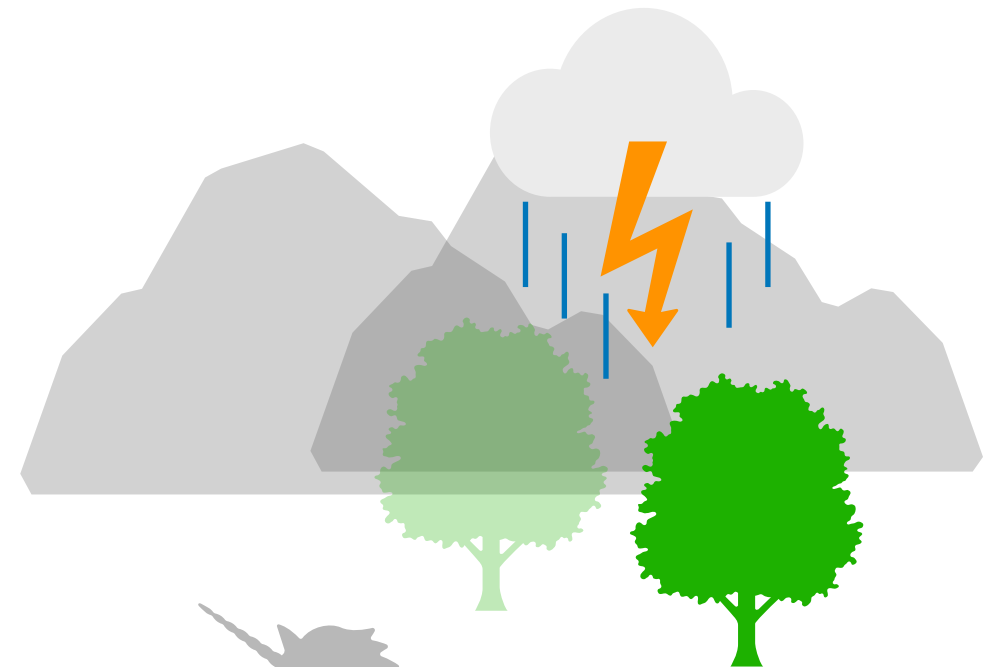




II.



$$b \rightarrow c \tau \bar{\nu}_\tau$$

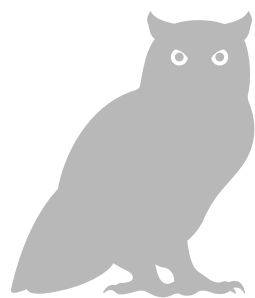


III.



$$b \rightarrow s \ell \ell$$

IV.



Ground work /
Assistance



Everybody talks about **new physics** — why?

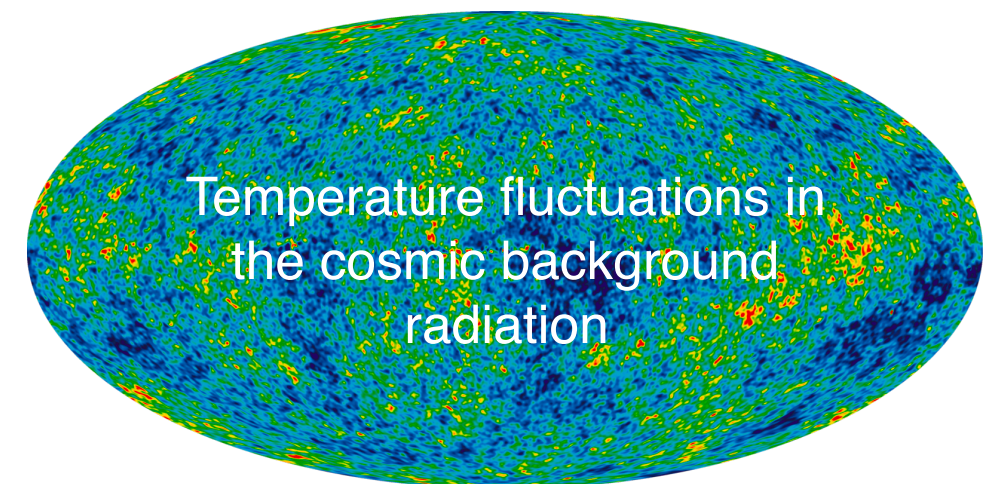
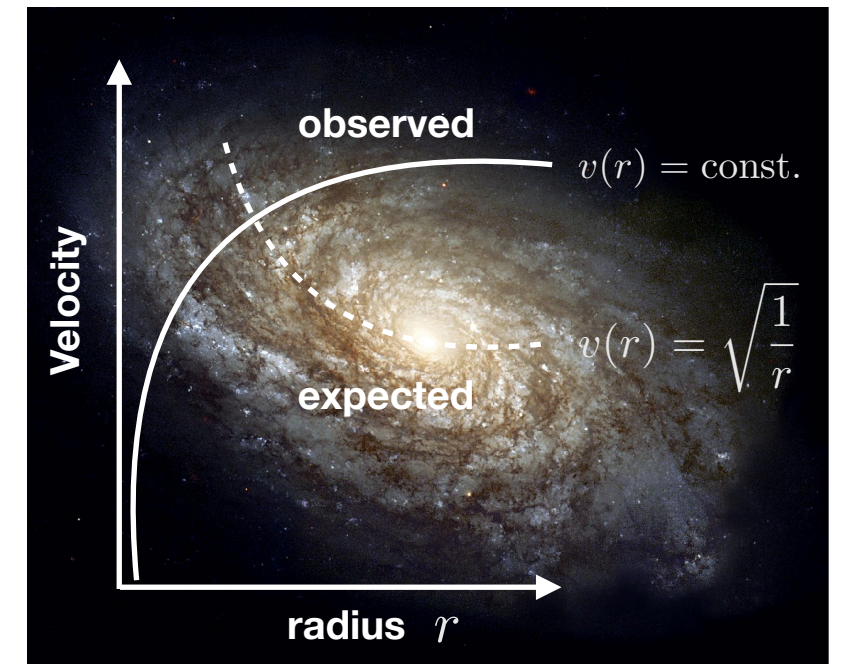
- What's wrong with “**old**” physics?

Successfully describes most phenomena recorded at particle physics experiments

- **The open questions:**

- **Rotation curves** from spiral **galaxies** indicate existence of new type of matter (Dark matter or short **DM**)
 - ▶ Similar evidence for DM in the temperature fluctuations of cosmic background radiation
- **Neutrinos** have **mass** (they oscillate)
- **Not a theory of everything:** Quantum mechanics and gravity do not bond
 - ▶ Perhaps both are a limit of a more fundamental theory?

rotation curves of spiral galaxies



The Standard Model of Particle Physics (SM)

- Our **best theory** to describe particle collider phenomena

Relativistic quantum field theory,
describes **3 of the 4** fundamental
Forces

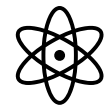
- Electromagnetism



- Weak Force

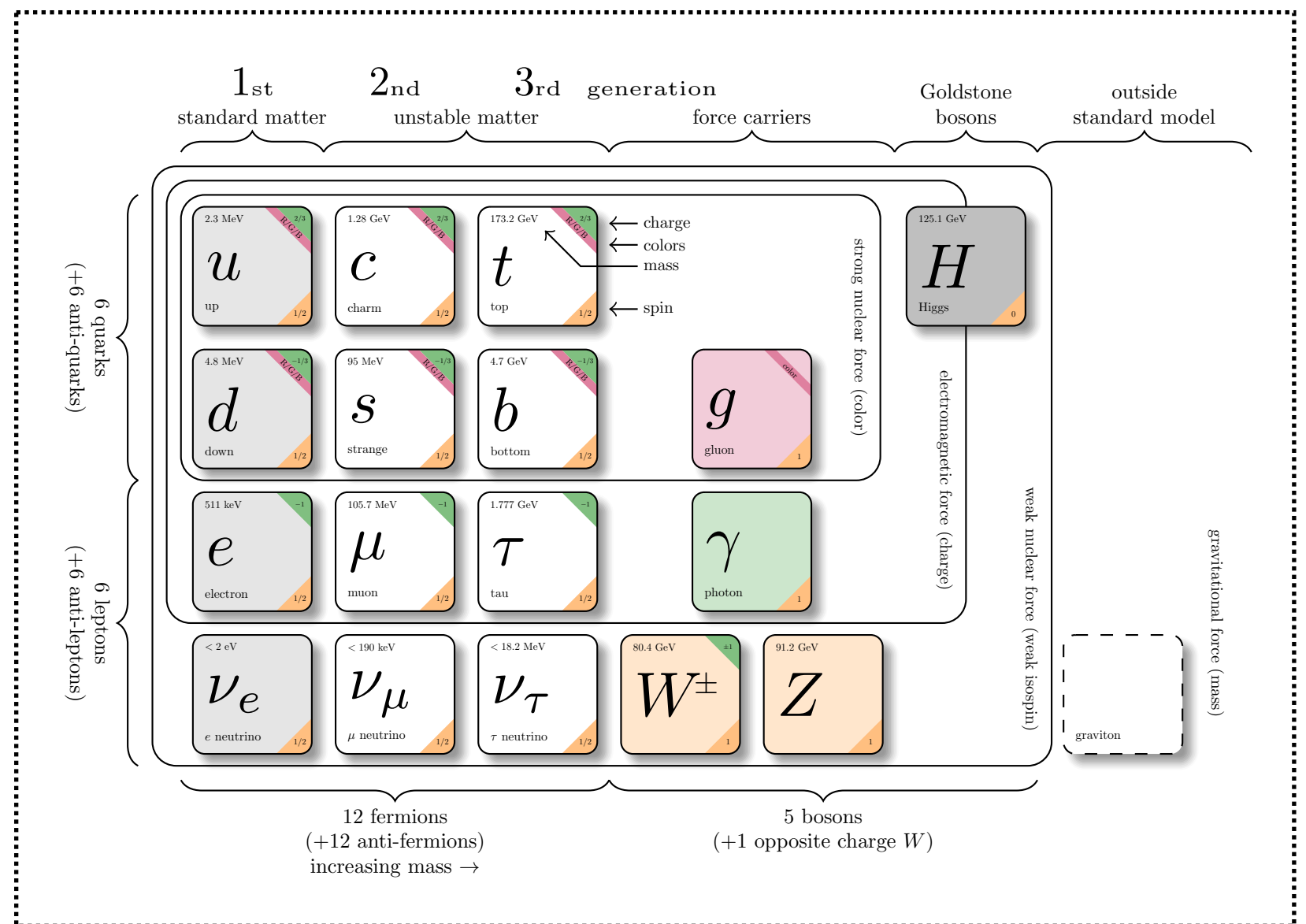


- Strong Force



Classifies all particles into

- 6 quarks + 6 anti-quarks
- 6 leptons + 6 anti-leptons
- 4 Types of interaction particles
- 1 Higgs boson



The SM: a great success story with flaws

- One of the most impressive predictions:
magnetic moment of the electron

$$\vec{L} = \vec{r} \wedge \vec{p}$$

$$M_L = -\frac{e}{2m} \vec{L}$$

in QM

$$\vec{M}_L = g_L \frac{e}{2m} \vec{S}$$

$g_L = 2$

Dirac equation,
in relat. QM

Deviations of 2 through polarisation of the vacuum

$$a_{\text{exp}}^e = \frac{g_e - 2}{2} = (1'159'652'188.4 \pm 4.3) \times 10^{-12}$$

$$a_{\text{SM}}^e = \frac{g_e - 2}{2} = (1'159'652'205.4 \pm 28) \times 10^{-12}$$

Precision prediction over 8 orders of magnitudes!

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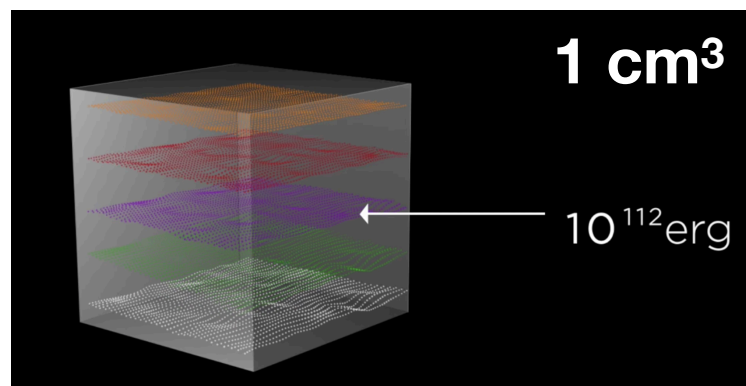
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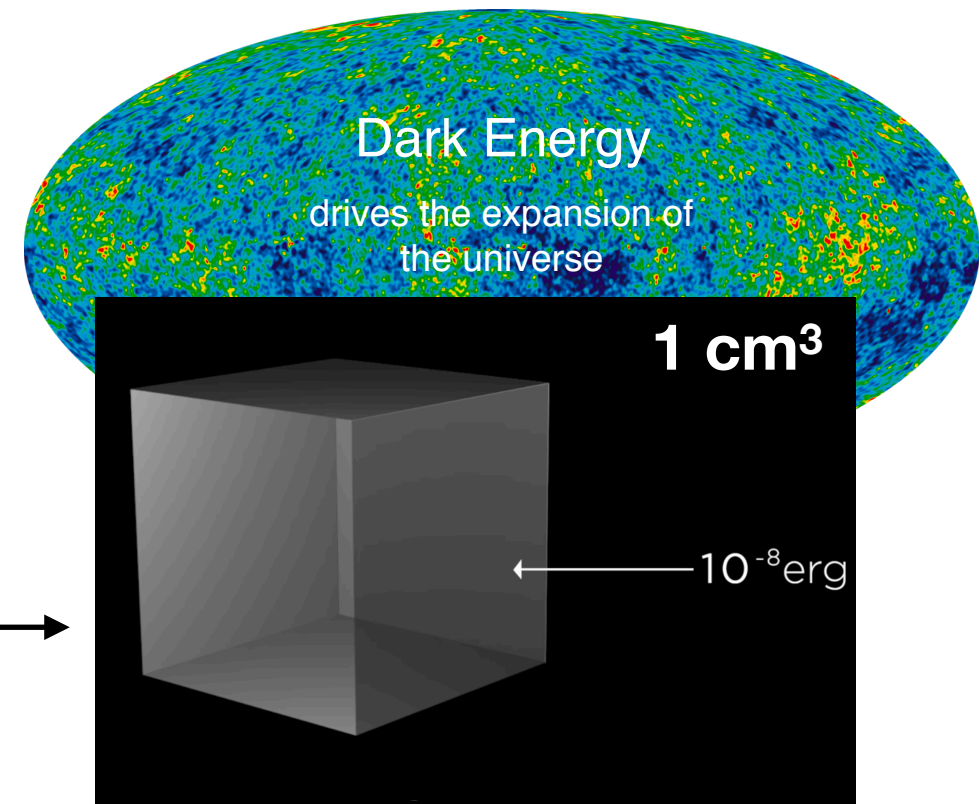
Precision prediction over 8 orders of magnitudes!

- But ask the **SM** what the energy density of the vacuum in the universe is, you get a surprise



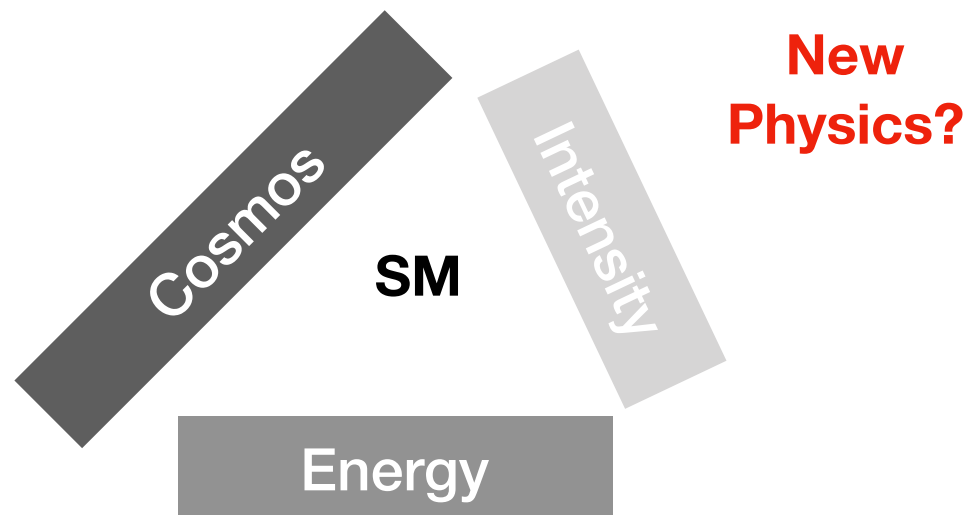
Off by 120 orders of magnitudes !?!

1 erg = 6.2×10^{11} eV = 10^{-7} Joule $\approx$ 1 wing flap of a fly

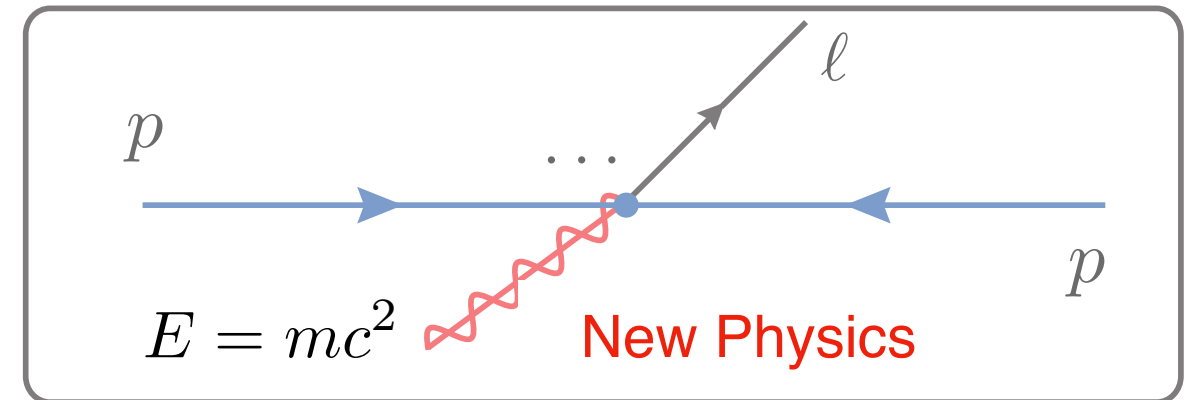


The intensity frontier and the Belle II-Experiment

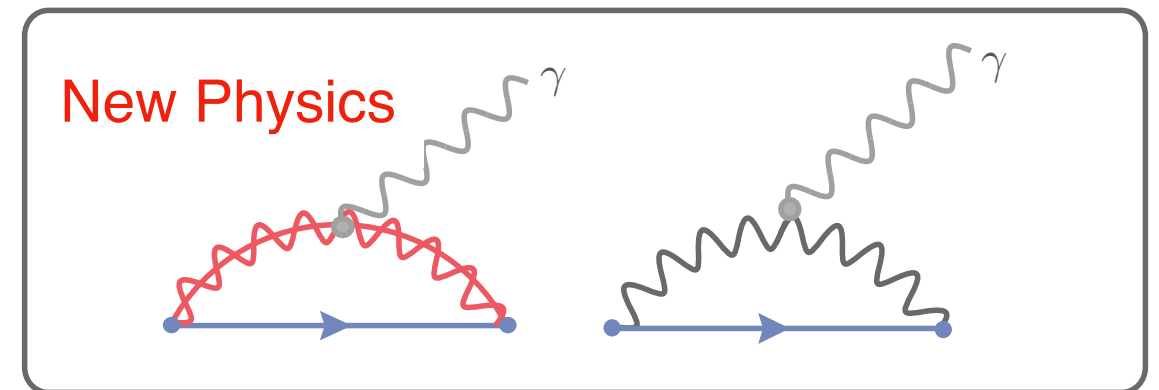
- In Summary: Strong evidence that **physics beyond the SM must exist**



- **Cosmos**: Use the universe as a laboratory
- **Energy**: Direct production of **new physics** (observe new phenomena or new particles)
- **Intensity**: Indirect Search of **new physics** through corrections of well known processes



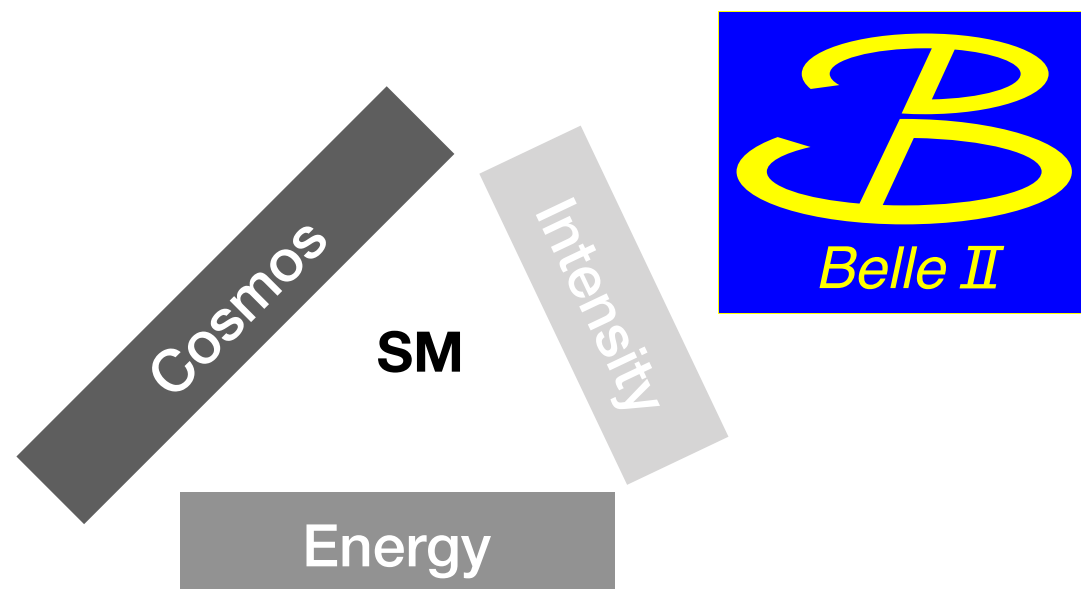
Search for New Physics at the LHC or HL-LHC



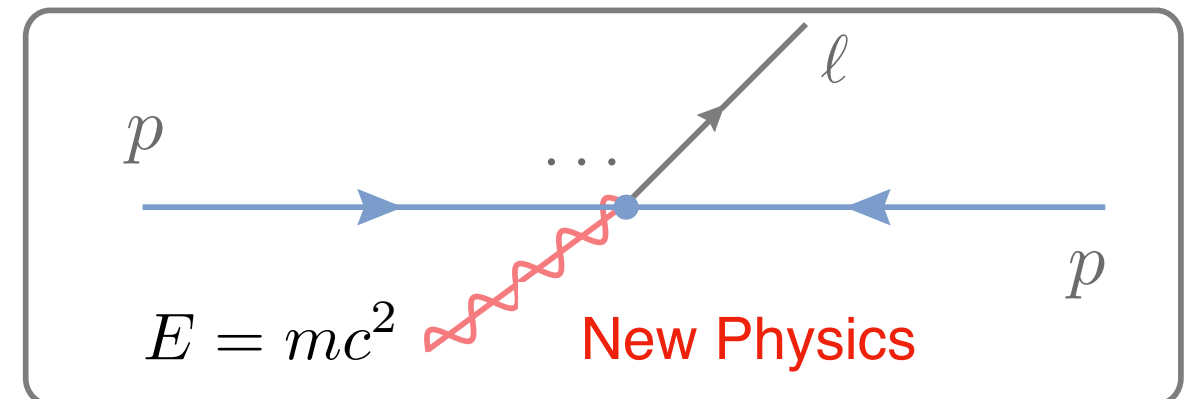
Search for New Physics at [Belle II](#)

The intensity frontier and the Belle II-Experiment

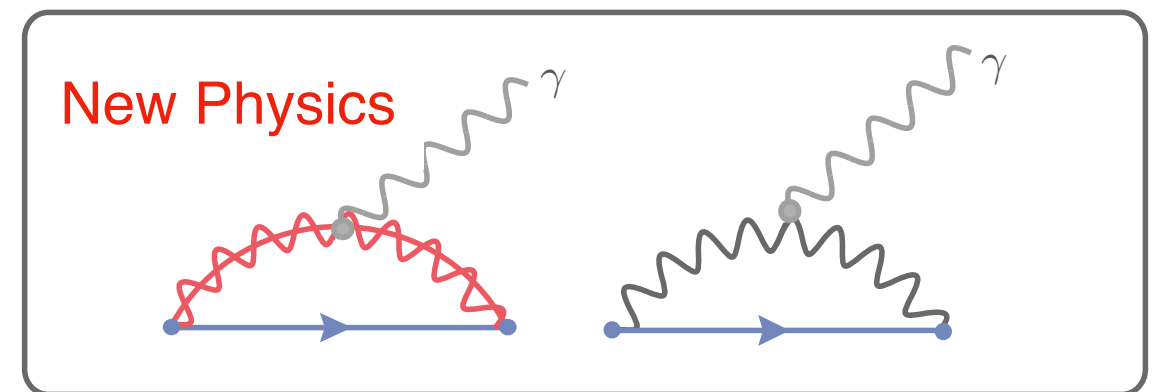
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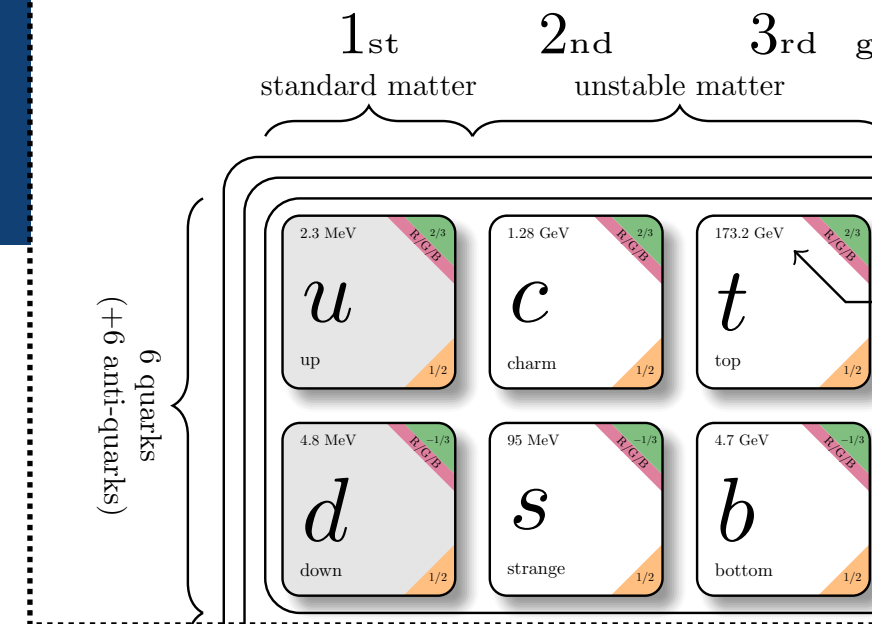
Search for New Physics at the LHC or HL-LHC



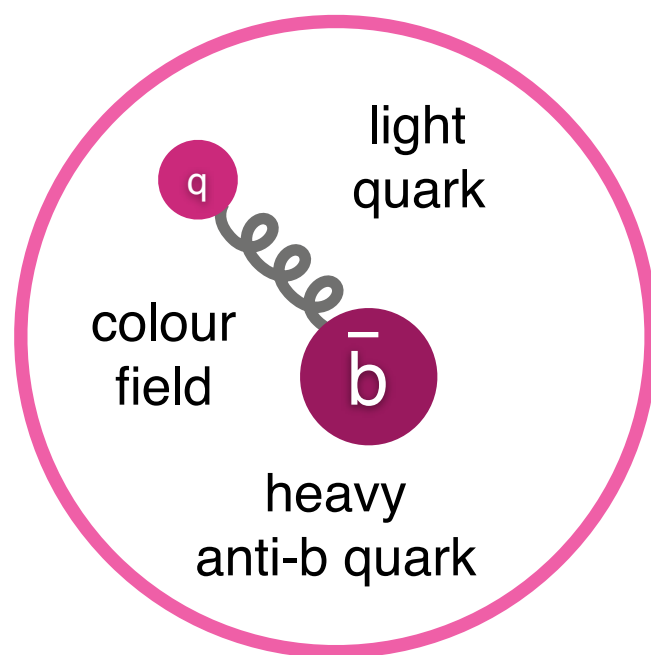
Search for New Physics at **Belle II**
with b quarks

Beauty or Bottom Quarks

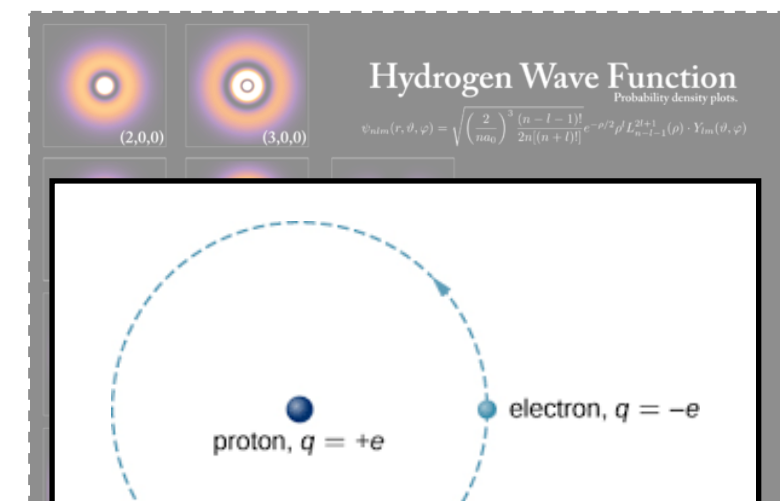
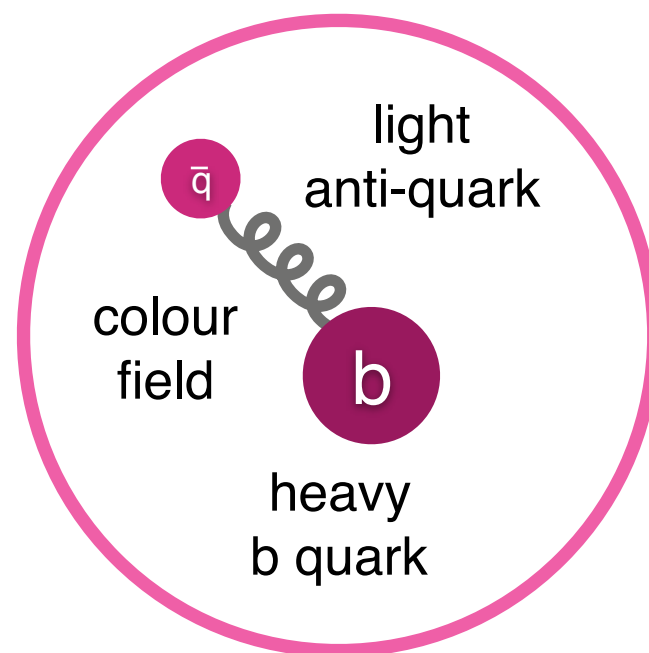
- At **Belle II** we search for **New Physics**, by producing **huge amounts of beauty or short b quarks**
 - All quarks carry **colour charges** and only exist as bound states (with the exception of the top quark)



B meson



anti-B meson



B meson: a hydrogen atom for our understanding of the strong interaction / QCD

$$m_Q \rightarrow \infty$$

$$i \frac{\not{p} + m_Q}{p^2 - m_Q^2 + i\epsilon} \rightarrow i \frac{1 + \not{v}}{2v \cdot k + i\epsilon}$$

$\uparrow$ v : four-velocity of the b-quarks
 $\uparrow$ k : Measure for how far the b-quark is away from its mass-shell

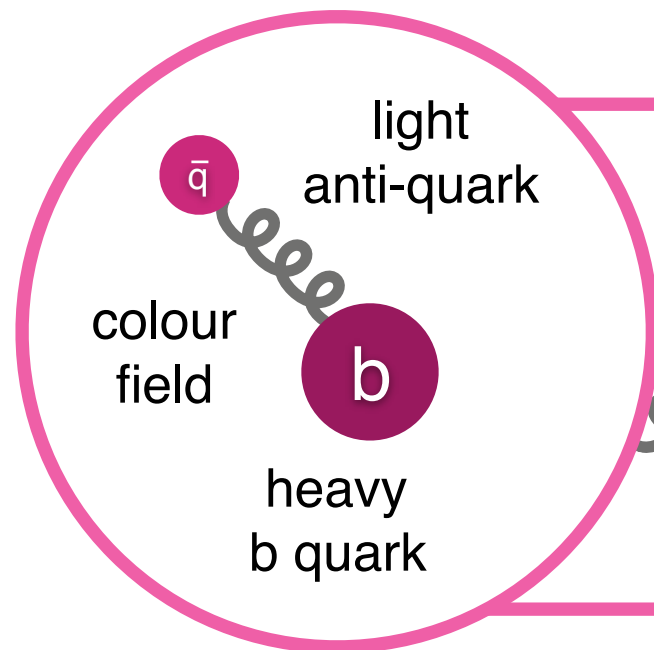
Flavour

- Life time of a B meson:
 $\tau \approx 1.5 \times 10^{-12}$ seconds

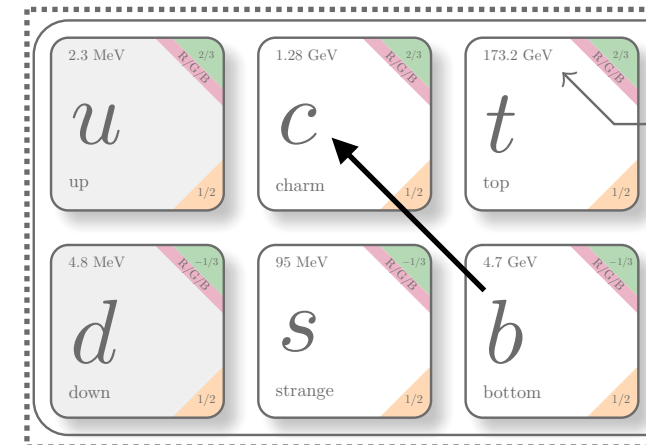
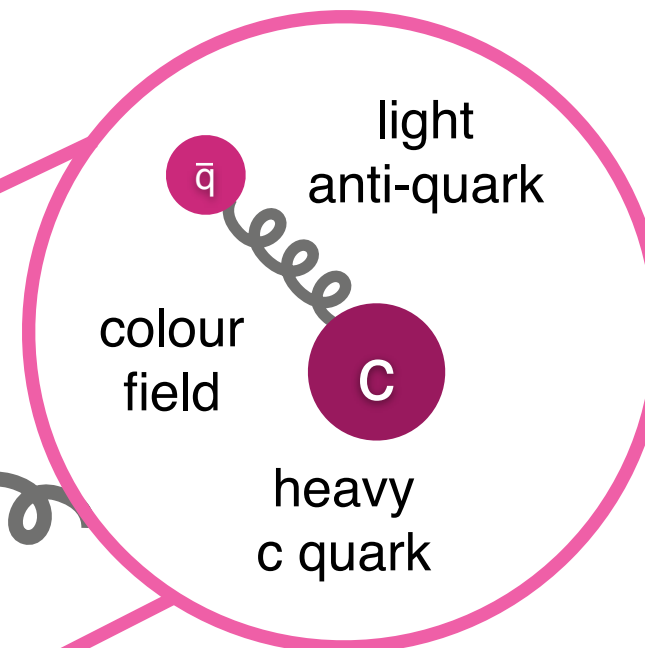
Decays via the Weak interaction
(analogous to radioactive $\beta_{\pm}$ decays)

e.g.

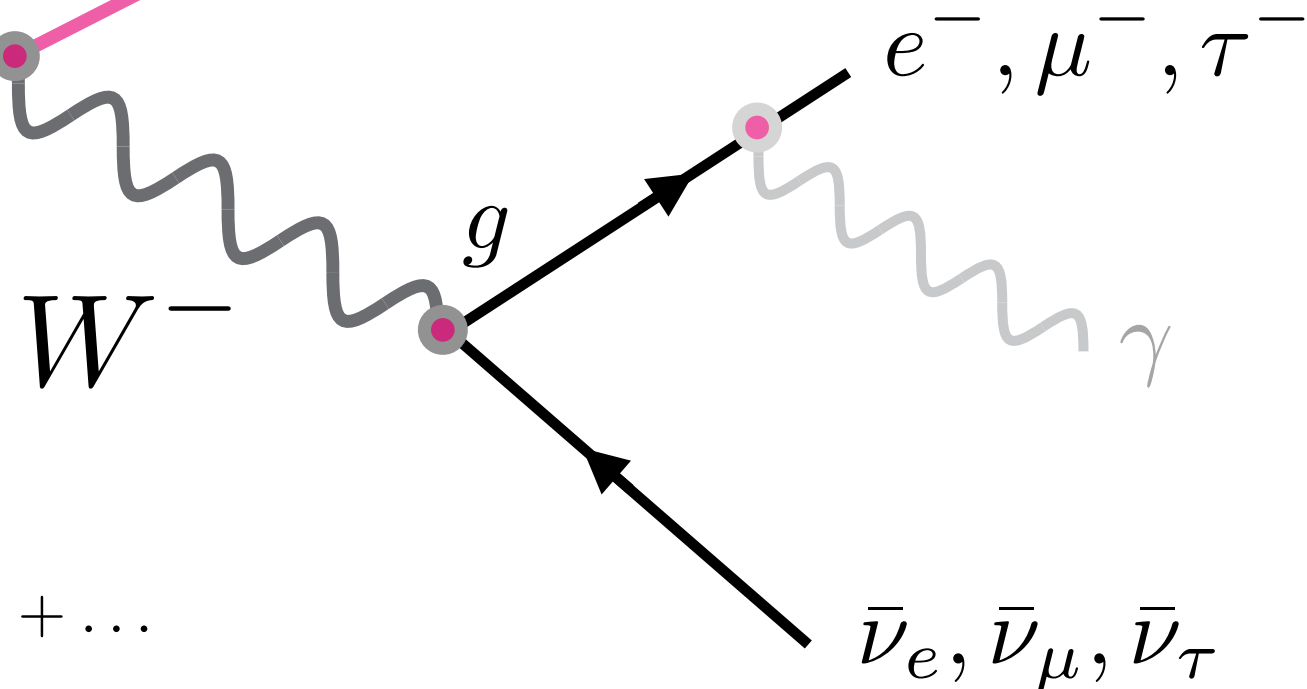
anti-B meson



D meson



gV_{cb}



$m_{c,b} \rightarrow \infty$

light anti-quark
does not notice the
decay happened

$$\mathcal{L}_{\text{QCD}} = \mathcal{L}^{(0)} + \frac{1}{m_{c,b}} \mathcal{L}^{(1)} + \frac{1}{m_{c,b}^2} \mathcal{L}^{(2)} + \dots$$

The “Setup” of a B-factory

- Collide electrons and positrons at a **centre of mass energy** of about **2 x B meson mass**

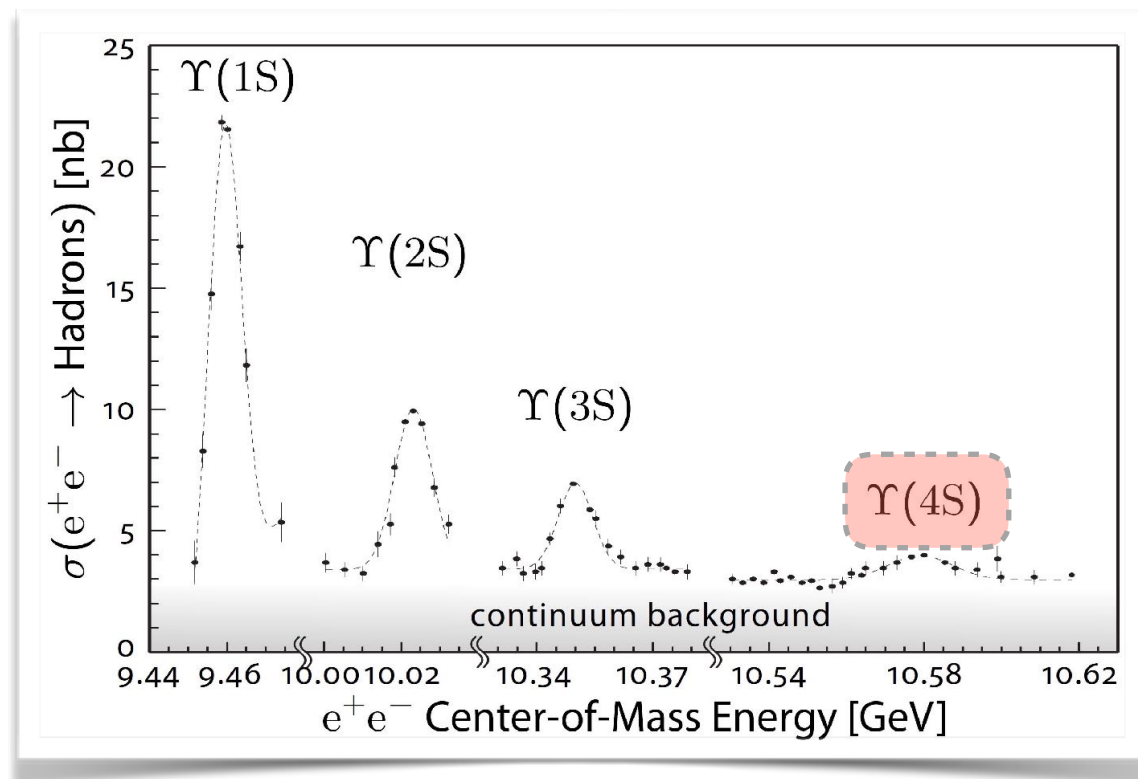
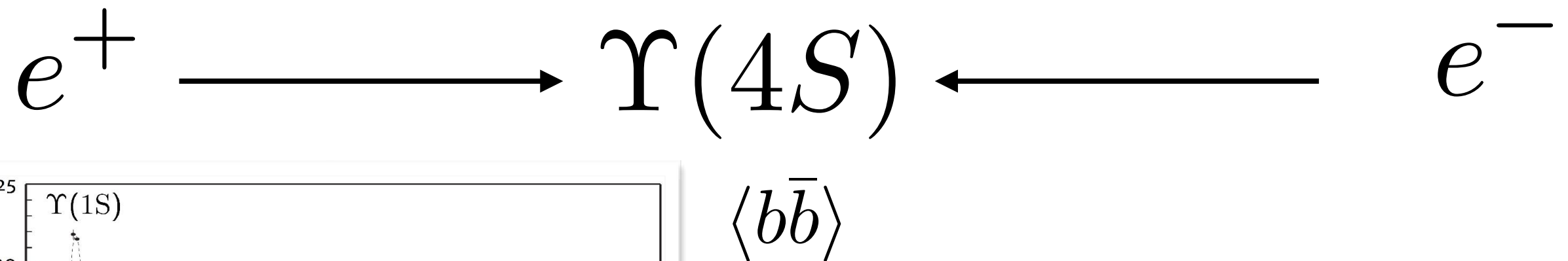
$$\sqrt{s} = 10.58 \text{ GeV}$$



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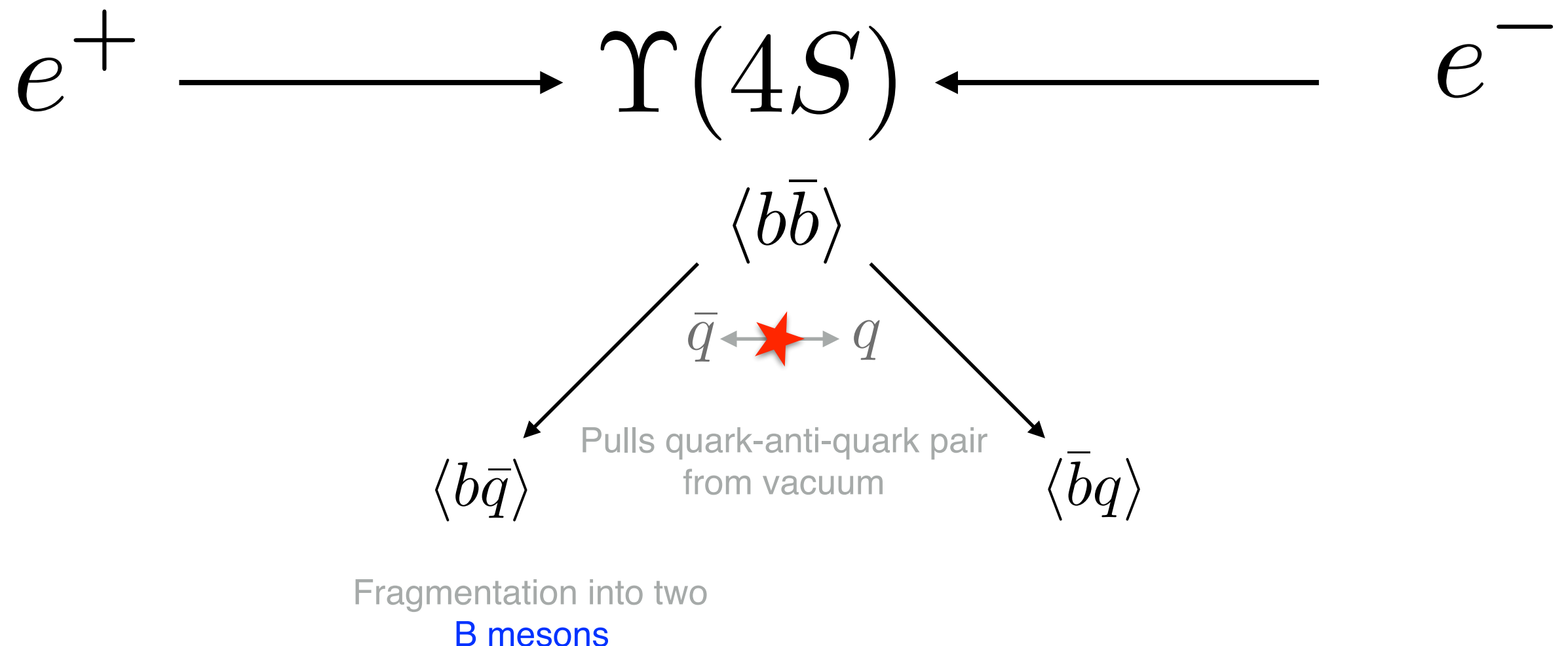
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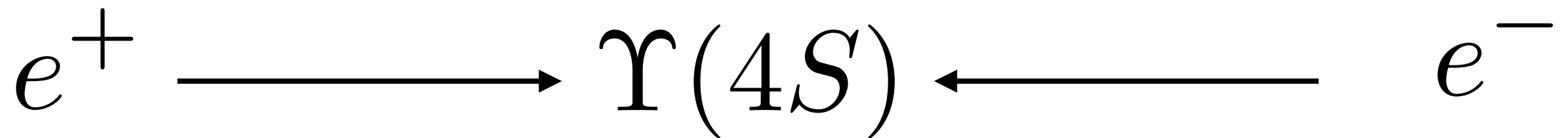
$$\sqrt{s} = 10.58 \text{ GeV}$$



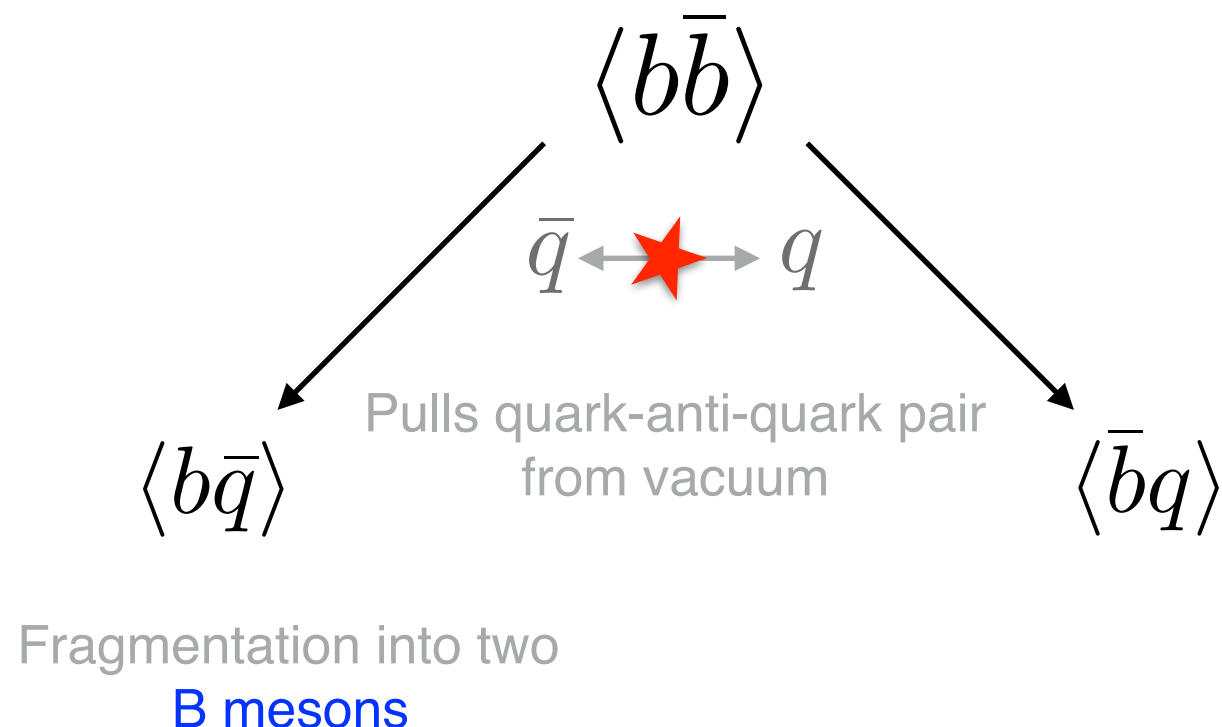
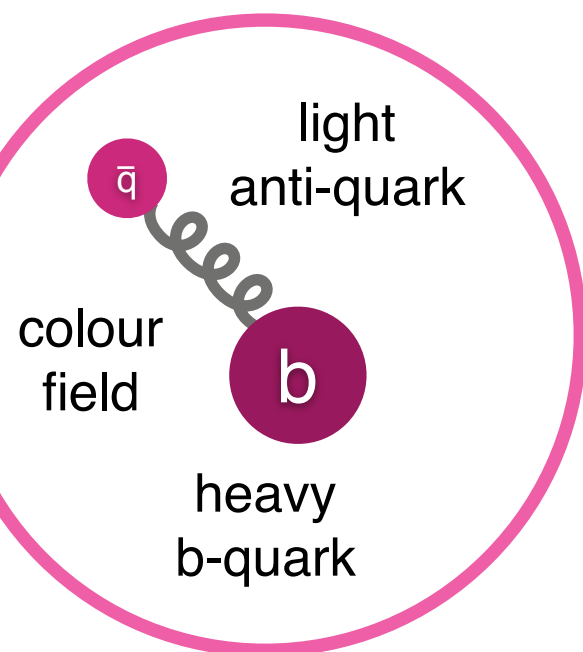
Das “Setup” einer B-Fabrik

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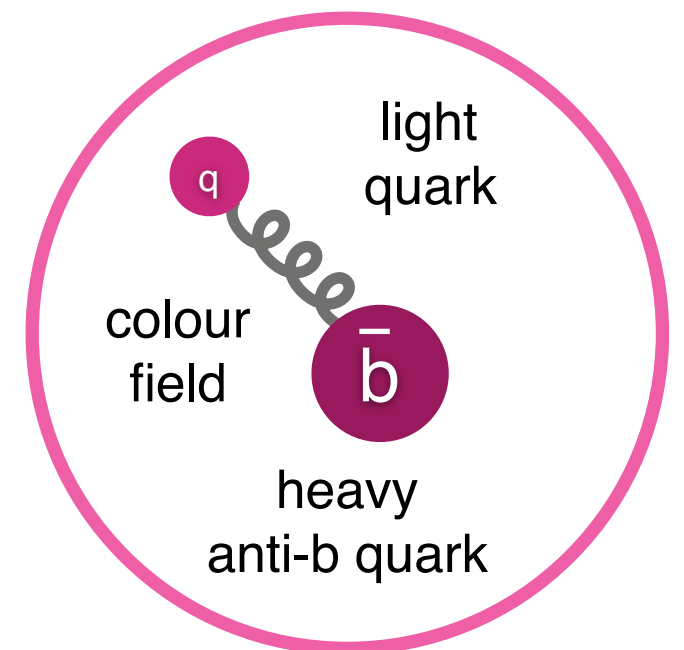
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anti-B meson



B meson

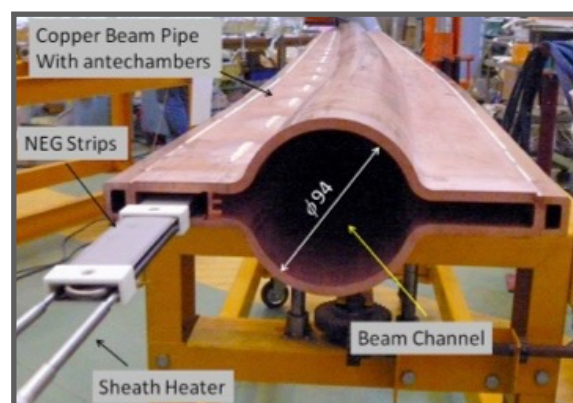
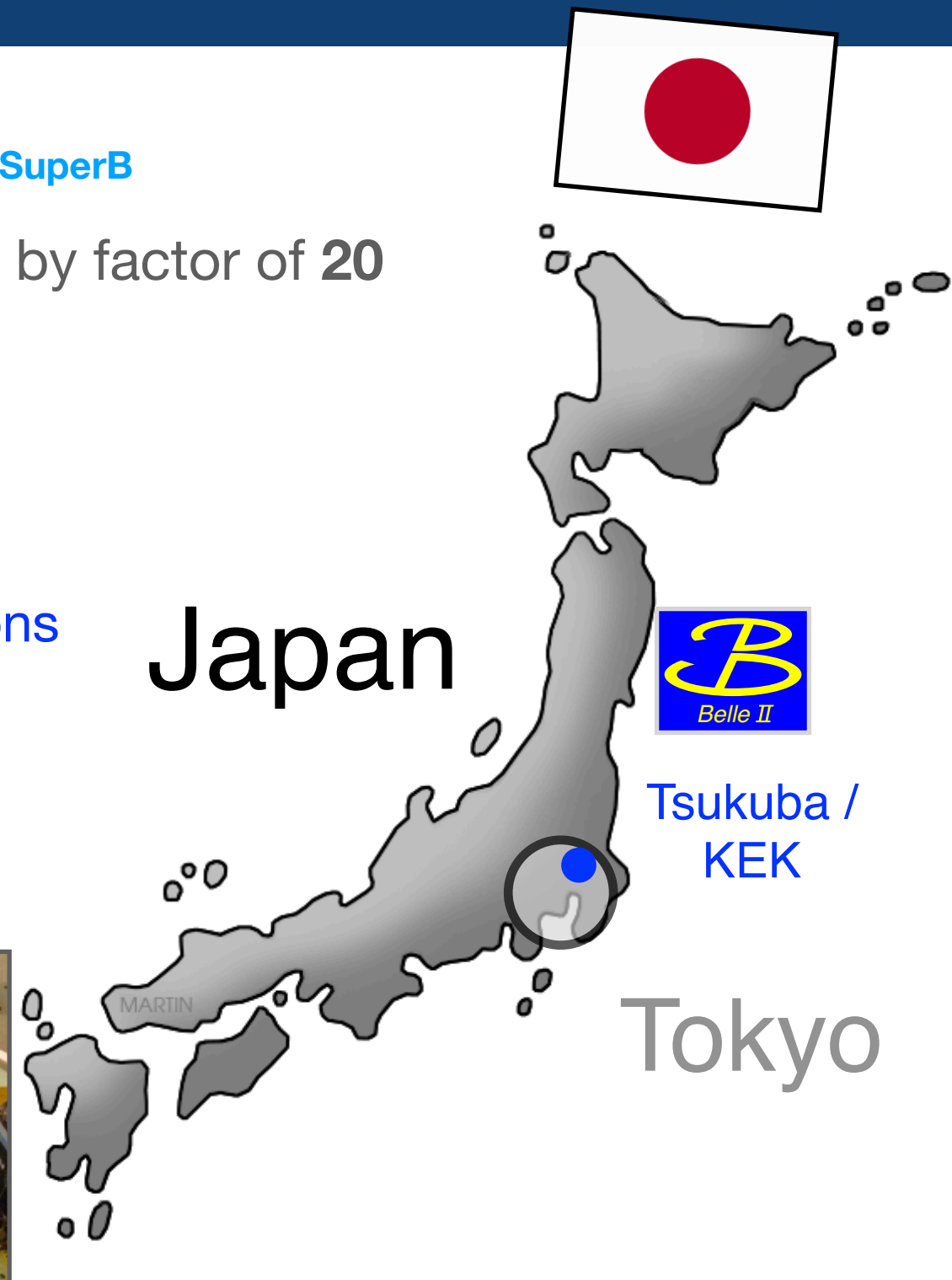
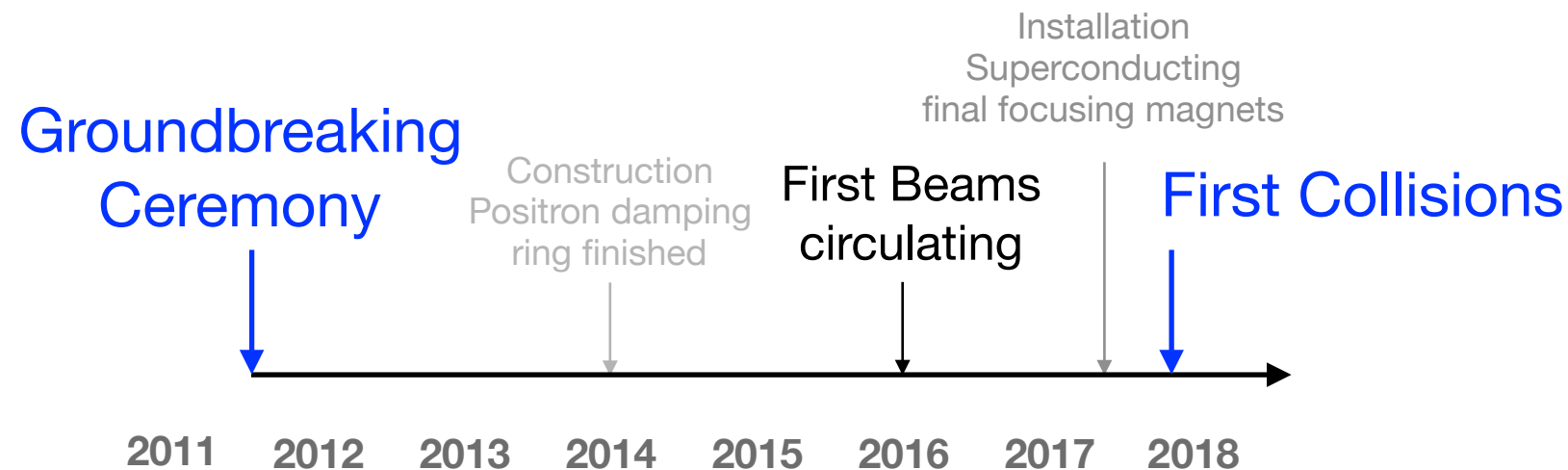


A next-generation Super-B-Factory in the making

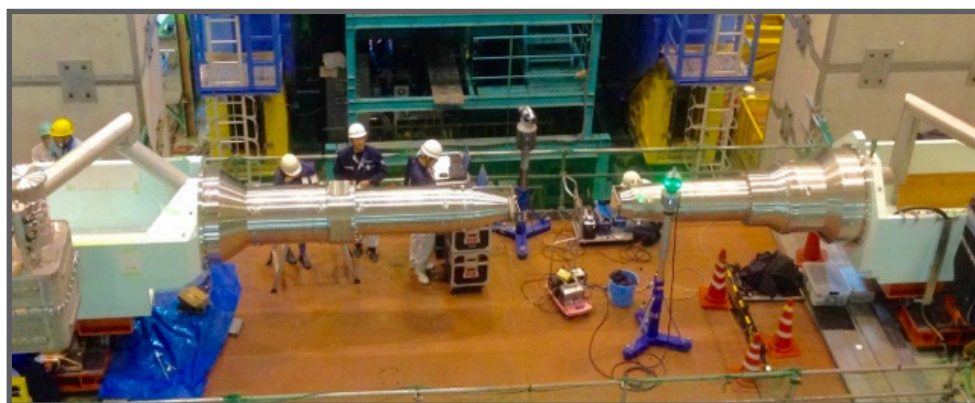
- Integral idea: **nano-beams**

P. Raimondi for SuperB

- 50 nm vertical spot size, reduces beam spot by factor of 20
- Major upgrade of existing facilities needed



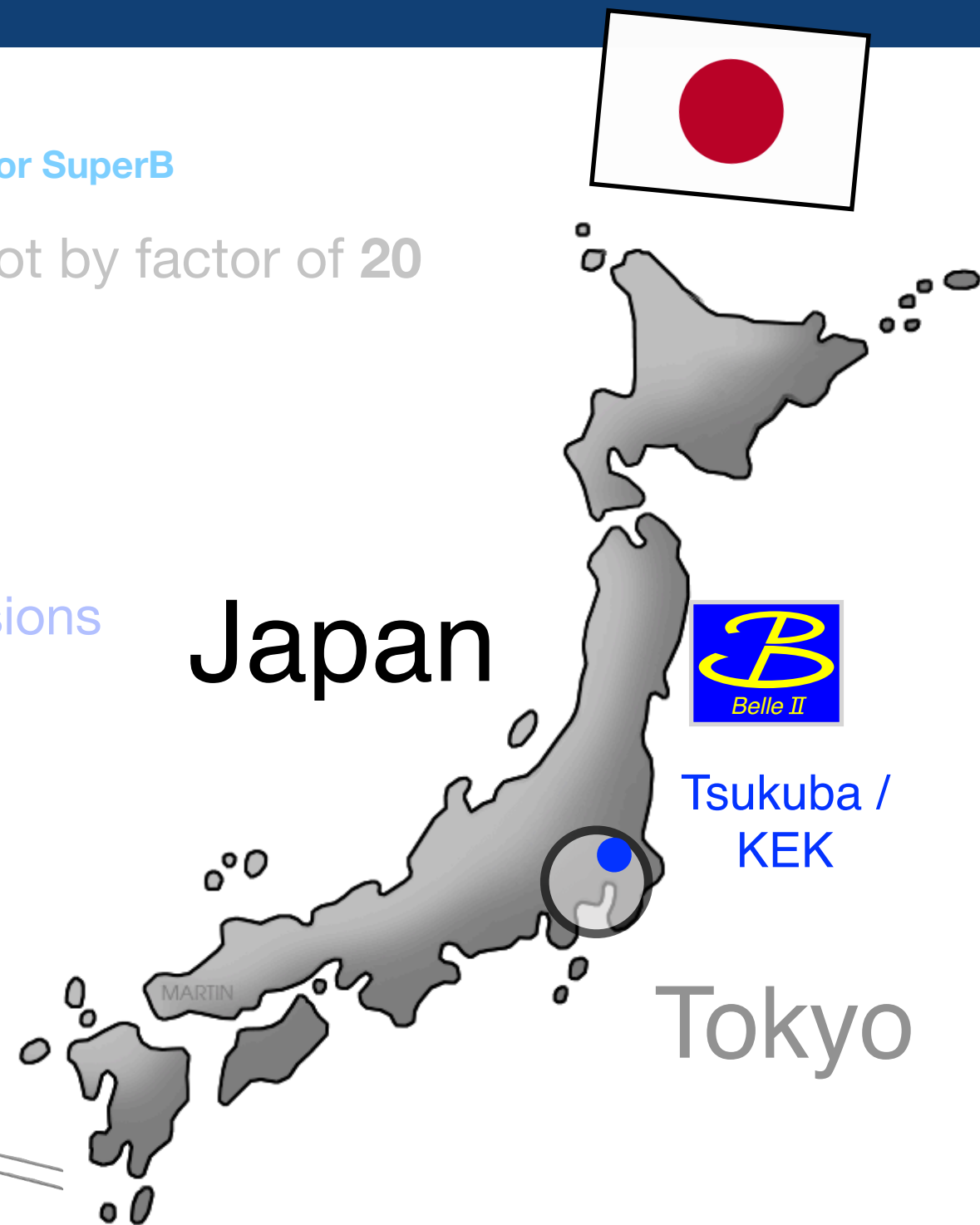
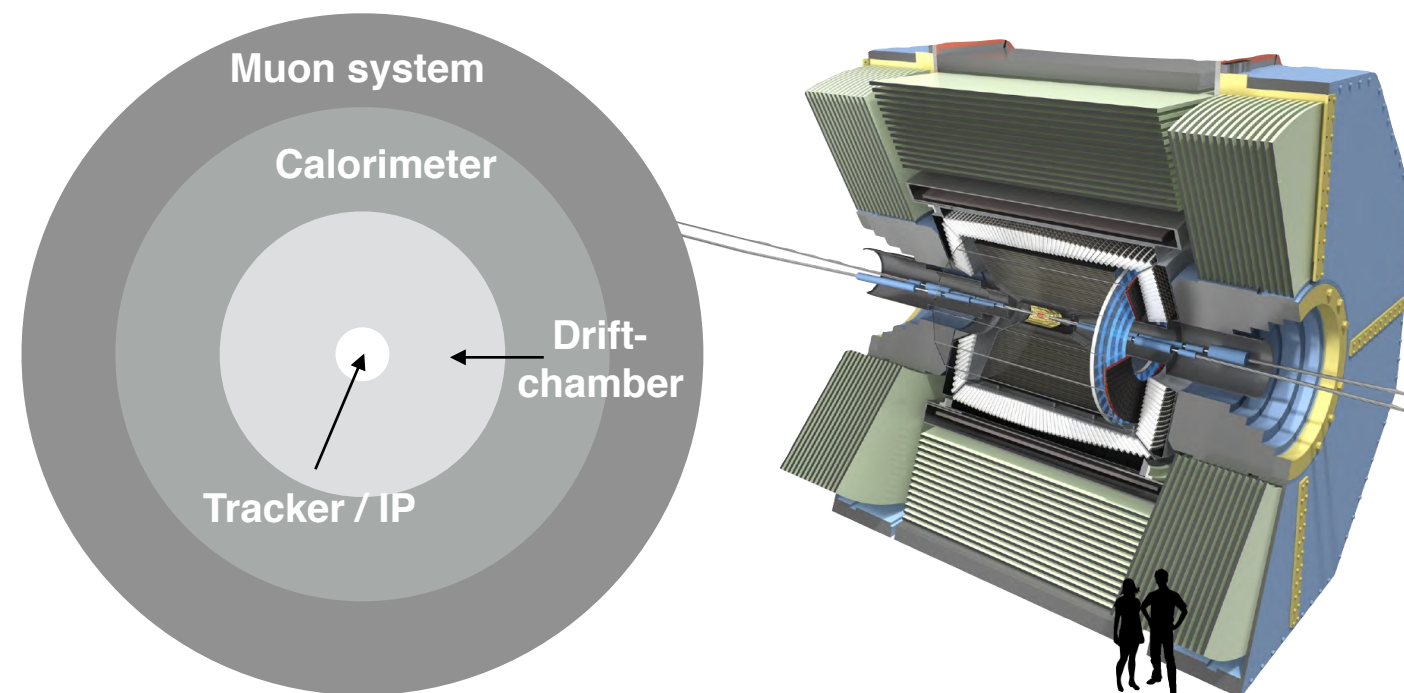
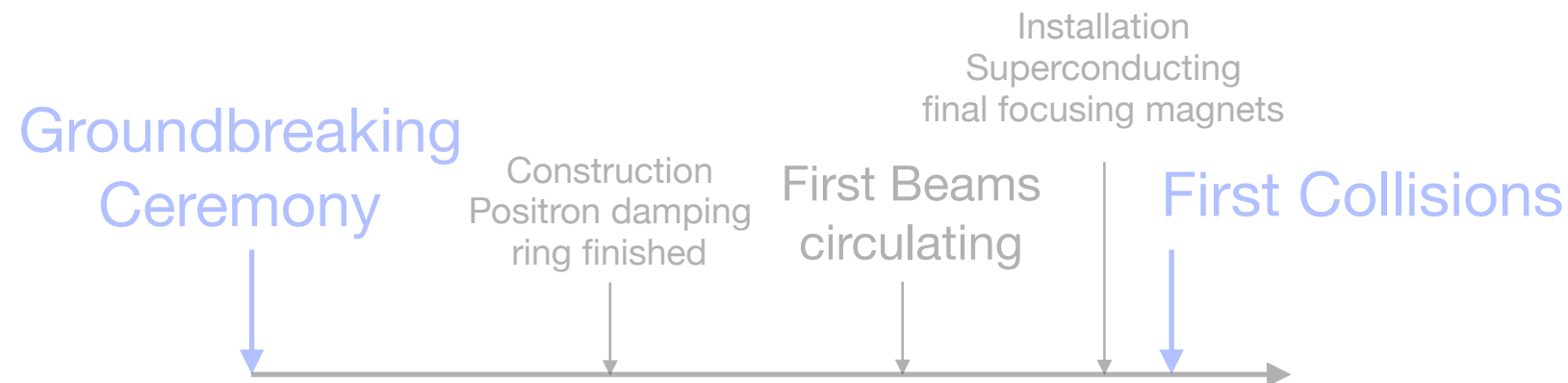
Replaced old beam pipes with TiN coated beam pipes with antechambers



New superconducting final focusing magnets near the IP

A next-generation Super-B-Factory in the making

- Integral idea: **nano-beams** P. Raimondi for SuperB
 - 50 nm vertical spot size, reduces beam spot by factor of 20
 - Major upgrade of existing facilities needed



Electrons (7 GeV) - Positron (4 GeV) Accelerator

SuperKEKB-Ring (HER+LER)

Belle II Detector

Linac



The Belle II Detector

Needs to deal with **40 x higher** Luminosity:

- Higher collision rates

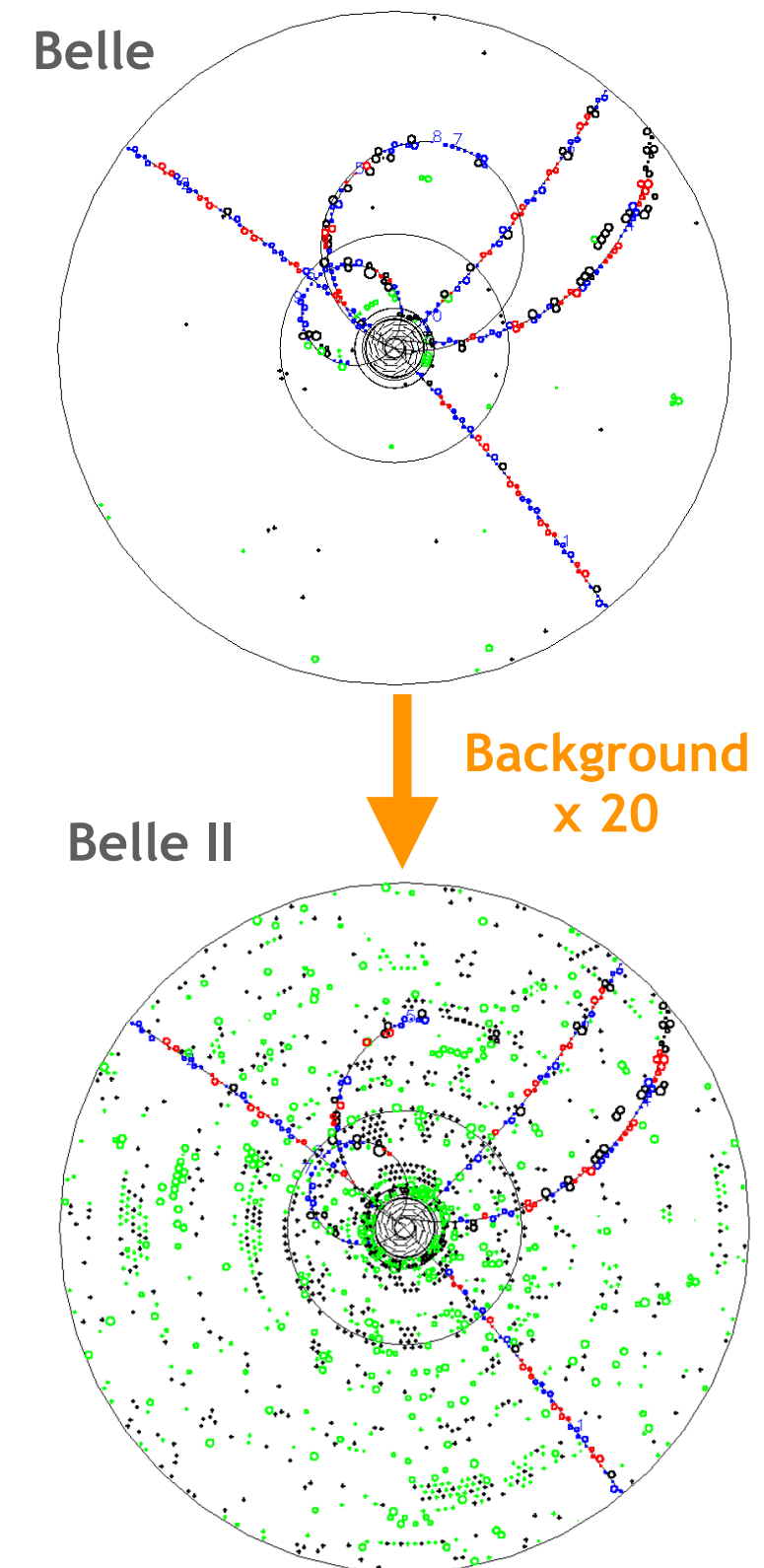
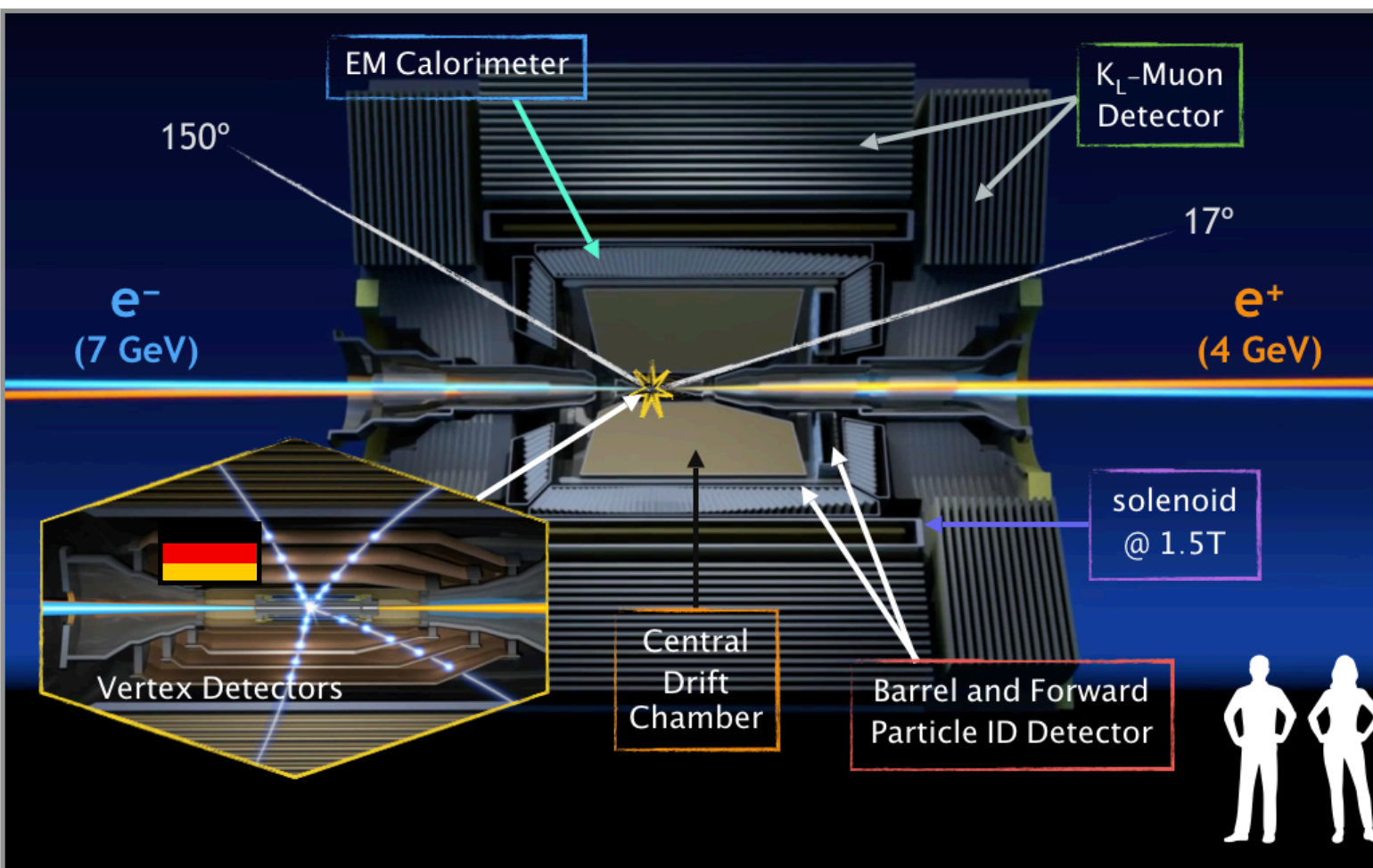
 - Higher trigger rates

 - Higher demands on DAQ & Computing

- More Background

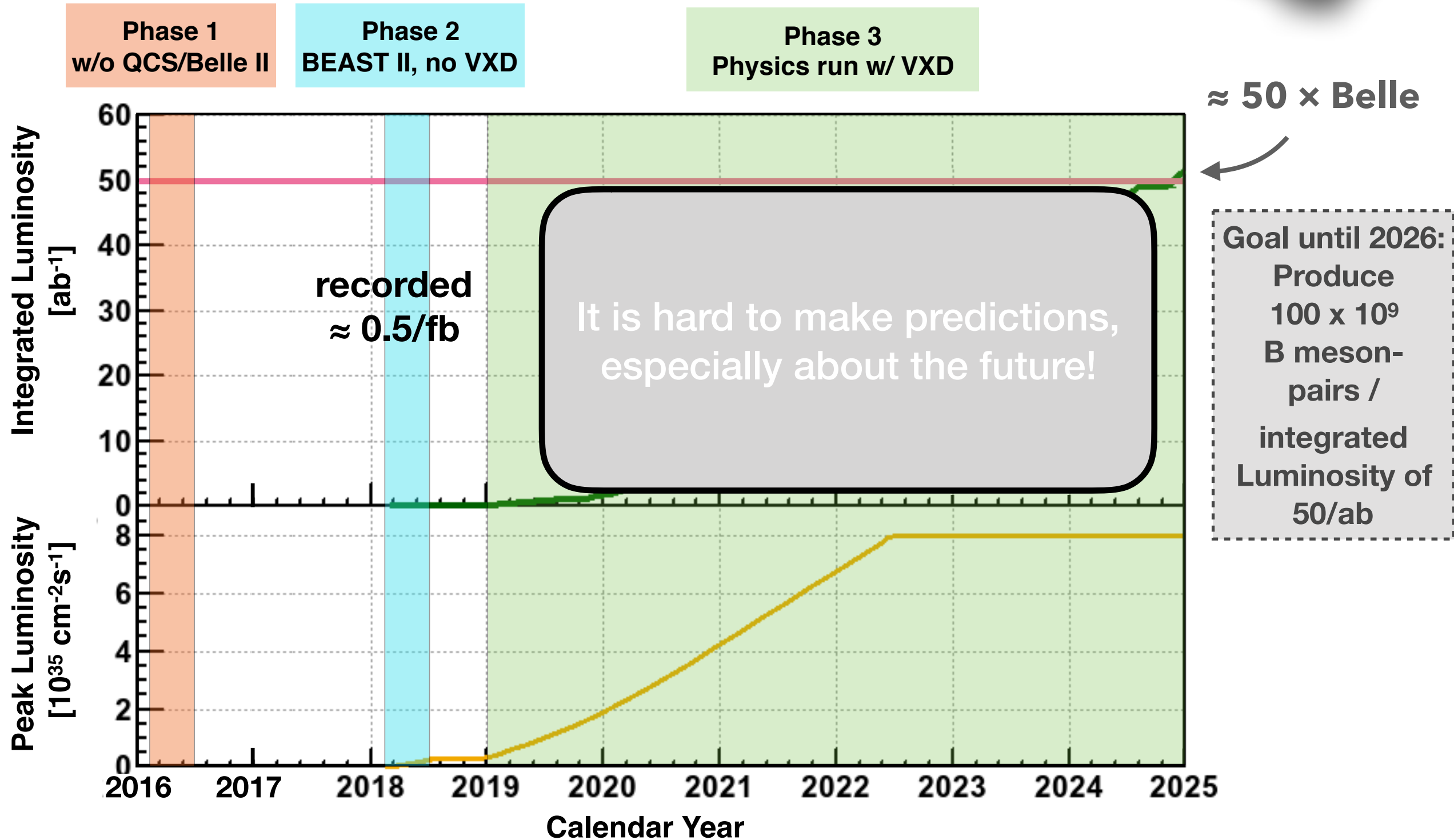
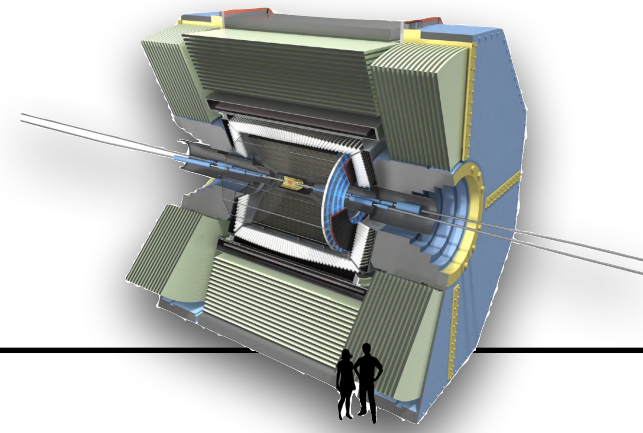
 - More Radiation Damage

 - Higher Occupancy, more Hits from Background processes

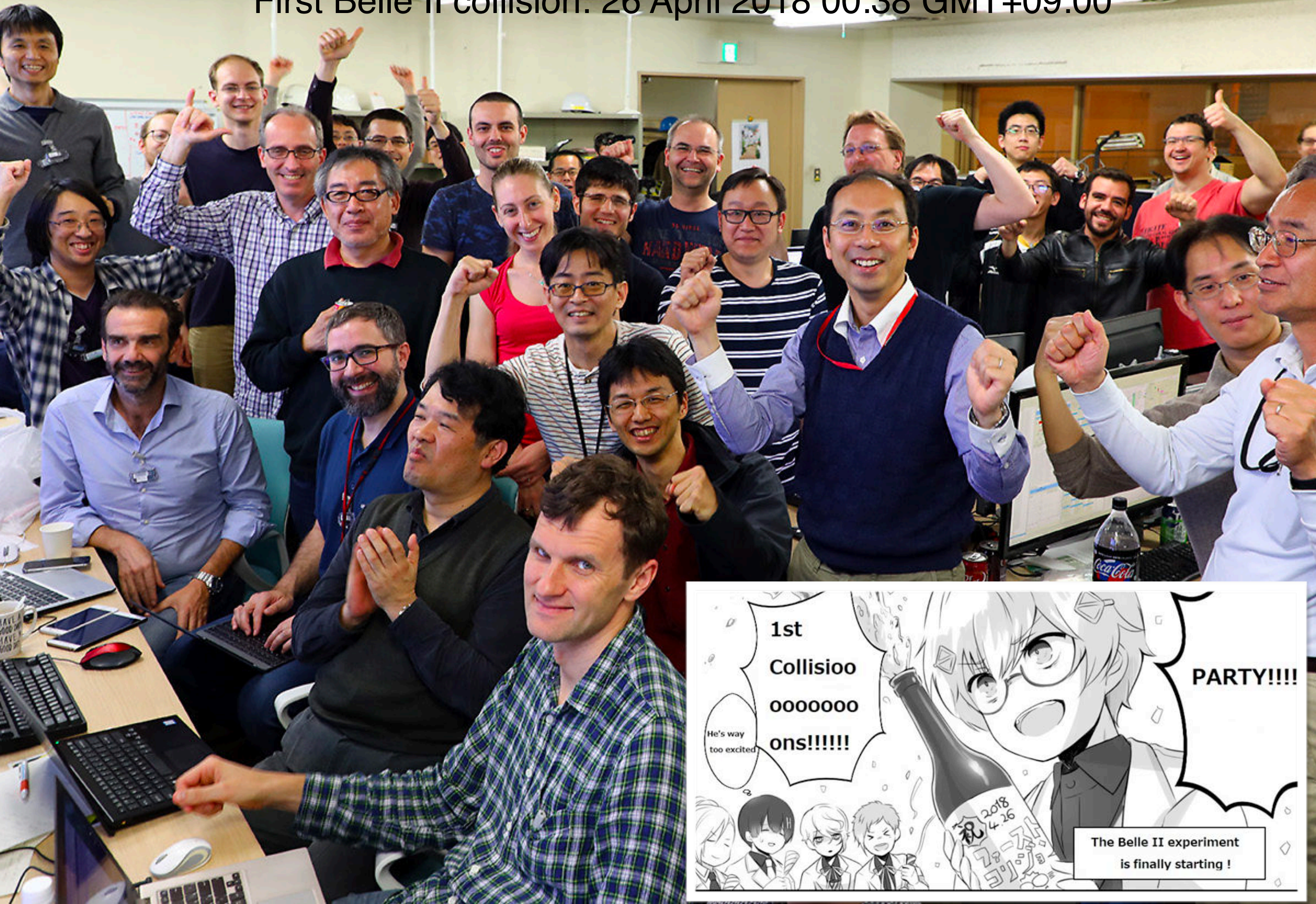


Ramp-Up

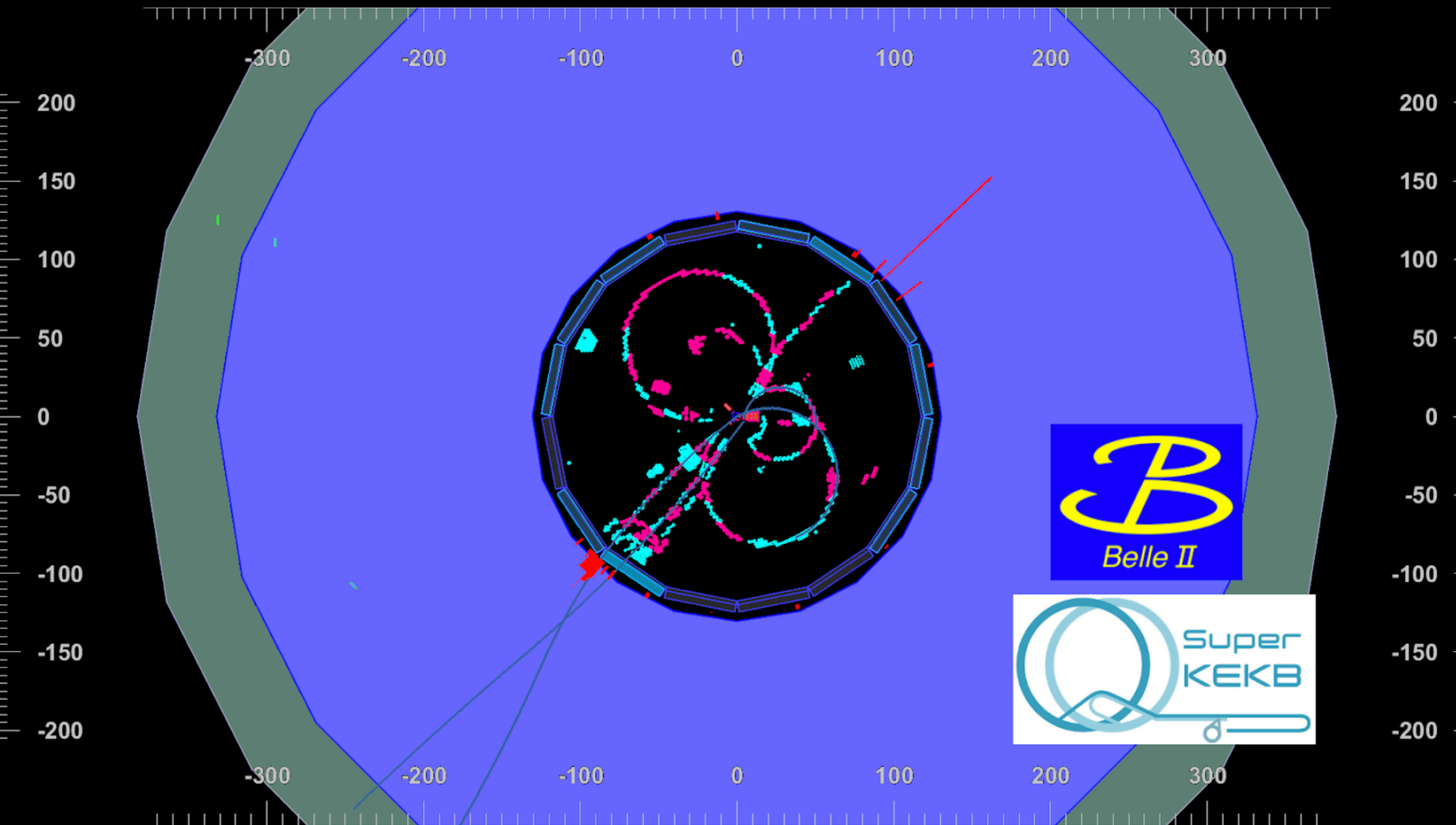
- Belle II start progresses in three phases



First Belle II collision: 26 April 2018 00:38 GMT+09:00



First hadronic Belle II collision



$$\mathcal{L}_{\text{peak}} = 5.5 \times 10^{33} / \text{cm}^2 / \text{s}$$

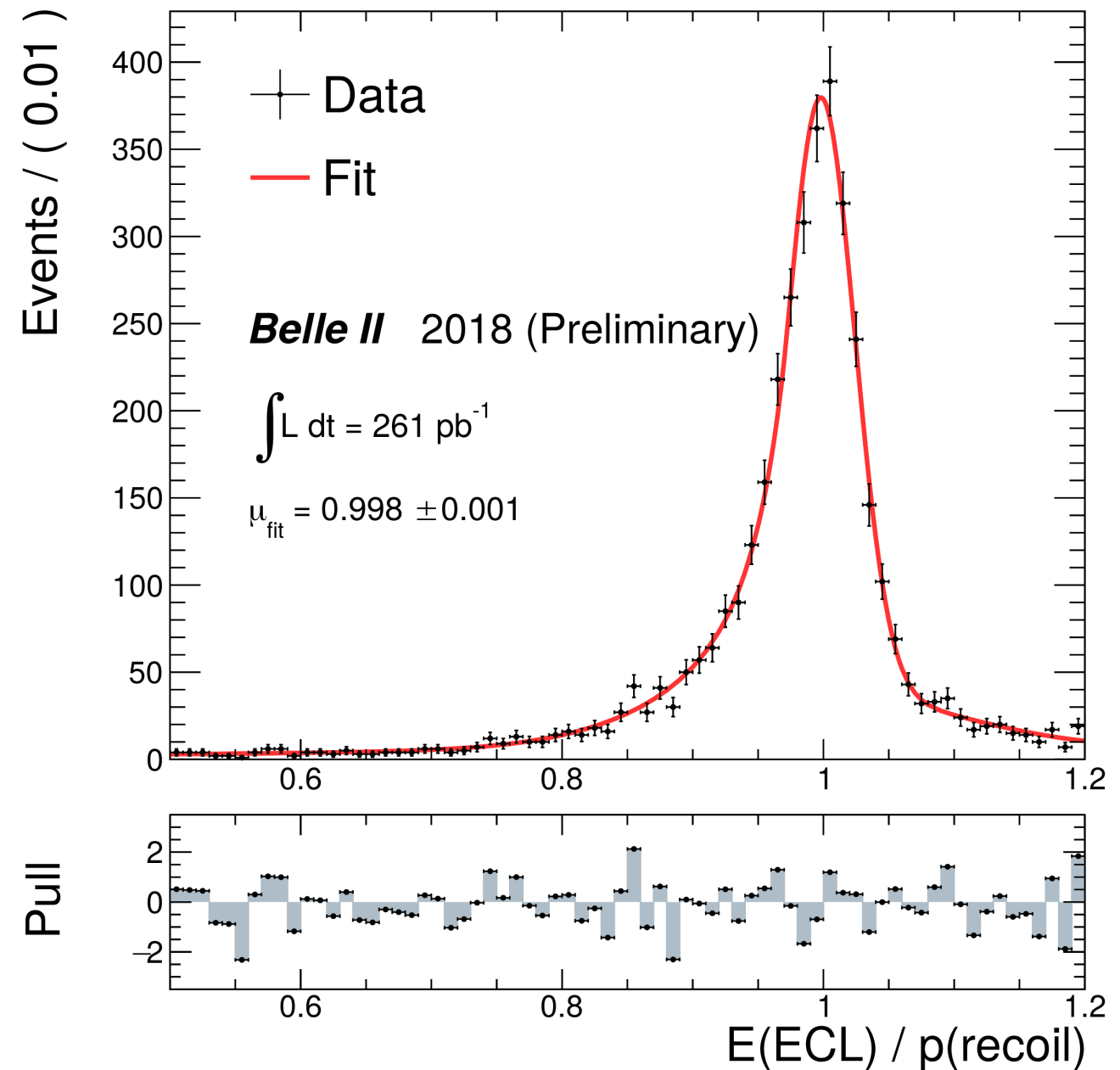
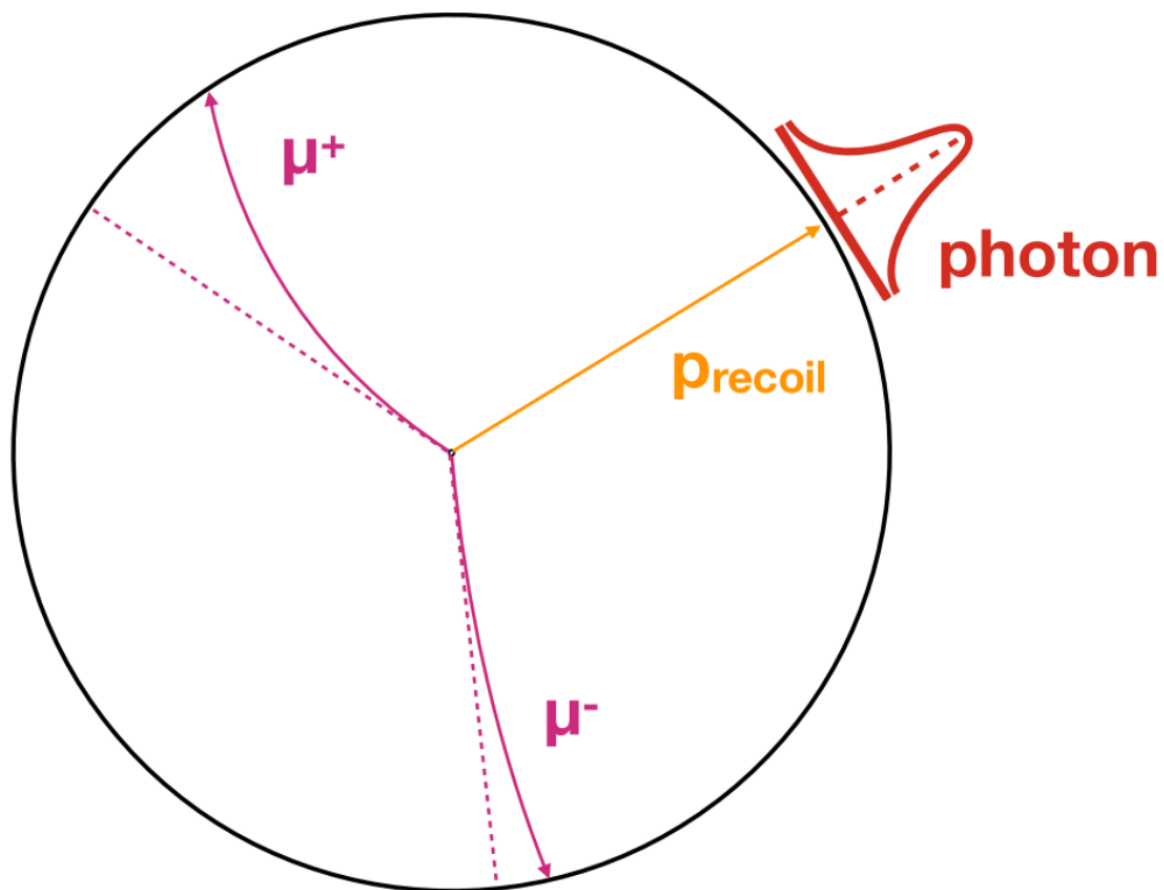


$$\mathcal{L}_{\text{design}} = 8 \times 10^{35} / \text{cm}^2 / \text{s}$$

Tracking and ECL work well

Radiative dimuon events in first data

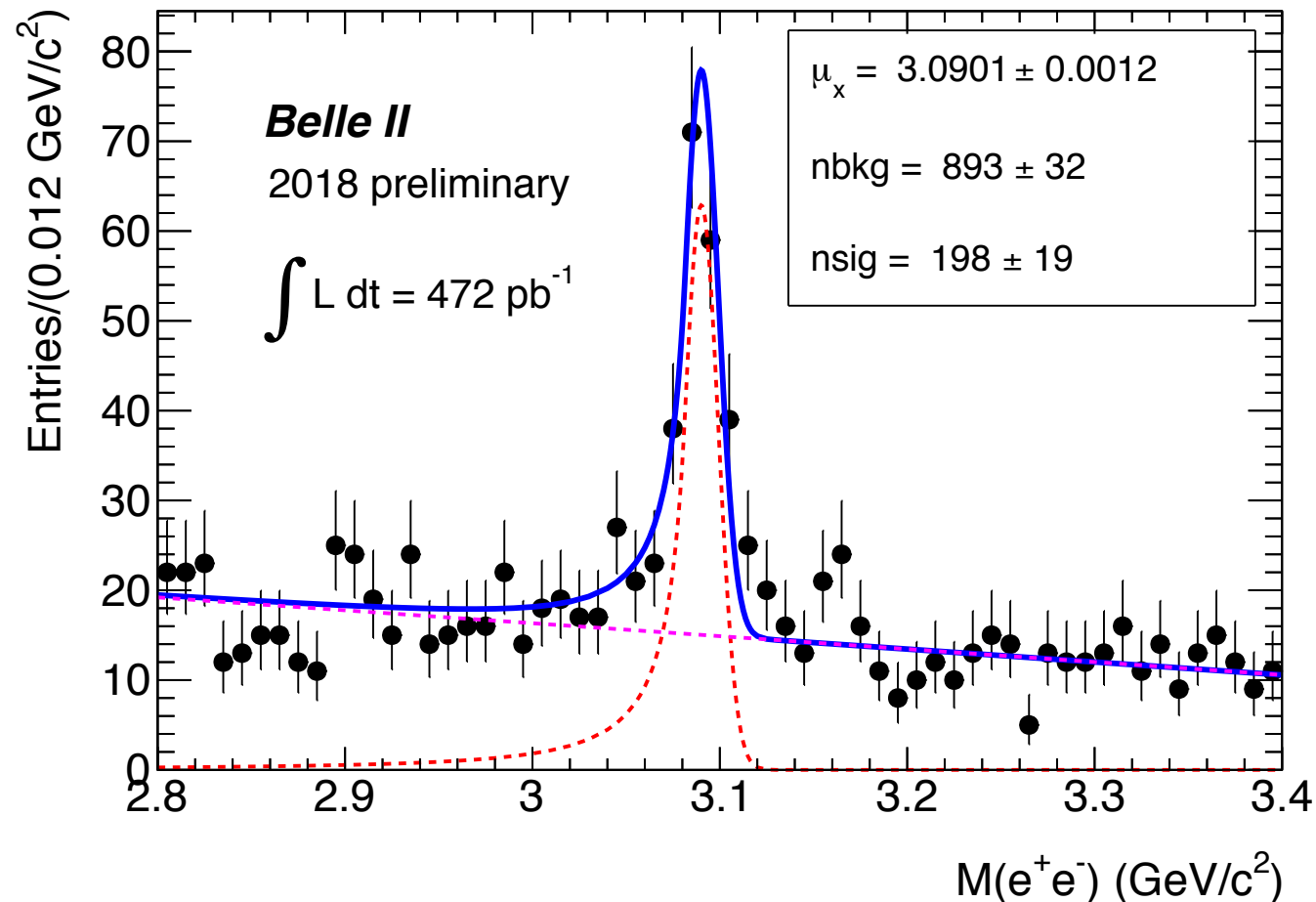
$$e^+e^- \rightarrow \mu^+\mu^-\gamma$$



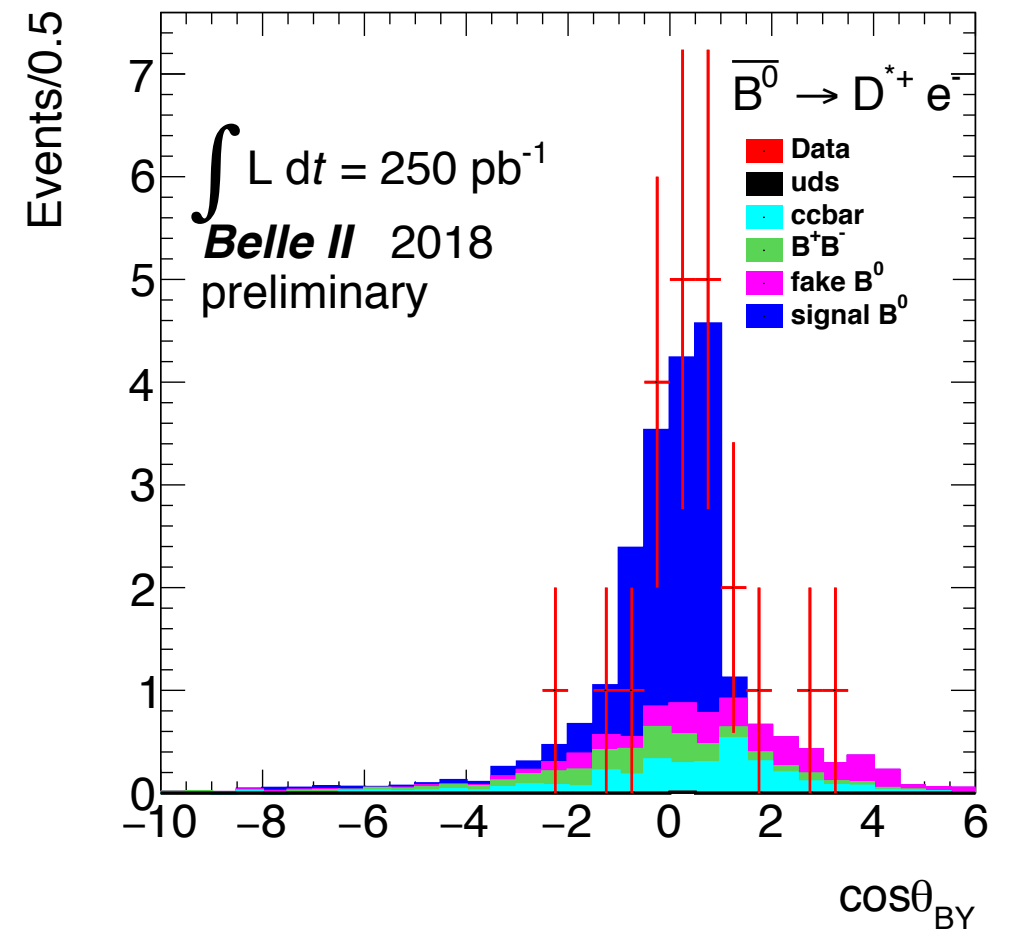
“rediscovery of the Photon”

Charmonium and SL B-Meson decays

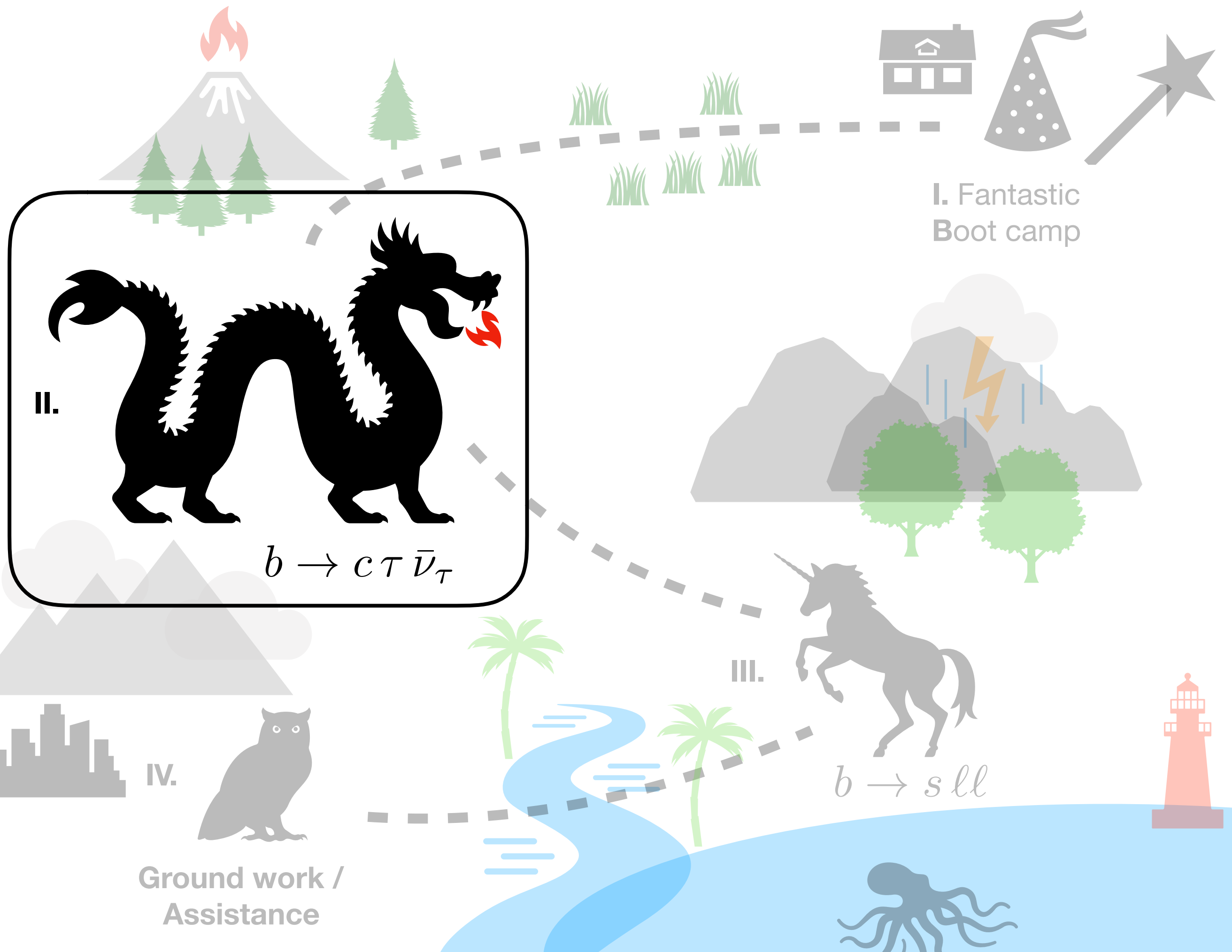
$$J/\Psi \rightarrow e^+ e^-$$



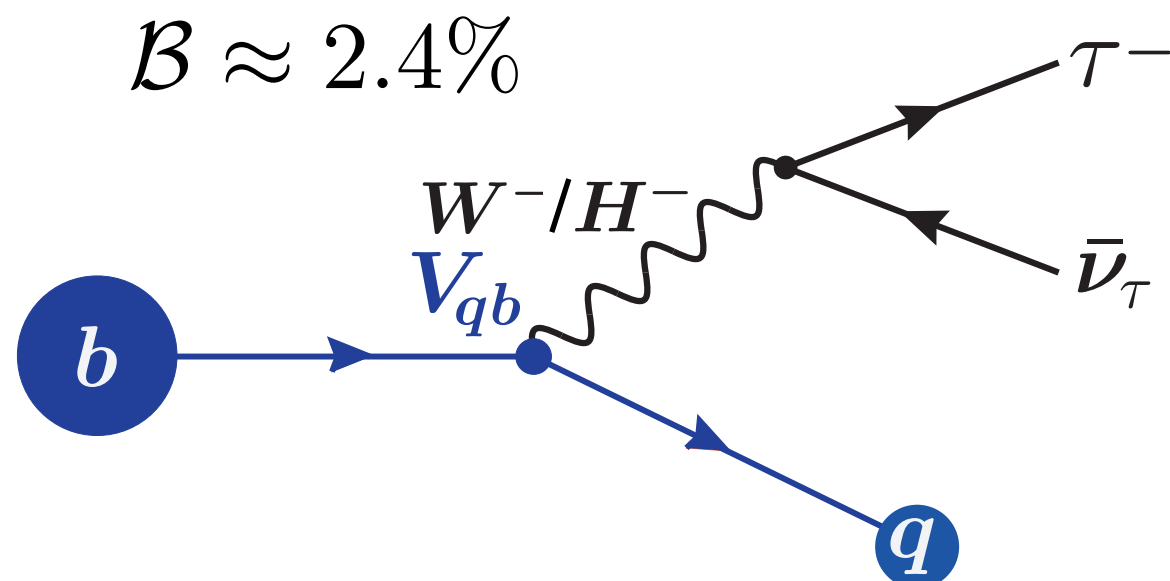
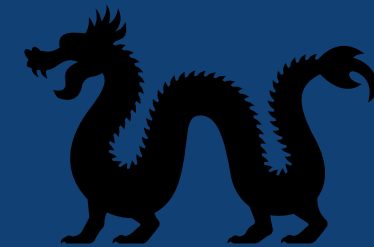
$$\bar{B}^0 \rightarrow D^{*+} e^- \bar{\nu}_e$$



$$\cos \theta_{BY} = \frac{2E_B^* E_Y^* - M_B^2 - m_Y^2}{2p_B^* p_Y^*}$$



a Fantastic B: Semileptonic decays with τ



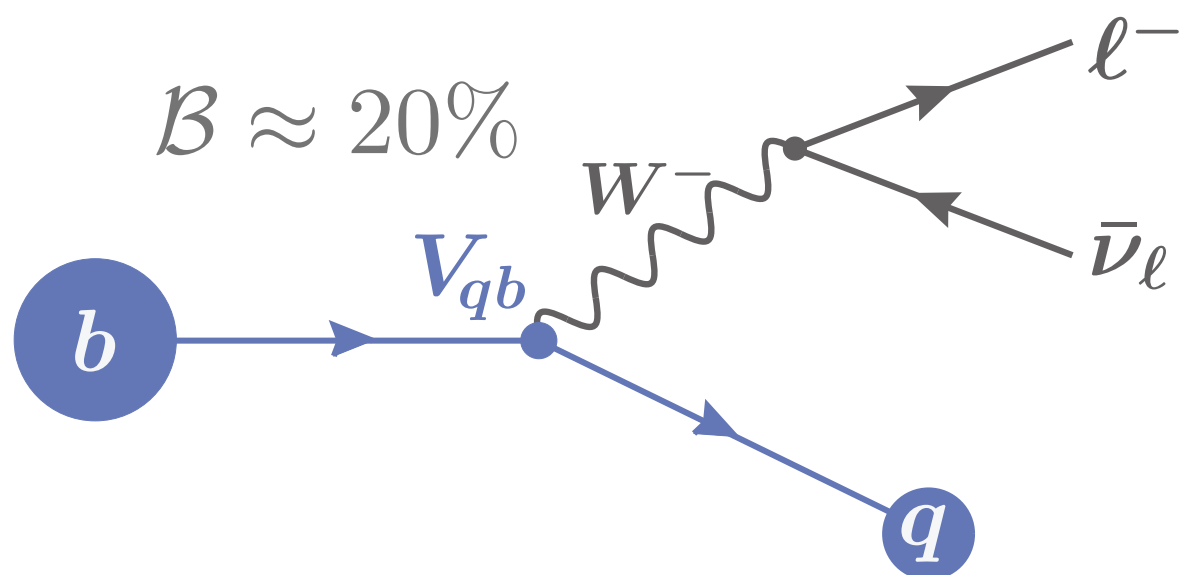
Observable of choice:

$$R = \frac{b \rightarrow q \tau \bar{\nu}_\tau}{b \rightarrow q \ell \bar{\nu}_\ell}$$

$\ell = e, \mu$

↓

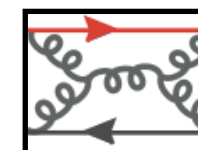
$$R(D^{(*)}, \pi, J/\psi)$$



Benefits:

- Experimental systematics **cancel in ratio**
- Theory uncertainties **cancel in ratio**

QCD:

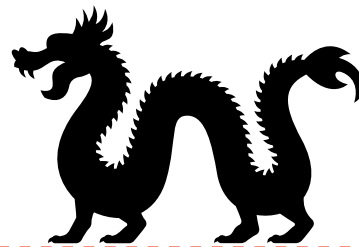


a Fantastic B: Semileptonic decays with τ

Two aspects:

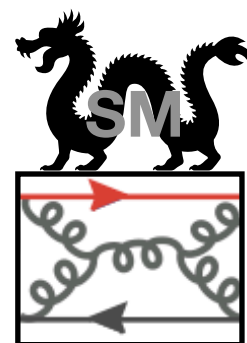
1) Precise determination of R

Need **excellent** understanding of semileptonic background decays



2) Precise prediction of R in the SM

Interplay of **theory** and **experiment** to measure non-perturbative dynamics



Observable of choice:

$$R = \frac{b \rightarrow q \tau \bar{\nu}_\tau}{b \rightarrow q \ell \bar{\nu}_\ell}$$

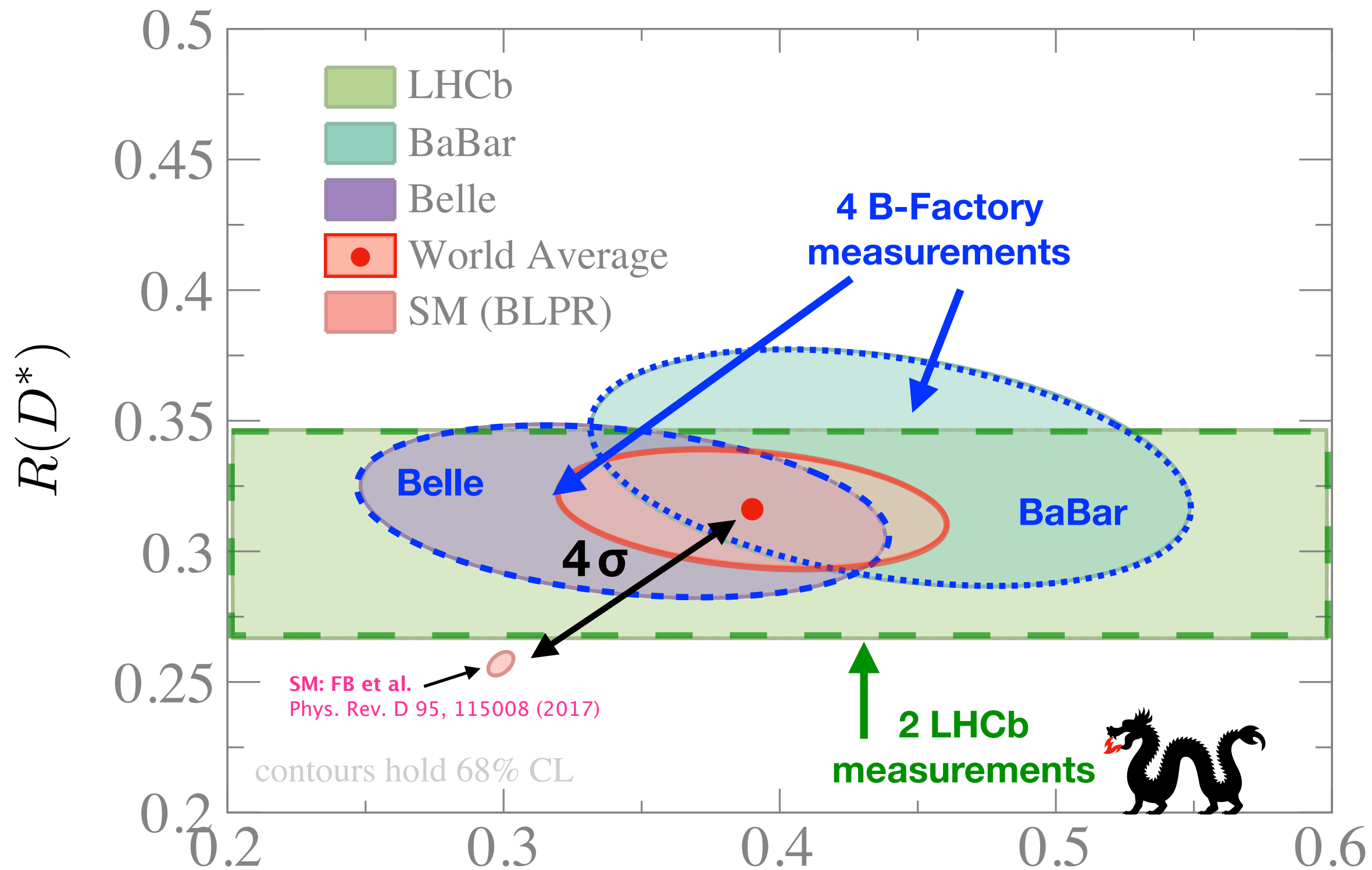
$\ell = e, \mu$

↓

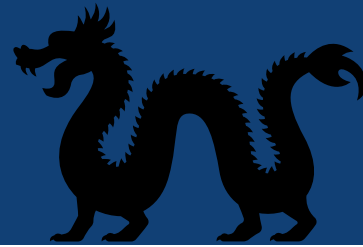
$$R(D^{(*)}, \pi, J/\psi)$$

Experimentally most important:

	D	D^*
Wave function	$\langle c\bar{q} \rangle$	$\langle c\bar{q} \rangle$
spin configuration	$\uparrow\downarrow$	$\uparrow\uparrow$



$$R(D^{(*)}) = \frac{\mathcal{B}(B \rightarrow D^{(*)} \tau \bar{\nu}_\tau)}{\mathcal{B}(B \rightarrow D^{(*)} \ell \bar{\nu}_\ell)}$$

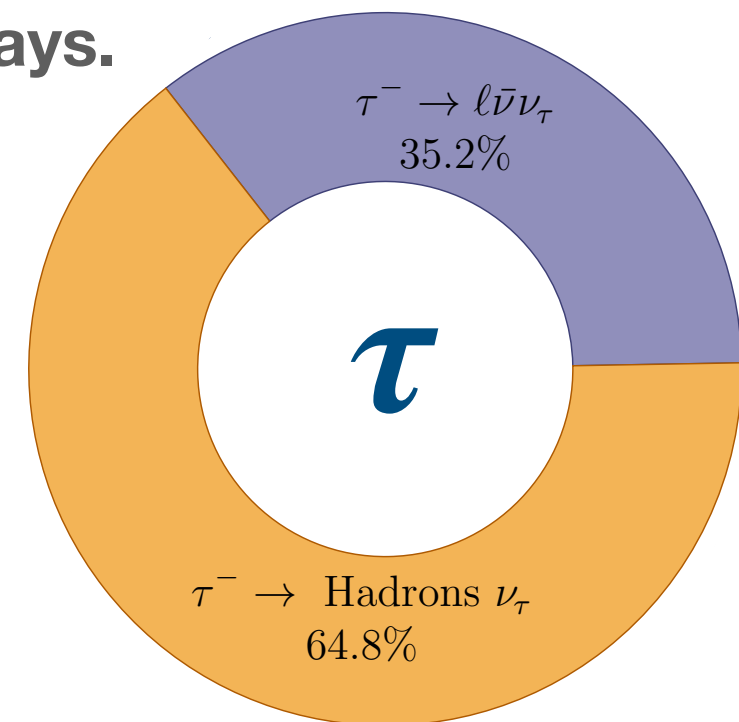
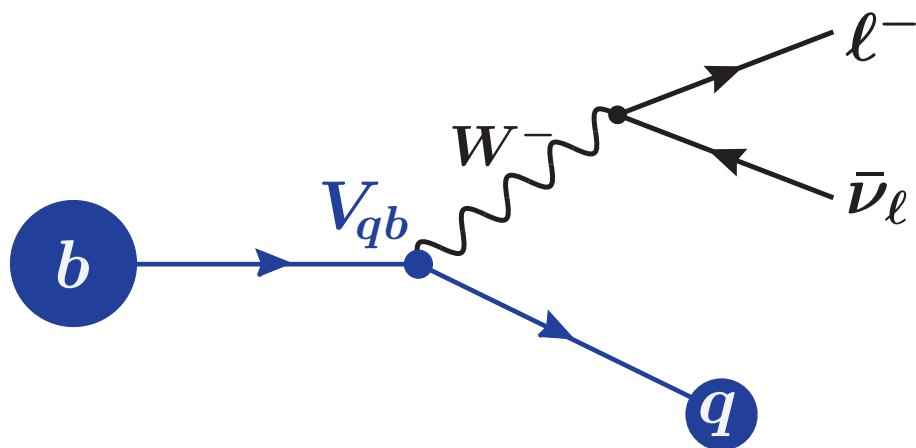


$$\frac{\mathcal{B}(B \rightarrow D^{(*)} \tau \bar{\nu}_\tau)}{\mathcal{B}(B \rightarrow D^{(*)} \ell \bar{\nu}_\ell)}$$

$\ell = e, \mu$

1. Leptonic or Hadronic τ decays?

Some properties (e.g. τ polarisation) **only accessible** in hadronic decays.

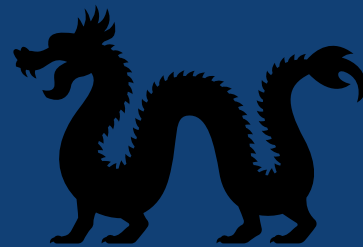


2. Albeit not necessarily a rare decay of O(%) in BF, **difficult** to separate from normalisation and backgrounds

LHCb: Isolation criteria, displacement of $D^{(*)}$ and τ , kinematics

B-Factories: Full reconstruction of event (**Tagging**), matching topology, kinematics

How does one measure $R(D/D^*)$ at a B-factory?

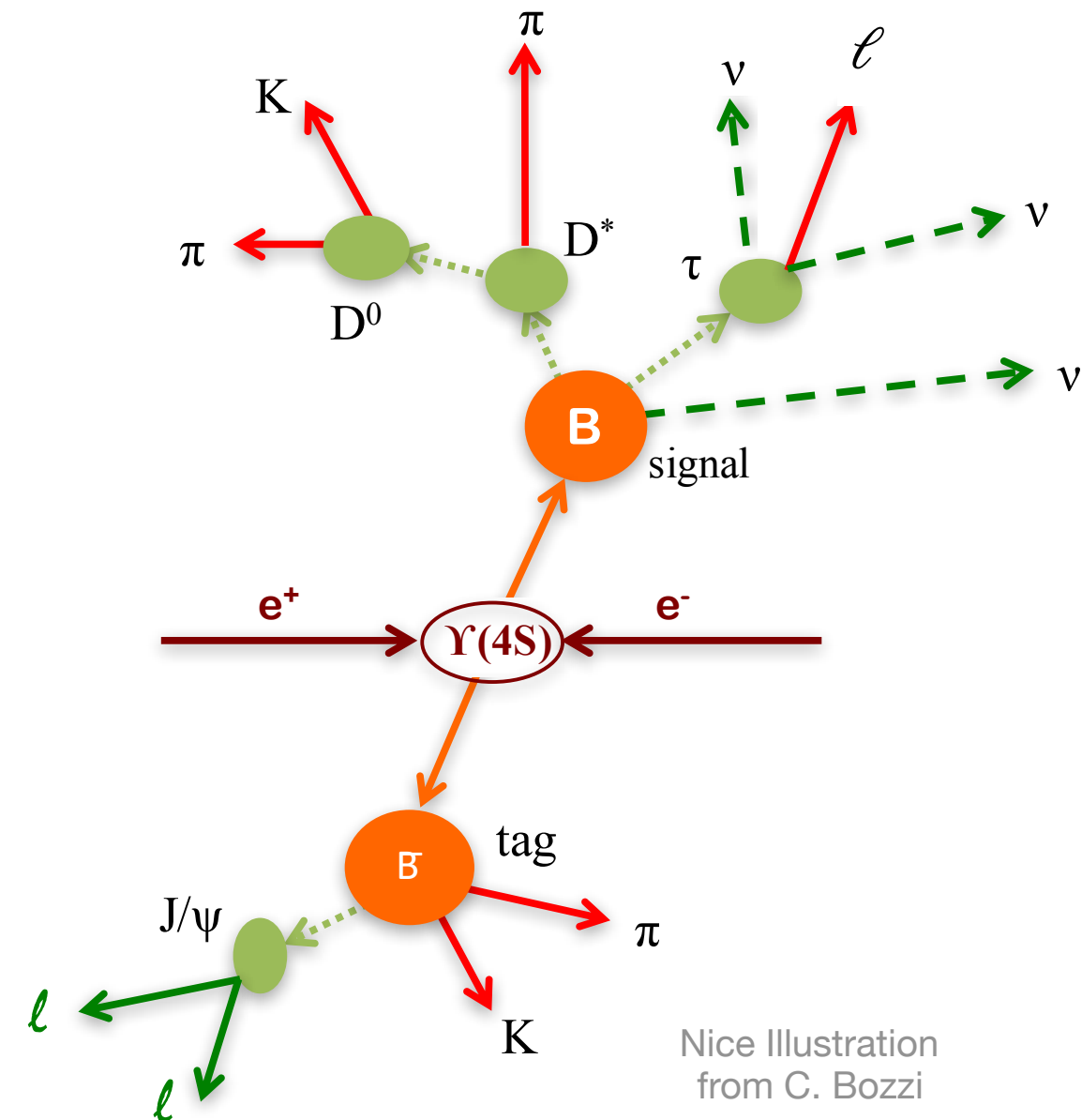


Tagging approach in a nut-shell:

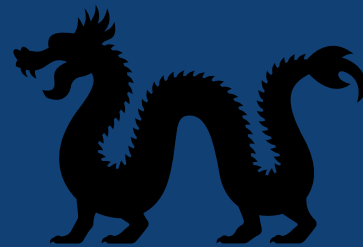
- ▶ e^+/e^- collision produces $Y(4S) \rightarrow B\bar{B}$
- ▶ Fully reconstruct one of the two B-mesons ('tag') → **possible** to measure **momentum** of signal B
- ▶ **Missing four-momentum (neutrinos)** can be reconstructed with high precision

$$p_{\text{miss}} = (p_{\text{beam}} - p_{B\text{tag}} - p_{D^{(*)}} - p_{\ell})$$

✓ **Small efficiency (~0.2-0.4%)
compensated by large integrated
luminosity**



How does one measure $R(D/D^*)$ at a B-factory?

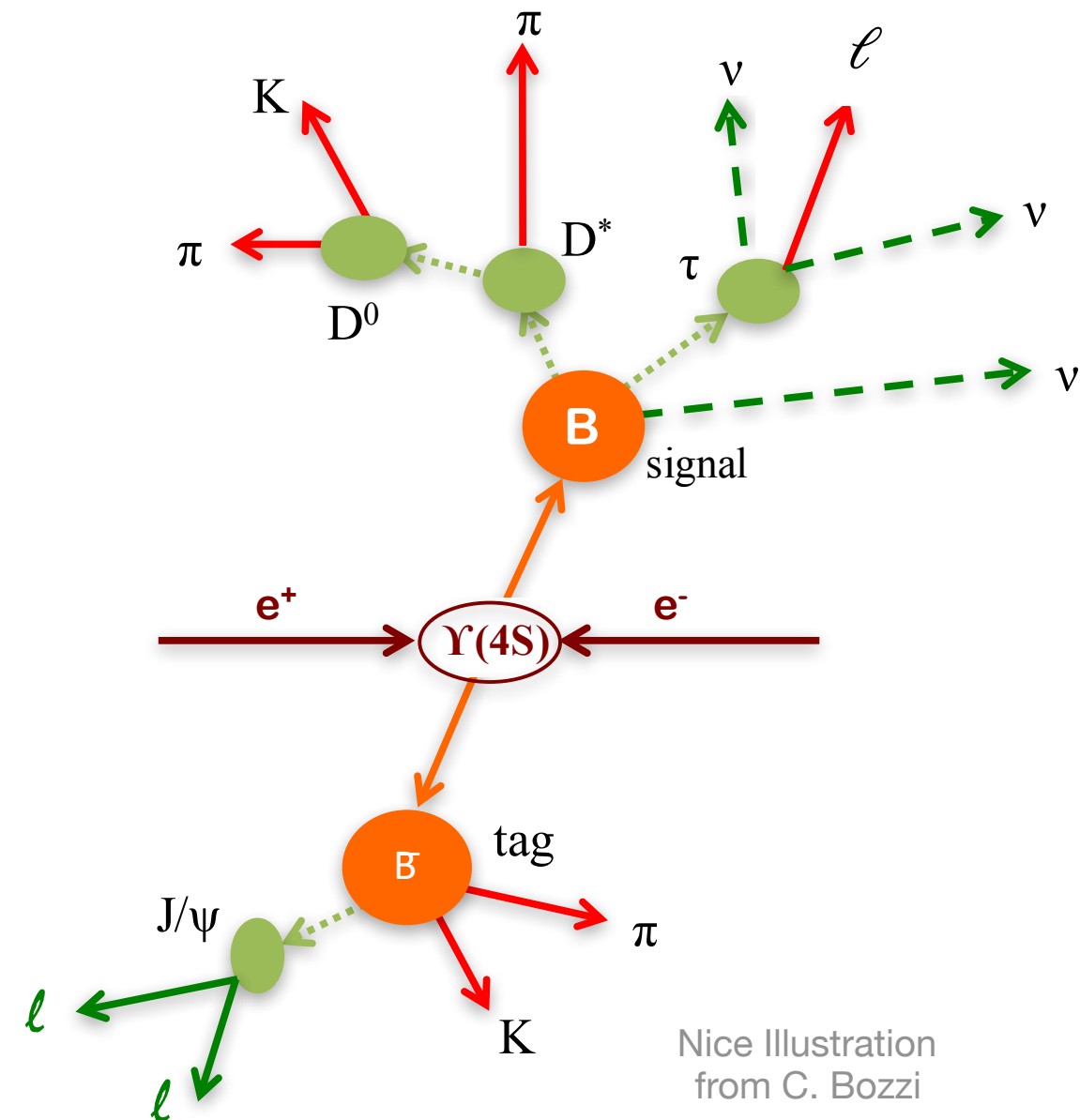


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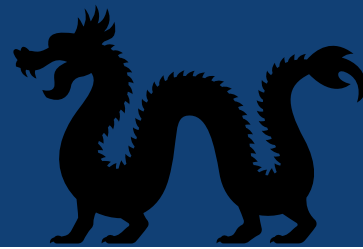
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Nice Illustration
from C. Bozzi

How does one measure $R(D/D^*)$ at a B-factory?



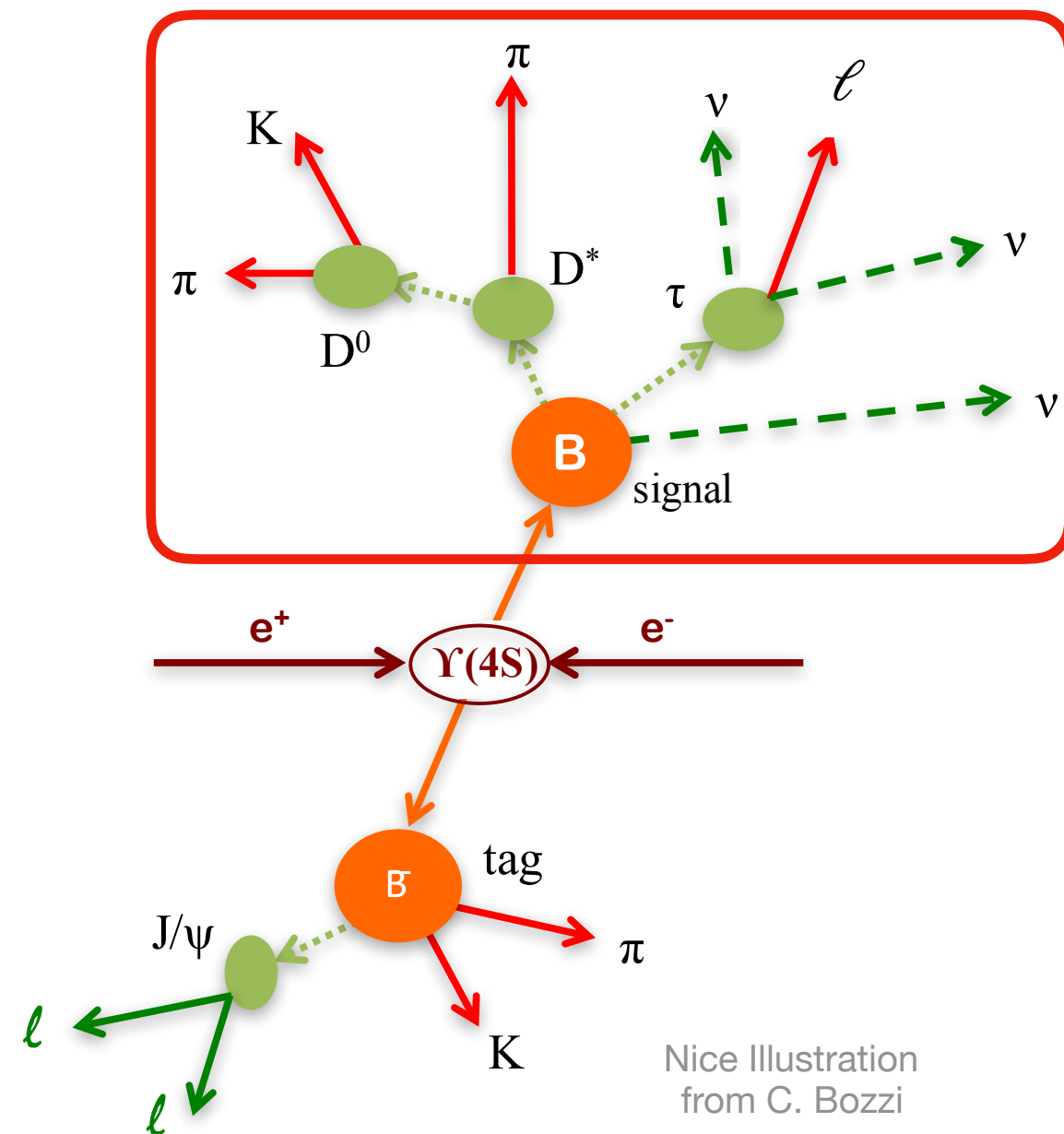
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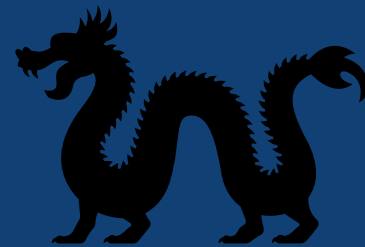
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✓ Demand matching topology

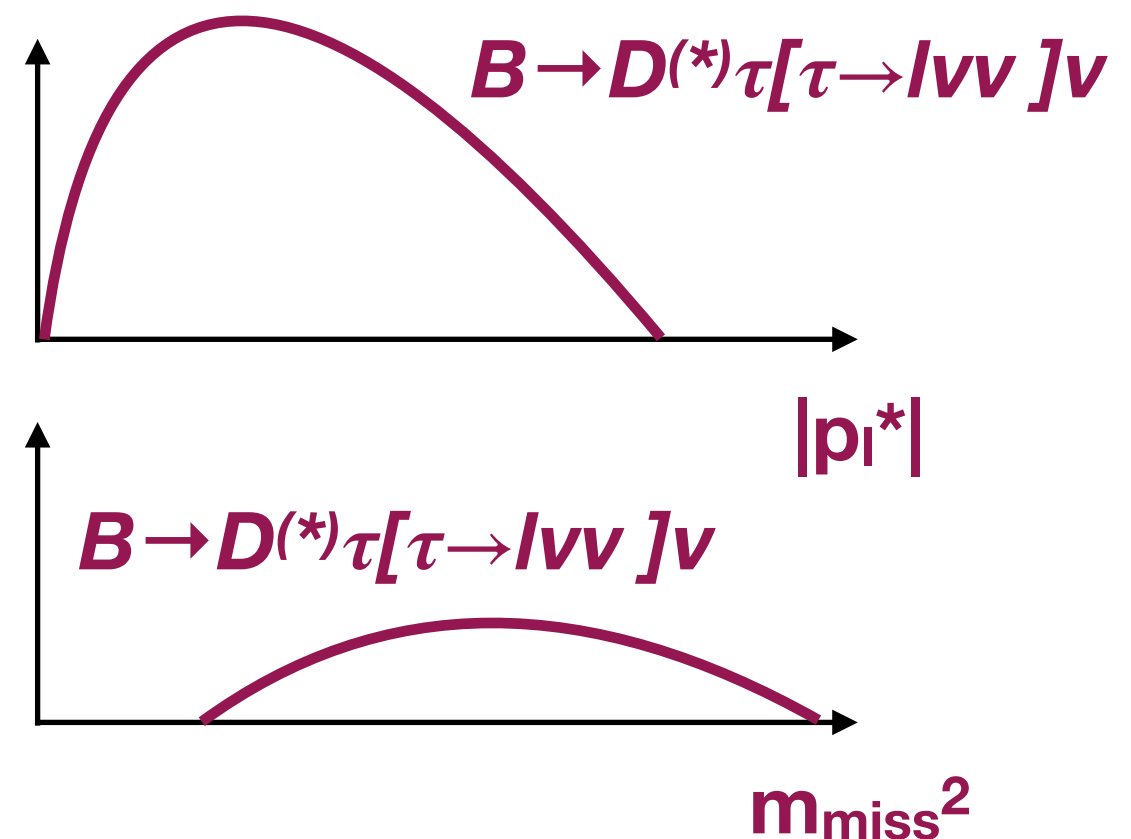
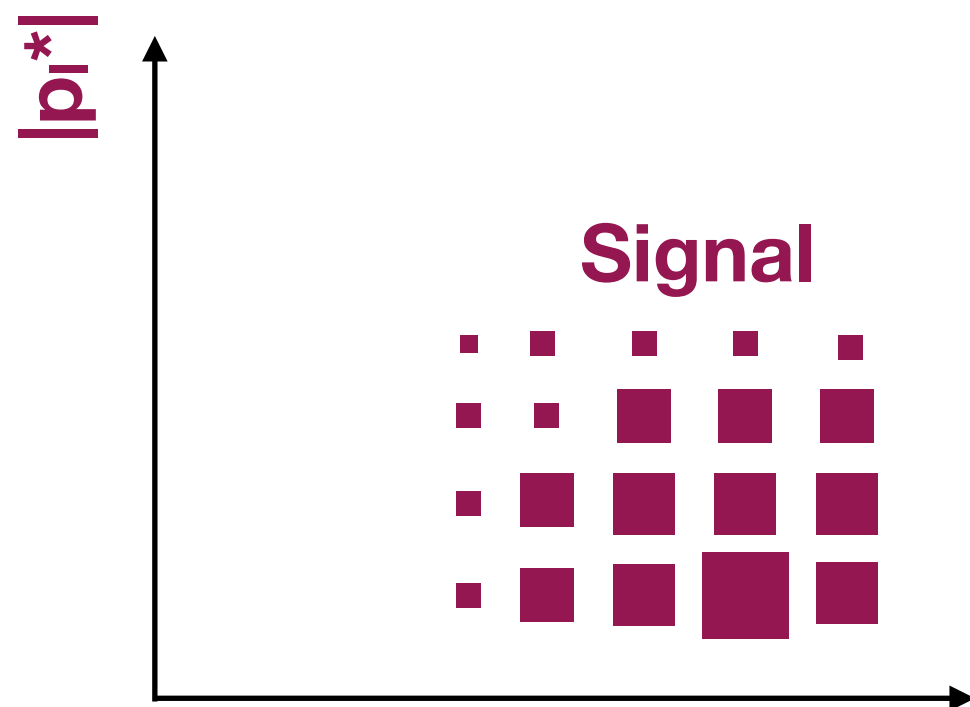


First measurement by BaBar



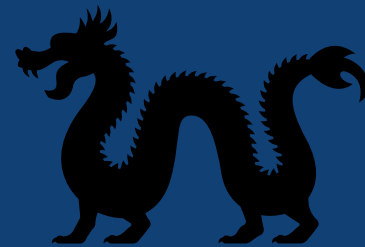
Phys.Rev.Lett. 109,101802 (2012)
Phys.Rev.D 88, 072012 (2013)

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- ▶ Unbinned maximum likelihood fit in 2D to m_{miss}^2 and $|\mathbf{p}_\ell^*|$



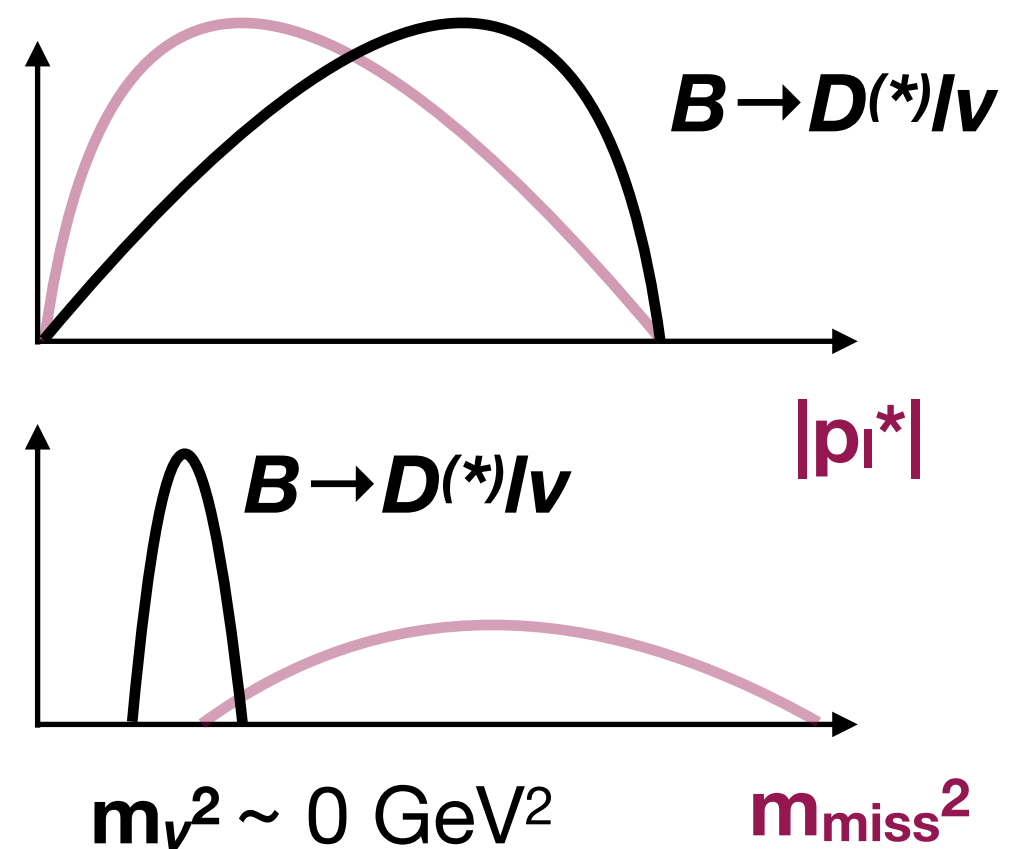
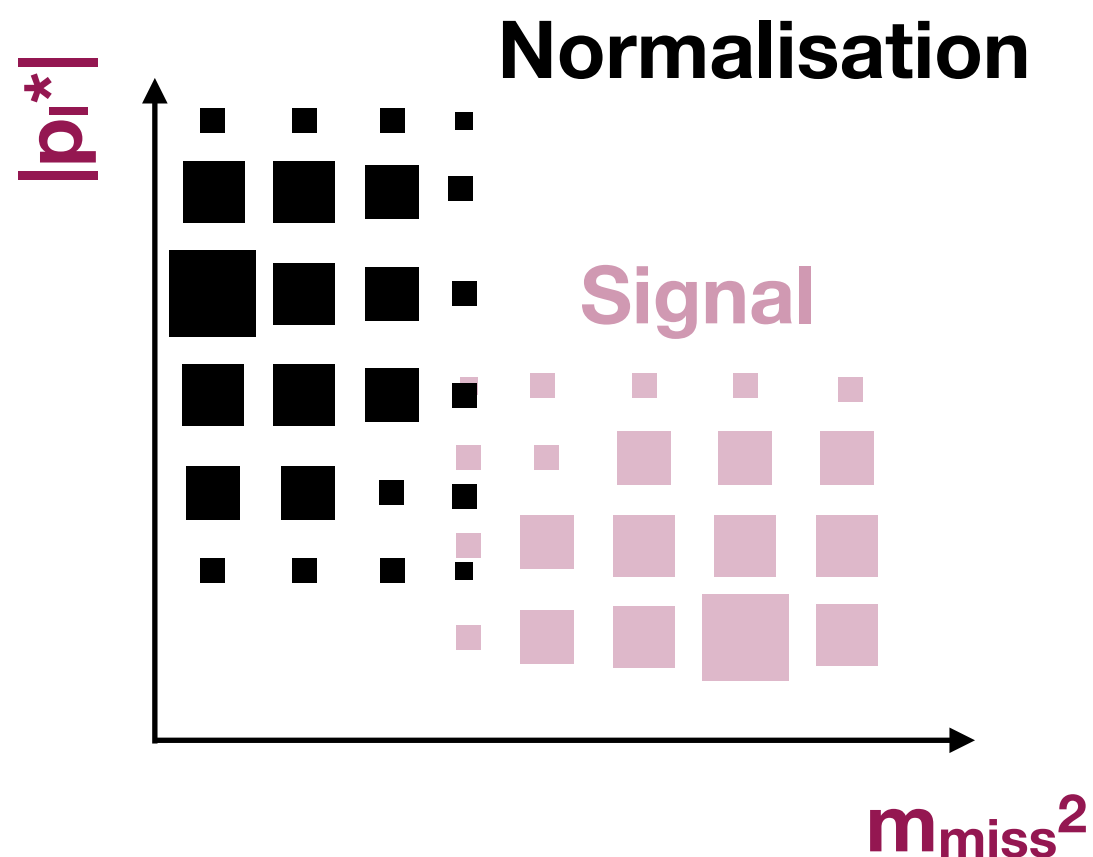
$$p_{\text{miss}}^2 = (p_{\text{beam}} - p_{B_{\text{tag}}} - p_{D^{(*)}} - p_\ell)^2 = m_{\text{miss}}^2$$

First measurement by BaBar

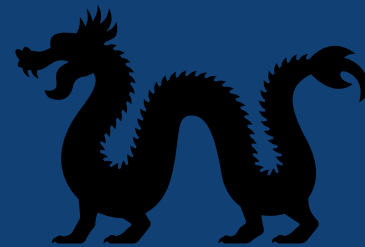


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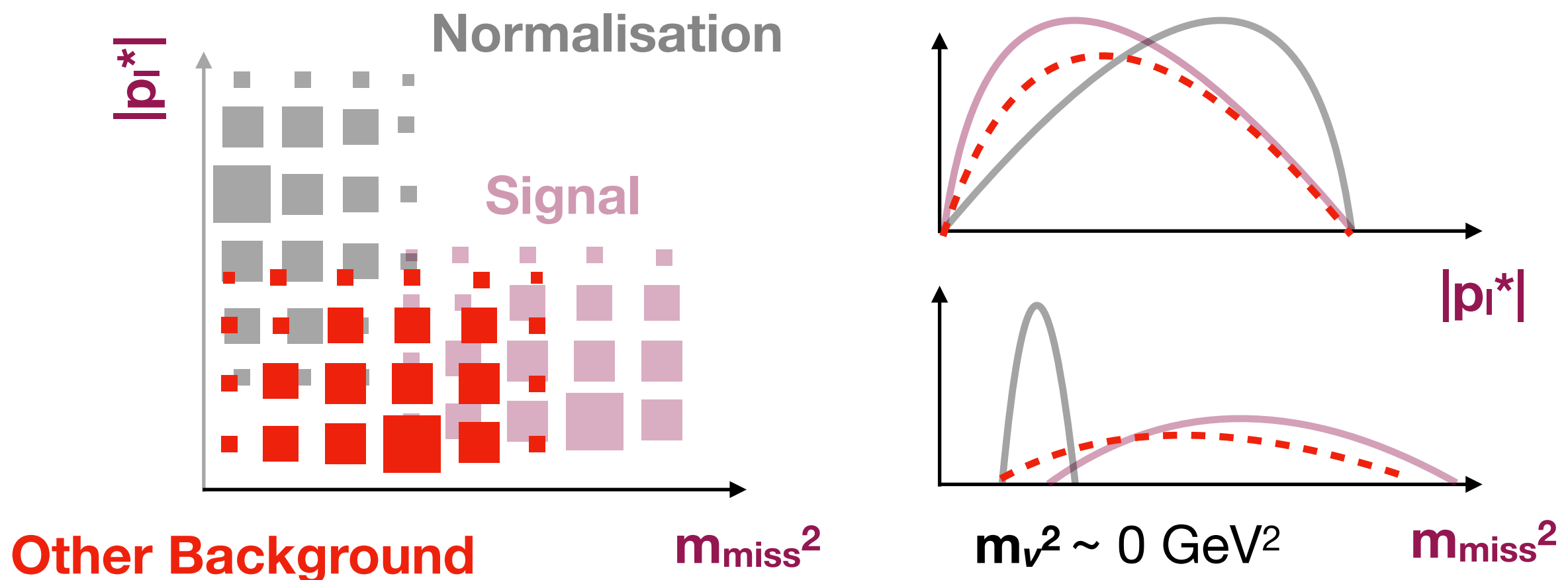


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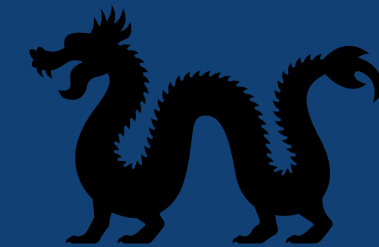


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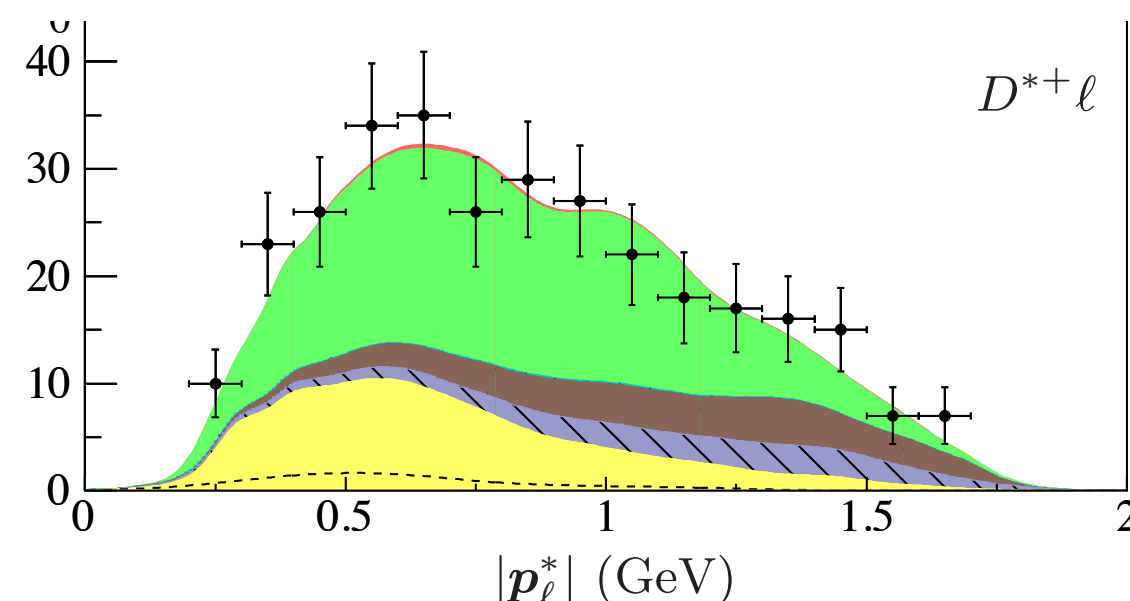
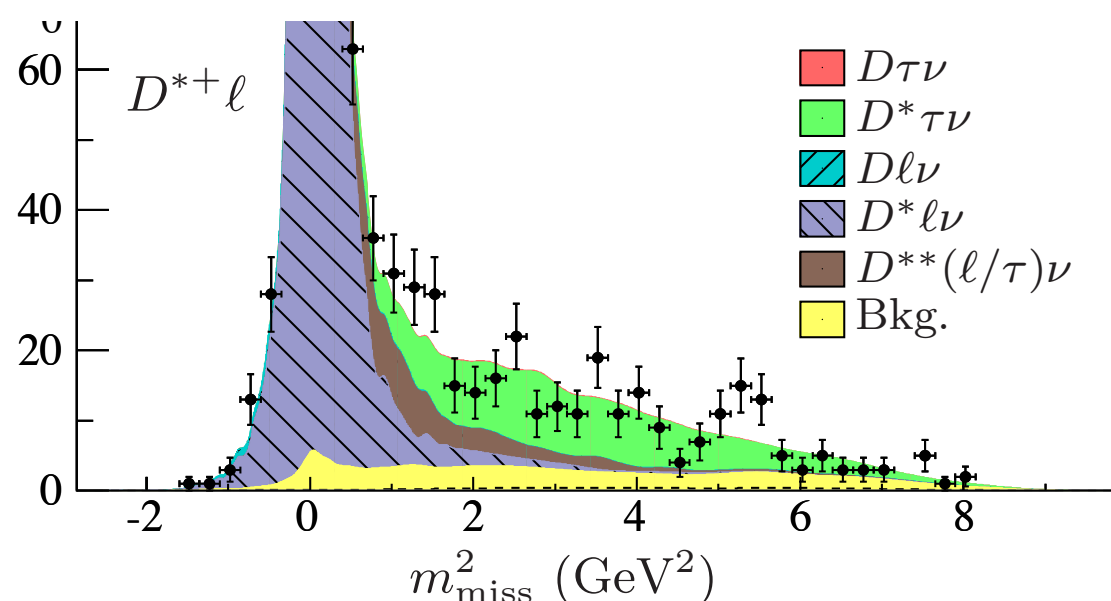


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Phys.Rev.Lett. 109,101802 (2012)
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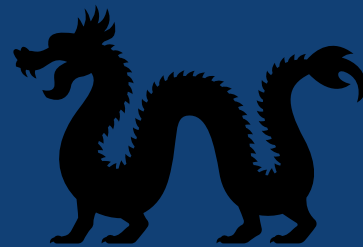
$$\mathcal{R}(D^{(*)}) = \frac{N_{\text{sig}}}{N_{\text{norm}}} \frac{\epsilon_{\text{norm}}}{\epsilon_{\text{sig}}},$$

$$R(D) = 0.440 \pm 0.058 \text{ (stat)} \pm 0.042 \text{ (syst)} \text{ (2}\sigma \text{ from SM)}$$

$$R(D^*) = 0.332 \pm 0.024 \text{ (stat)} \pm 0.018 \text{ (syst)} \text{ (2.7}\sigma \text{ from SM)}$$

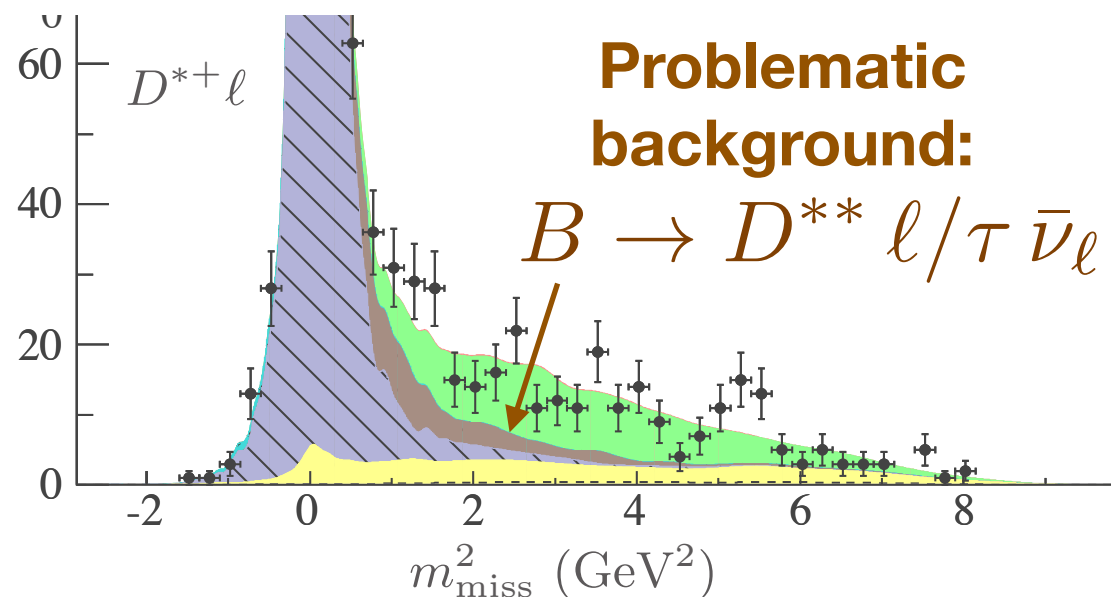
✓ Combination is 3.4 σ from SM

E.g. first BaBar measurement



Phys.Rev.Lett. 109,101802 (2012)
Phys.Rev.D 88, 072012 (2013)

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First model-independent prediction of $B \rightarrow D^{} \tau \bar{\nu}_\ell$ and analysis of QCD modelling:**

FB et al.,
Phys. Rev. D 95, 014022 (2017), Phys. Rev. D 97, 075011 (2018)

$$\begin{aligned} R(D_2^*) &= 0.07 \pm 0.01, \\ R(D_1) &= 0.10 \pm 0.02, \\ R(D_1^*) &= 0.06 \pm 0.02, \\ R(D_0) &= 0.08 \pm 0.04, \end{aligned}$$

Semileptonic $B_{(s)}$ decays to excited charmed mesons with e, μ, τ and searching for new physics with $R(D^{**})$

Florian U. Bernlochner¹ and Zoltan Ligeti²

¹Physikalisches Institut der Rheinischen Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany
²Ernest Orlando Lawrence Berkeley National Laboratory, University of California, Berkeley, CA 94720

Model independent analysis of semileptonic B decays to D^{**} for arbitrary new physics

Florian U. Bernlochner^{1,2}, Zoltan Ligeti³ and Dean J. Robinson⁴

¹Physikalisches Institut der Rheinischen Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany

²Karlsruher Institute of Technology, 76131 Karlsruhe, Germany

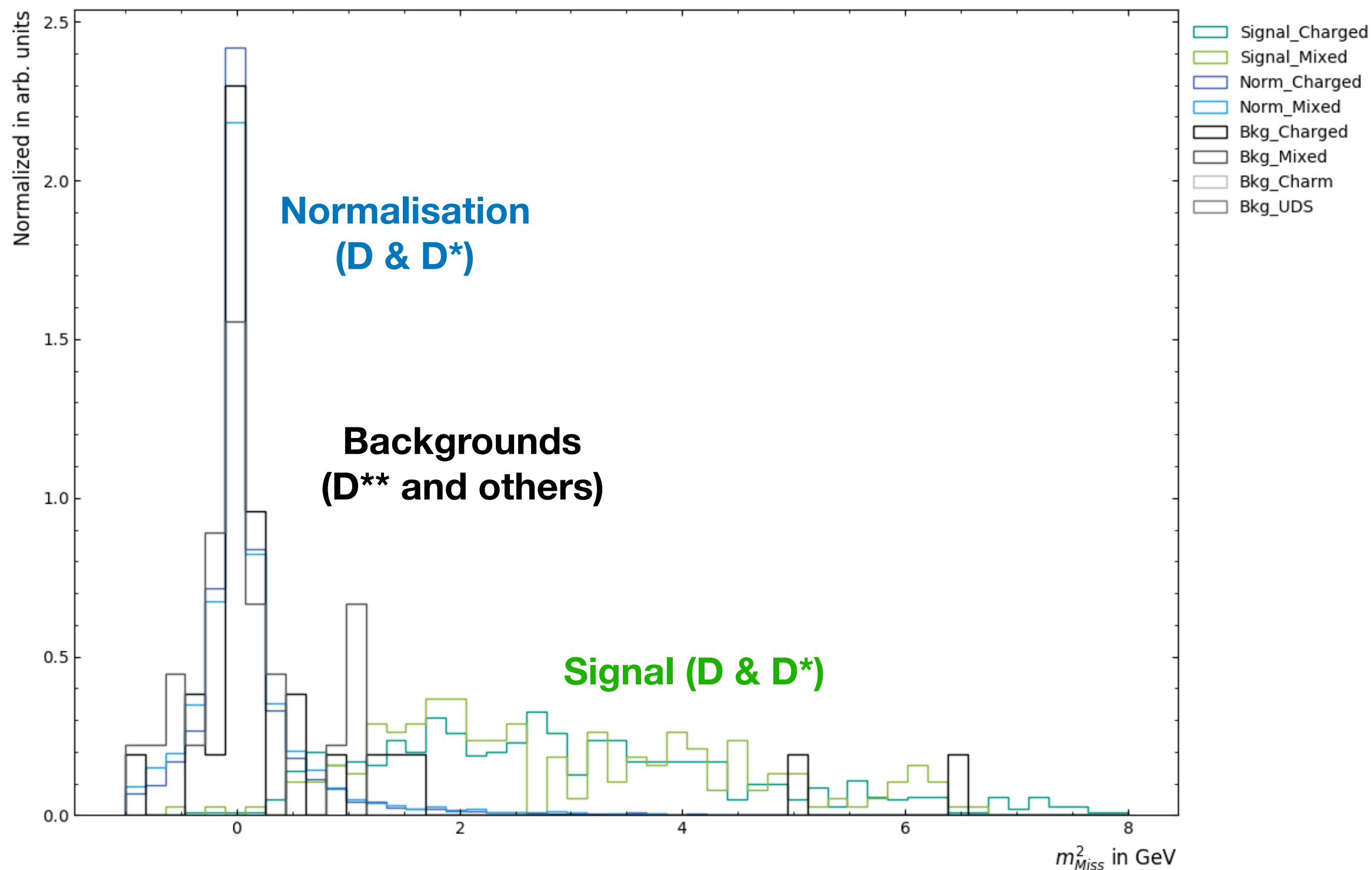
³Ernest Orlando Lawrence Berkeley National Laboratory,
University of California, Berkeley, CA 94720, USA

⁴Physics Department, University of Cincinnati, Cincinnati OH 45221, USA



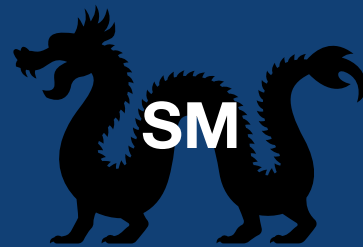
Work on redoing $R(D/D^*)$ analysis with novel tagging in Karlsruhe

After tag reconstruction, i.e. before all the hard work



Expect factor of 2 improvement in statistical precision due to new tagging

How do we predict $R(D/D^*)$ and similar ratios in the SM?



Example:

$$B \rightarrow D \tau \bar{\nu}_\ell$$

$$f_+(q^2)$$

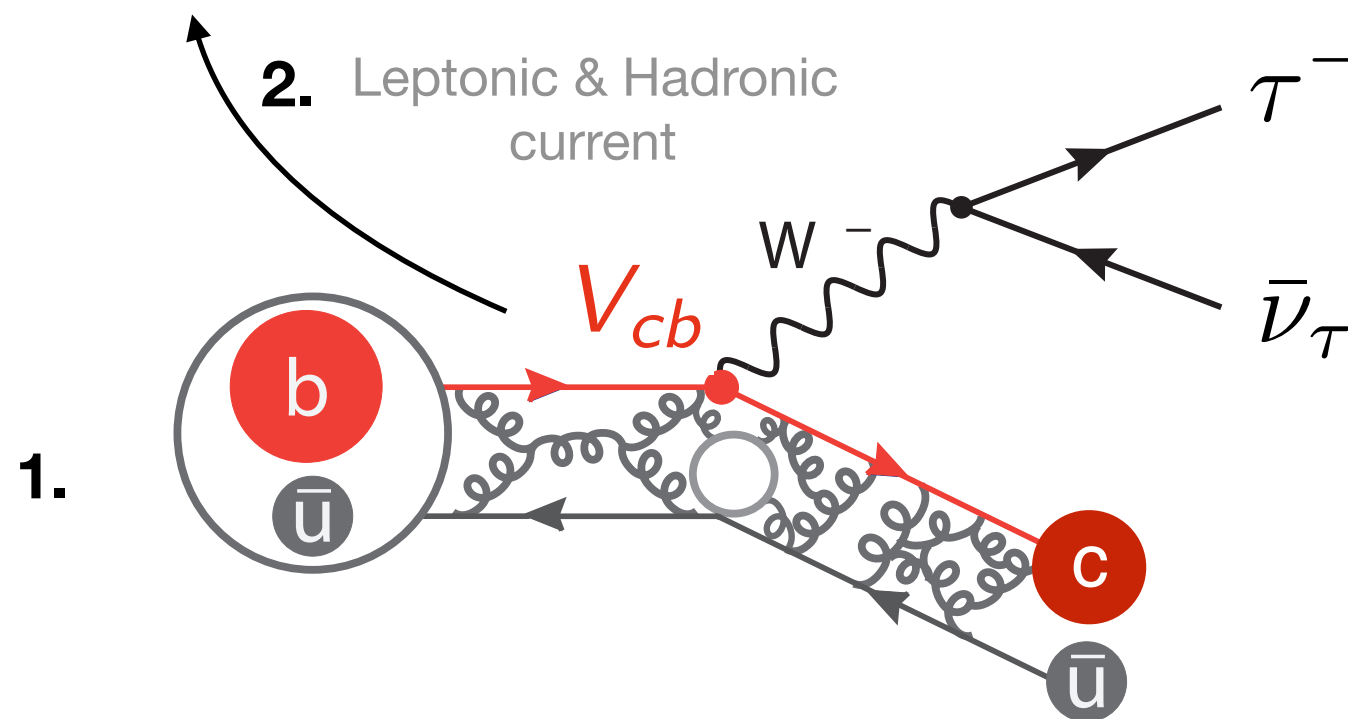
$$\uparrow q^2 = (p - p')^2$$

$$f_-(q^2)$$

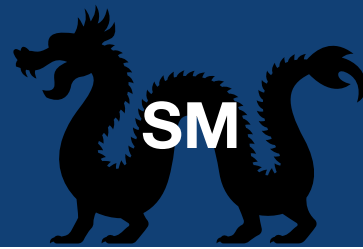
$$\sim v(p_\ell) (\not{p}_\ell + \not{p}_\nu) \bar{u}(p_\nu)$$

Four-momentum transfer squared encodes QCD dynamics

$$H^\mu L_\mu = \langle B(p) | V^\mu - A^\mu | D(p') \rangle L_\mu = [f_+(q^2) (p + p')^\mu + f_-(q^2) (p - p')^\mu] L_\mu$$



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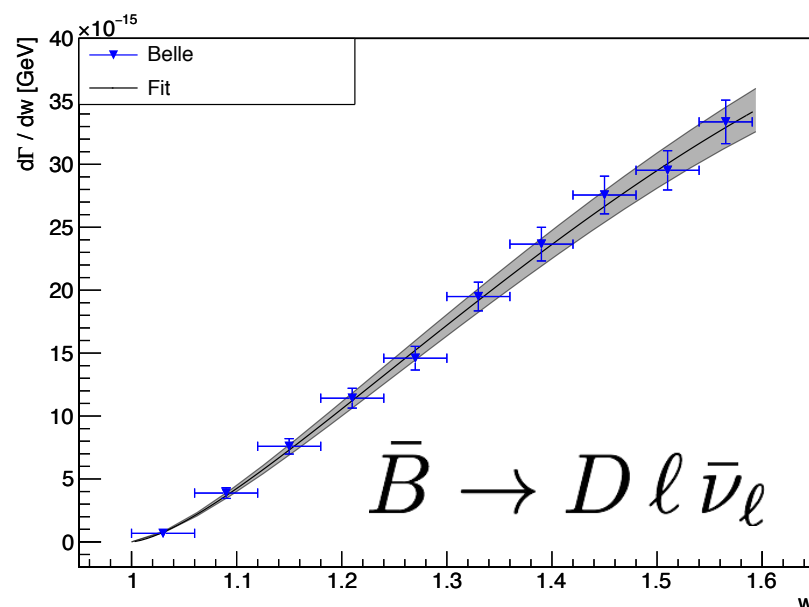
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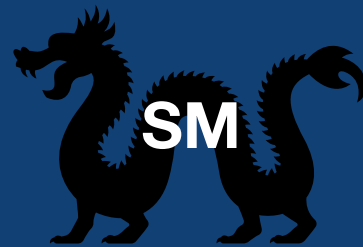
$$\sim v(p_\ell) (\not{m}_\ell + \not{m}_\nu) \bar{u}(p_\nu)$$



Can be **studied** with **light lepton modes**, but also in **lattice (high q^2)** or **sum rules**



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Can be **studied** with **light lepton modes**, but also in **lattice** (high q^2) or **sum rules**

Proportional to **basically** ~ 0 in **light lepton modes** and cannot be constrained experimentally this way

$$m_{c,b} \rightarrow \infty$$

light anti-quark does not notice the decay happened

HQET = Heavy Quark Effective Theory

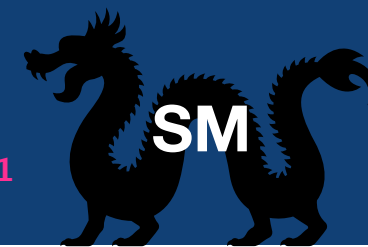
$$\mathcal{L}_{\text{QCD}} = \mathcal{L}^{(0)} + \frac{1}{m_{c,b}} \mathcal{L}^{(1)} + \frac{1}{m_{c,b}^2} \mathcal{L}^{(2)} + \dots$$

But important for heavy leptons, **need input** from **lattice** or **HQET relations**

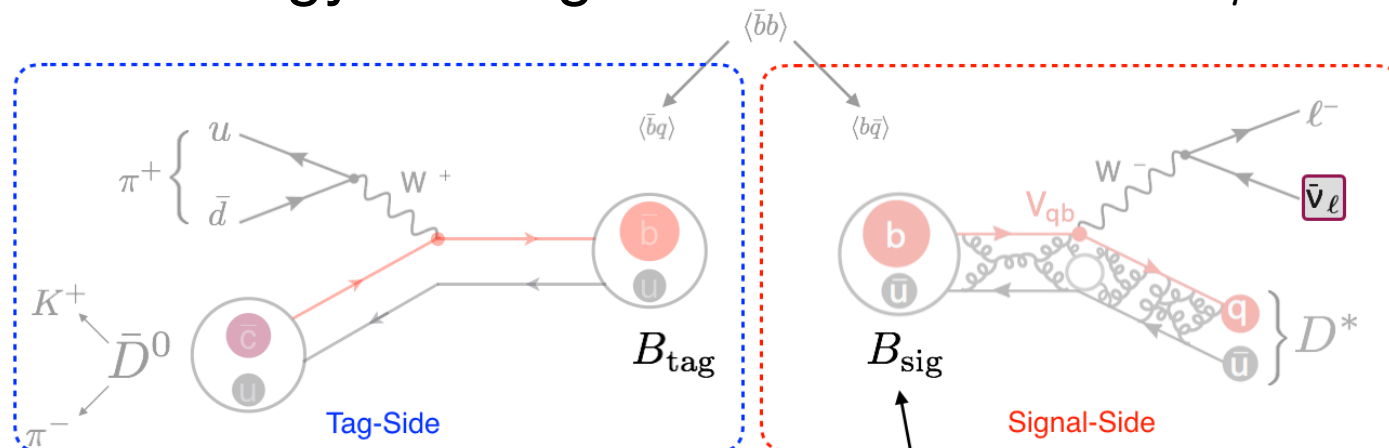
Recent measurement of $B \rightarrow D^* \ell \bar{\nu}$ from



Belle-Conf 1612
FB, Saskia Falke
arXiv:1702.01521



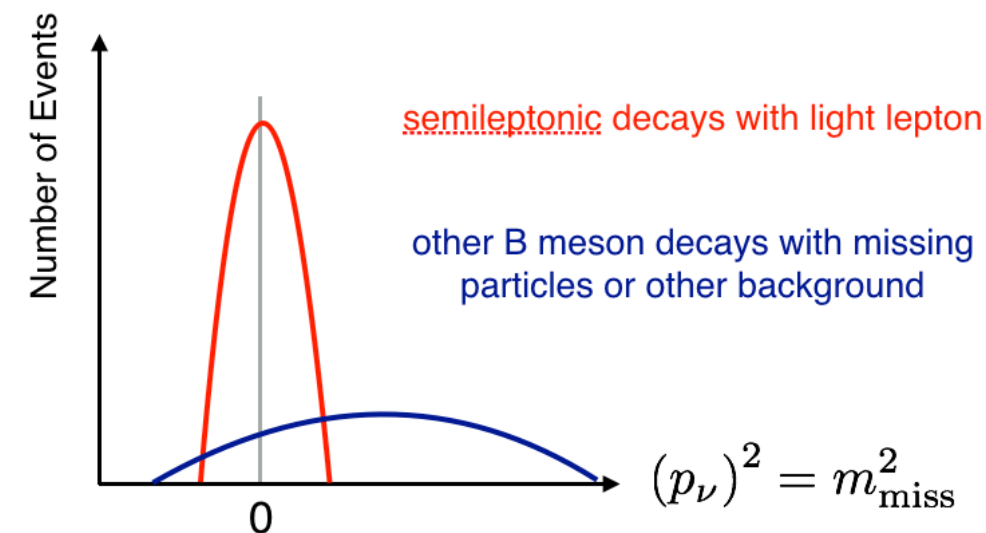
* Strategy: analogous to $B \rightarrow D^{(*)} \tau \bar{\nu}_\tau$



$$p_{\text{miss}} = p_\nu = (p_{e^+ e^-} - p_{\text{tag}} - p_{X_q} - p_{\ell})$$

Separation of Signal and Background

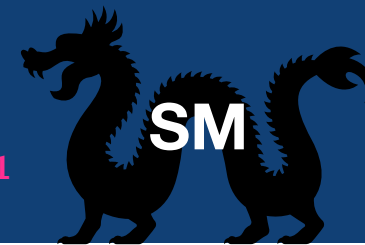
$$(p_\nu)^2 = m_{\text{miss}}^2$$



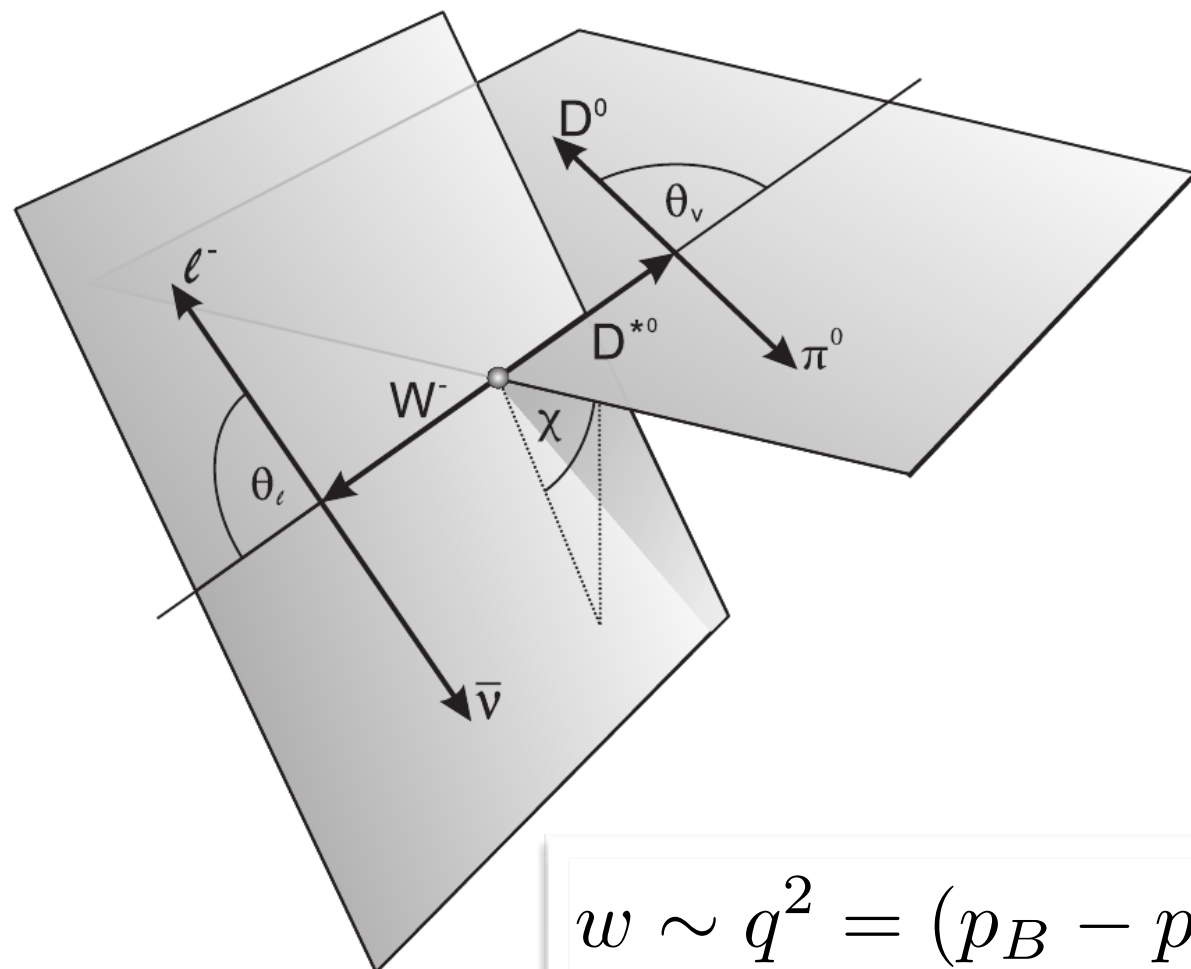
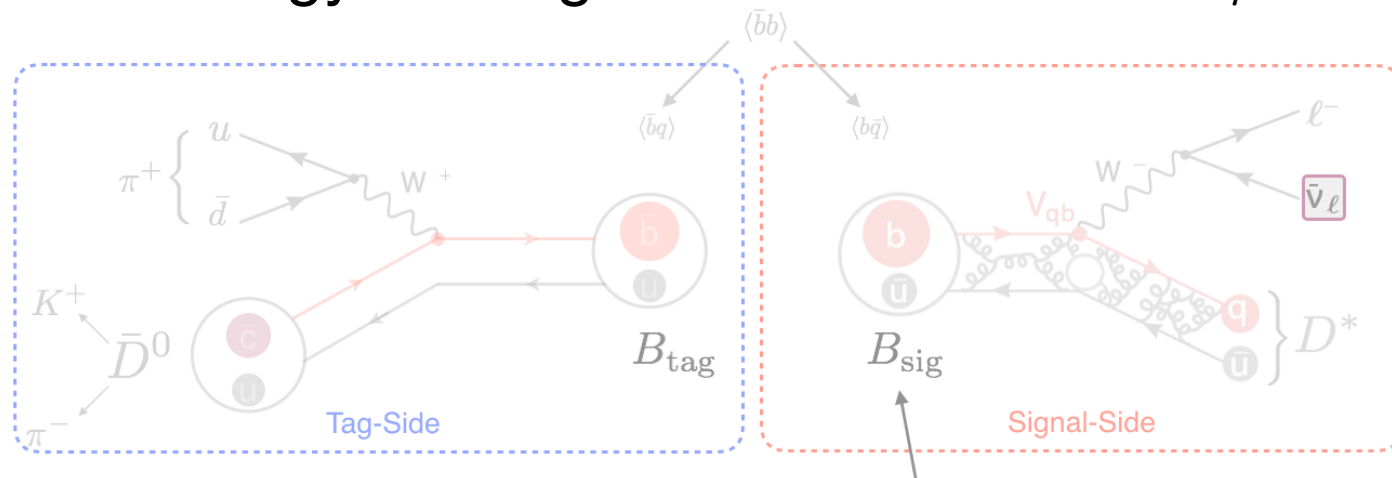
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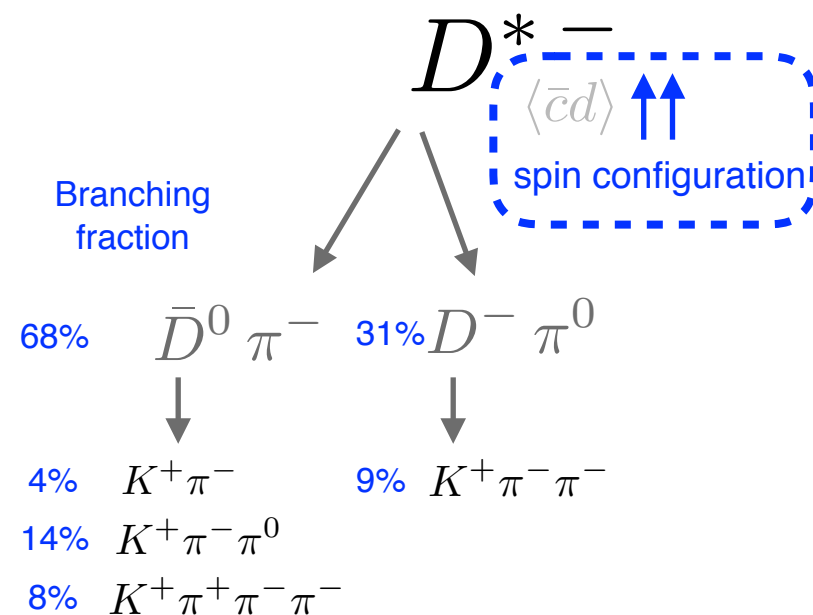
Belle-Conf 1612
Saskia Falke, FB,
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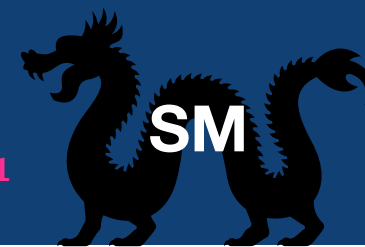
$$w \sim q^2 = (p_B - p_{D^*})^2$$



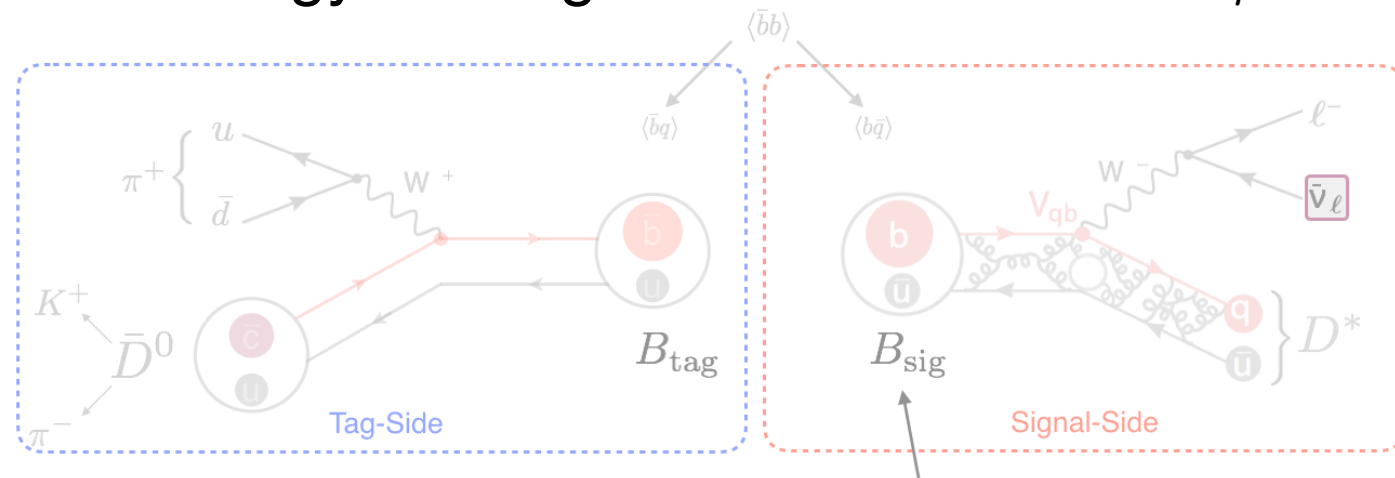
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Saskia Falke, FB,
arXiv:1702.01521



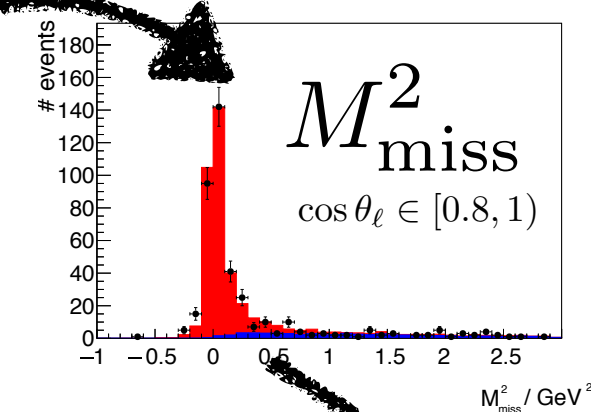
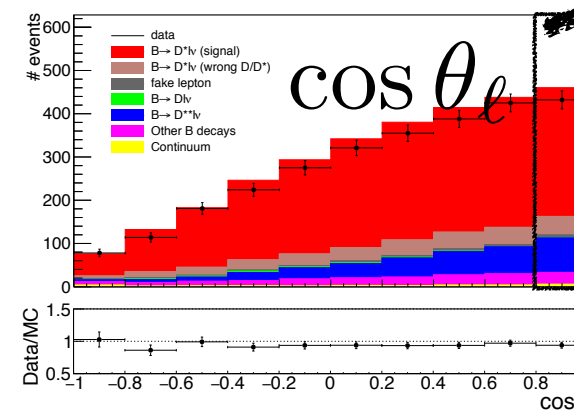
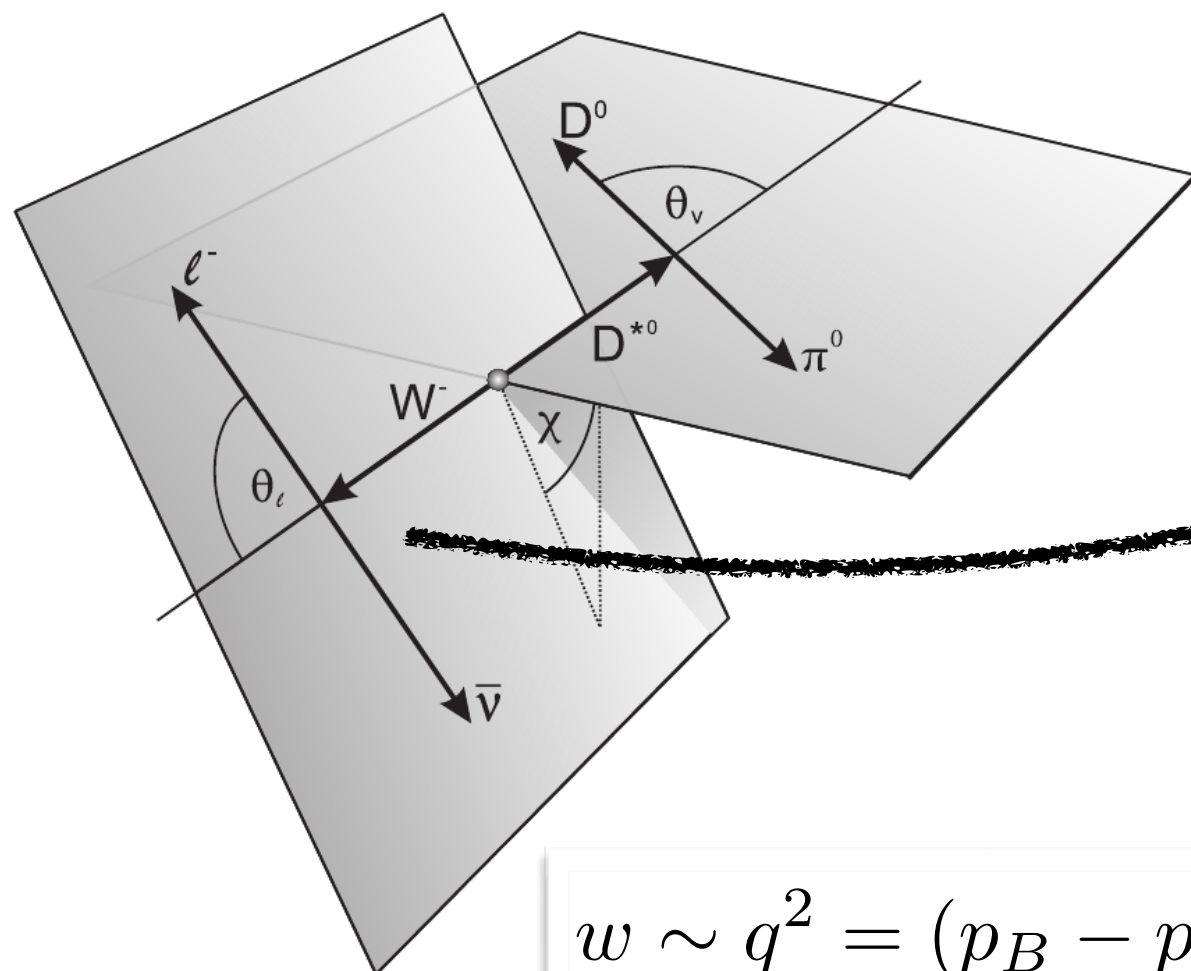
* Strategy: analogous to $B \rightarrow D^{(*)} \tau \bar{\nu}_\tau$



Branching
fraction

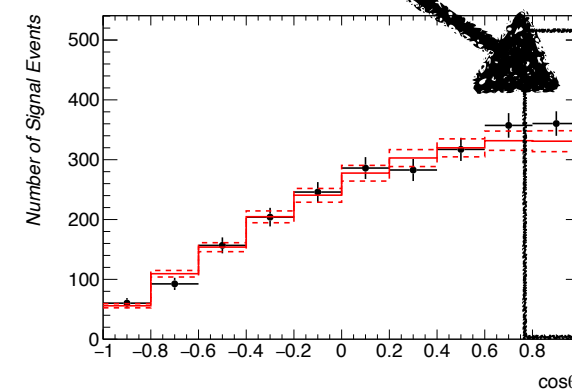
68% $\bar{D}^0 \pi^-$ 31% $D^- \pi^0$
4% $K^+ \pi^-$ 9% $K^+ \pi^- \pi^-$
14% $K^+ \pi^- \pi^0$
8% $K^+ \pi^+ \pi^- \pi^-$

D^{*-}
 $\langle \bar{c}d \rangle$ ↑↑
spin configuration



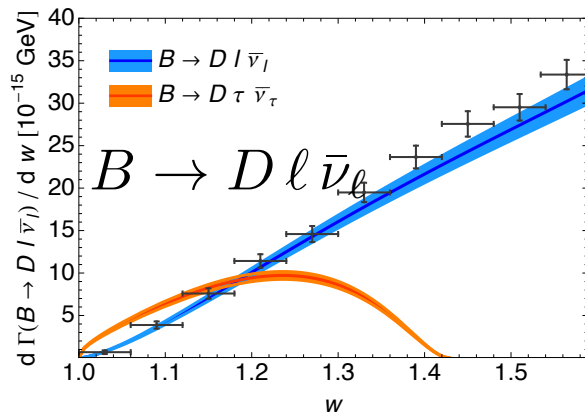
Form Factors ←

$$w \sim q^2 = (p_B - p_{D^*})^2$$



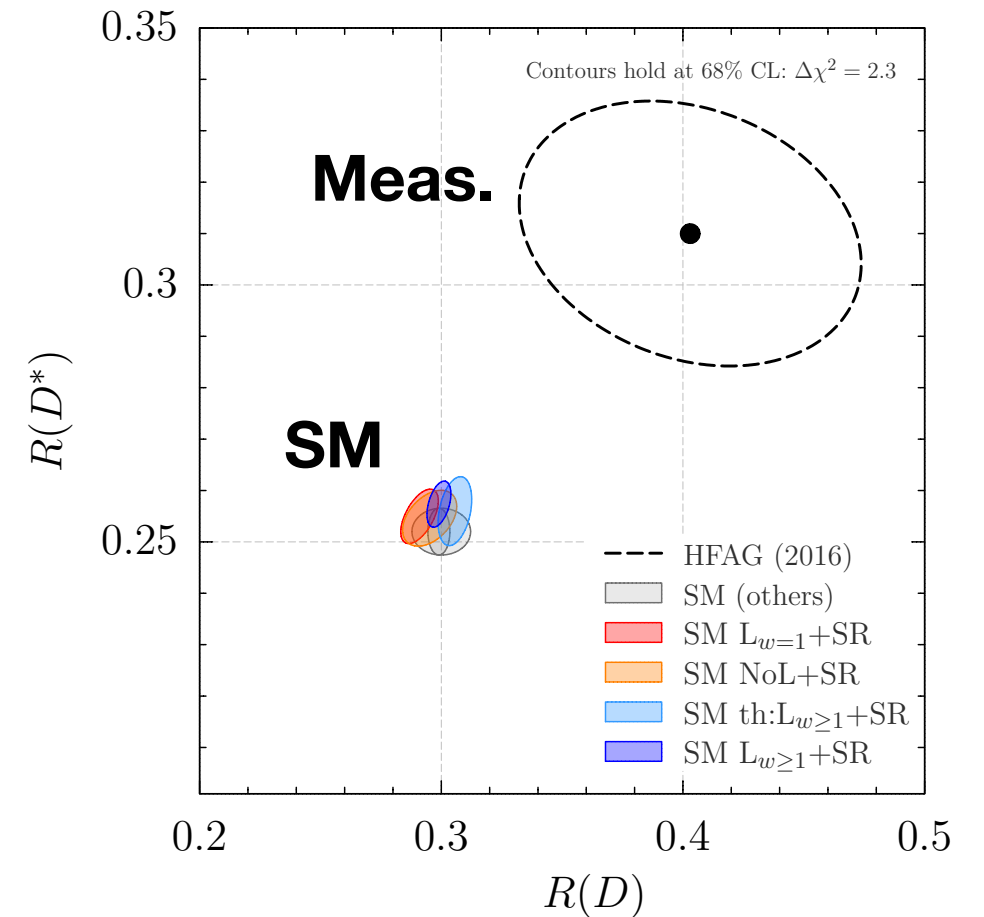
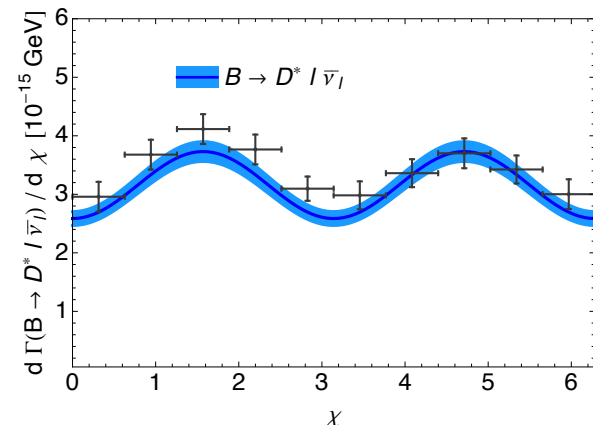
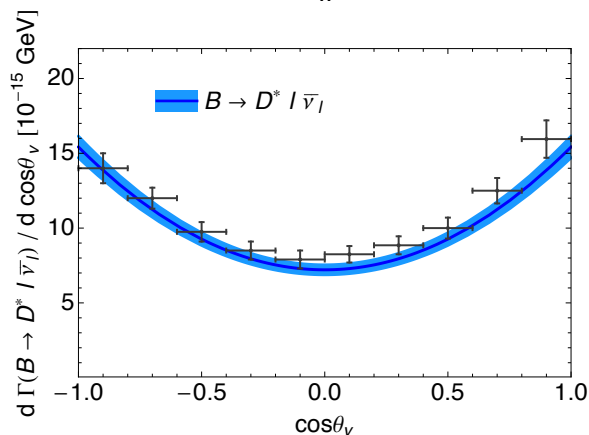
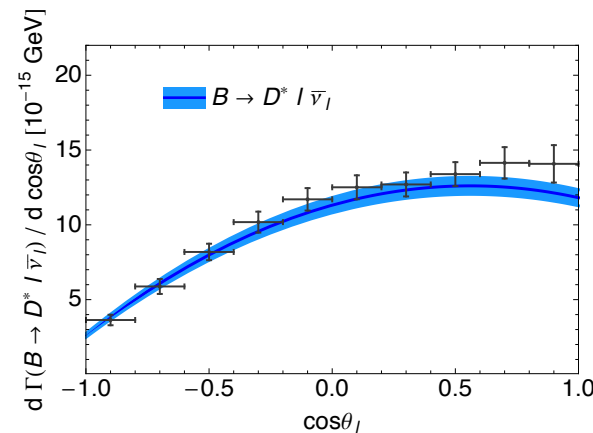
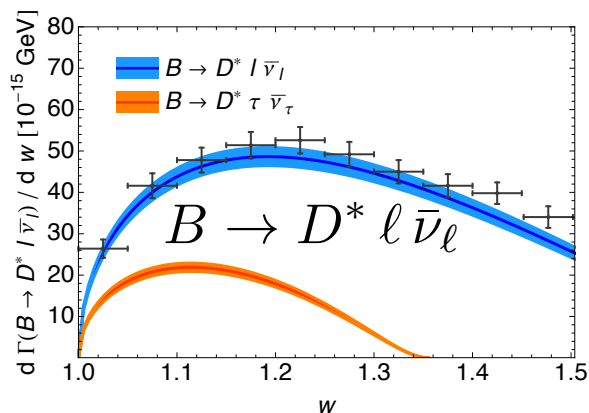
New precision prediction for $R(D) / R(D^*)$

Key idea: link both channels using model independent QCD properties (HQET) of form factors



$$f = \zeta \left(1 + \alpha_s + \frac{1}{m_{c,b}} + \alpha_s \frac{1}{m_{c,b}} + \frac{1}{m_c^2} \dots \right)$$

FB et al.,
Phys. Rev. D 95, 115008 (2017)



first correlated prediction!

Scenario	$R(D)$	$R(D^*)$	Correlation
$L_{w \geq 1} + SR$	0.299 ± 0.003	0.257 ± 0.003	44%
Data [9]	0.403 ± 0.047	0.310 ± 0.017	-23%
Refs. [53, 57, 59]	0.300 ± 0.008	—	—
Ref. [58]	0.299 ± 0.003	—	—
Ref. [34]	—	0.252 ± 0.003	—

New precision prediction for $R(D) / R(D^*)$

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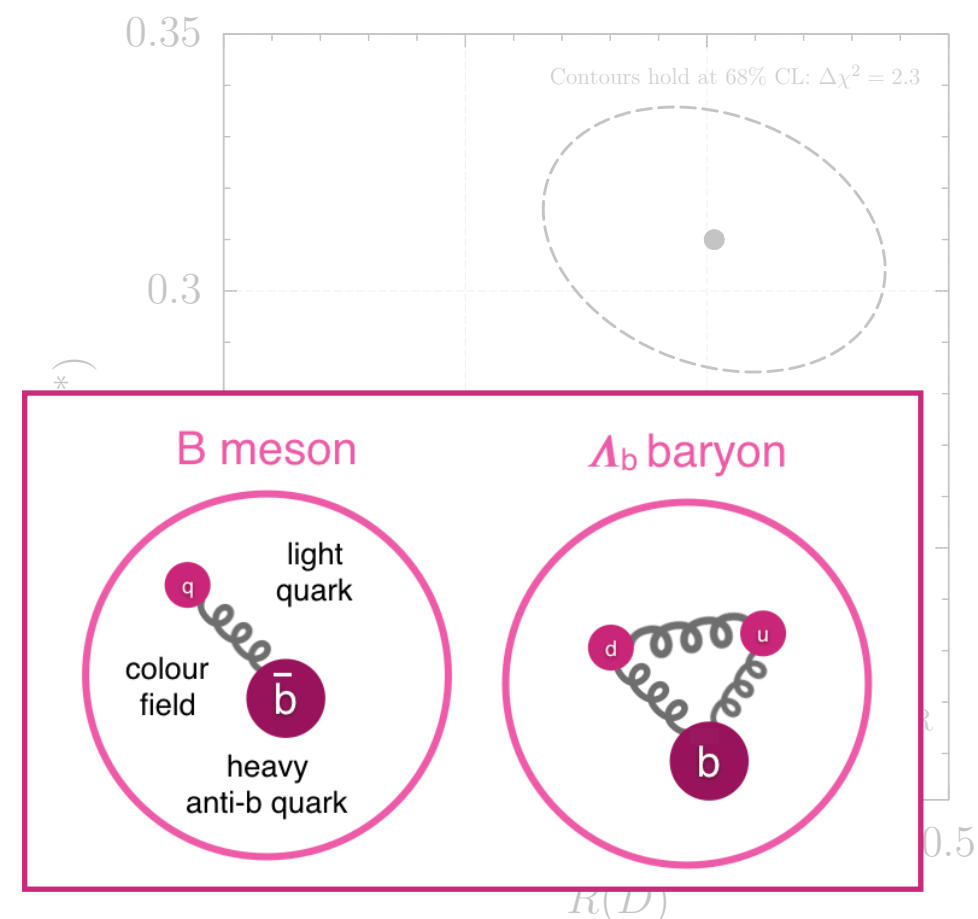
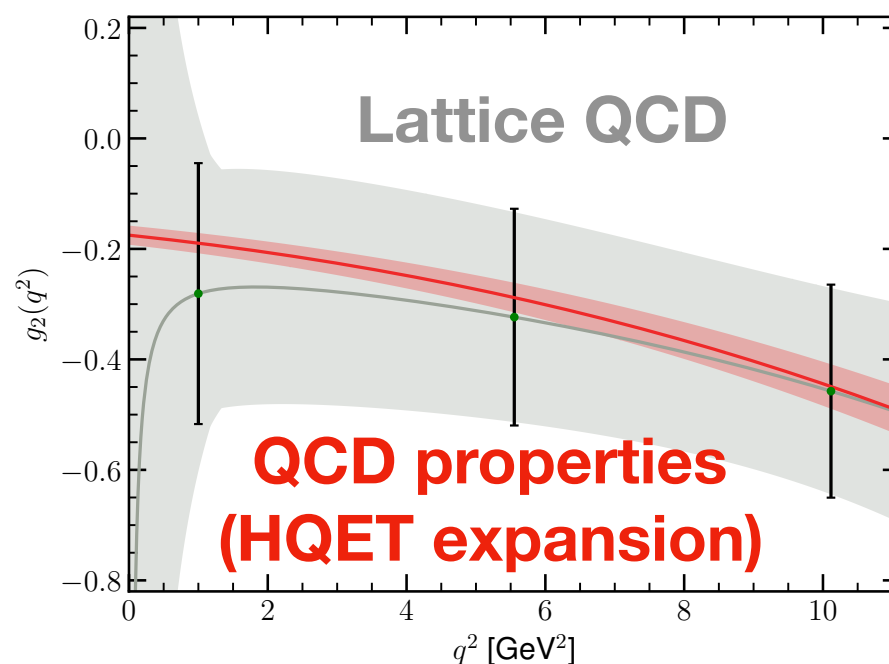
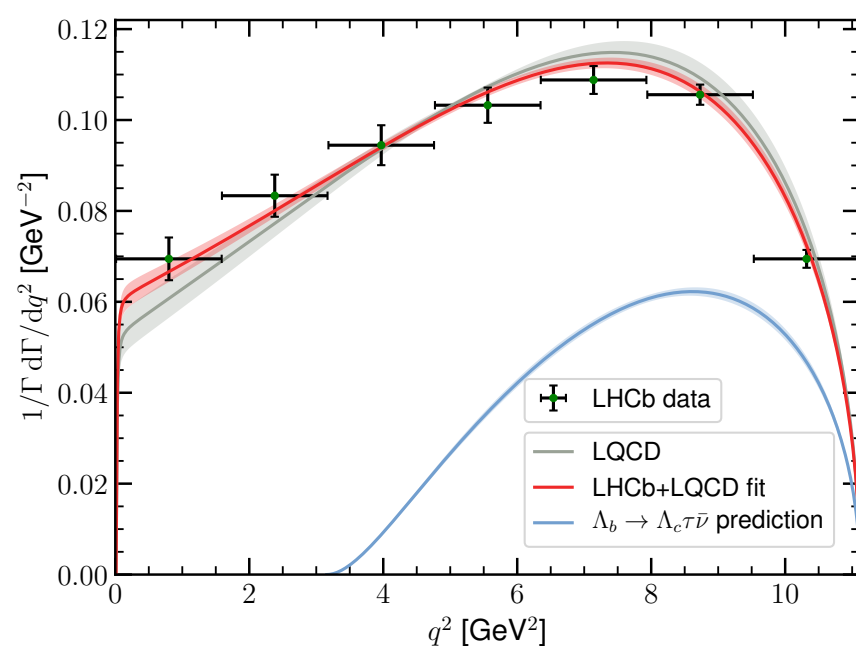
Applied similar idea to Baryons to derive most precise prediction for $R(\Lambda_c)$:

New predictions for $\Lambda_b \rightarrow \Lambda_c$ semileptonic decays and tests of heavy quark symmetry

Florian U. Bernlochner,¹ Zoltan Ligeti,² Dean J. Robinson,^{2,3} and William L. Sutcliffe¹

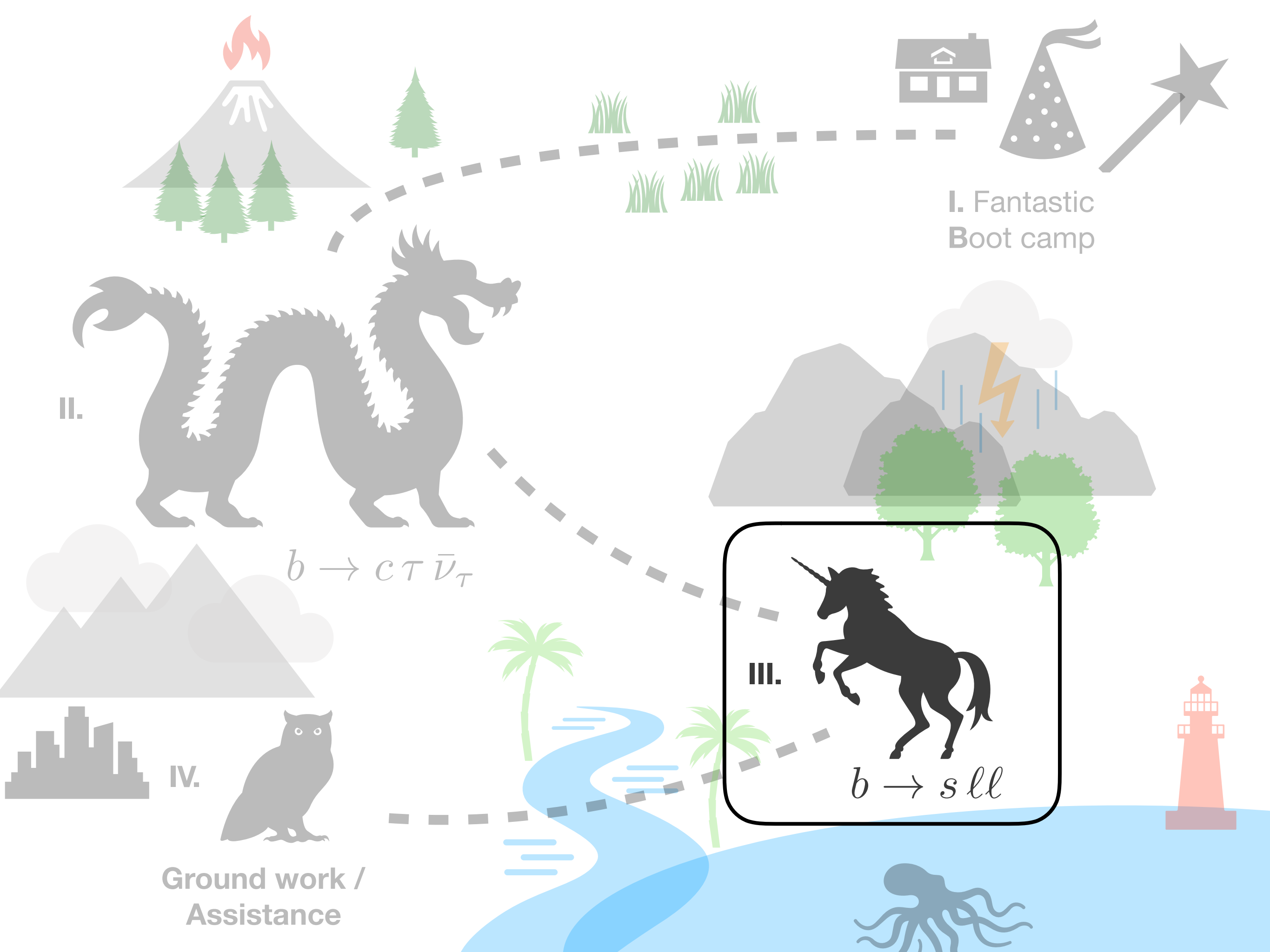
FB et al., arXiv:1808.09464

Phys. Rev. Lett. 121, 202001 (2018) plus another longer manuscript in preparation

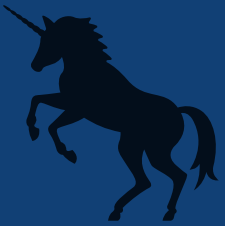


Most precise prediction to date

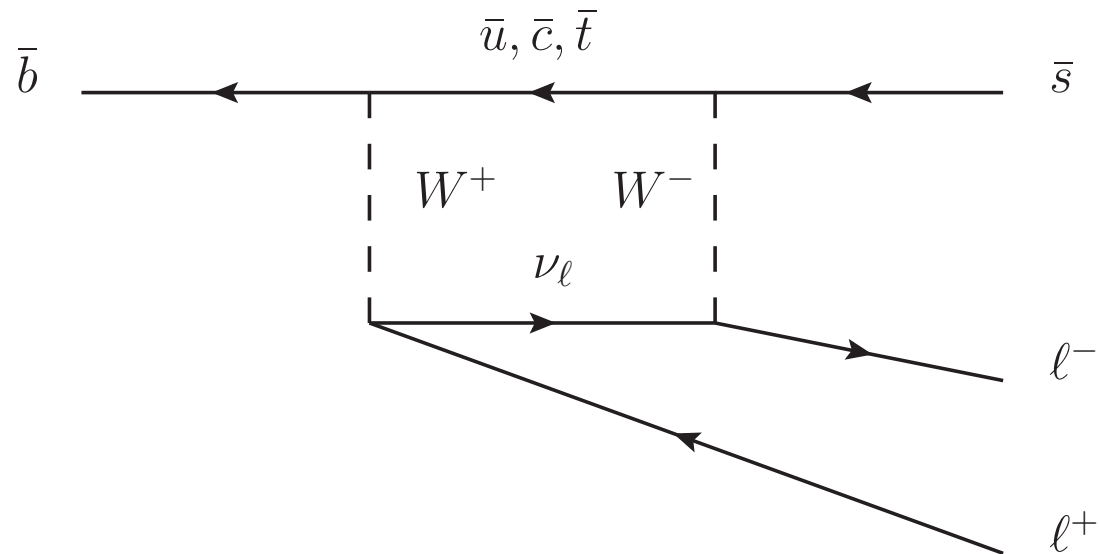
	LHCb + LQCD
ζ'	-2.04 ± 0.08
ζ''	3.16 ± 0.38
$\hat{b}_1/\text{GeV}^2$	-0.46 ± 0.15
$\hat{b}_2/\text{GeV}^2$	-0.39 ± 0.39
m_b^{1S}/GeV	4.72 ± 0.05
$\delta m_{bc}/\text{GeV}$	3.40 ± 0.02
χ^2/ndf	7.20/20
$R(\Lambda_c)$	0.3237 ± 0.0036



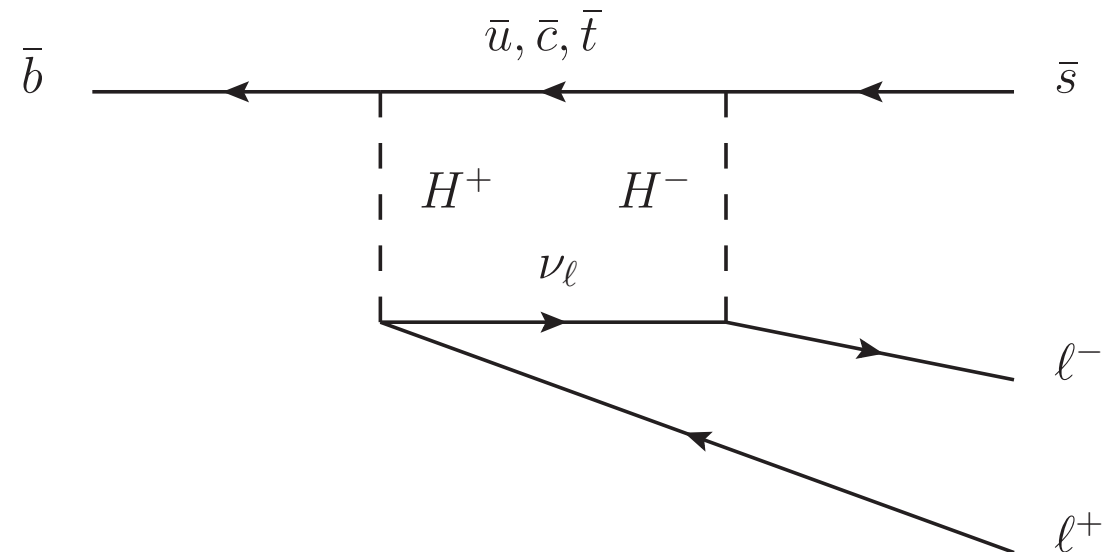
Another Fantastic B: Semileptonic decays with $\ell\ell$



SM



New Physics:



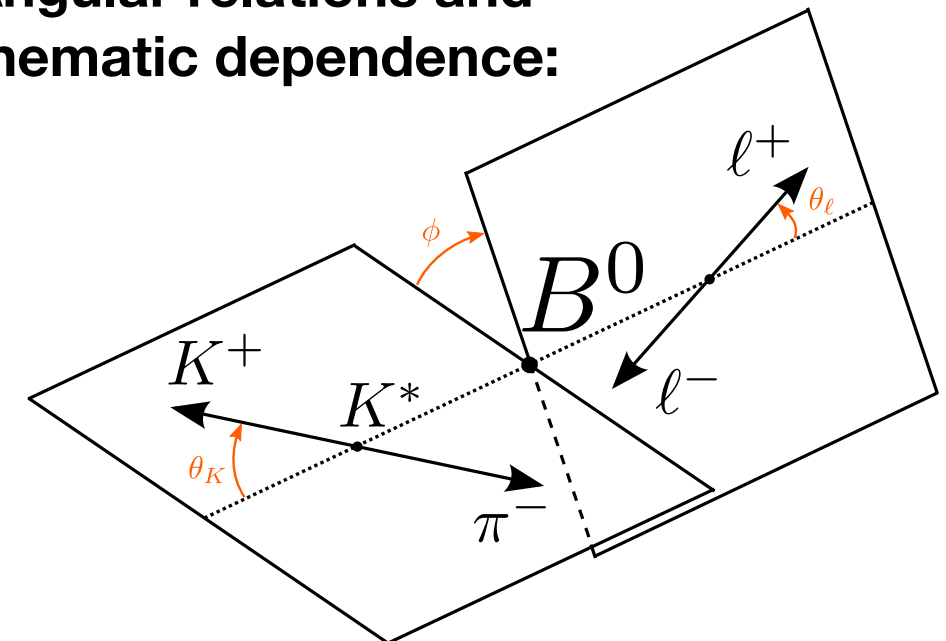
Observables of choice:

$$\mathcal{R}(K) = \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu \mu)}{\mathcal{B}(B^+ \rightarrow K^+ e e)}$$

$$\mathcal{R}(K^*) = \frac{\mathcal{B}(B^0 \rightarrow K^{*0} \mu \mu)}{\mathcal{B}(B^0 \rightarrow K^{*0} e e)}$$

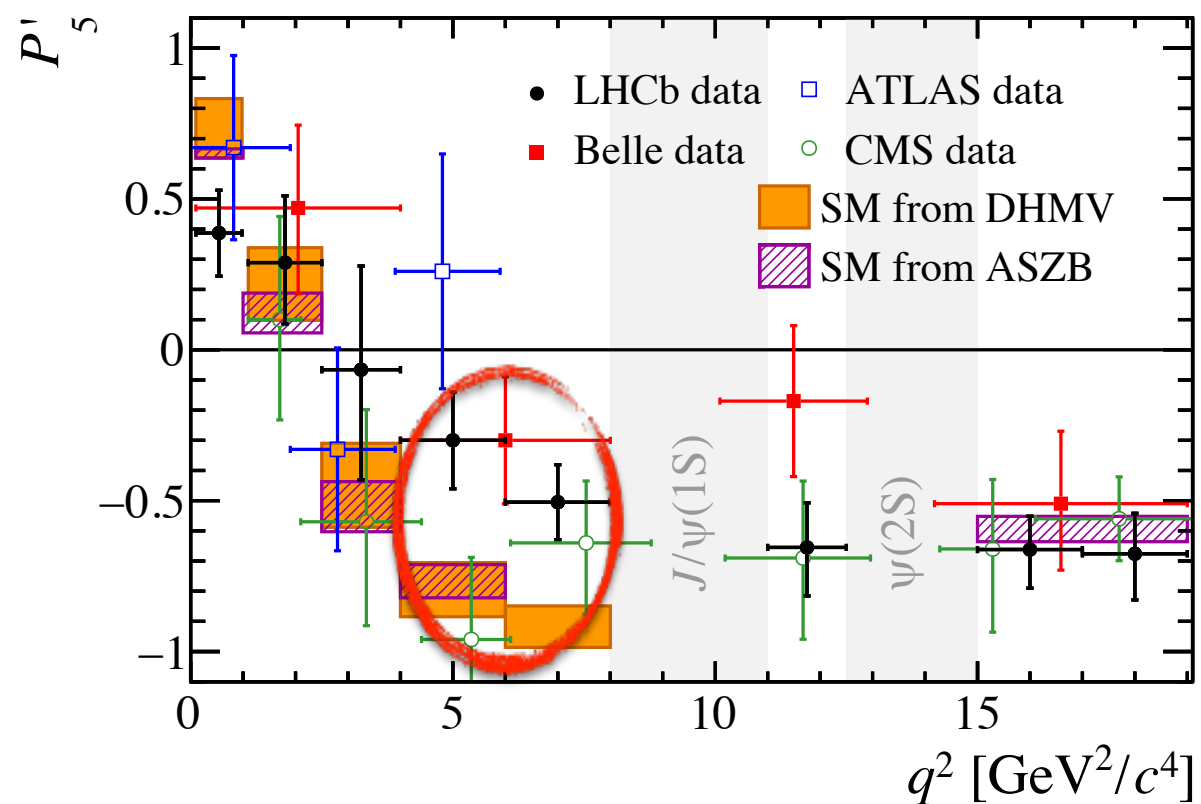
$= 1 \pm \text{small corrections}$

Angular relations and kinematic dependence:



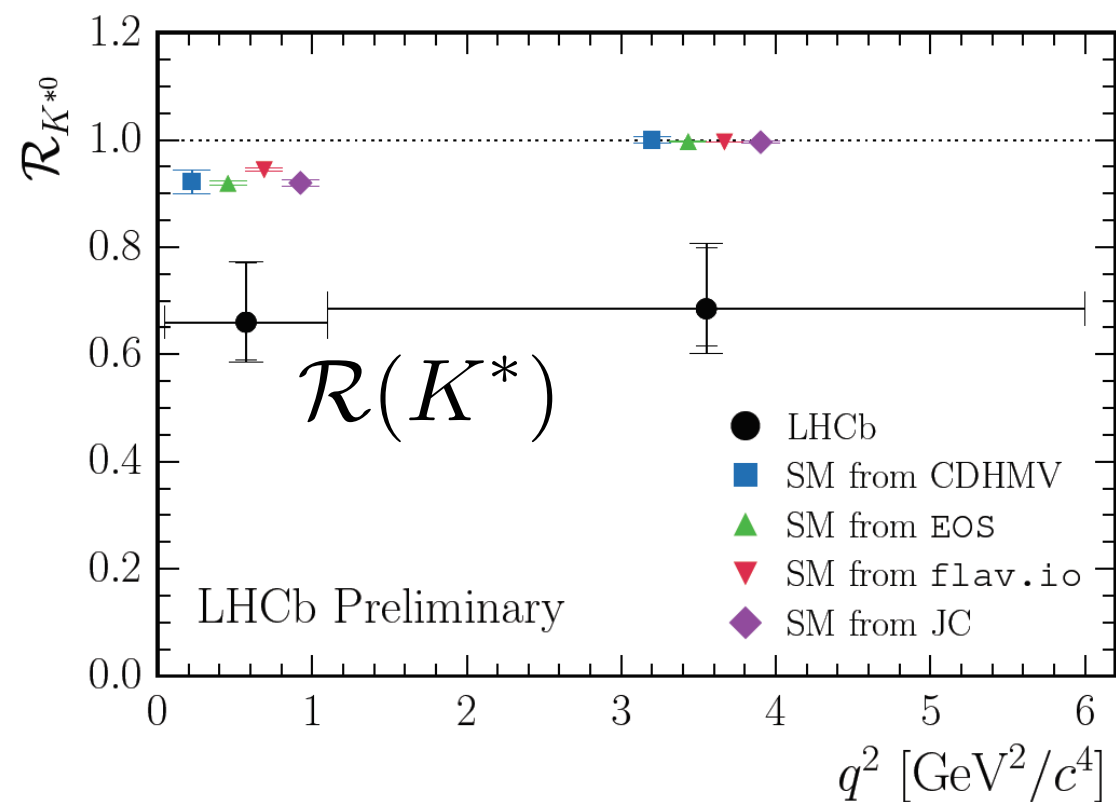
The decay is completely described by:
 $\theta_\ell, \theta_K, \phi$ and $q^2 = M_{\ell^+ \ell^-}^2$

Tension with the SM **2.8-3 σ**

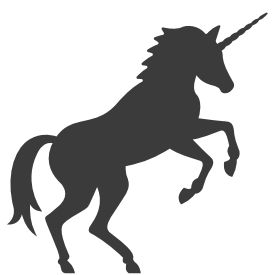
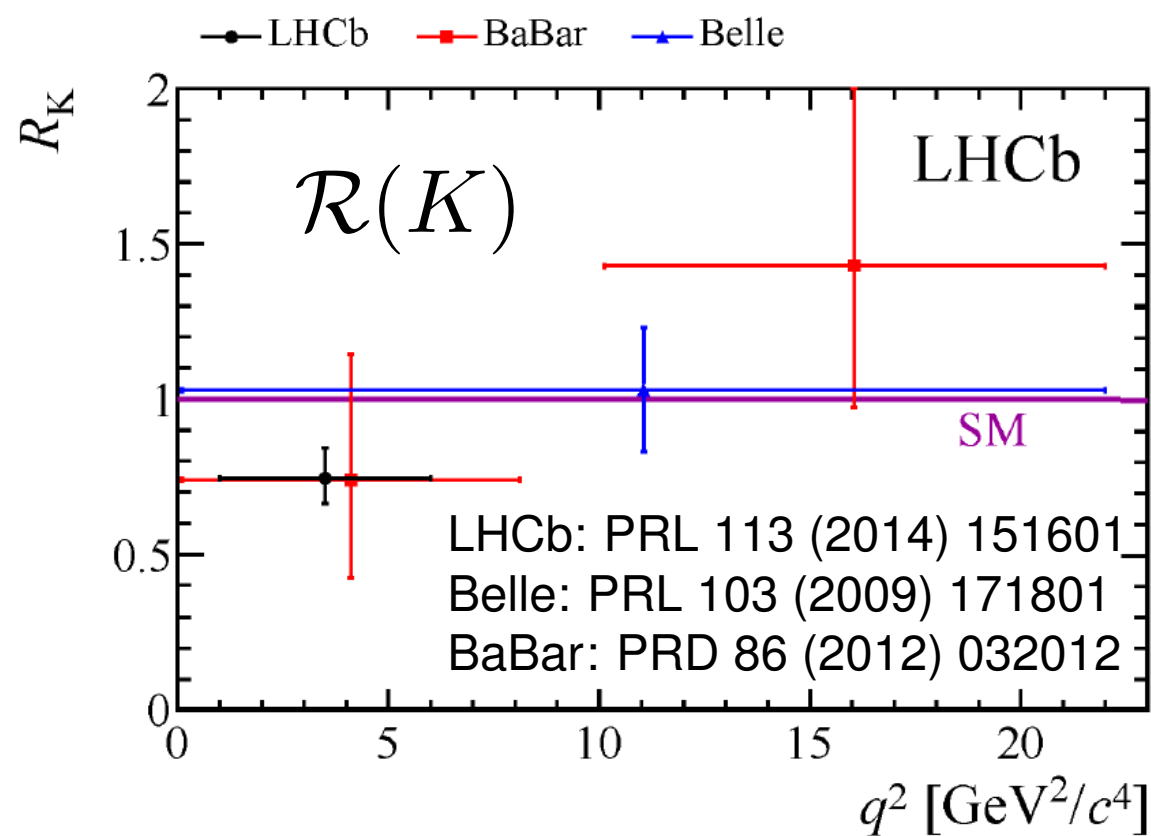


$$q^2 \uparrow = m_{\ell\ell}^2$$

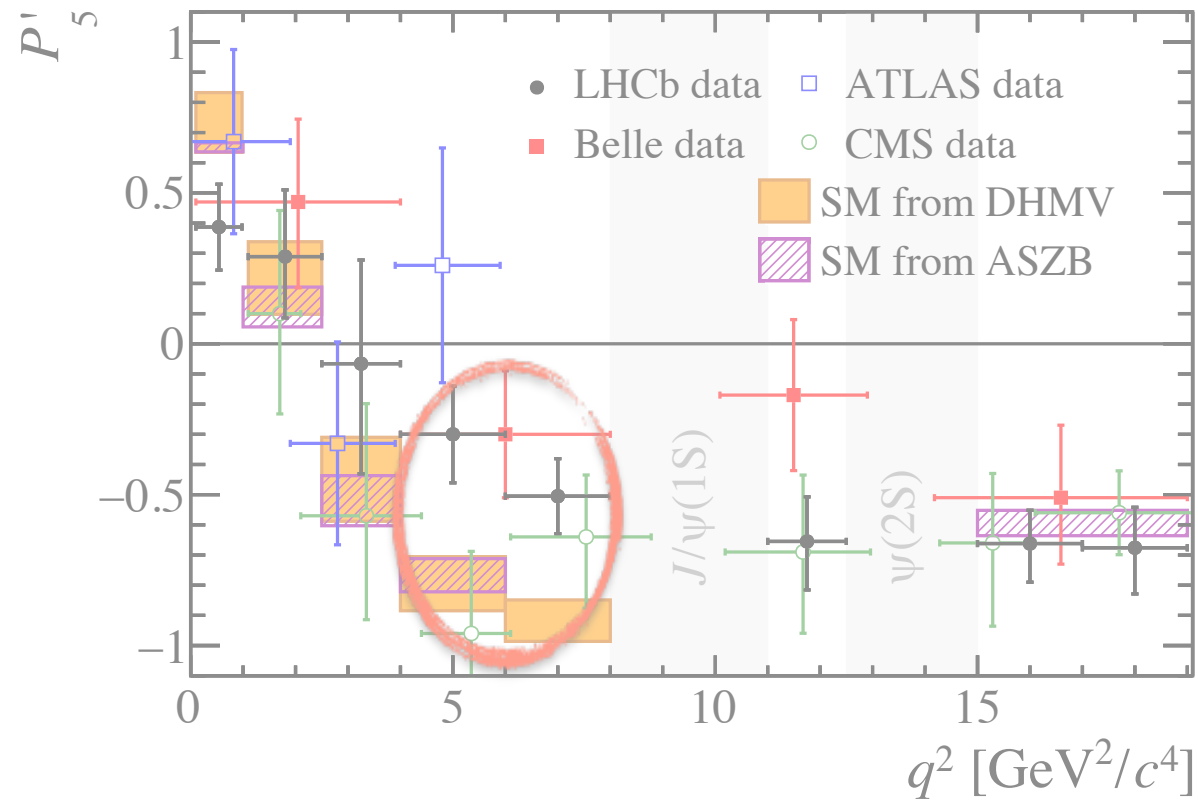
Tension with the SM **2.2-2.5 σ**



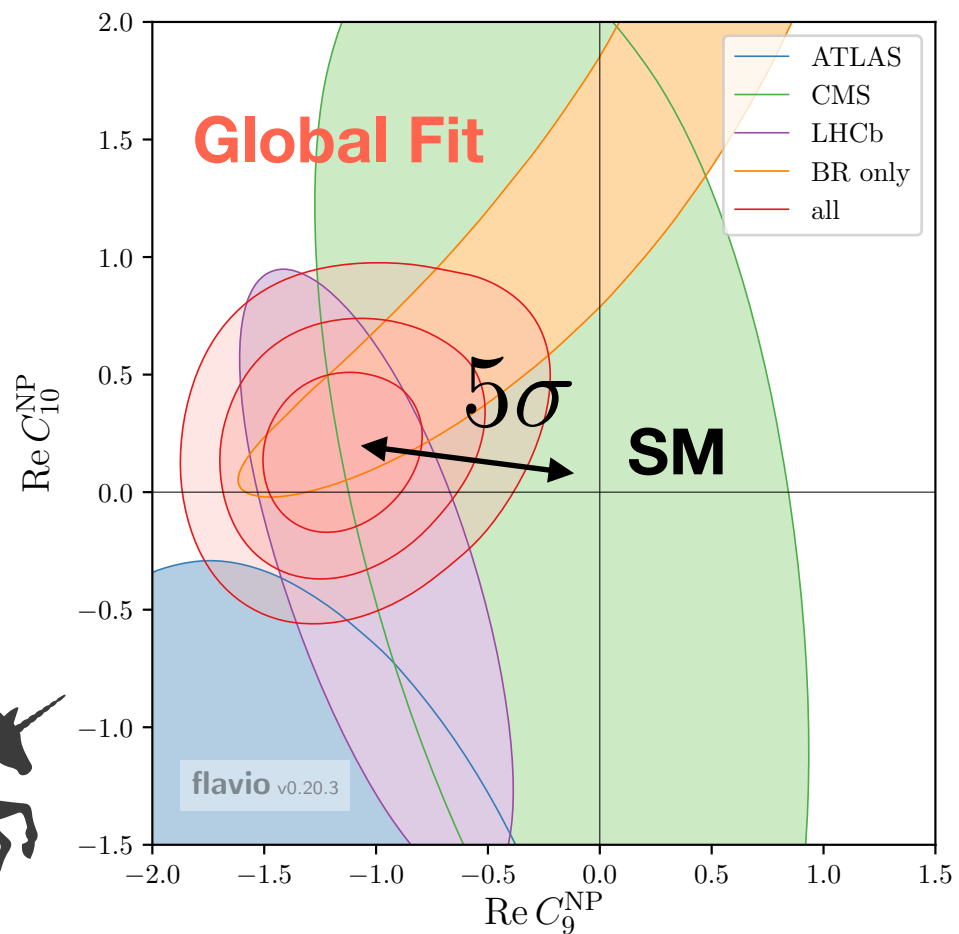
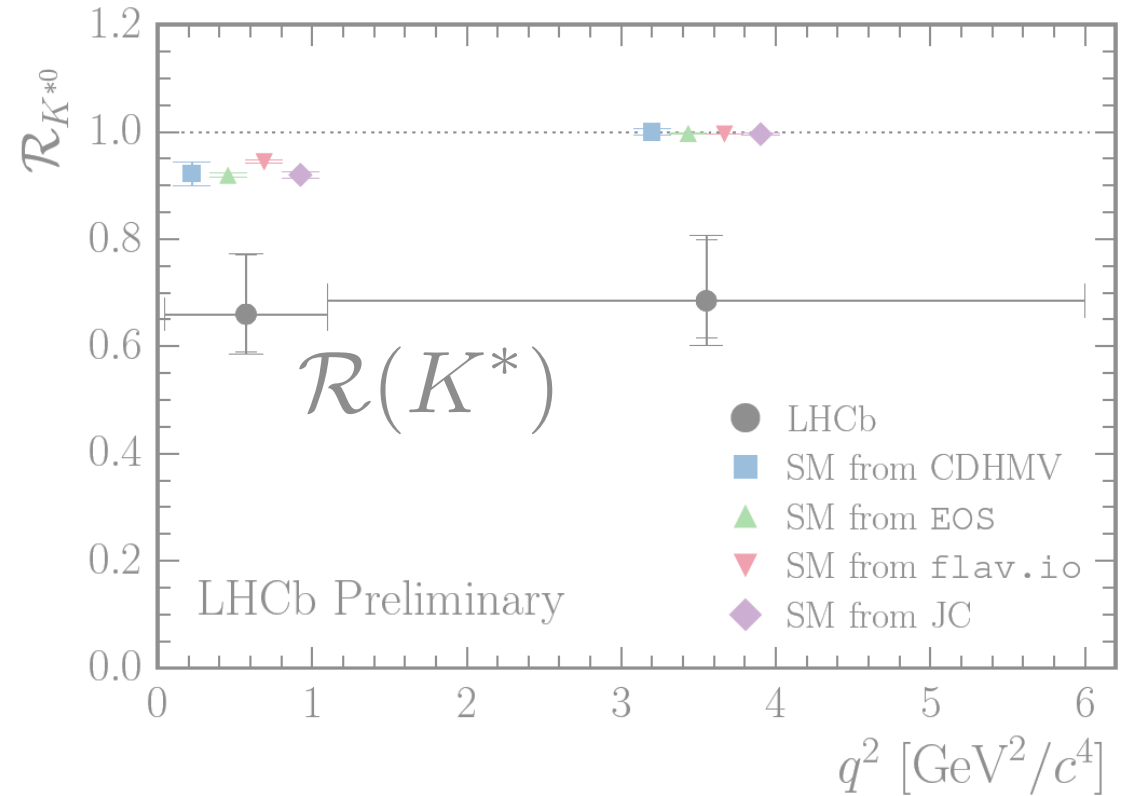
Tension with the SM **2.6 σ**



Tension with the SM 2.8-3 σ



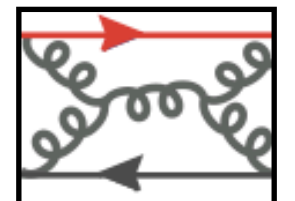
Tension with the SM 2.2-2.5 σ



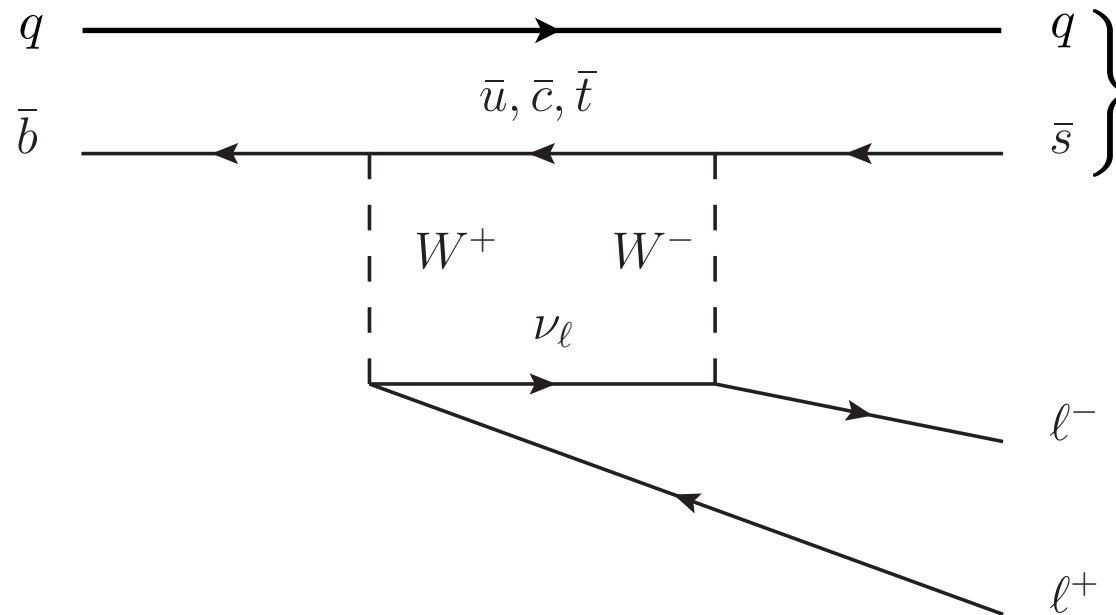
NP model independent analysis:

$$\mathcal{H}_{\text{eff}} = -\frac{4 G_F}{\sqrt{2}} V_{tb} V_{ts}^* \frac{e^2}{16\pi^2} \sum_i (C_i O_i + C'_i O'_i)$$

Controversy about non-local QCD contributions in SM:



Alternative paths to that fantastic B: Inclusively



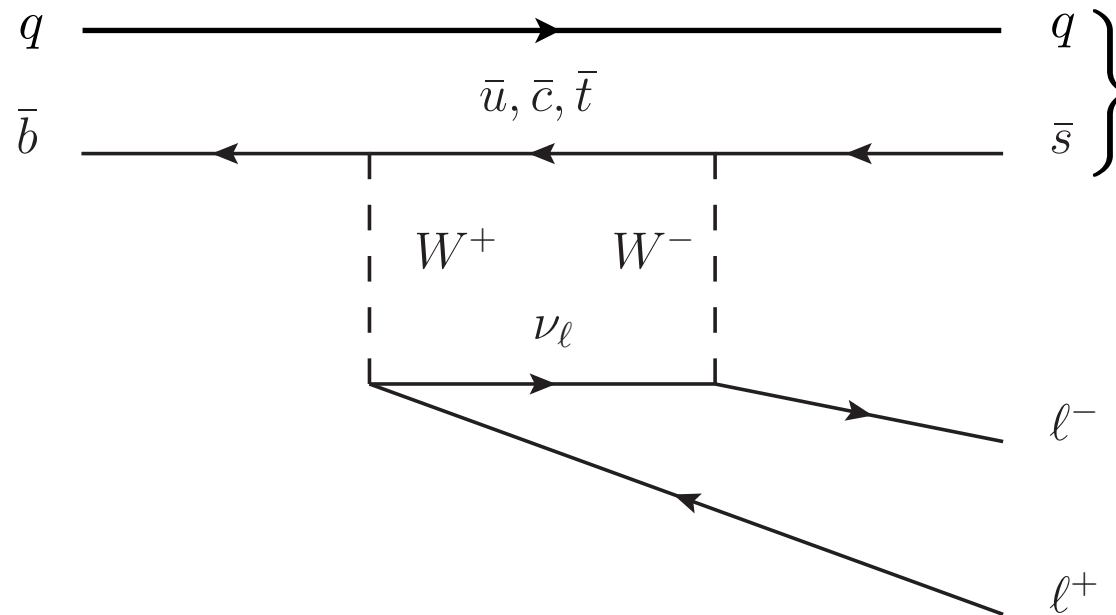
Inclusive

X_s All possible final states

Exclusive

$K, K^*, K\pi, \dots$ One specific final state

Alternative paths to that fantastic B: Inclusively



Inclusive

X_s All possible final states

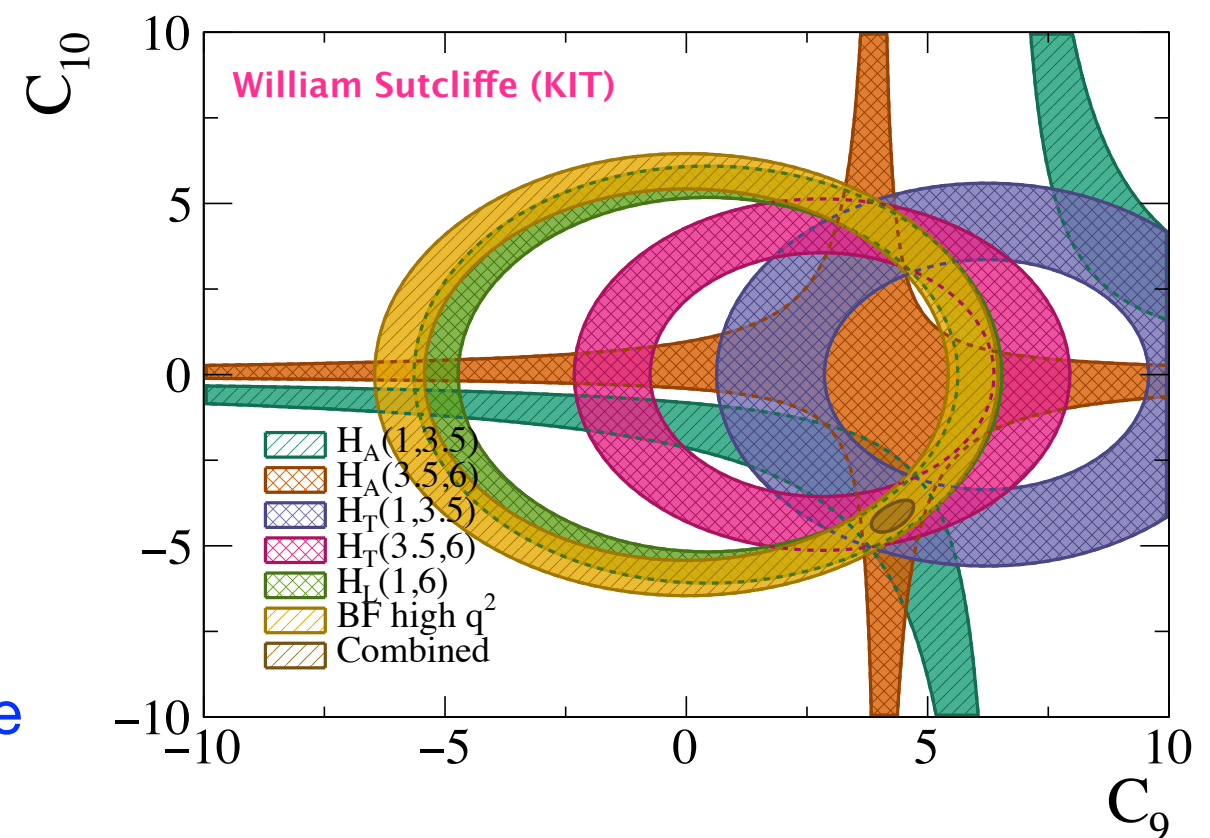
Exclusive

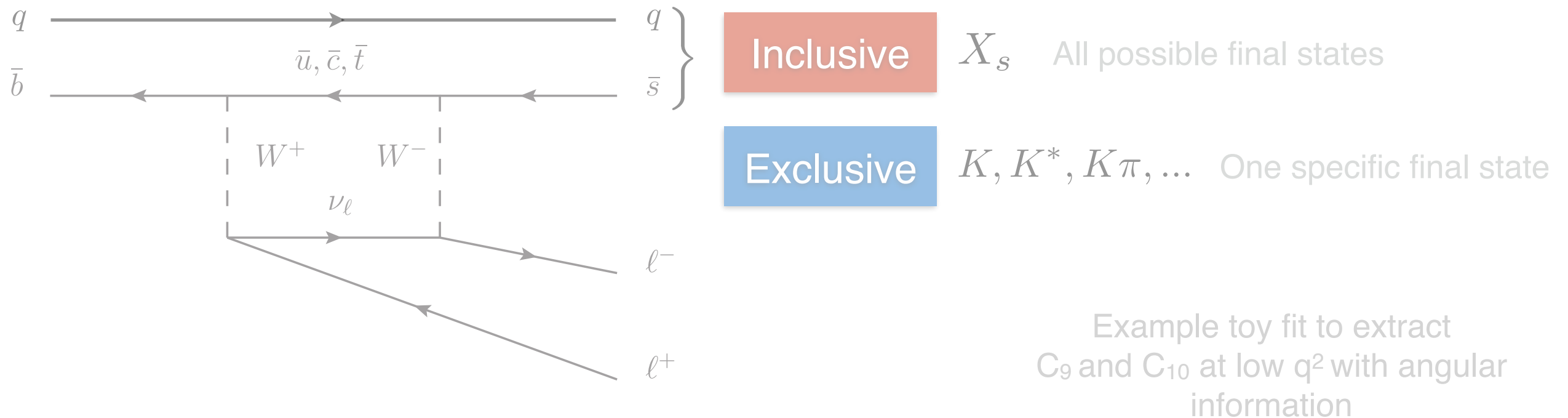
$K, K^*, K\pi, \dots$ One specific final state

• Benefit:

- Theory **completely independent** for predicting inclusive decays.
- **Alternative path** to determine C_9 and C_{10} Wilson coefficients
 - Major background: semileptonic decays with $B \rightarrow D[\rightarrow K\bar{\ell}\nu]\ell\bar{\nu}$
 - Measurement only at low $q^2 = m_{\parallel}$ possible

Example toy fit to extract C_9 and C_{10} at low q^2 with angular information

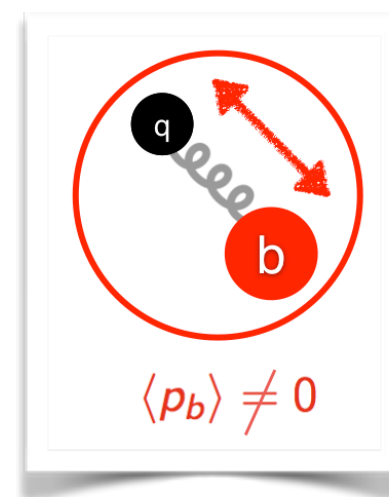


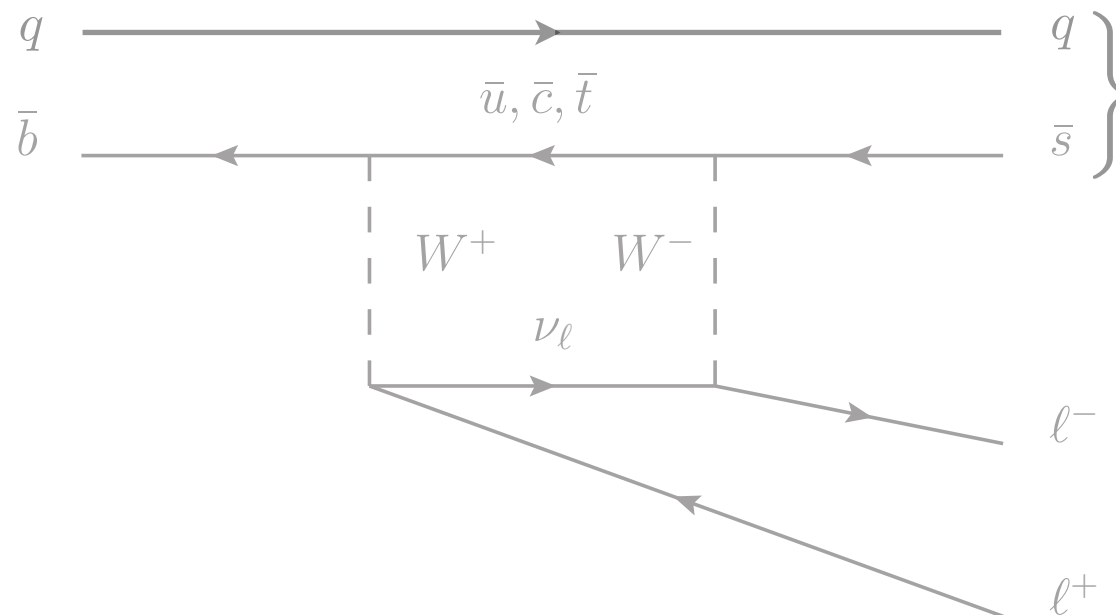


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At low q^2 SM prediction depends on b-Quark PDF inside B-Meson:





Inclusive

X_s All possible final states

Exclusive

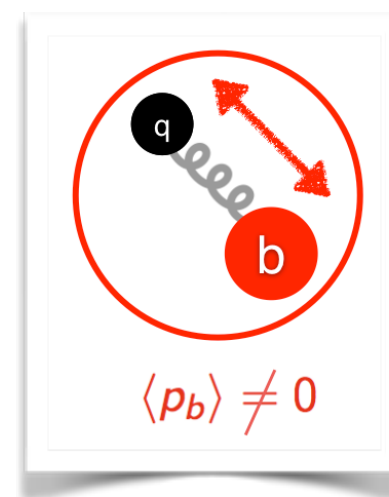
$K, K^*, K\pi, \dots$ One specific final state

Example toy fit to extract C_9 and C_{10} at low q^2 with angular information

• Benefit:

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 - Measurement only at low $q^2 = m_{ll}$ possible

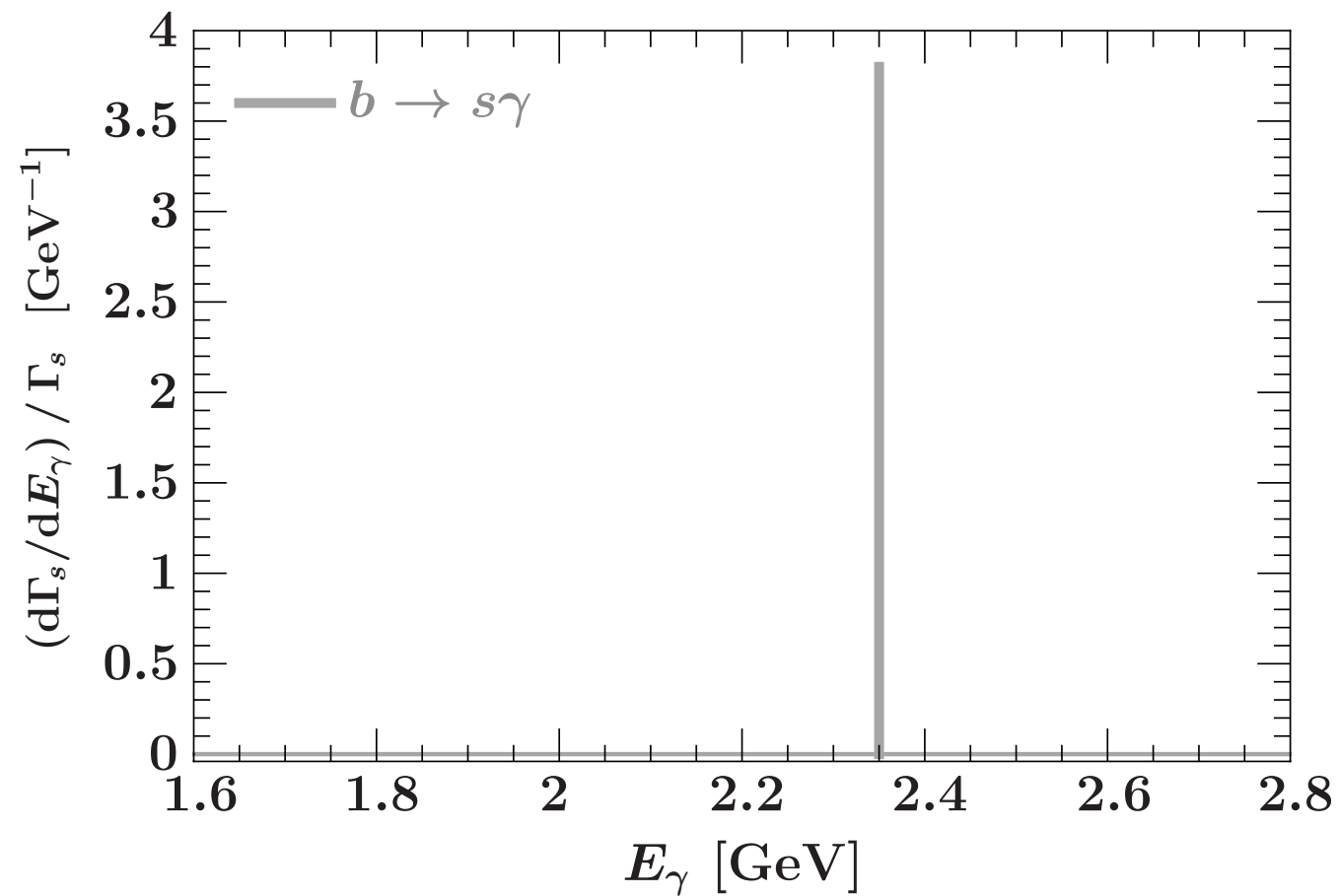
At low q^2 SM prediction depends on b-Quark PDF inside B-Meson:



Can be constrained with two-body or other decays, e.g.

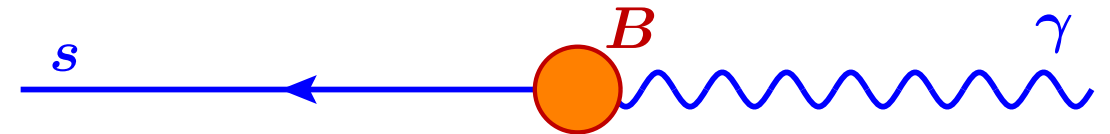
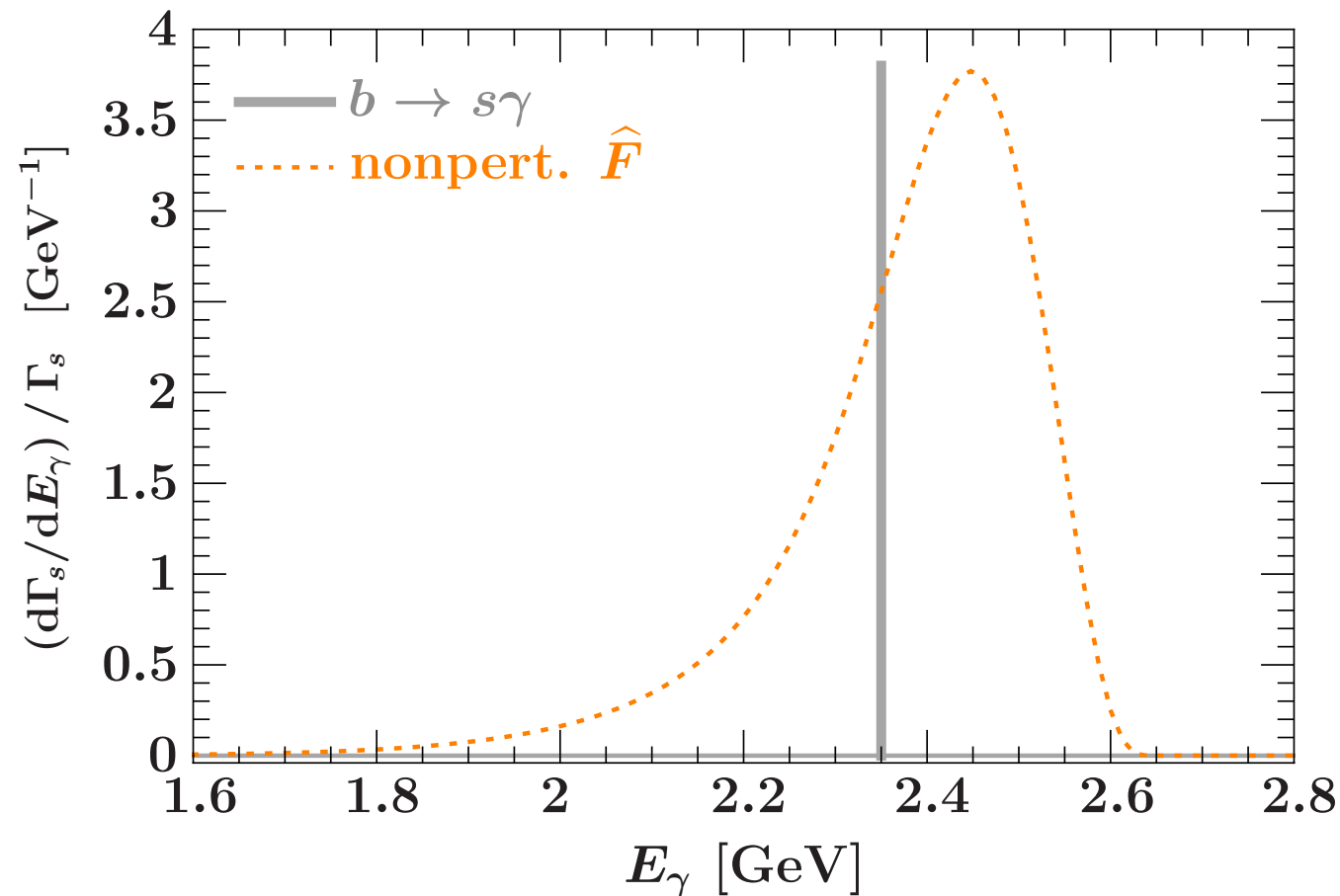
$$B \rightarrow X_s \gamma$$

Constraining the Shape-Function



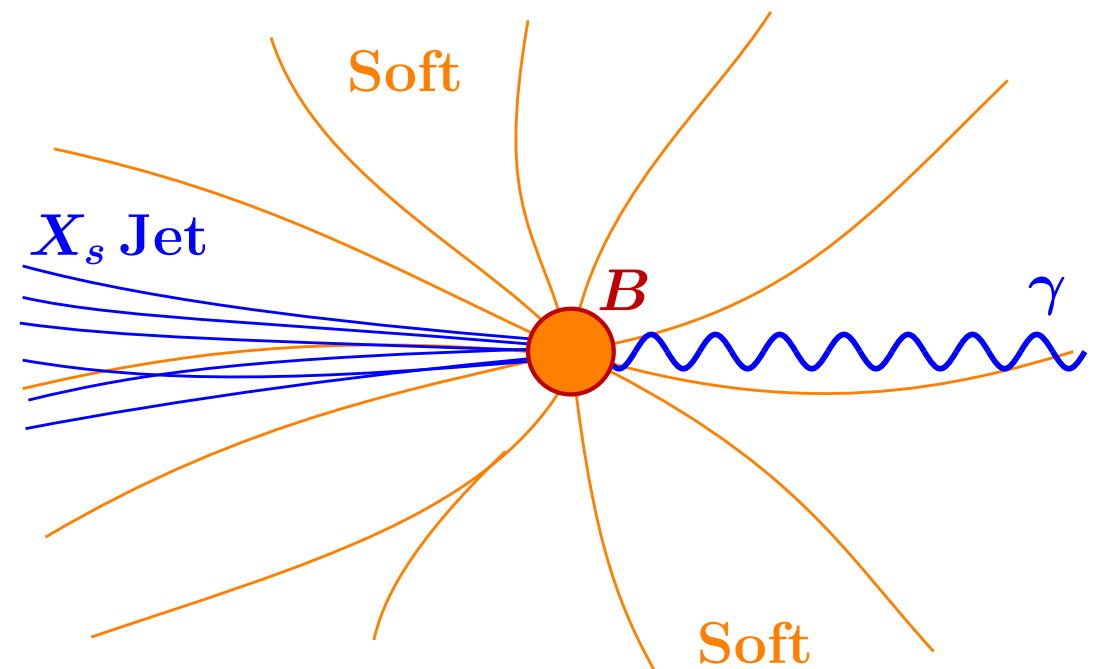
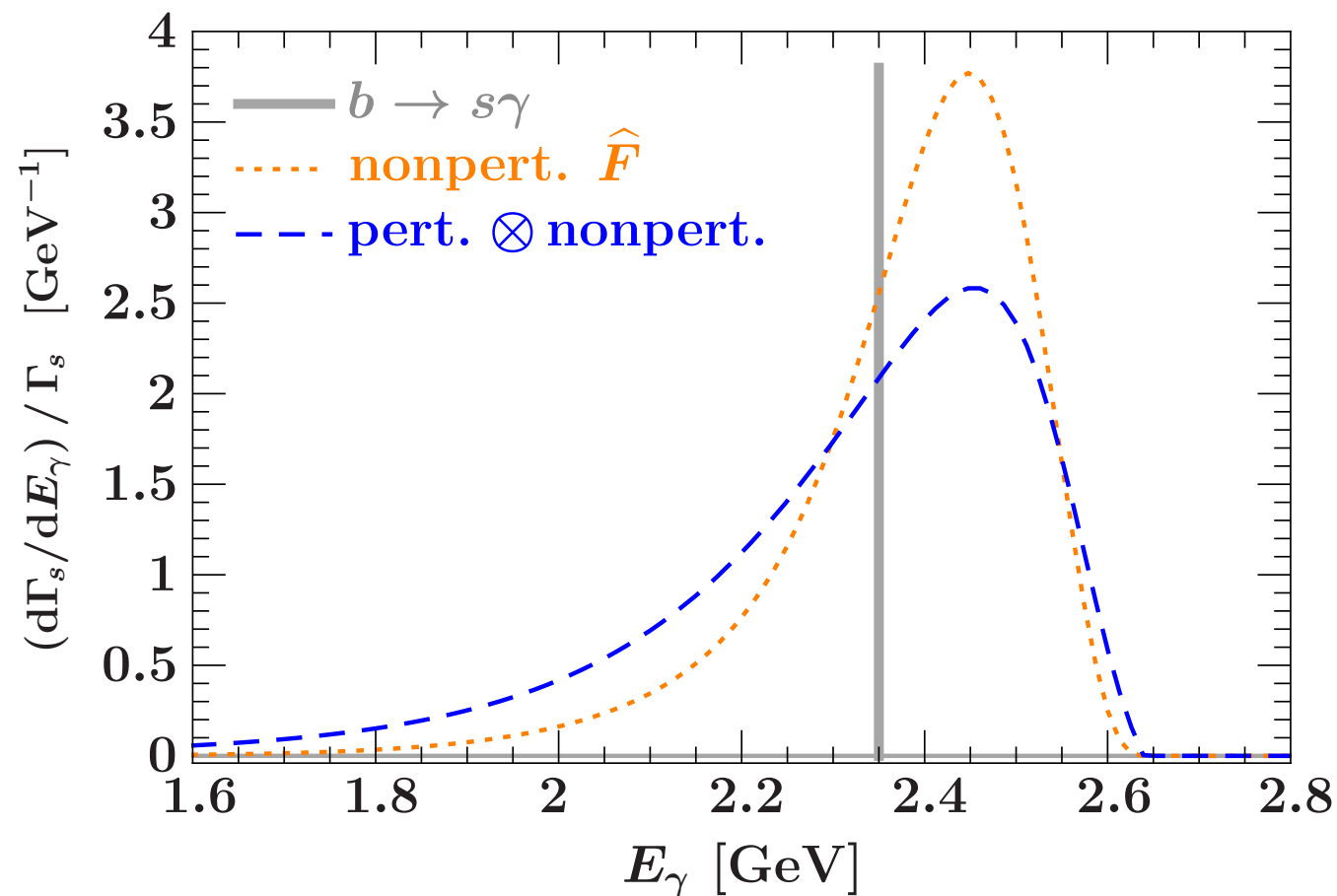
- $b \rightarrow s \gamma$ decay rate: $d\Gamma/dE_\gamma \sim \delta(E_\gamma - m_b/2)$

Constraining the Shape-Function



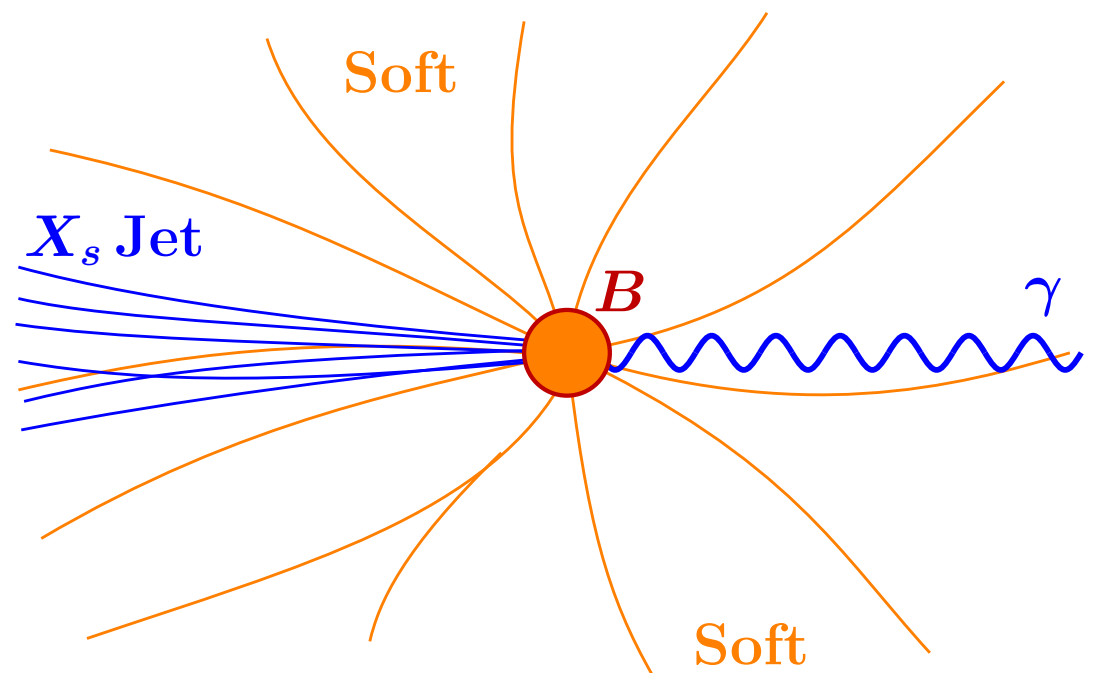
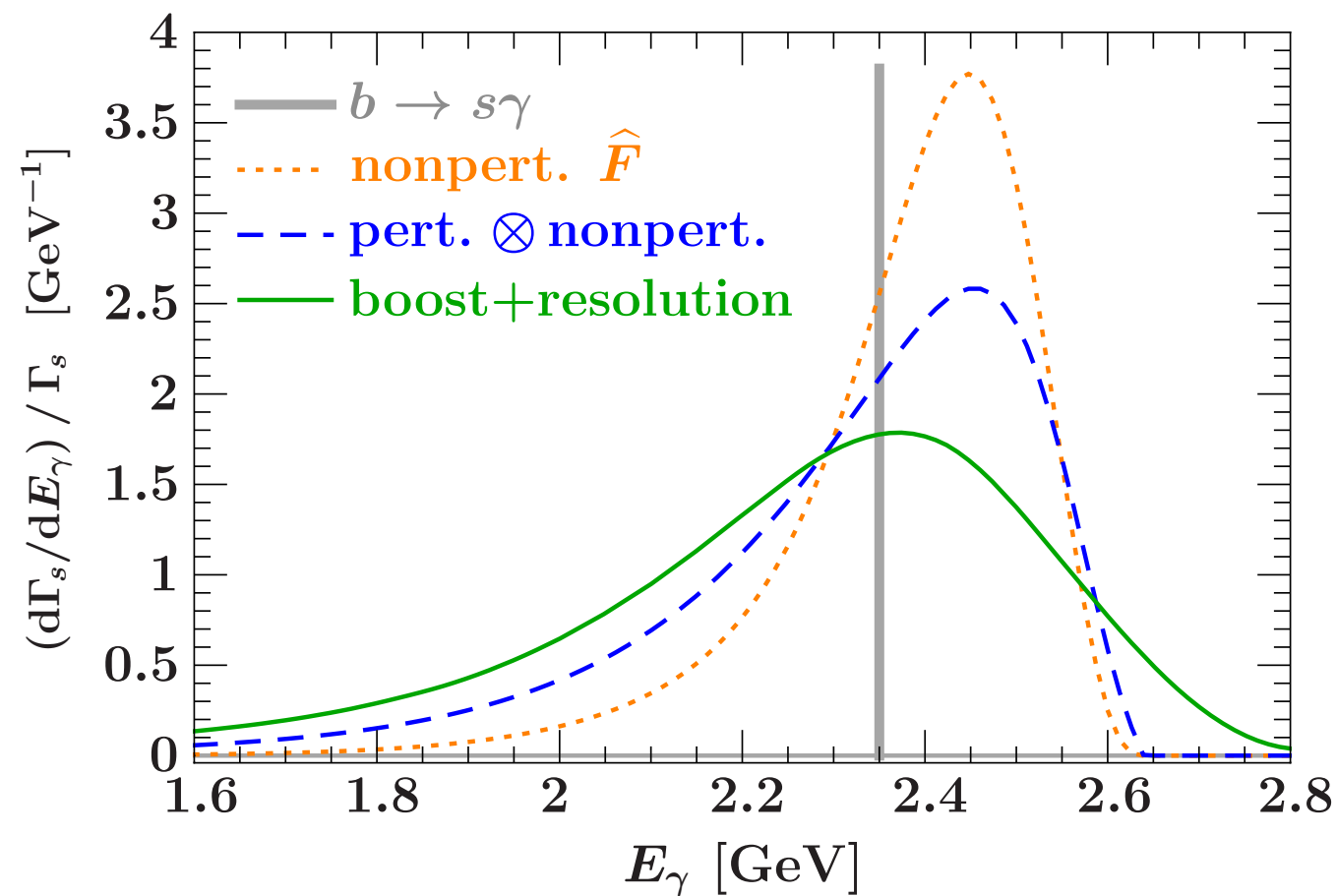
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Constraining the Shape-Function



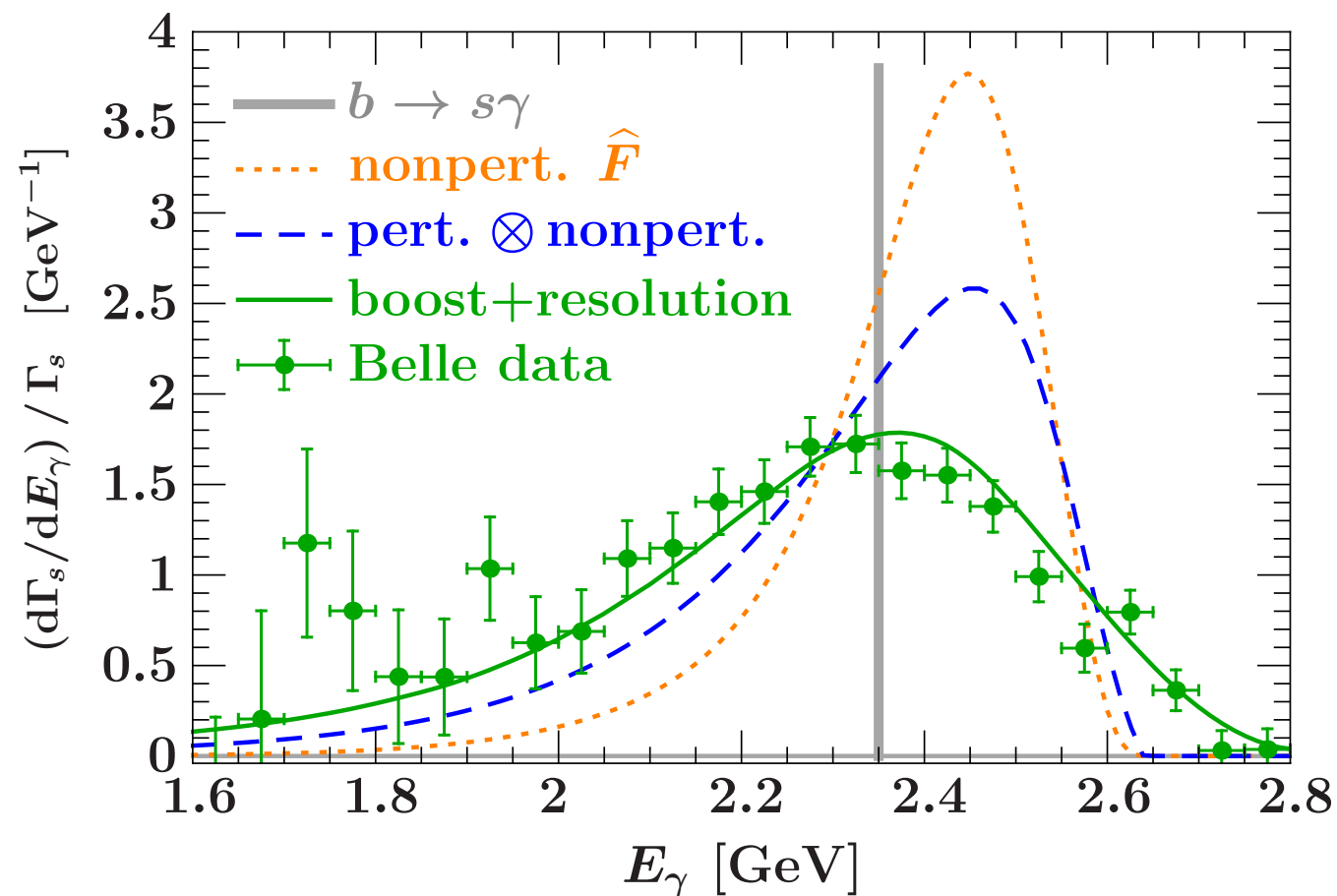
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- Y(4S) boost and experimental resolution further smear things out

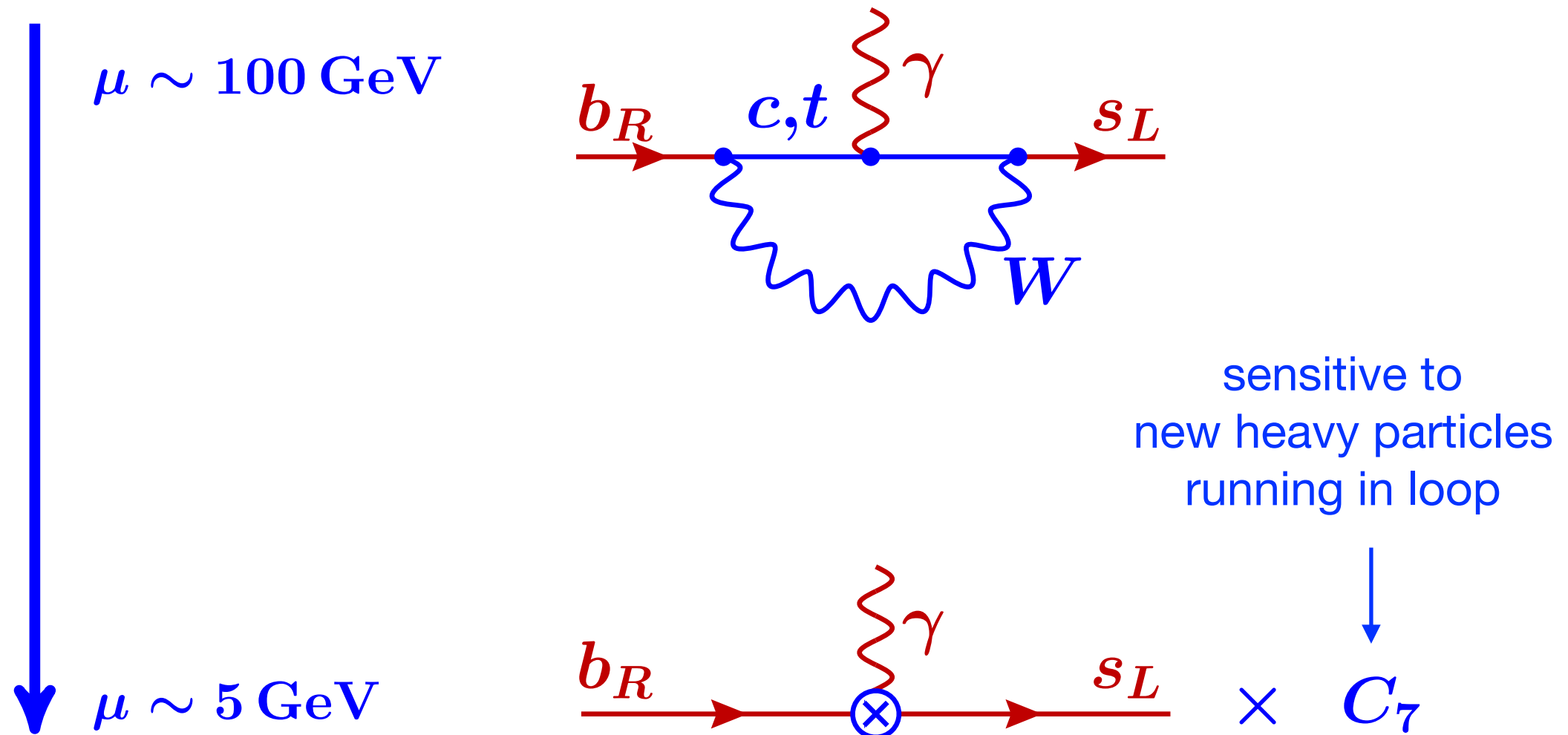
Constraining the Shape-Function



SIMBA: effort to determine nonpert. B distribution

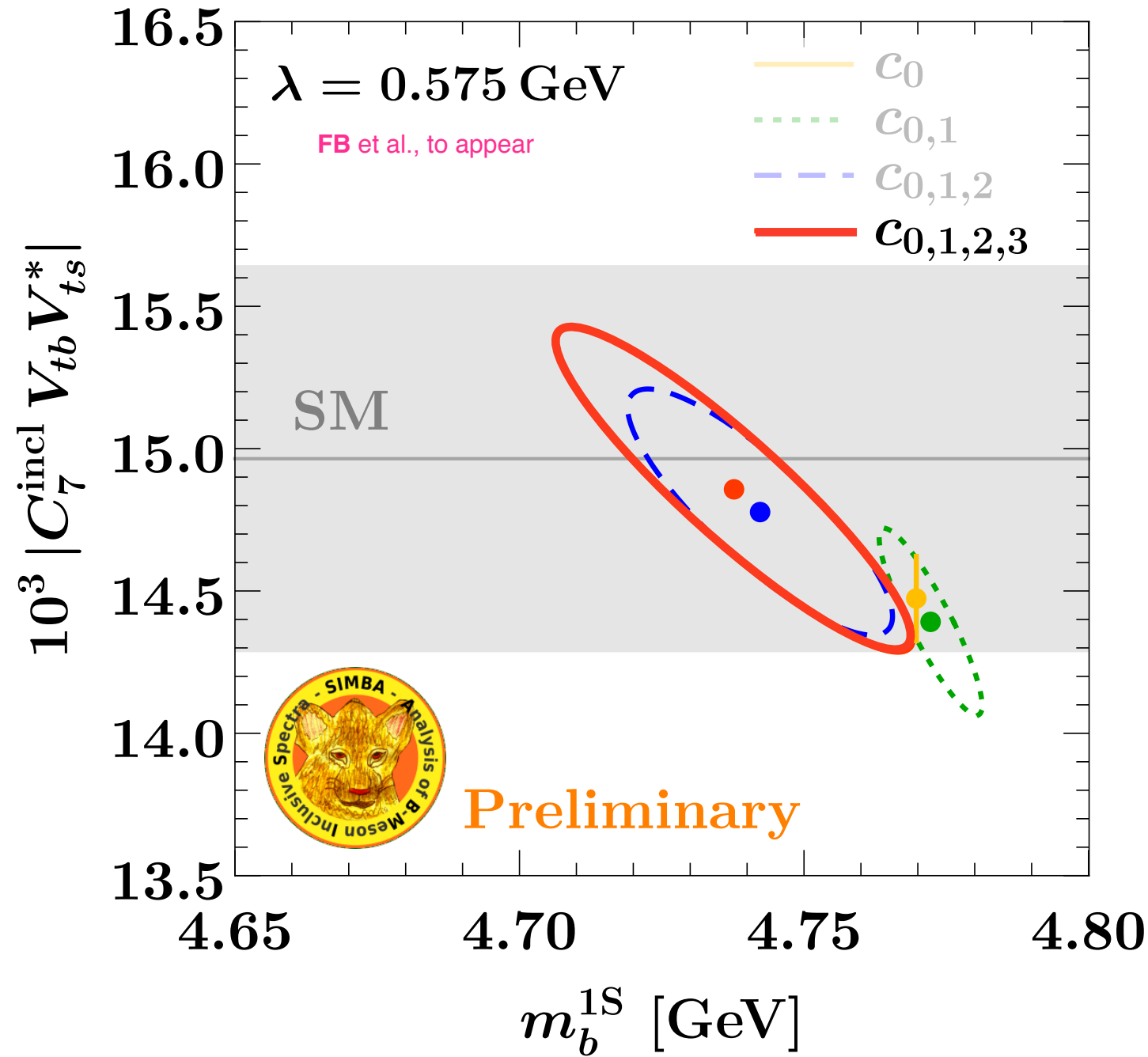
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Effective Field Theories (EFTs) and New Physics



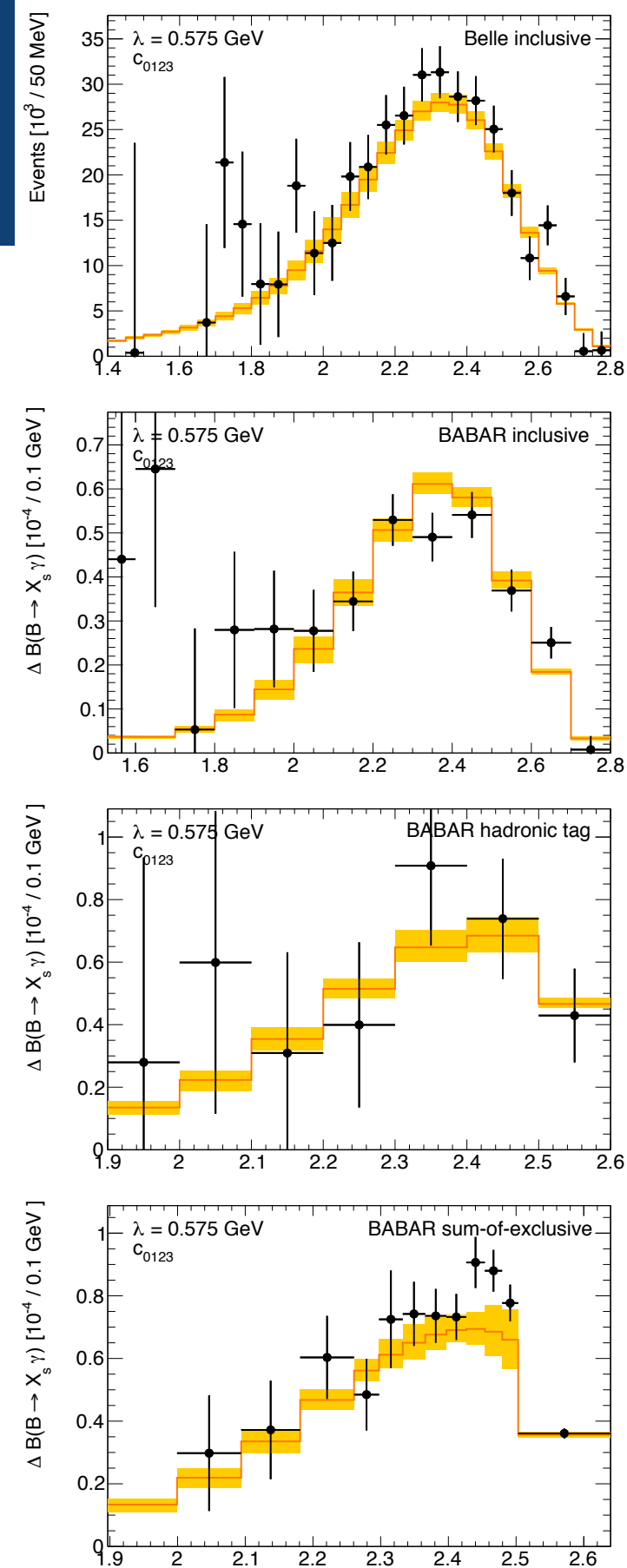
The poster child of EFT-based indirect searches for new physics

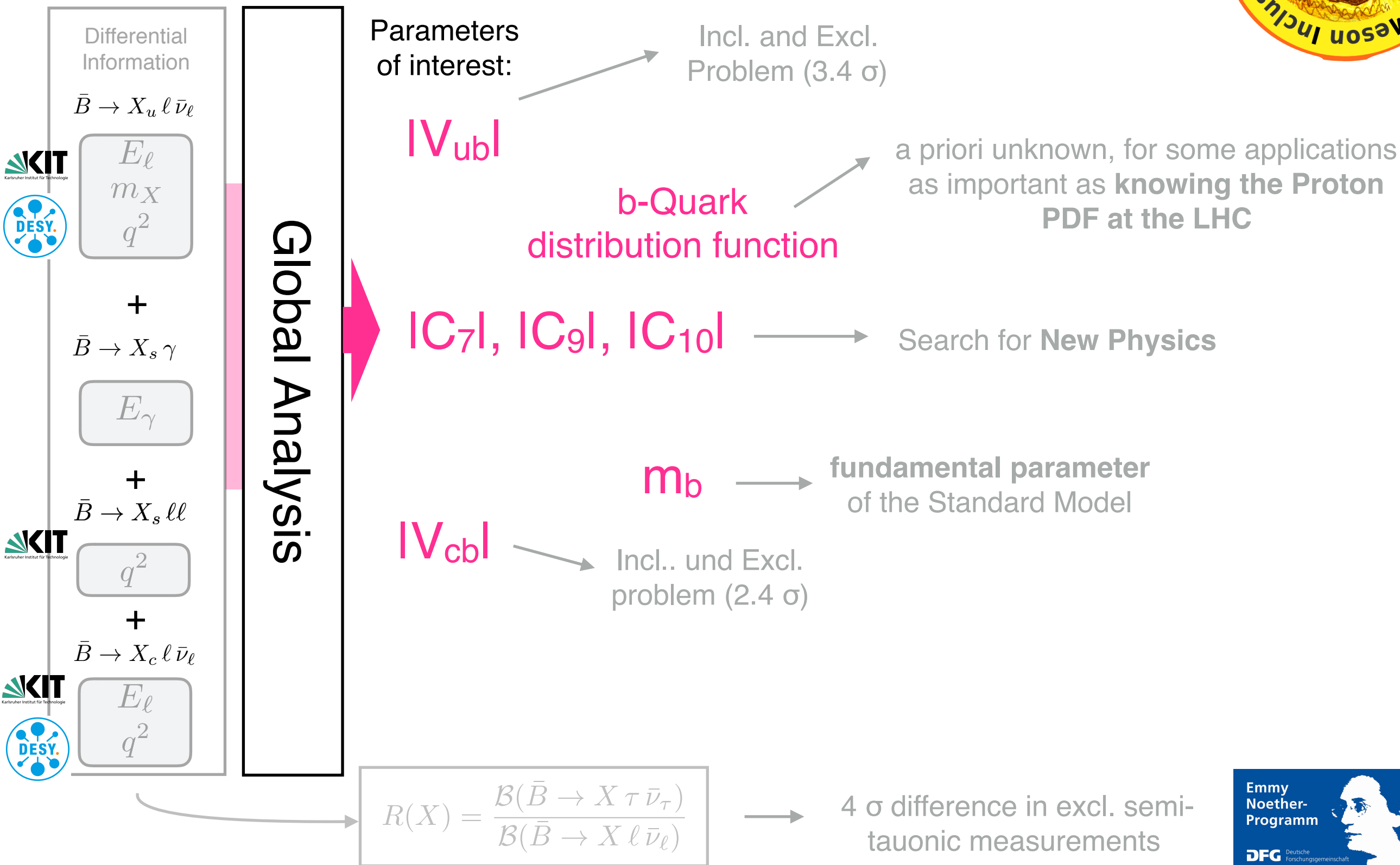
SIMBA result for $|C_7|$ and m_b

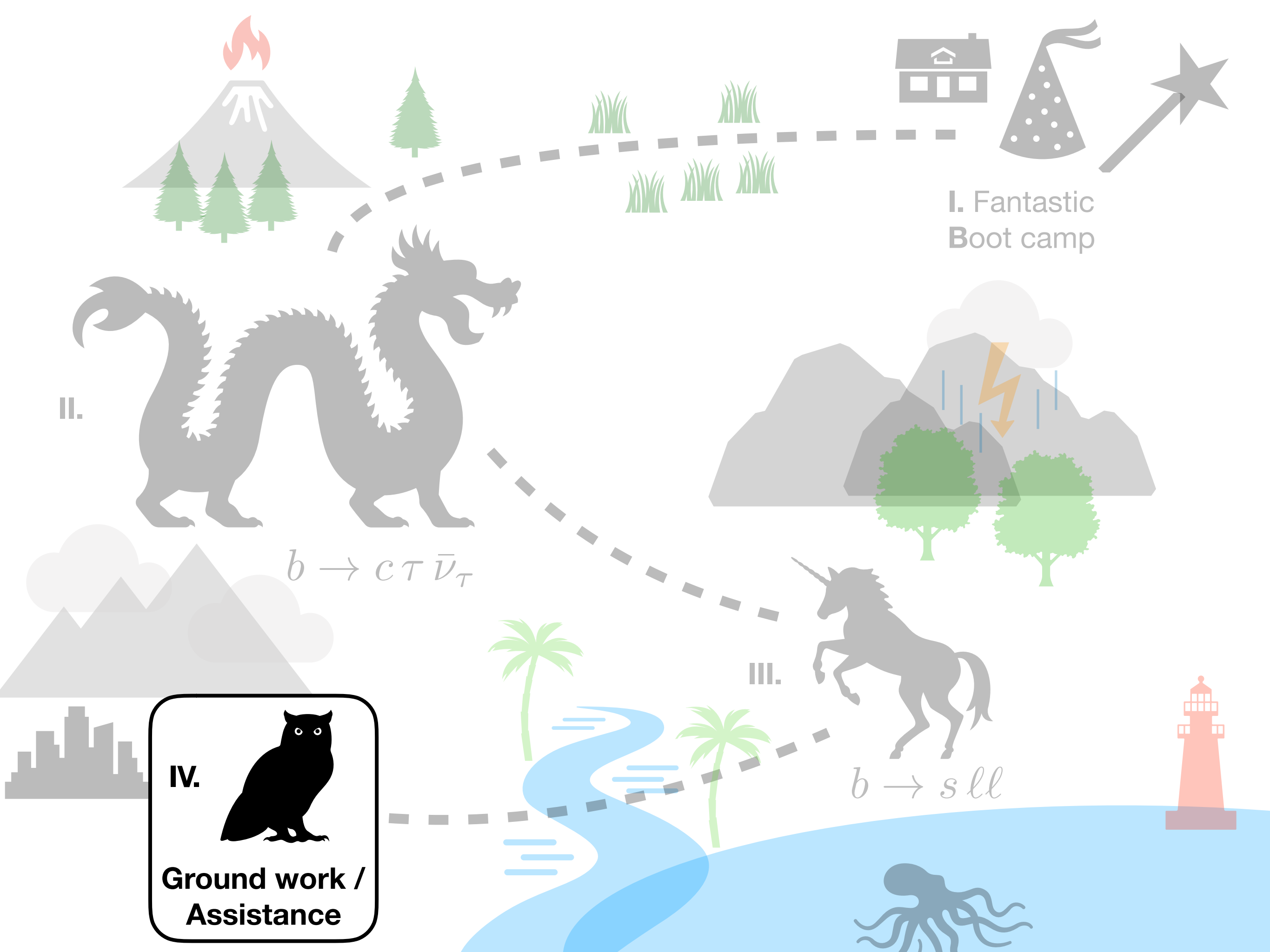


shape function encodes details
of b-quark mass

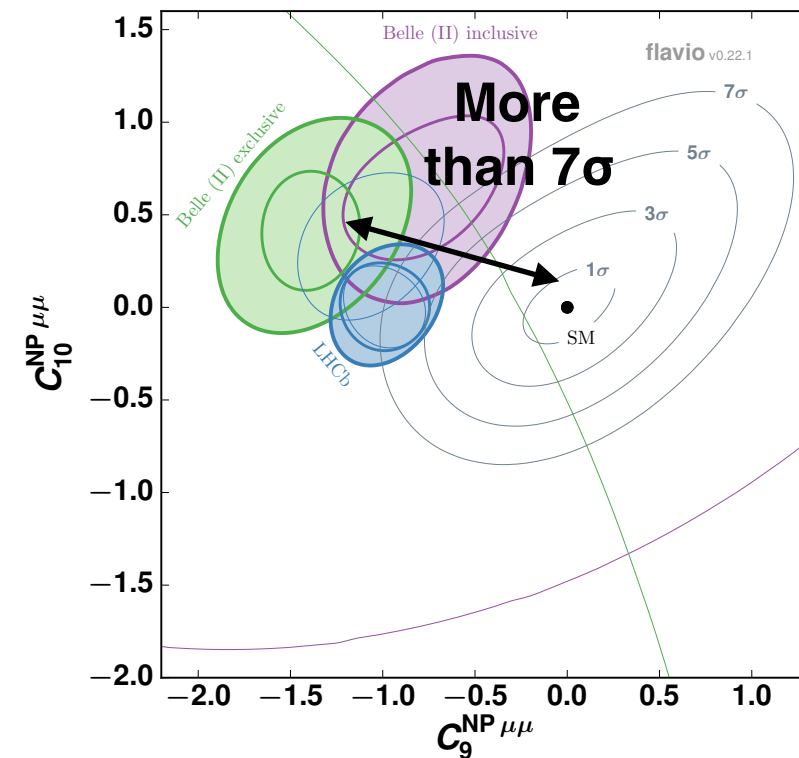
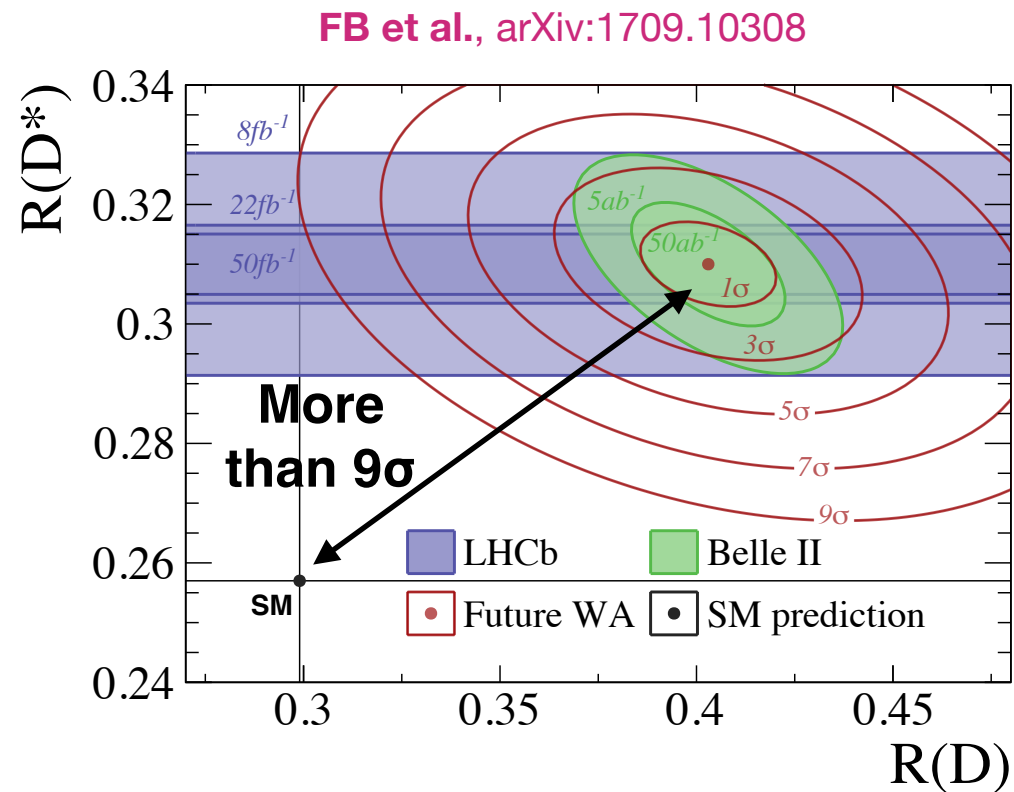
Branching fraction or # of Events







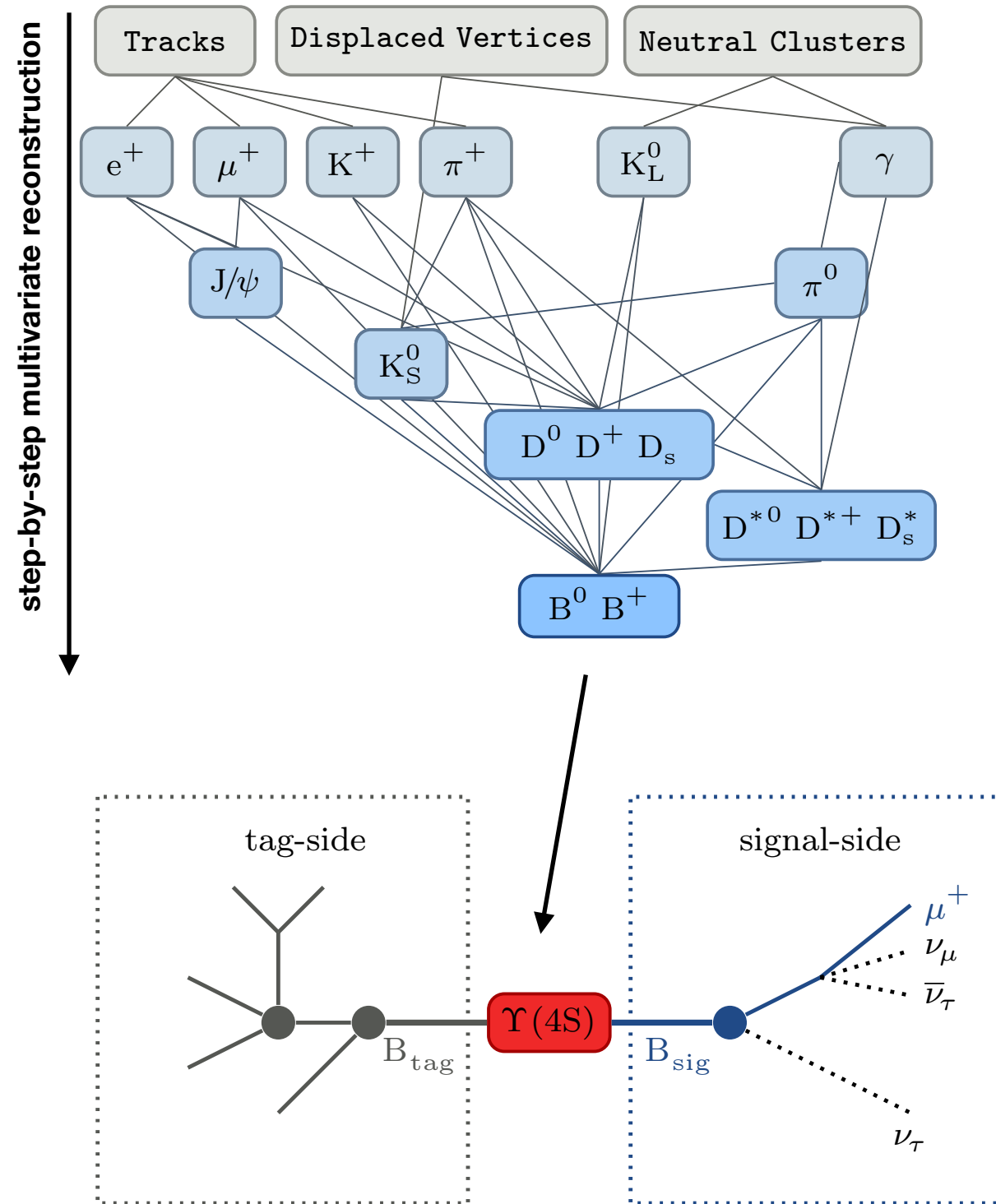
There is much to do!



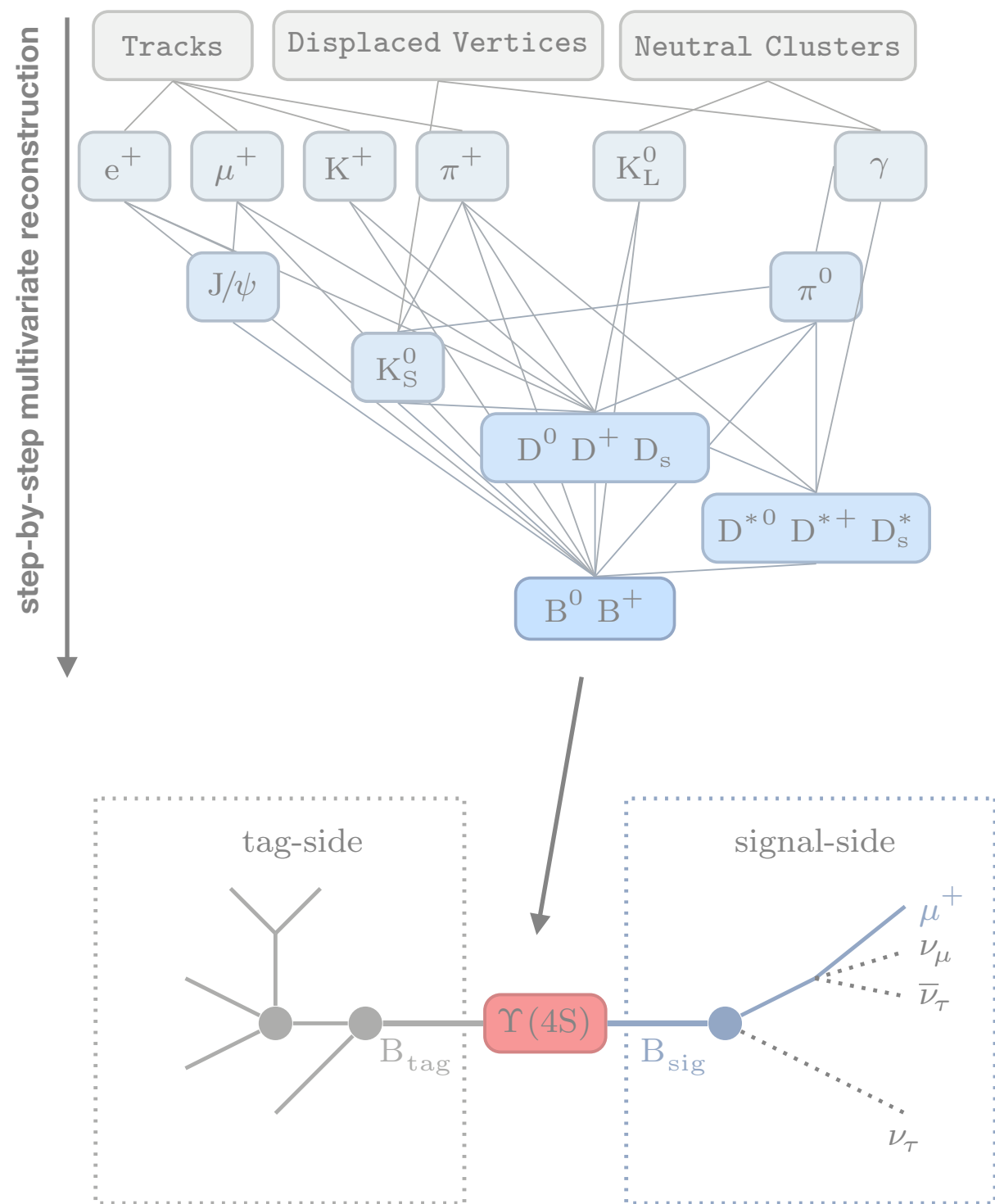
- Without necessary ground work,
no physics:
 - Show you one example central to missing energy analyses: **Full Event Interpretation**



Full Event Interpretation or FEI



Full Event Interpretation or FEI

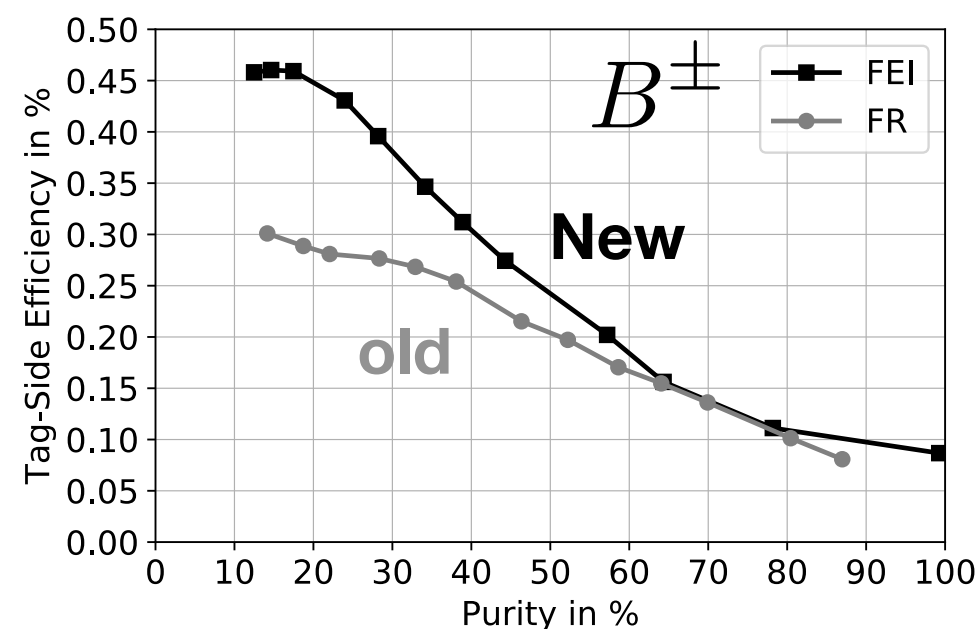


Novel multivariate algorithm for tagging:

Thomas Keck, ..., FB, ... arXiv:1807.08680
submitted to Computing and Software for Big Science

	FEI		old algorithms	
	$B^\pm$	B^0	$B^\pm$	B^0
Hadronic				
FEI with FR channels	0.53 %	0.33 %	FR	0.28 %
FEI	0.76 %	0.46 %	SER	0.4 %
Semileptonic				
FEI	1.80 %	2.04 %	FR	0.31 %
			SER	0.3 %

► Significant improvement of performance



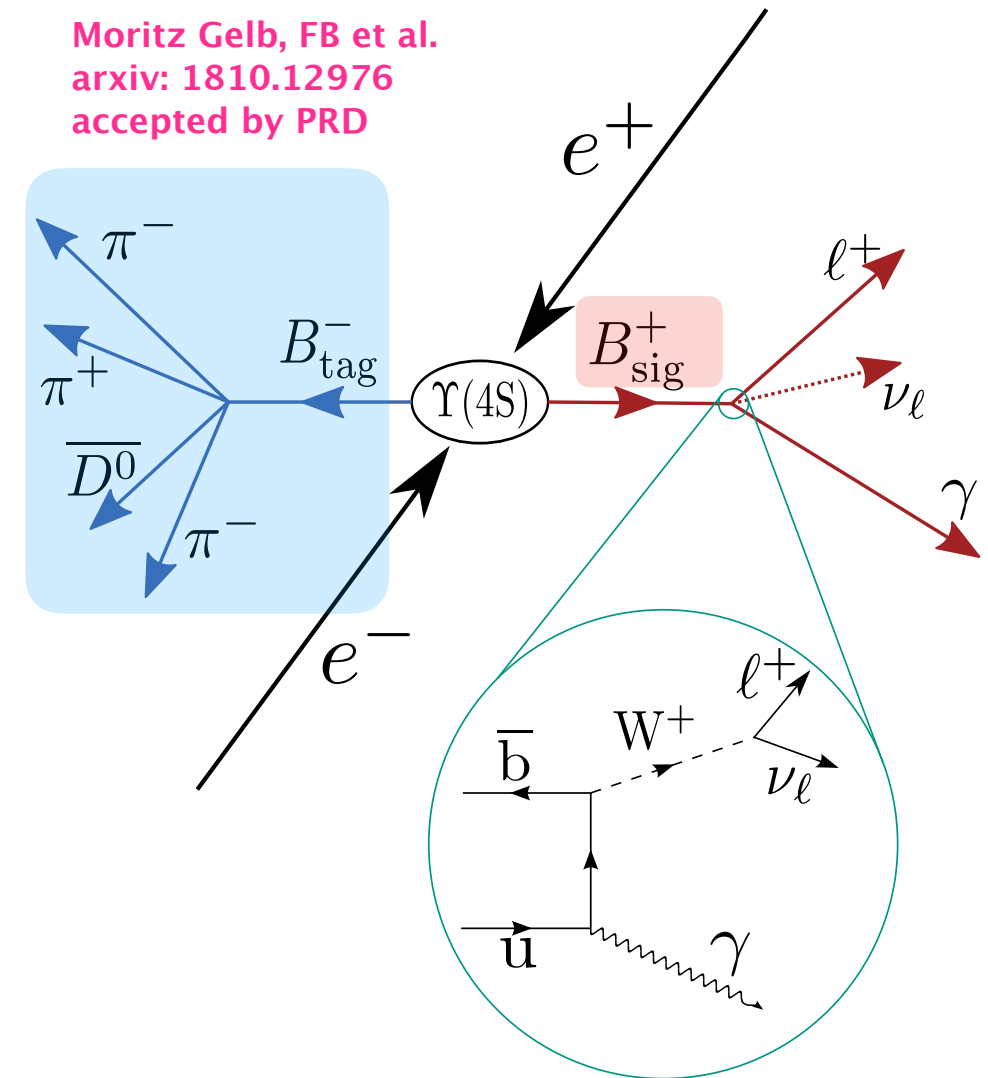
Validation using Belle data

- Search for rare decay of $B^+ \rightarrow \ell^+ \bar{\nu}_\ell \gamma$
 - Belle data offers **ideal testing** ground to validate the FEI $\longleftrightarrow$ **3 times higher eff.**
 - **Calibrated tagging efficiency** using $B \rightarrow D \ell \bar{\nu}_\ell$ decays
 - Measure branching fraction of $\mathcal{B}(B^+ \rightarrow \pi^0 \ell^+ \nu_\ell)$

$$\mathcal{B}(B^+ \rightarrow \pi^0 \ell^+ \nu_\ell) = (7.9 \pm 0.6 \pm 0.6) \times 10^{-5},$$

↑
excellent agreement with world average

Moritz Gelb, FB et al.
arxiv: 1810.12976
accepted by PRD

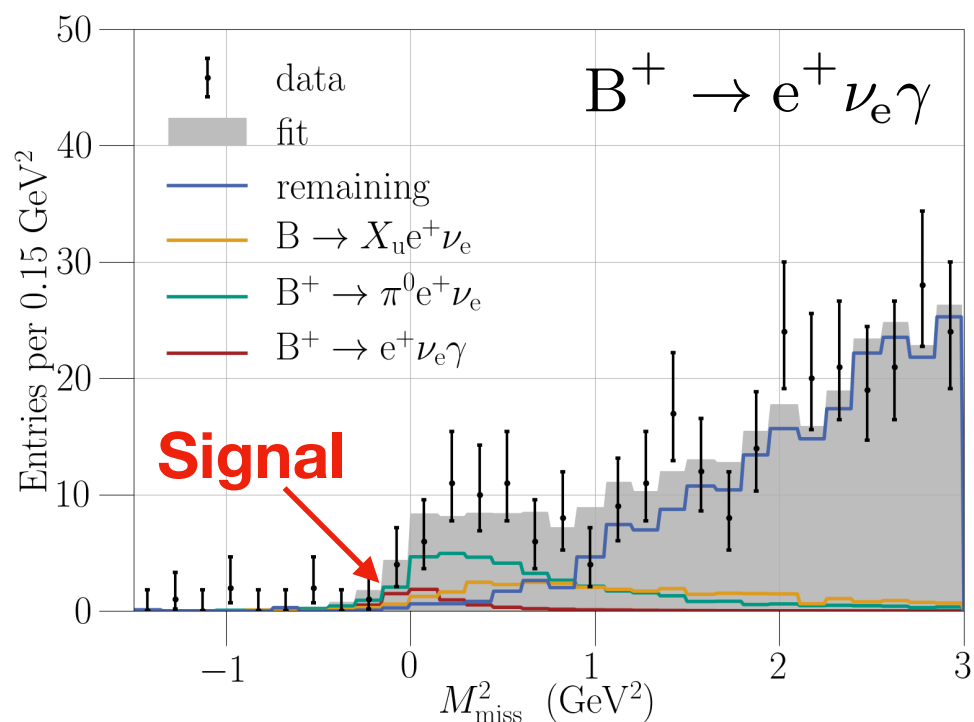


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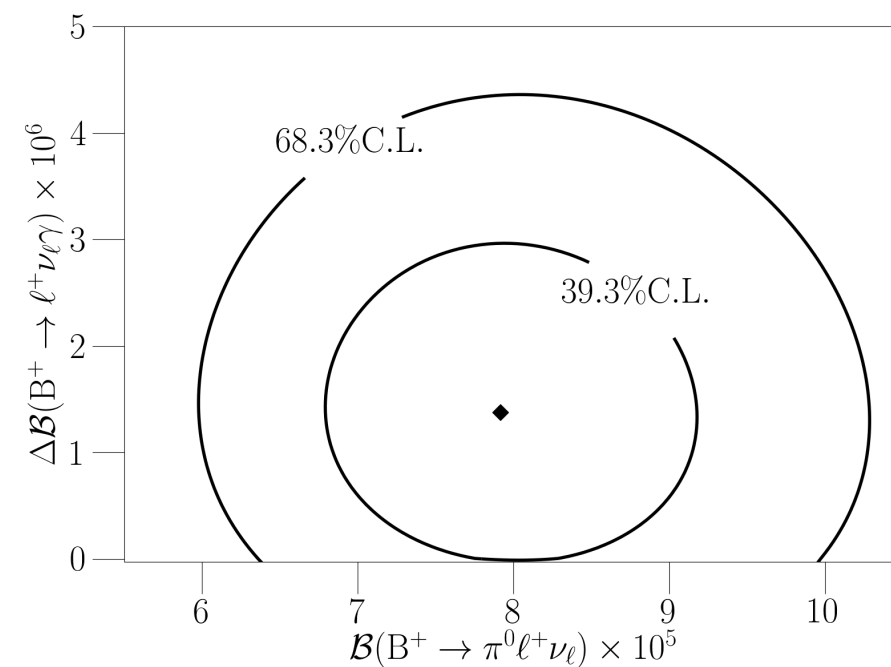
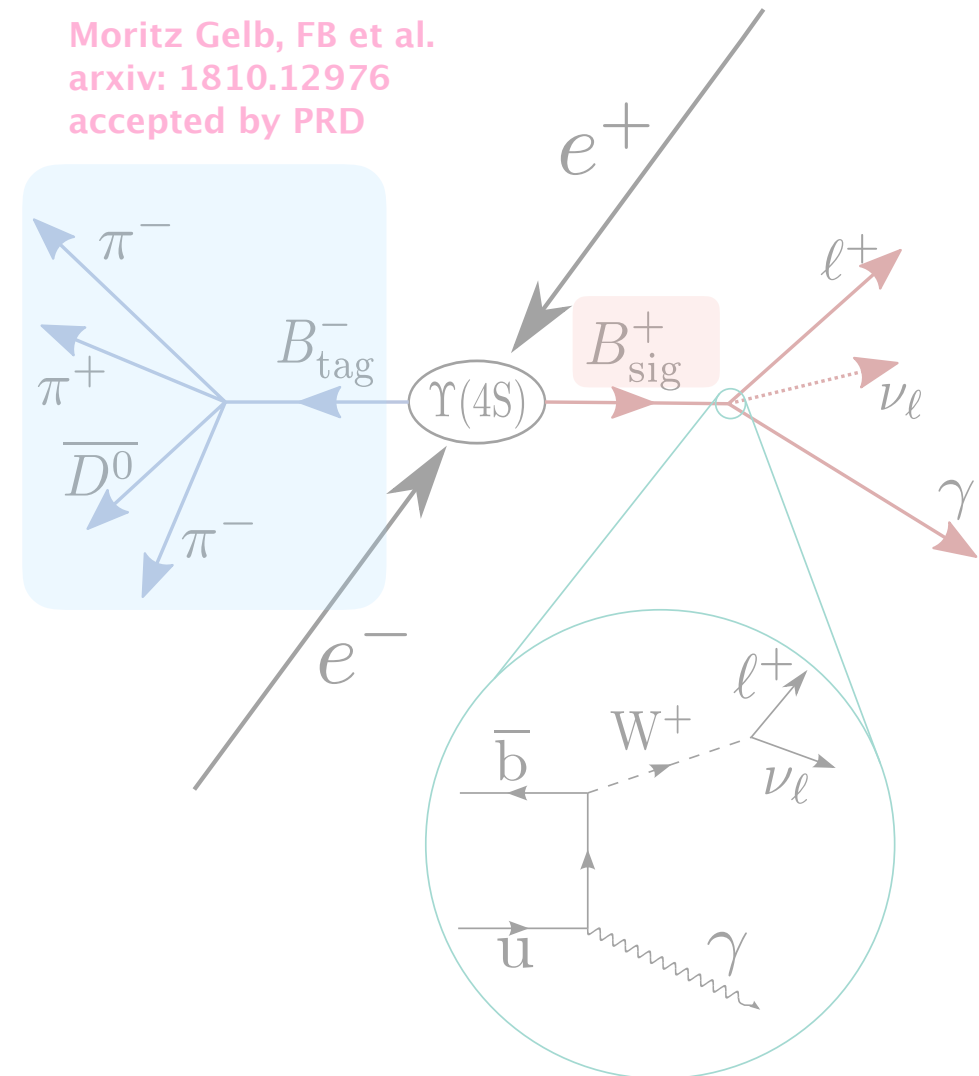
↑
excellent agreement with world average



$$\Delta \mathcal{B}(B^+ \rightarrow \ell^+ \nu_\ell \gamma) = (1.4 \pm 1.0 \pm 0.4) \times 10^{-6},$$

- **Upper limit:** $\Delta \mathcal{B}(B^+ \rightarrow \ell^+ \nu_\ell \gamma) < 3.0 \times 10^{-6}$ at 90% CL

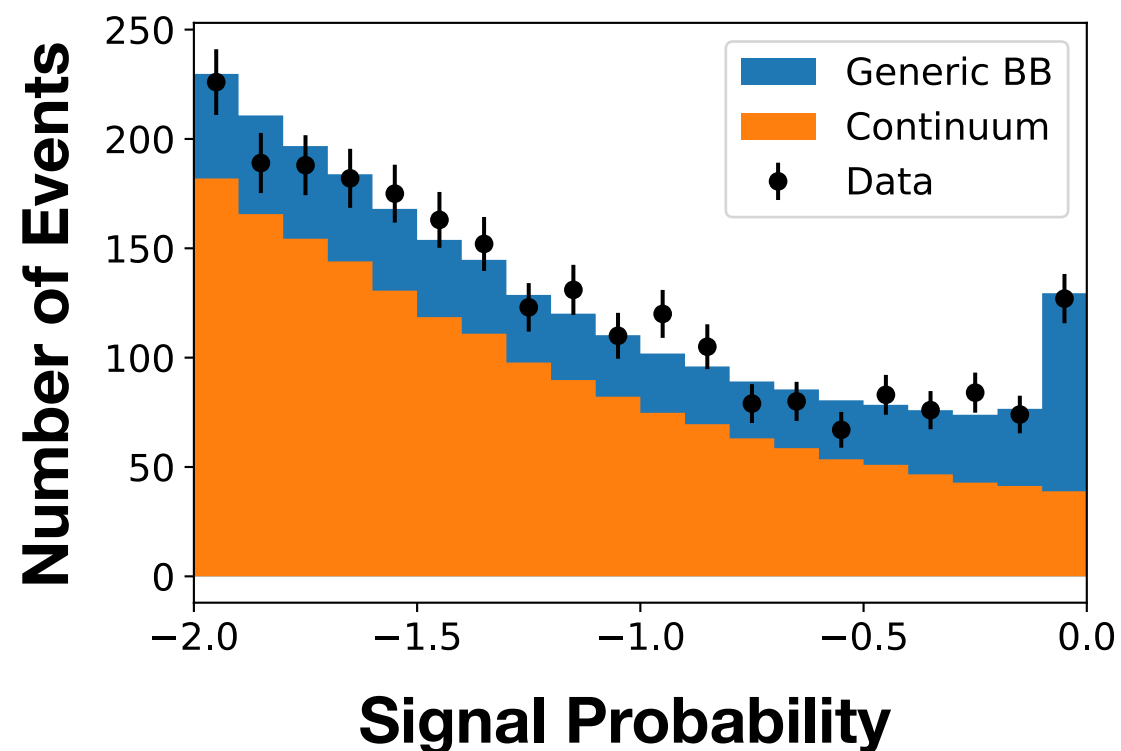
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Validation using Belle II data

William Sutcliffe, FB
shown at CKM 2018

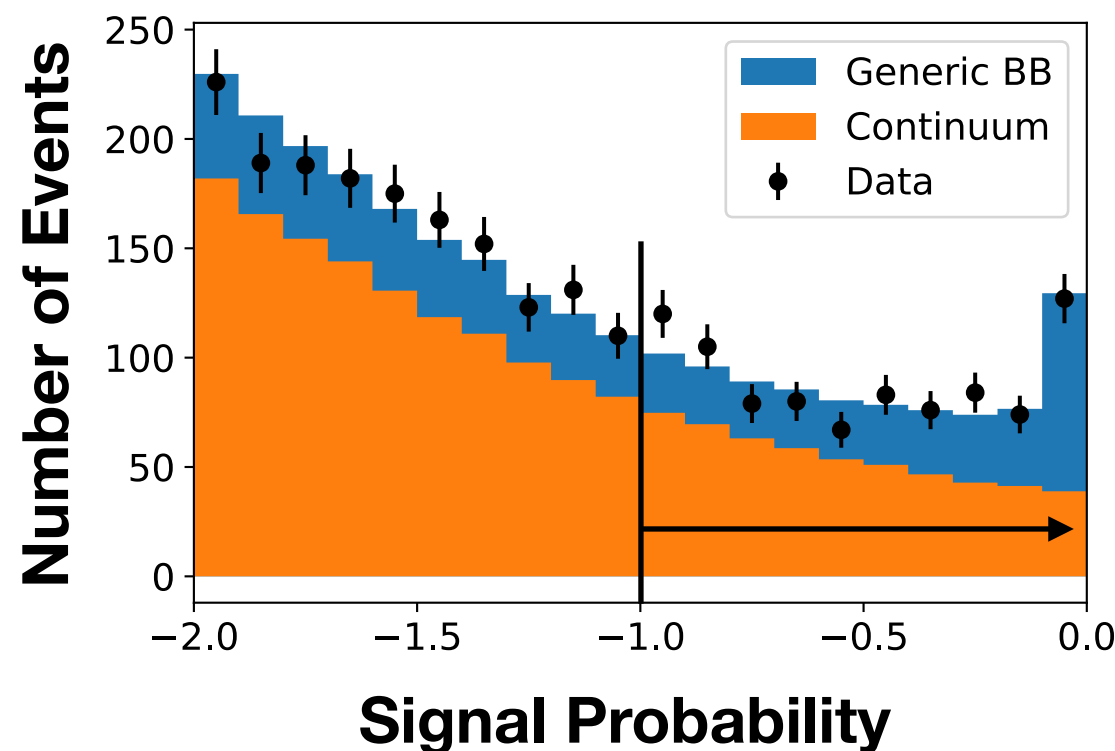
- Another great testing ground:
 - apply FEI to Belle II data and see if we can find some B mesons in hadronic modes!
- **Classifier output of 0.5/fb Phase II data**
 - After applying a shape fit to generic and continuum



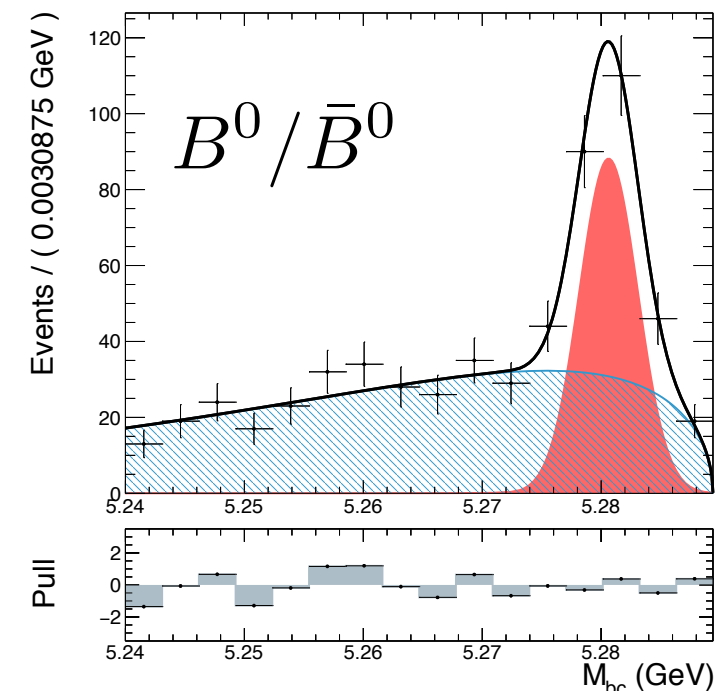
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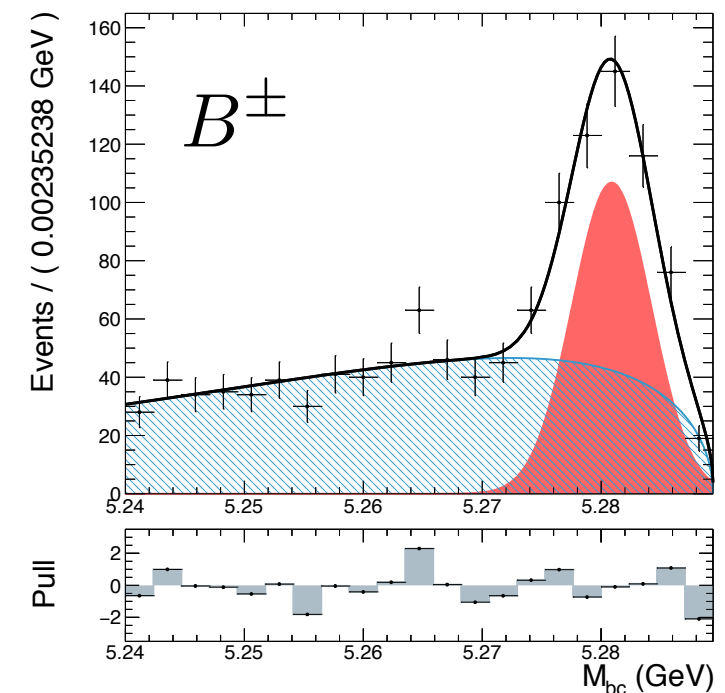
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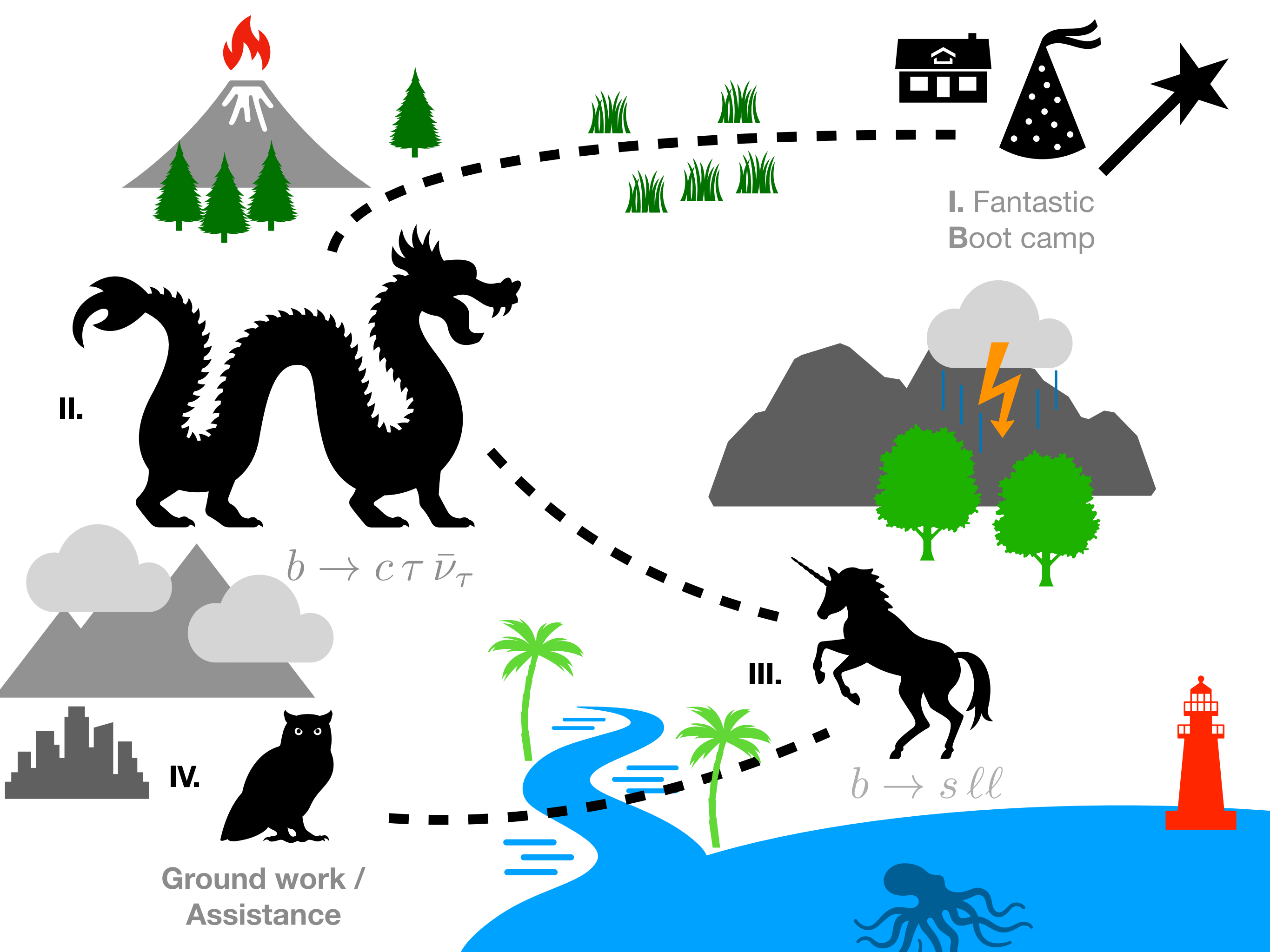
- Found **374 +/- 40** charged and **176 +/- 23** neutral B meson candidates from fitting $M_{bc} = \sqrt{s/4 - |\vec{p}_B|^2}$



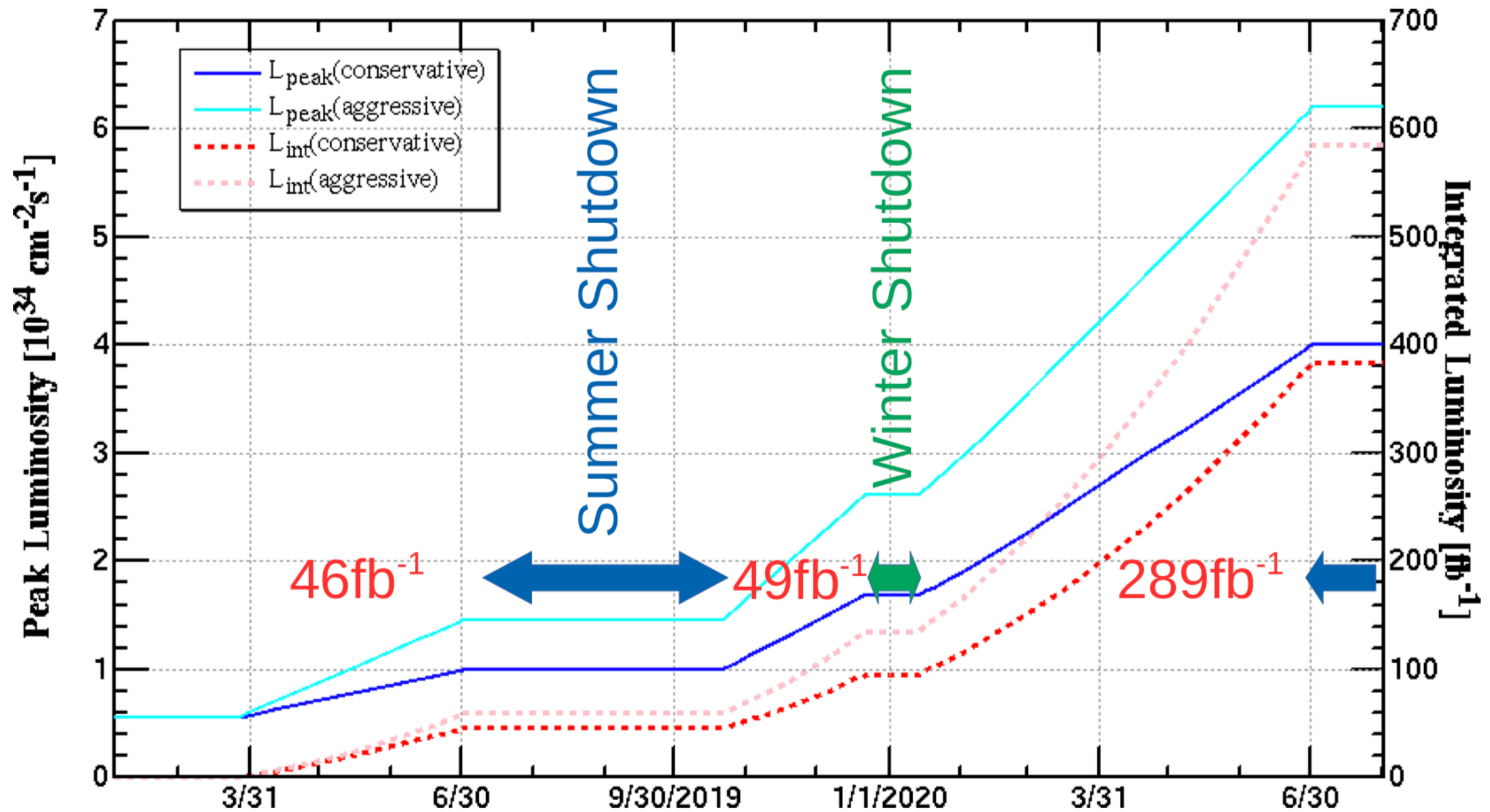
beam constrained B Meson mass



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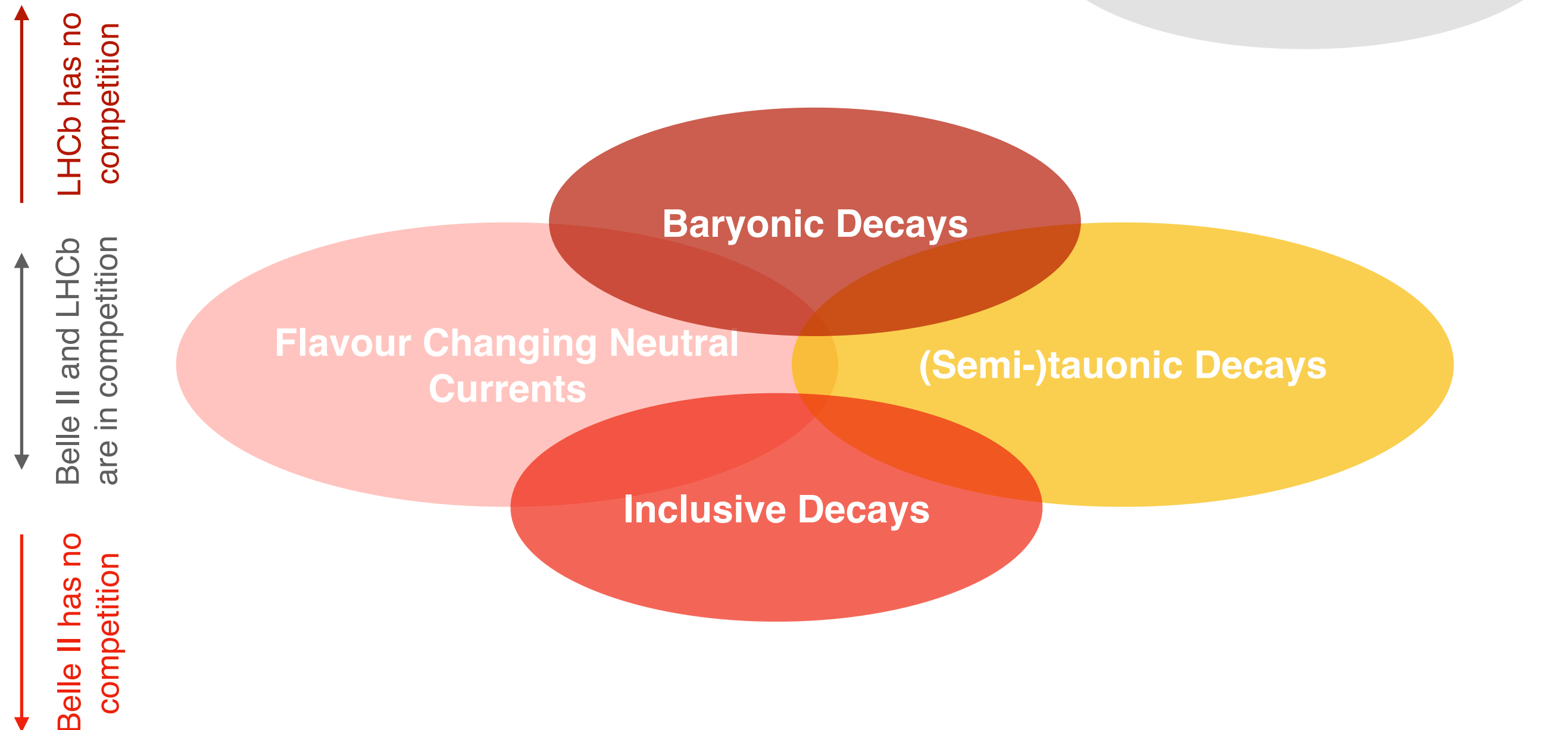


Belle II Plans 2019 and 2020: Phase III ramp-up





The next years will be exciting!



Summary :

Belle II will study **many fantastic Bs** and I hope I could show you where and how we will find them!

Belle II won't operate alone: **LHCb** will be a formidable partner or opponent ;-)

Both experiments have unique strengths and weaknesses:

++ **LHCb** very rare decays with **visible final states**

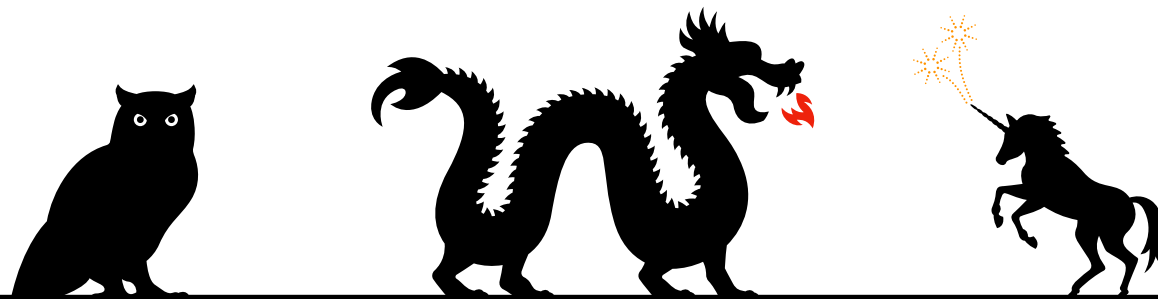
++ **LHCb** large sample of **Baryons with b-quarks** and **B_s mesons**

++ **Belle II** better detector for final states with **missing energy (hermetic design)**

++ **Belle II** complementary measurements using **inclusive decays**

Preparatory work crucial; without it no competitive measurements!

Next year and the years to come will be exciting!

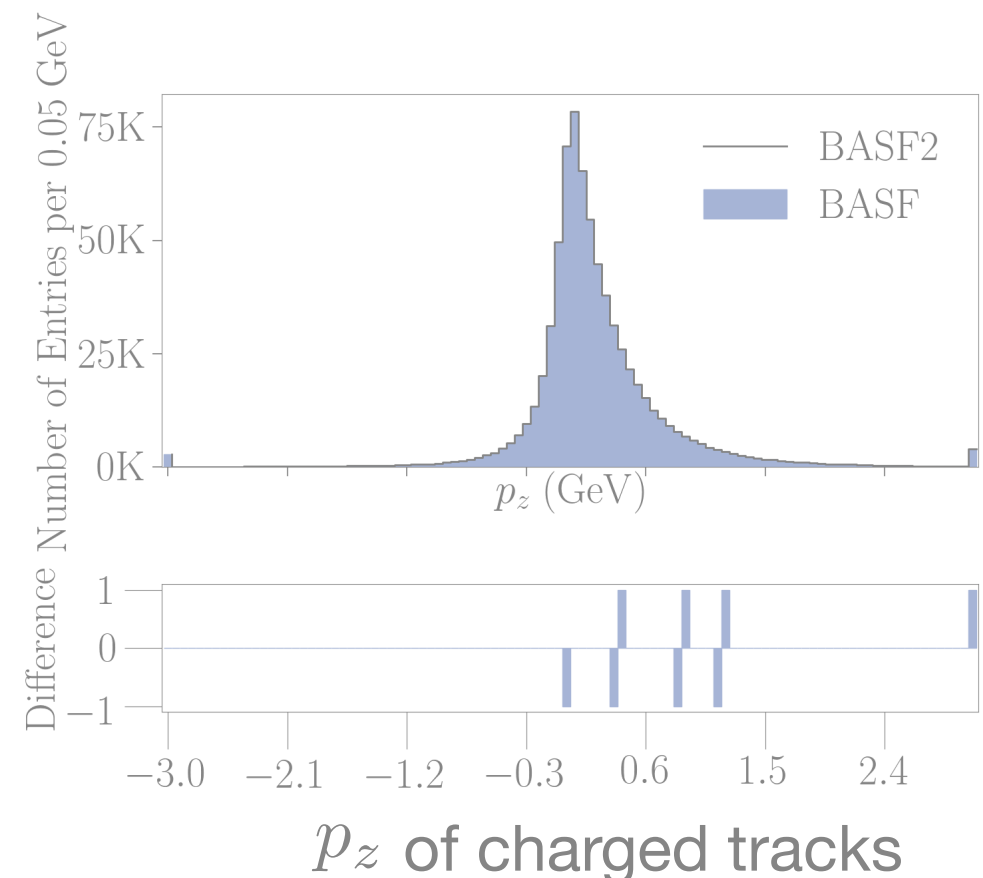
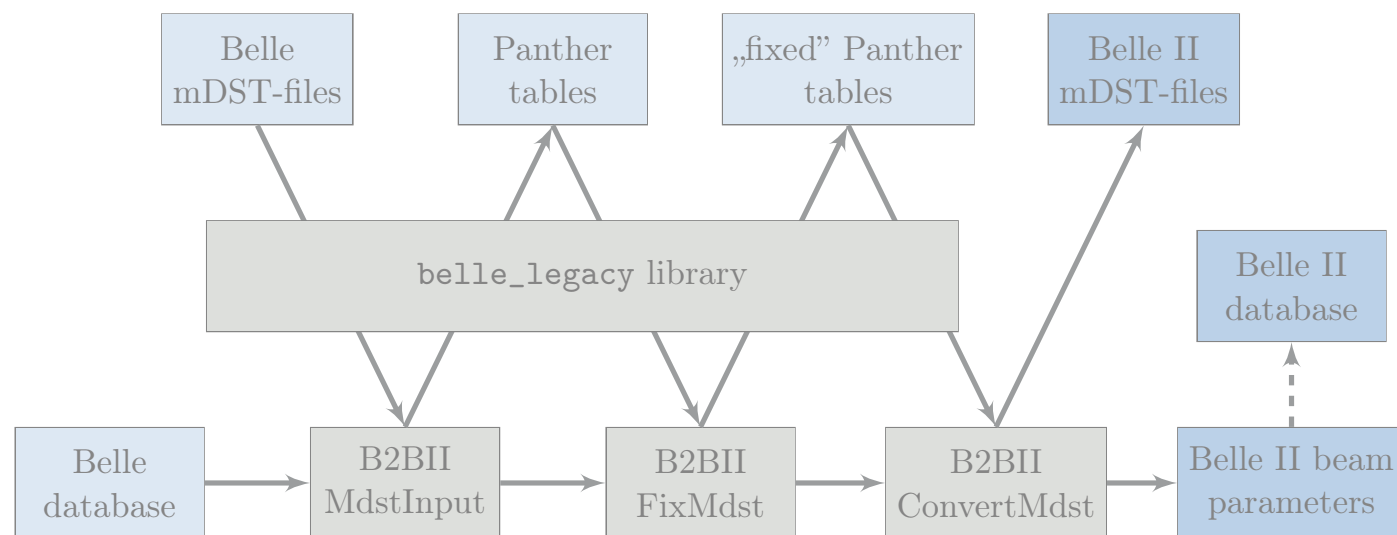


More Information

Practice makes perfect: B2BII

- Imagine you build a new experiment, but you have plenty of similar data lying around from a previous run.
 - But computing system completely changed; but old data invaluable tool to train PhD students and Postdoc
- B2BII: Belle to Belle II conversions made easy
 - Converts Belle files into Belle II format

Conversion flow

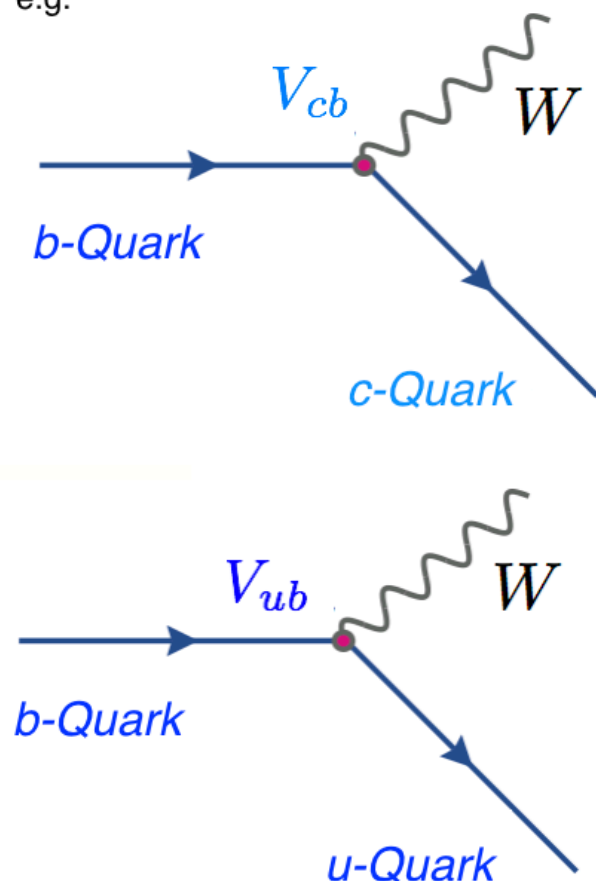


Weak decays and the CKM-Matrix

- Interaction eigenstates $\neq$ mass eigenstates
 - Direct consequence of massive quarks in the SM

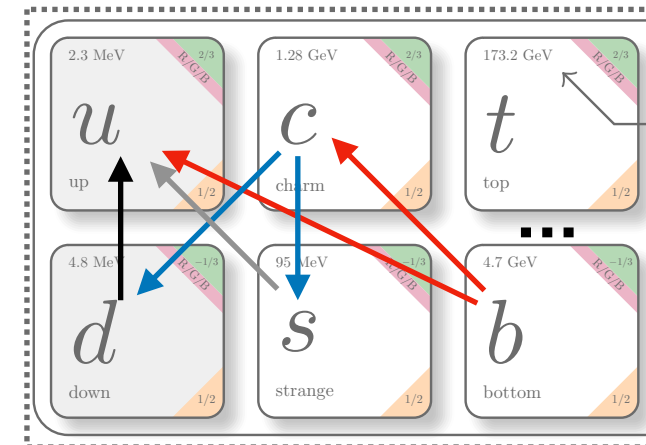
$$\mathcal{L}_{W^\pm \text{ quark int.}} = \frac{g_2}{\sqrt{2}} W_\mu^\pm \bar{u}'_L \gamma^\mu V_{\text{CKM}} d'_L + \text{h.c.},$$

e.g.



$$\begin{matrix} & d & s & b \\ \begin{matrix} u \\ c \\ t \end{matrix} & \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \end{matrix}$$

Completely determined through **4 parameters**
(3 mixing angles and 1 CP-violating phase)



CKM Matrix
SM: unitarity 3x3 matrix



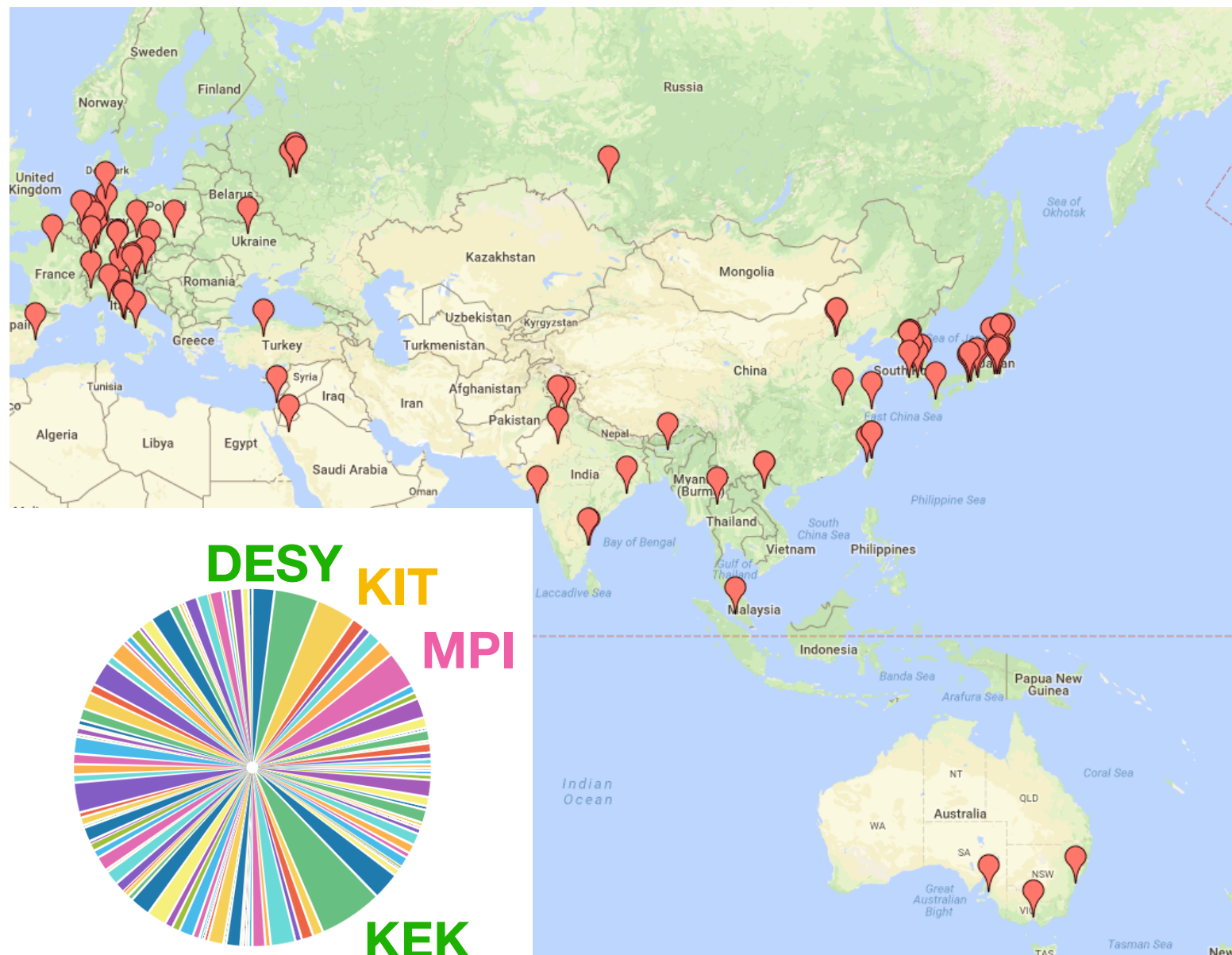
Cabibbo Kobayashi Maskawa

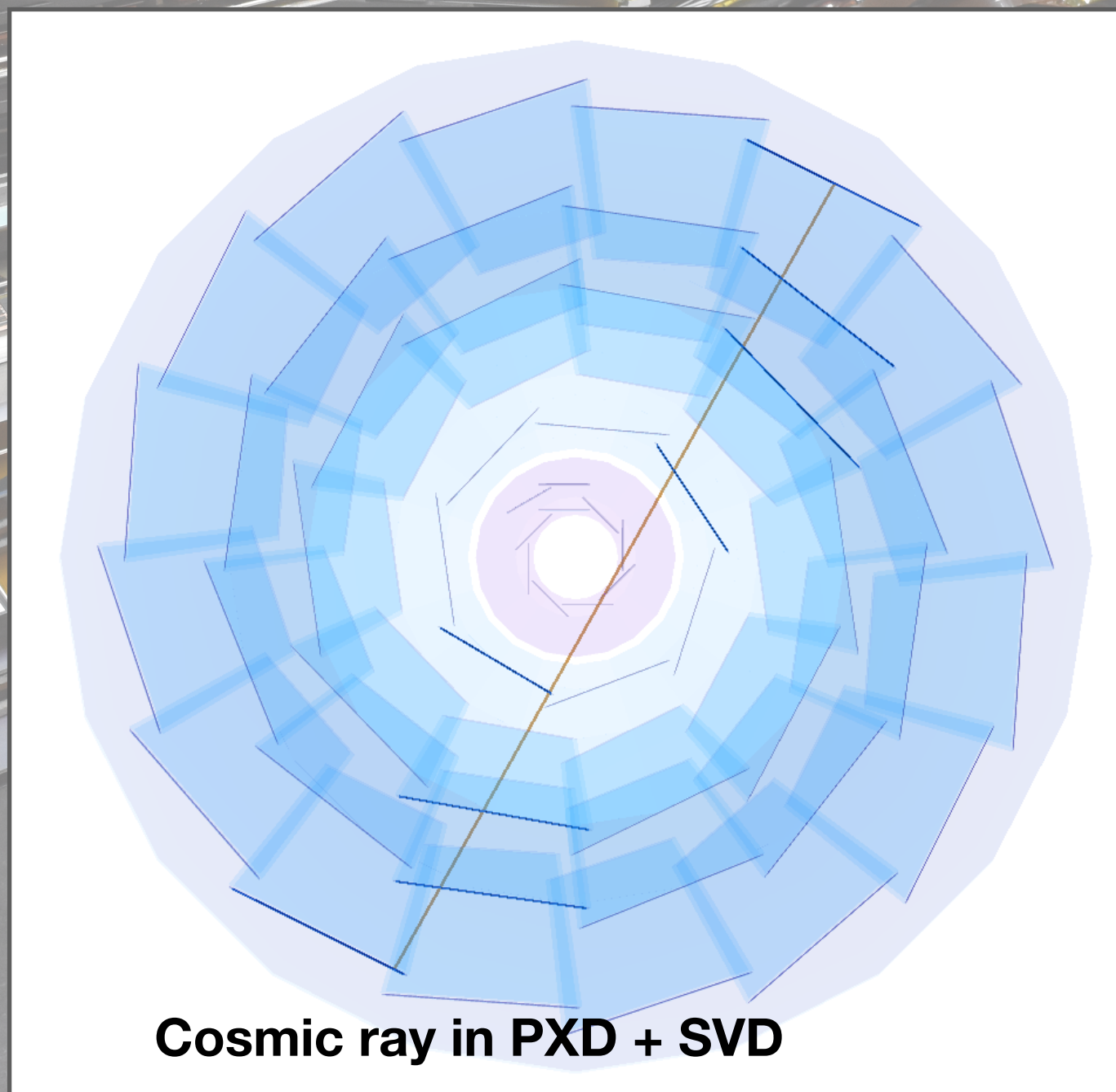
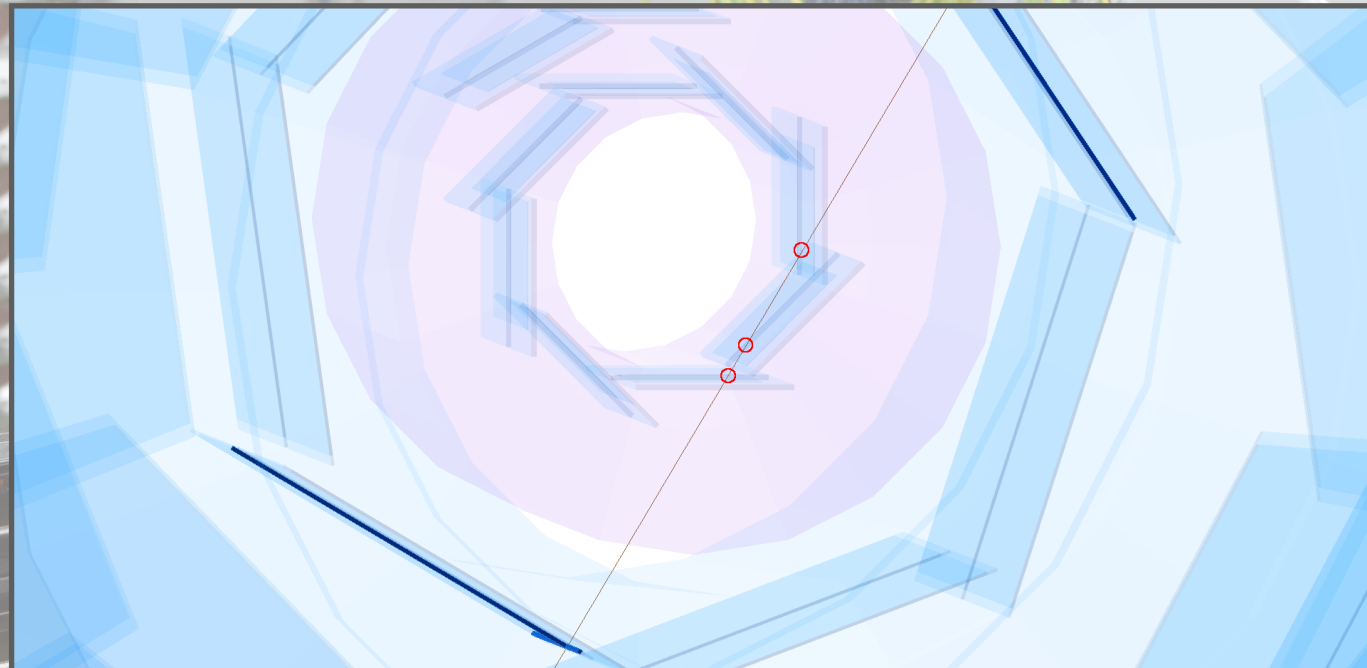
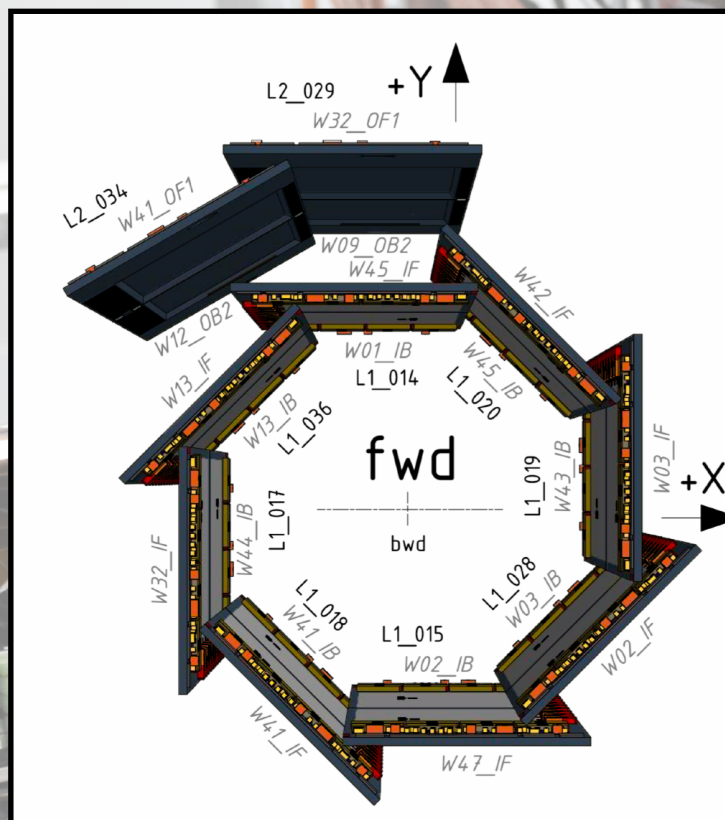


A next-generation Super-B-Factory in the making

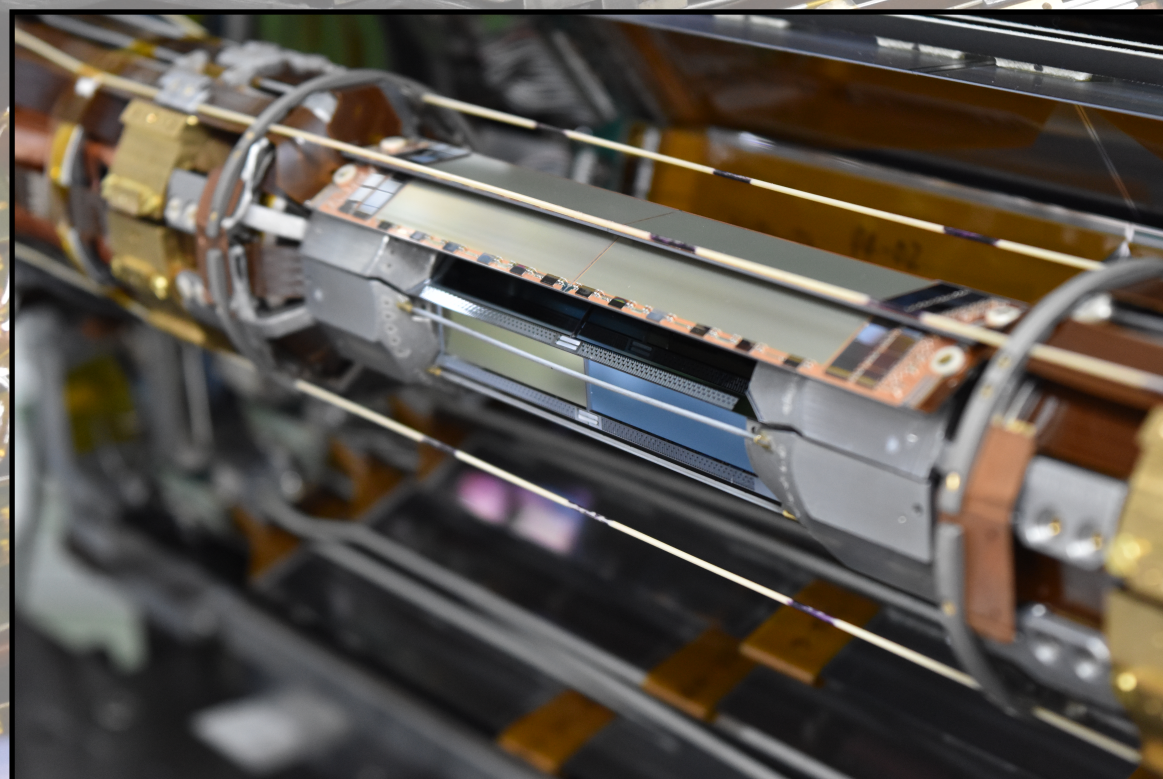


850 Physicists
109 Institutes
25 countries





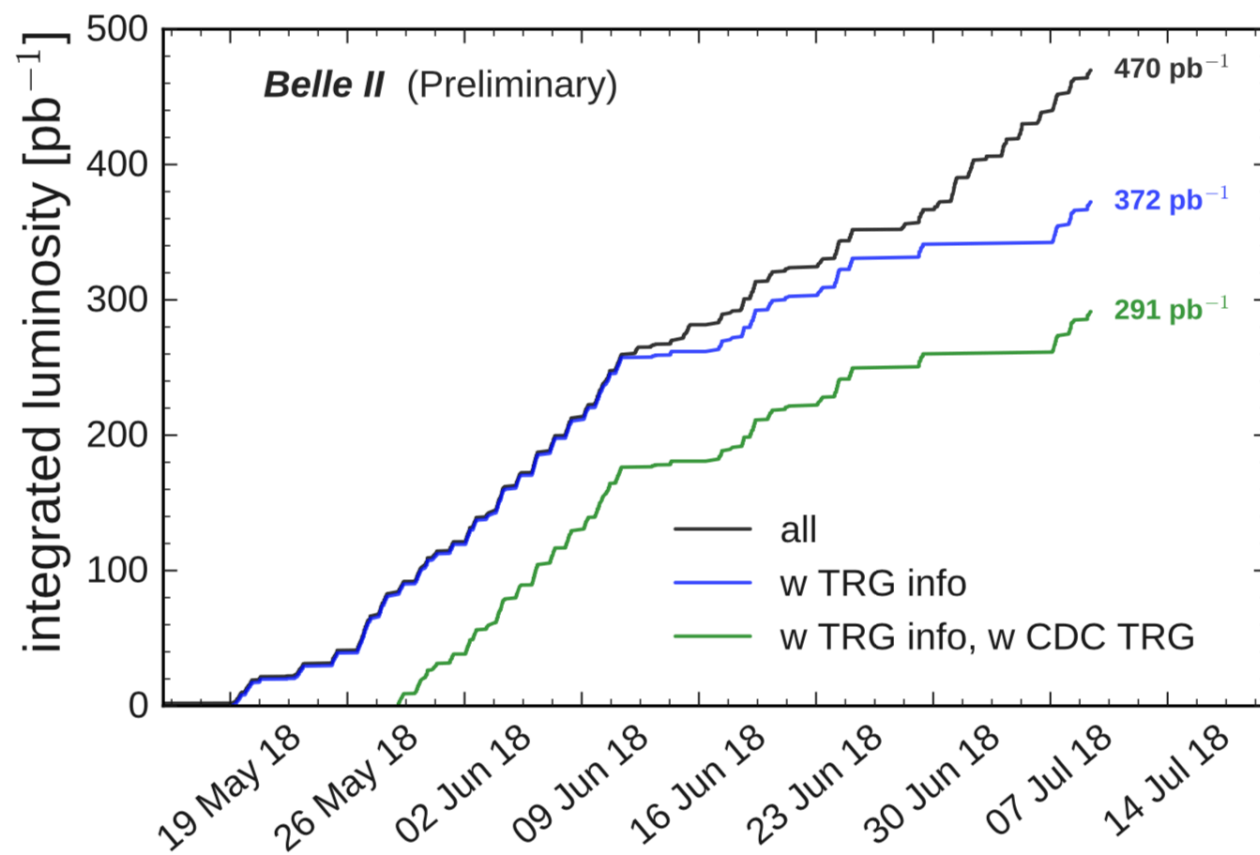
Cosmic ray in PXD + SVD



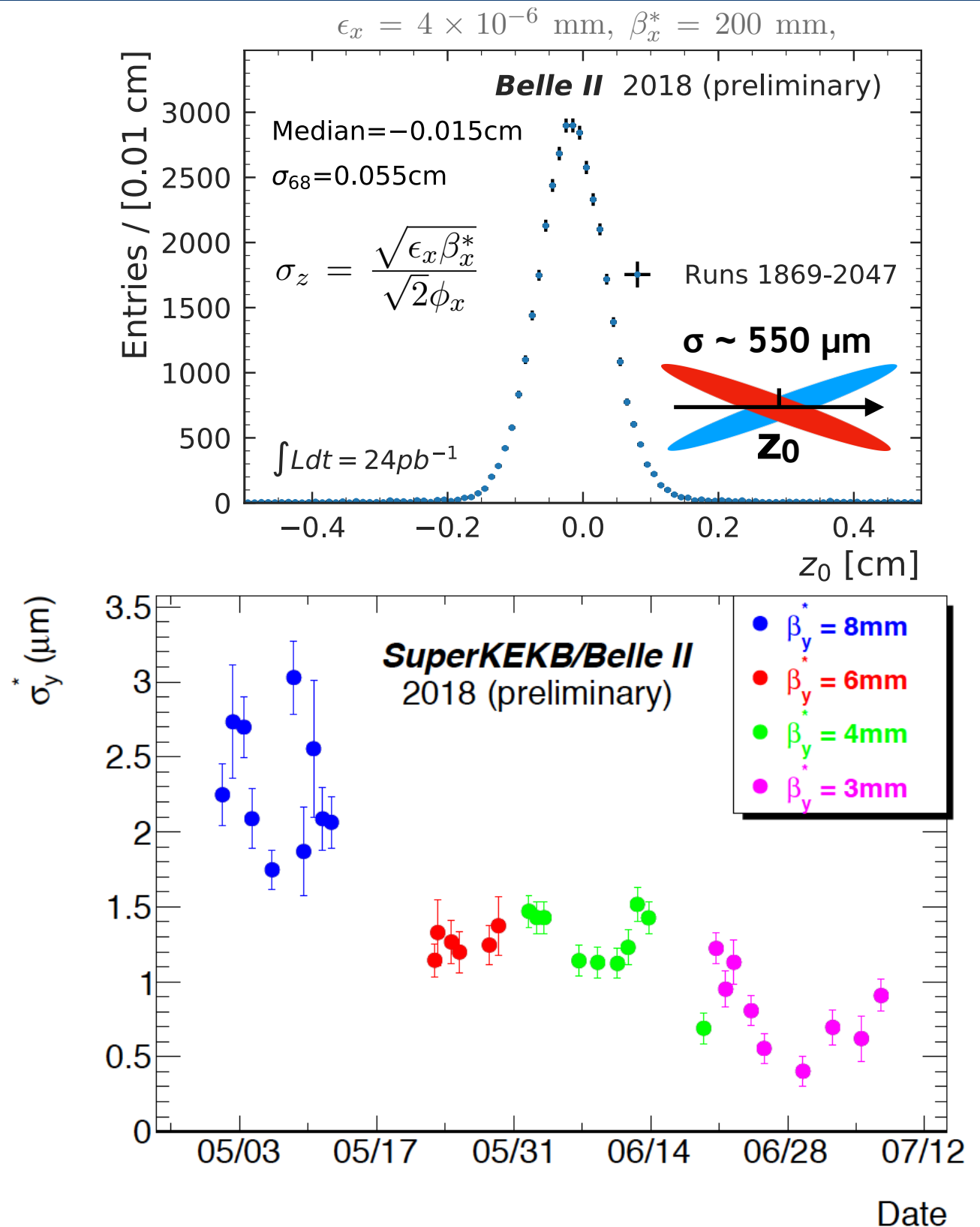
Phase II Luminosity

Goals of Phase II:

- **Verification of nano-beam scheme**
- **Achieve inst. Luminosity of $O(10^{34} \text{ cm}^{-2}\text{s}^{-1})$**

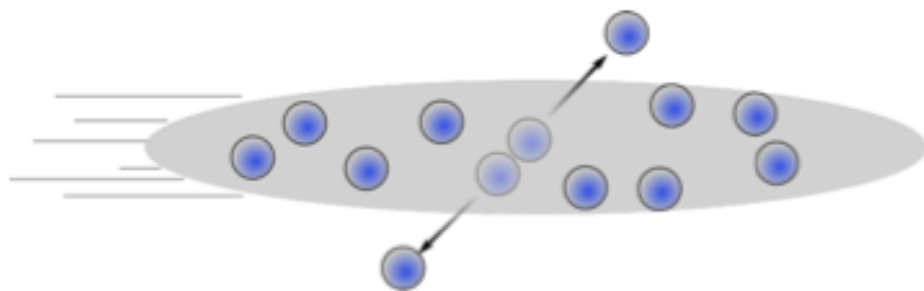


- **Peak Luminosity: $5.5 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$**
- **$\beta_y^* = 3 \text{ mm}$; $\sigma_y^* \sim 333 \text{ nm}$ (Goal $\beta_y^* = 0.3 \text{ mm}$)**

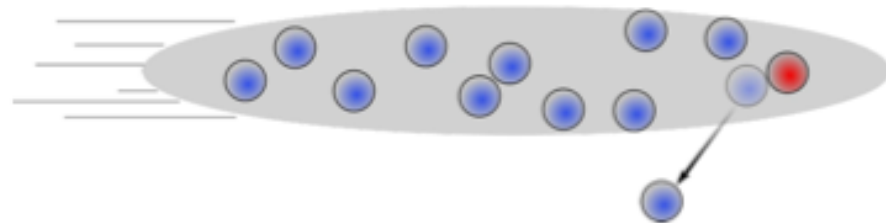


Beam Backgrounds

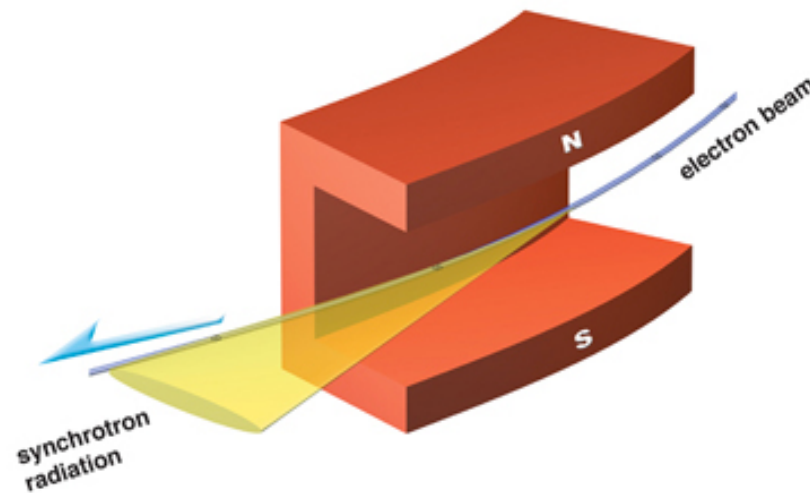
Touschek Scattering



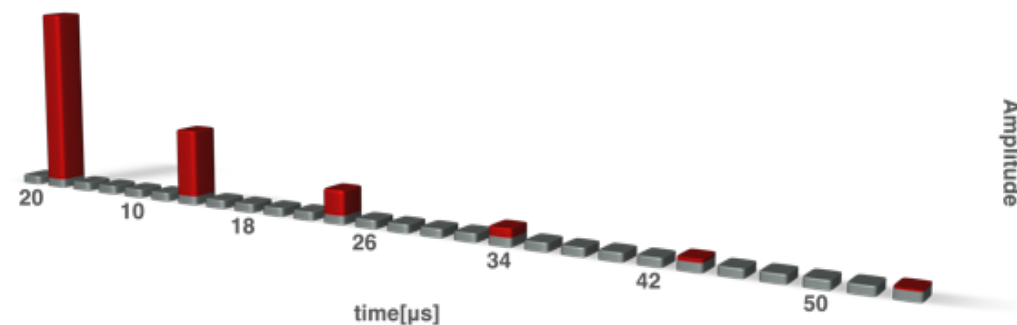
Beam-gas



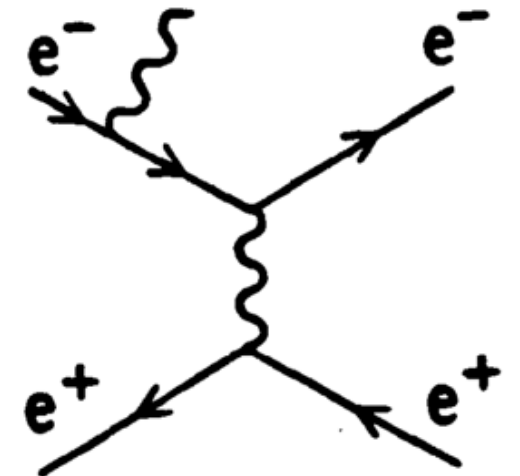
Synchrotron Radiation



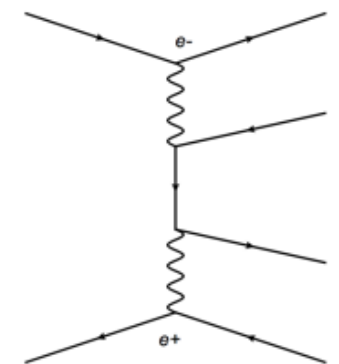
Injection Background



Radiative Bhabha



Two photon process



Machine Parameters

To achieve the necessary sensitivity to further push the intensity frontier, the instantaneous luminosity needed to increase from $2.1 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ to $8 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$

The key to this is a beam-configuration called the **nano-beam scheme** that squeeze the beam to have a very small vertical spot size of about **50 nm**

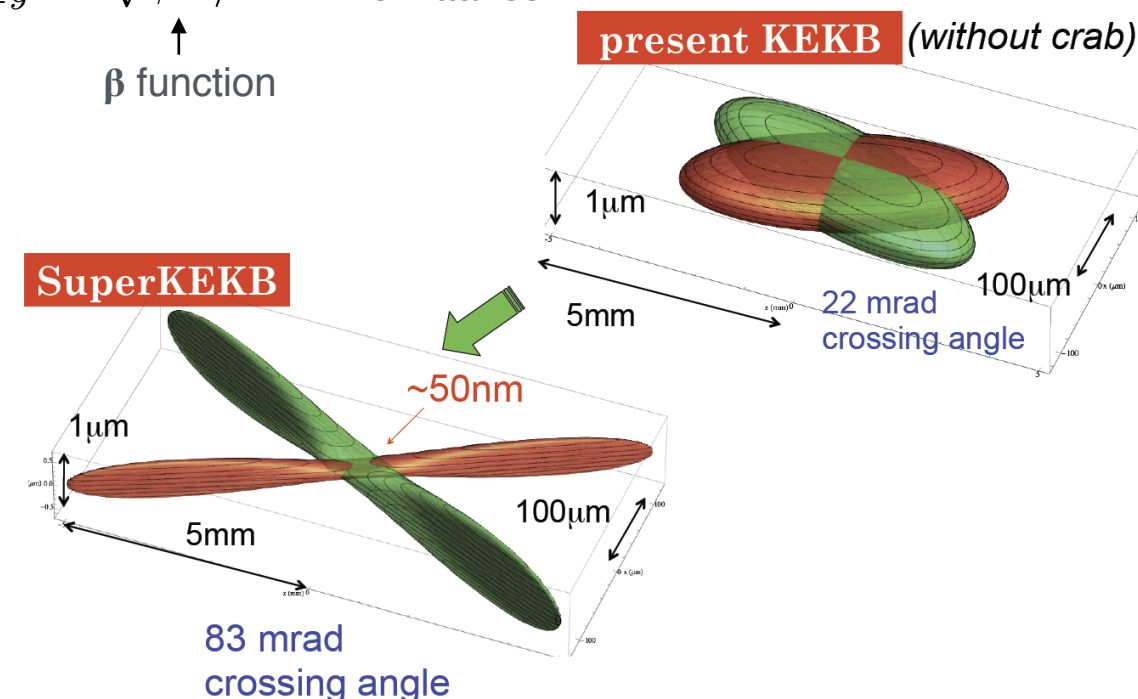
LER / HER	KEKB	SuperKEKB
Energy [GeV]	3.5 / 8	4.0 / 7.0
β_y^* [mm]	5.9 / 5.9	0.27 / 0.30
β_x^* [mm]	1200	32 / 25
$I_{\pm}$ [A]	1.64 / 1.19	3.6 / 2.6
$\zeta_{\pm y}$	0.129 / 0.09	0.09 / 0.09
ϵ [nm]	18 / 24	3.2 / 4.6
# of bunches	1584	2500
Luminosity [$10^{34} \text{ cm}^{-2} \text{ s}^{-1}$]	2,1	80

$$L = \frac{\gamma_{\pm}}{2e r_e} \left(1 + \frac{\sigma_y^*}{\sigma_x^*} \right) \left(\frac{I_{\pm} \zeta_{\pm y}}{\beta_y^*} \right) \left(\frac{R_L}{R_y} \right)$$

Lorentz factor $\rightarrow \gamma_{\pm}$
 beam current $\rightarrow I_{\pm}$
 beam-beam parameter $\rightarrow \zeta_{\pm y}$
 beam size aspect ratio $\rightarrow \sigma_y^* / \sigma_x^*$
 vertical β function $\rightarrow \beta_y^*$
 geometric factors $\rightarrow R_L / R_y$

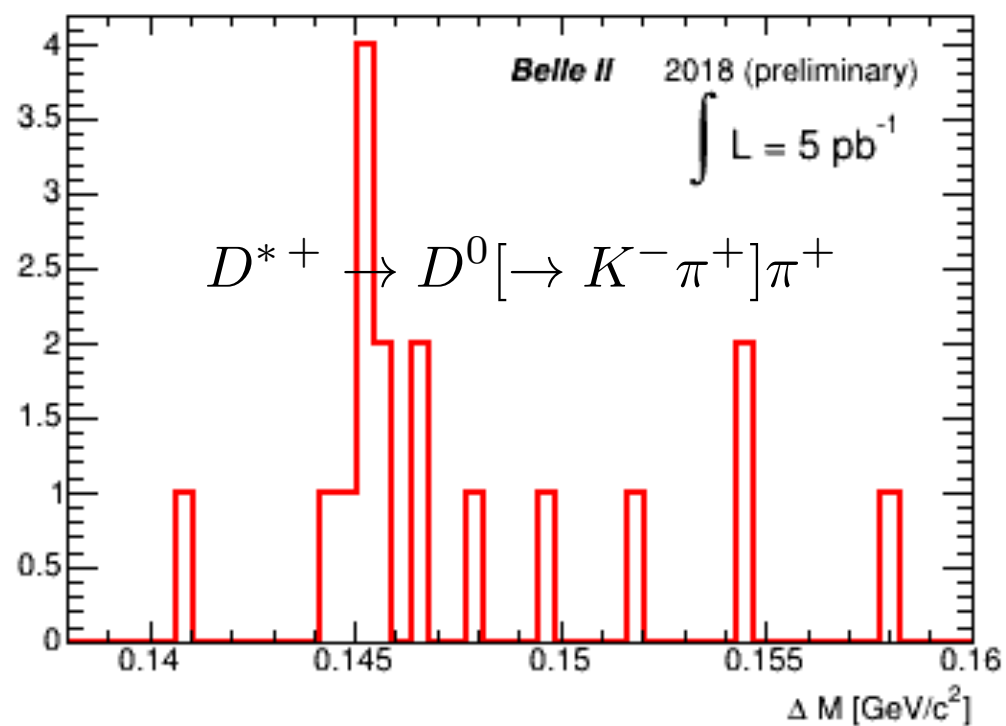
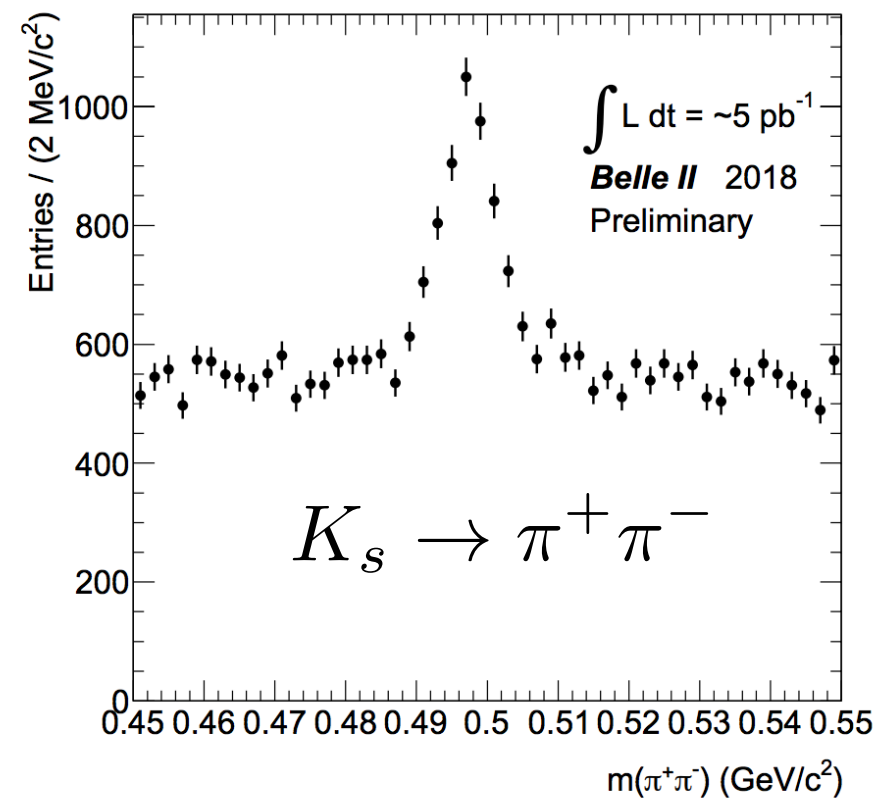
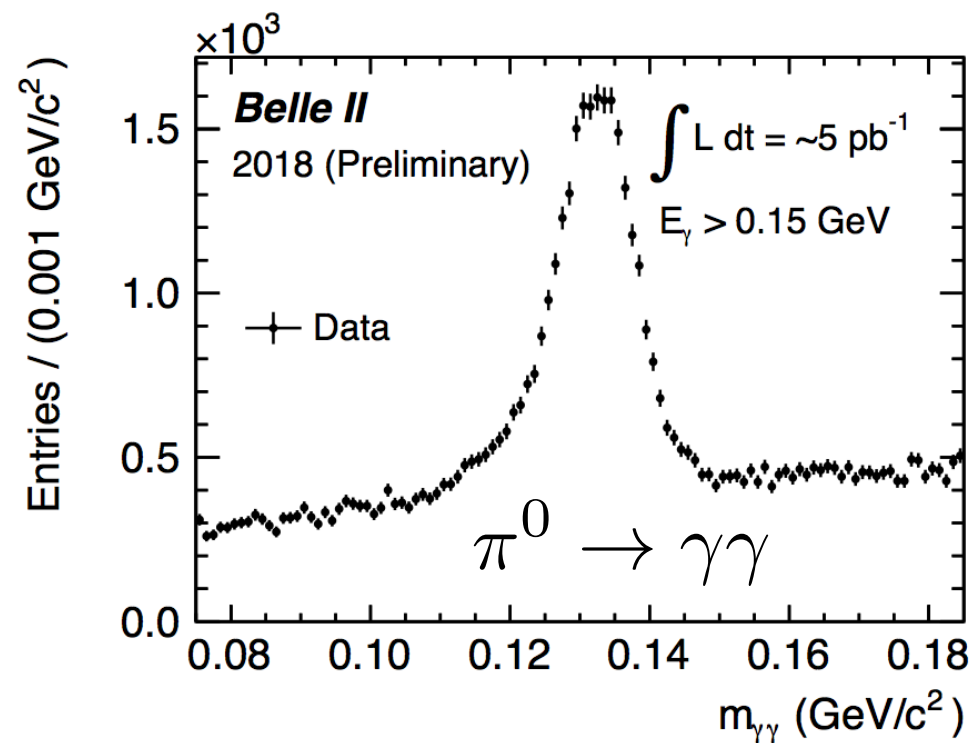
$$\zeta_{\pm y} \sim \sqrt{\beta^* / \epsilon} \leftarrow \text{emittance}$$

$\uparrow$
 β function



Major upgrade of existing accelerator needed

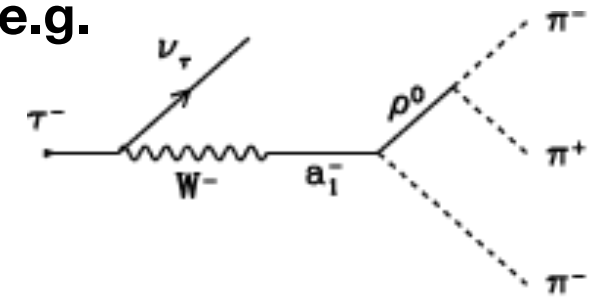
More Phase II “rediscovery plots”



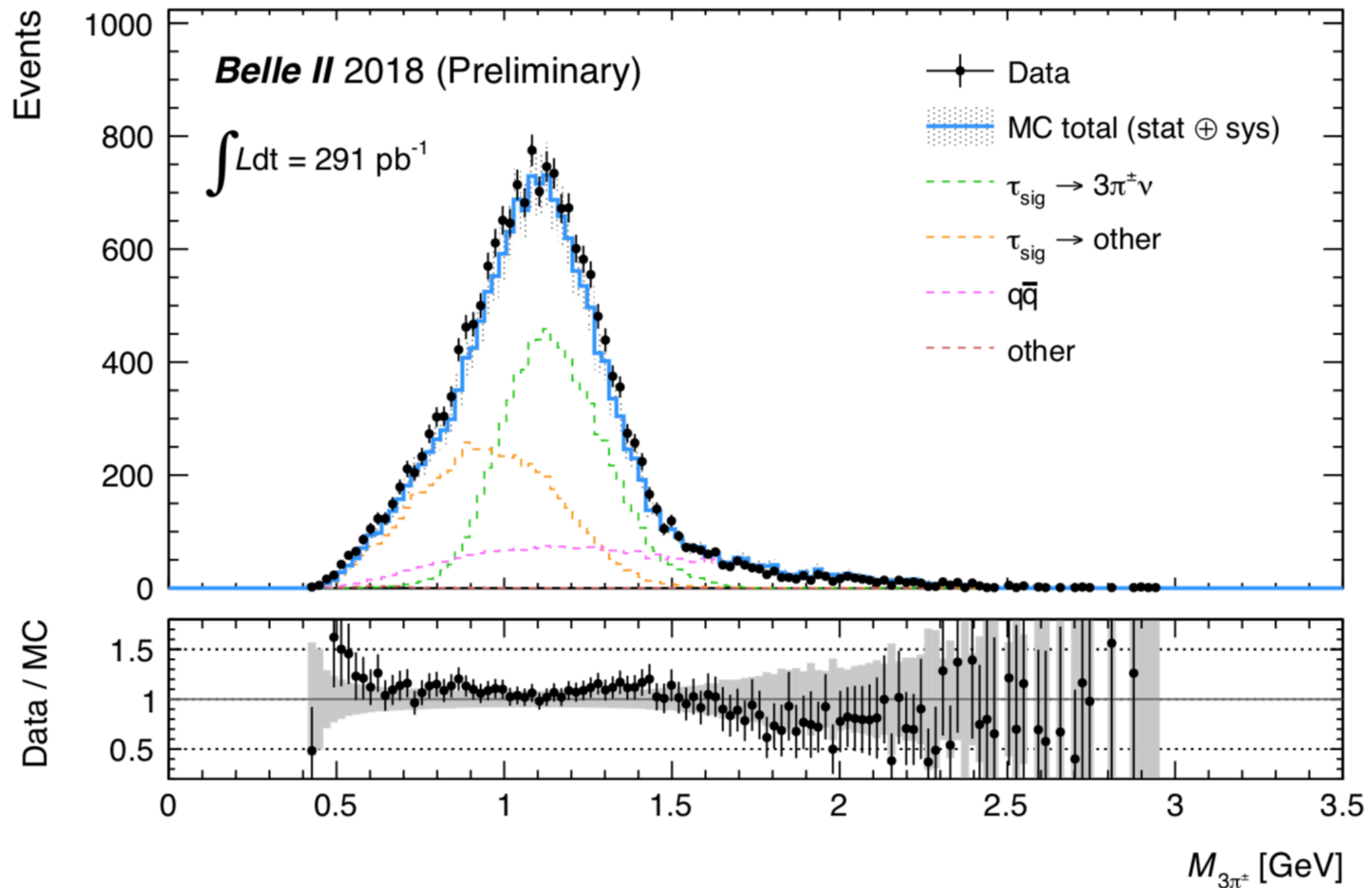
$$\Delta M = m_{D^{*+}} - m_{D^0}$$

Tau-Pair production

e.g.

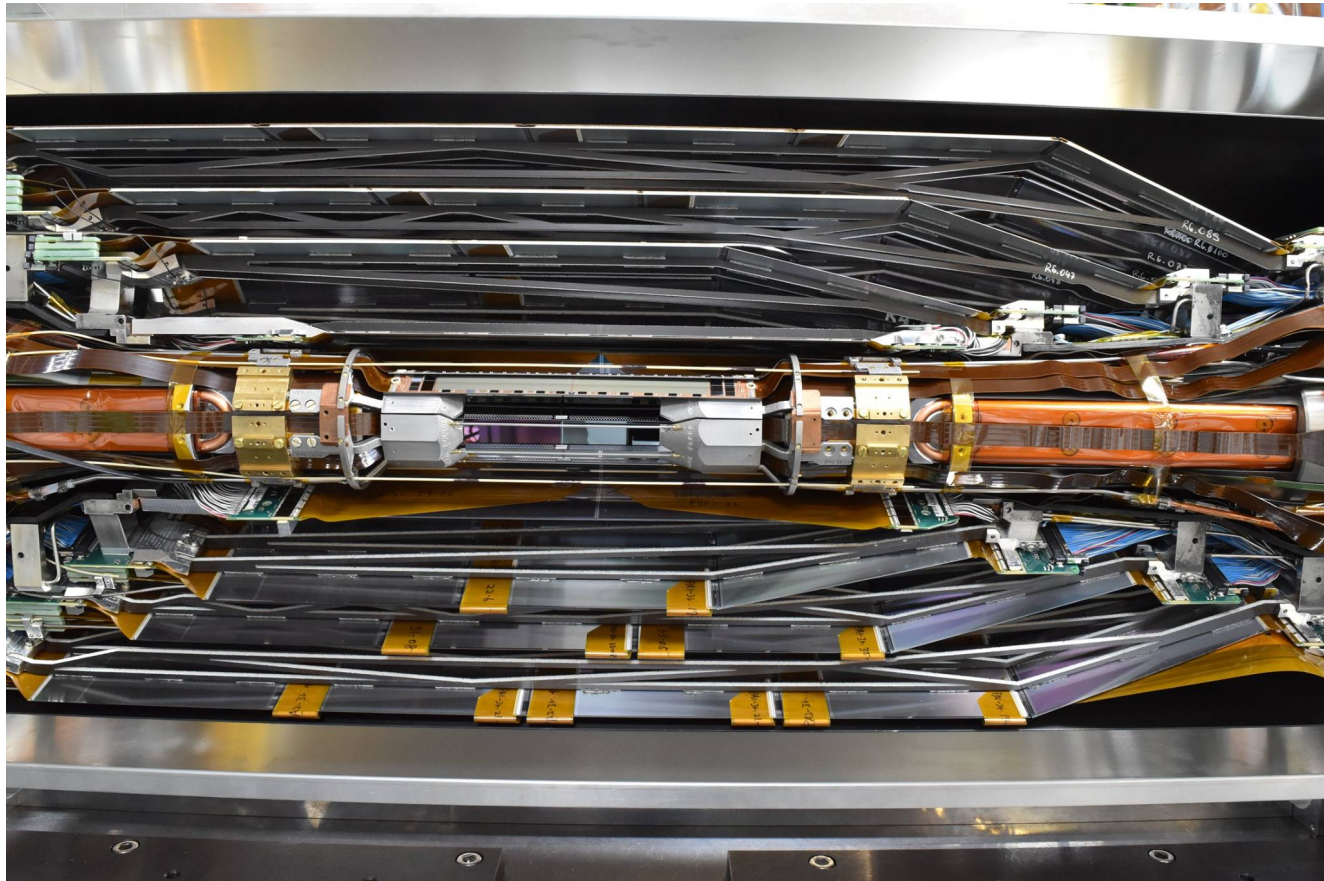


$$e^+ e^- \rightarrow \tau^+ \tau^-$$

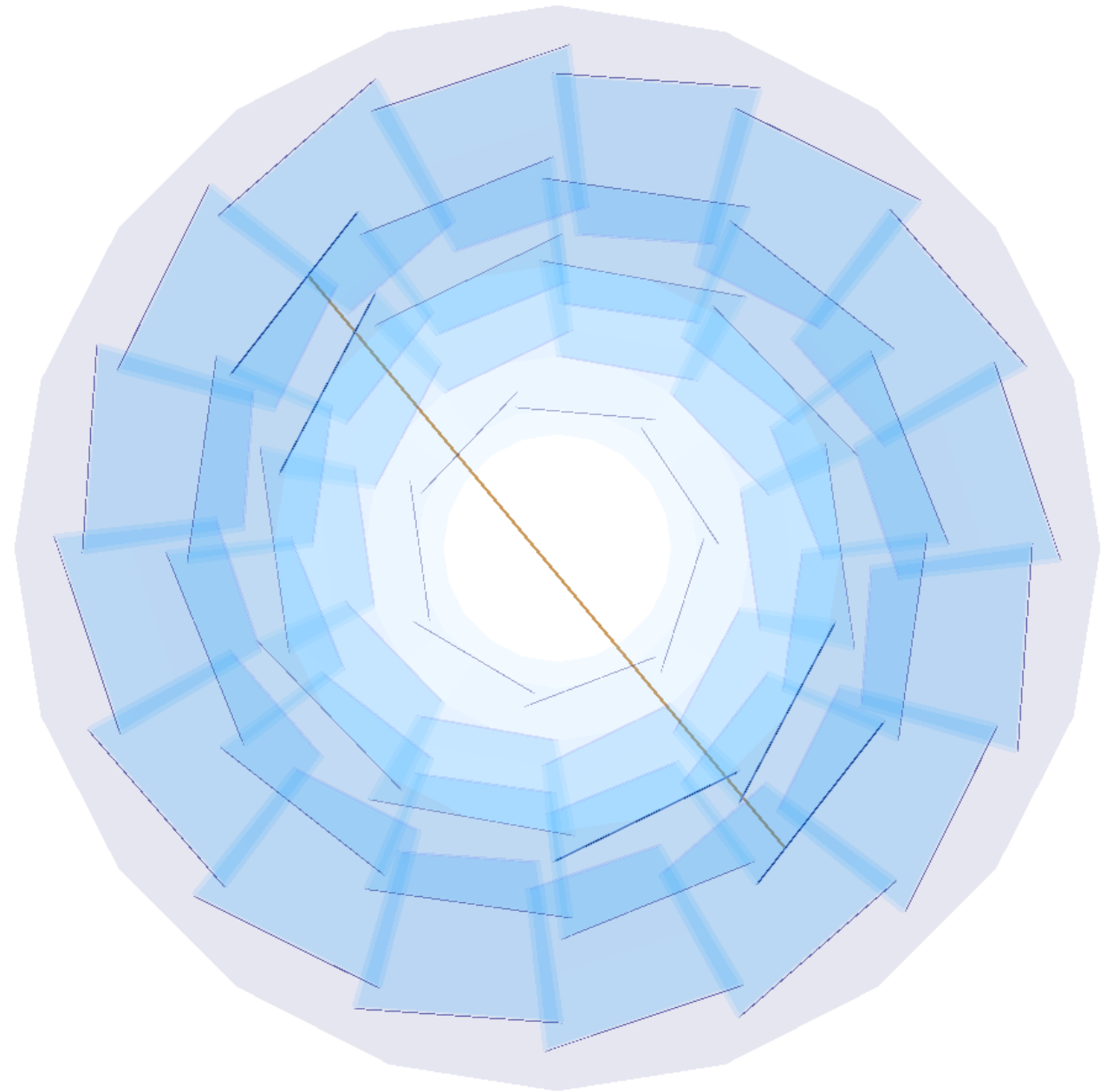


News from the Vertex detector

First recorded cosmic event

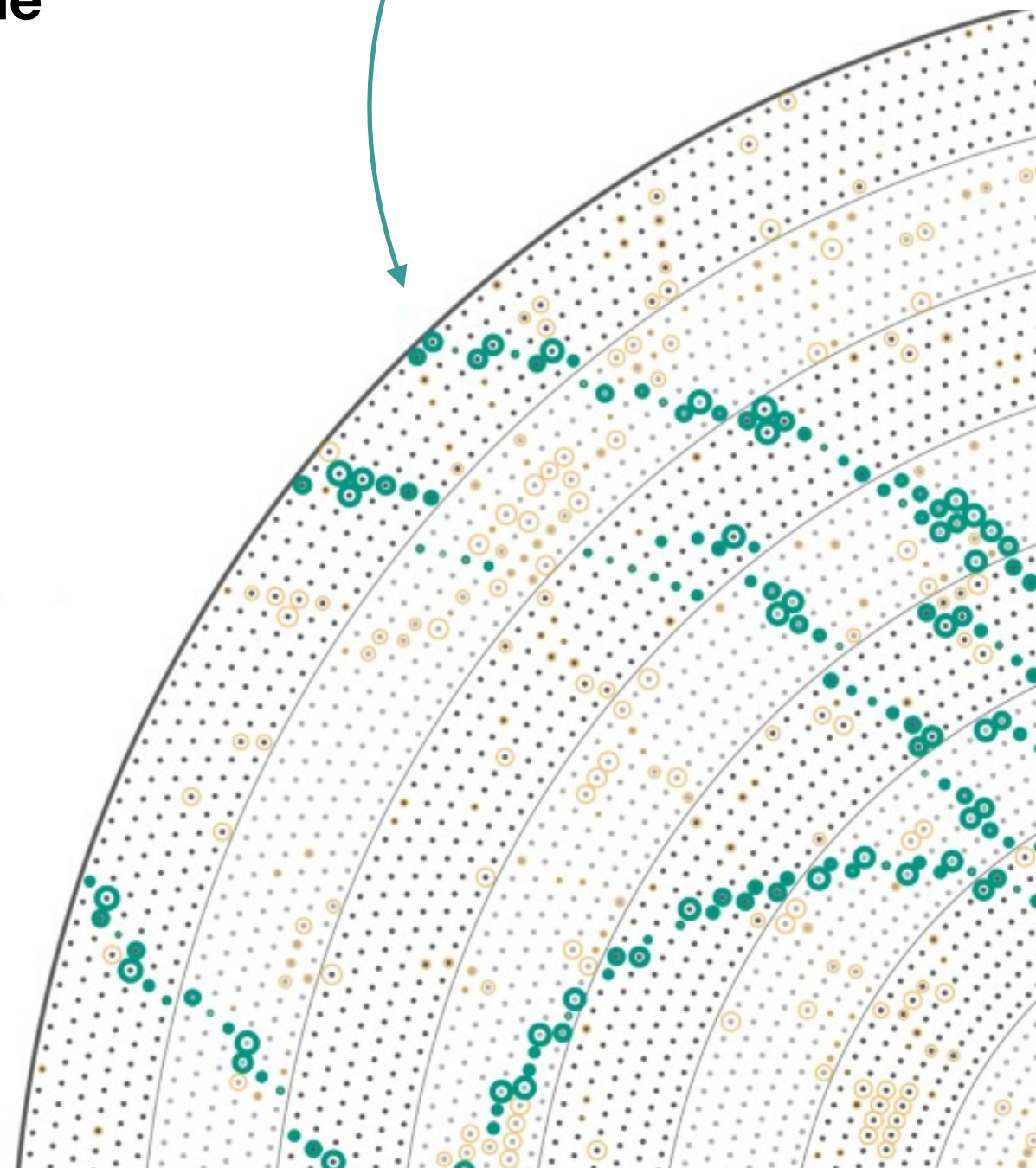
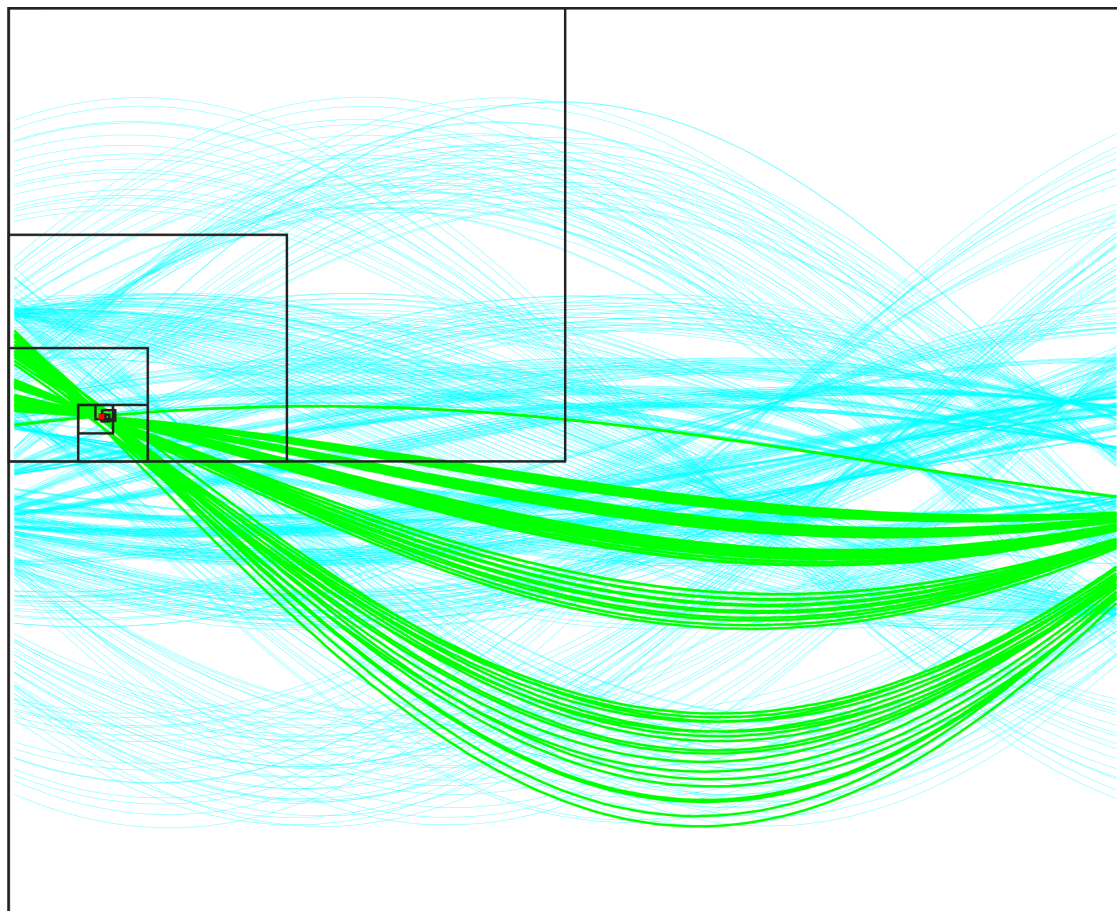


**Strip-detector (4 layers) half-shells
successfully assembled and merged**



Tracking details

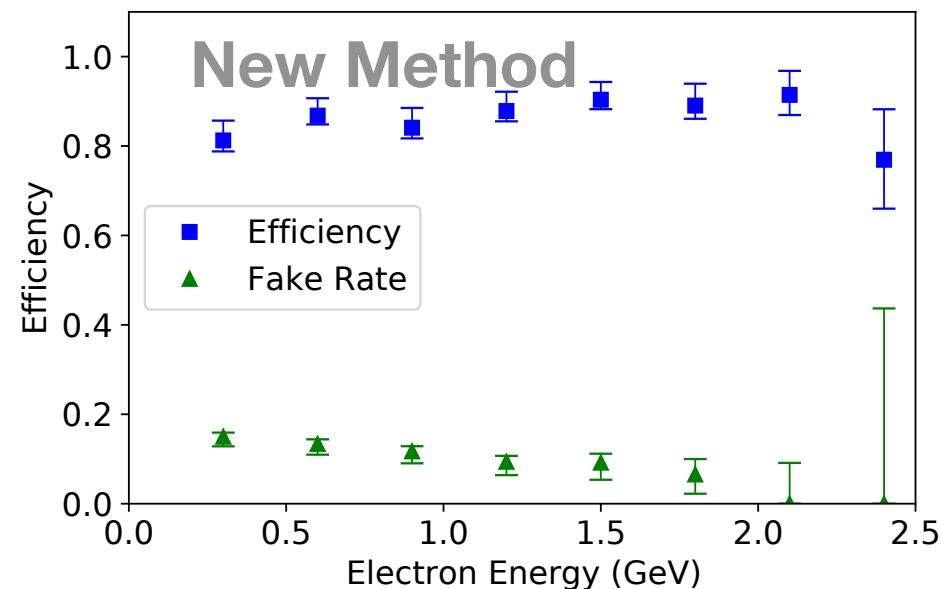
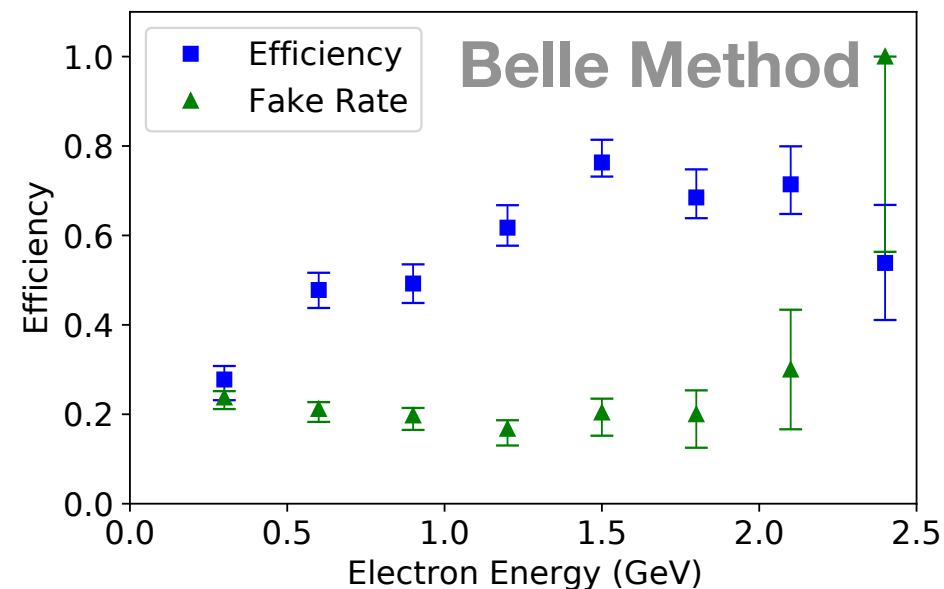
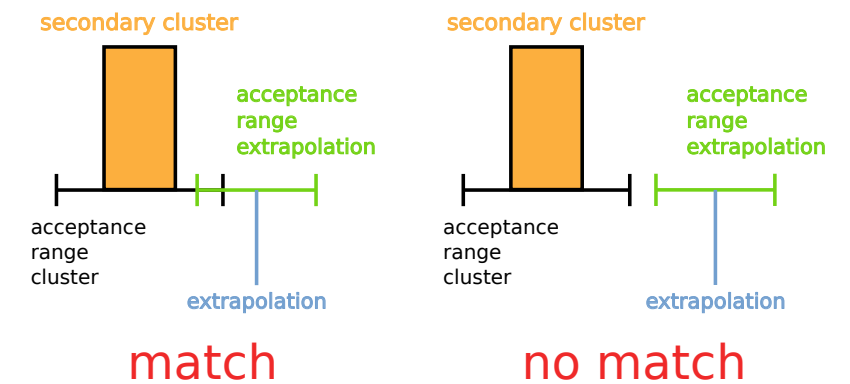
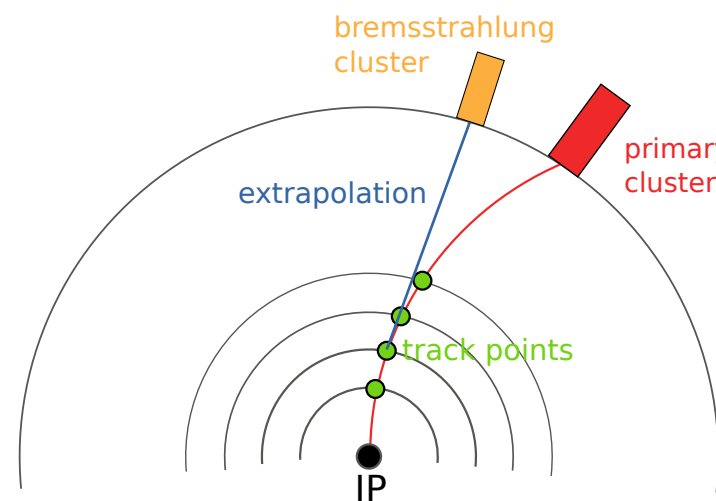
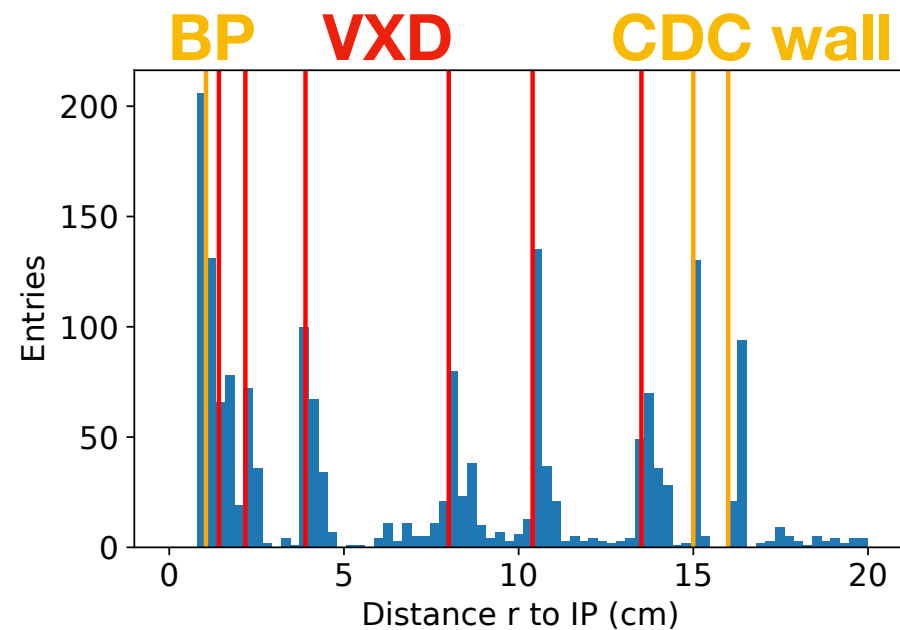
- Newer, larger wire drift chamber. Improvements from Belle
- High luminosity: **40% of wire hits from machine background.**
 - Multivariate methods used to suppress
- **Legendre based** tracking for wire chamber.



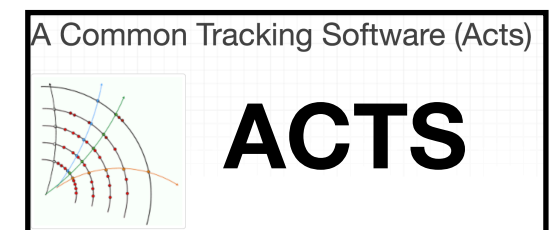
Bremsstrahlung recovery and track fitting

Patrick Ecker, Thomas Hauth, FB
Bachelor thesis

- Bremsstrahlung recovery is important to adequately measure final states with electrons, like $b \rightarrow s \ell \ell$
 - Belle: cone extrapolation around IP trajectory $\rightarrow$ want to do something smarter for Belle II

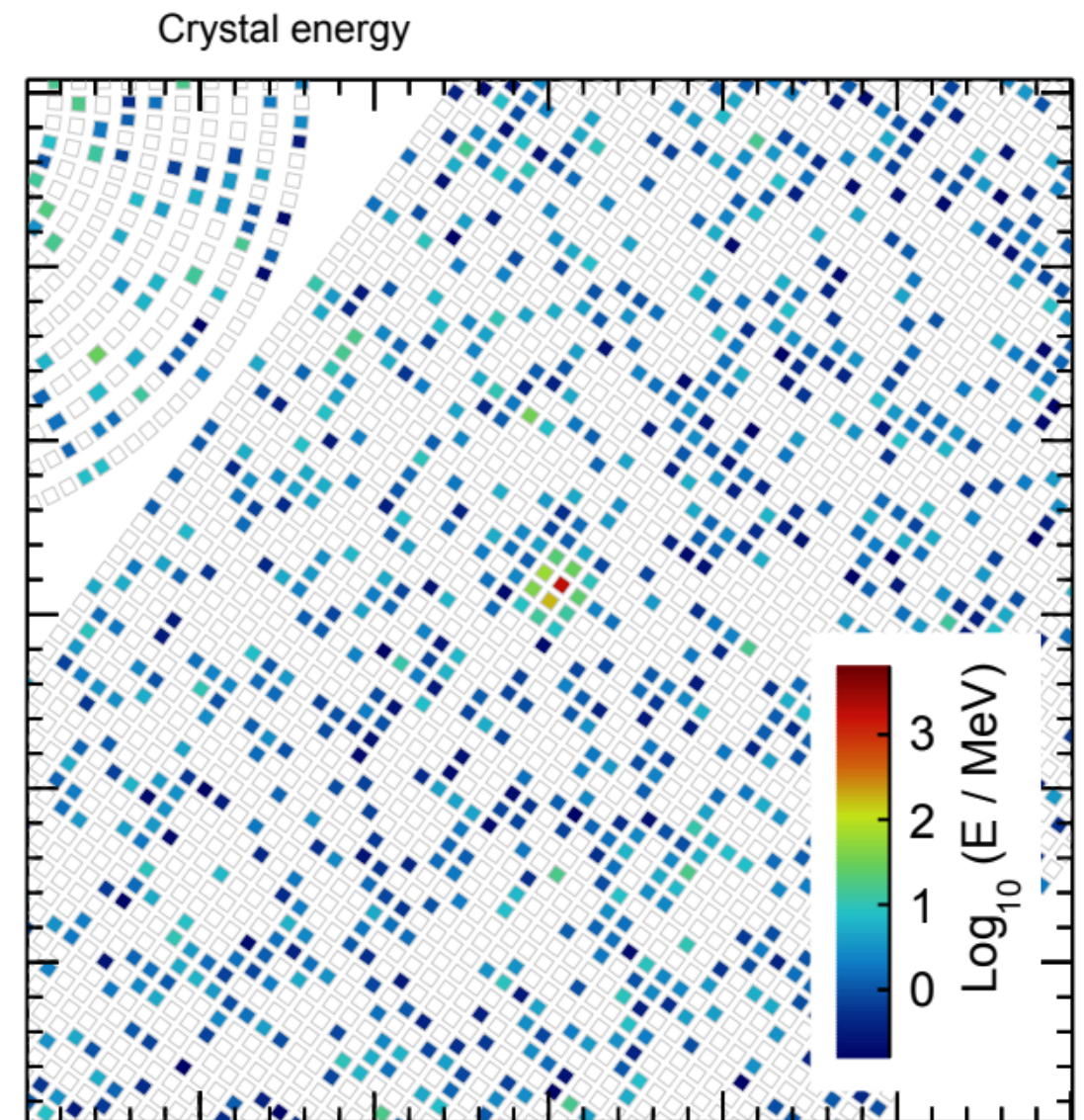


not straightforward
to incorporate into track
fitting



Calorimeter details

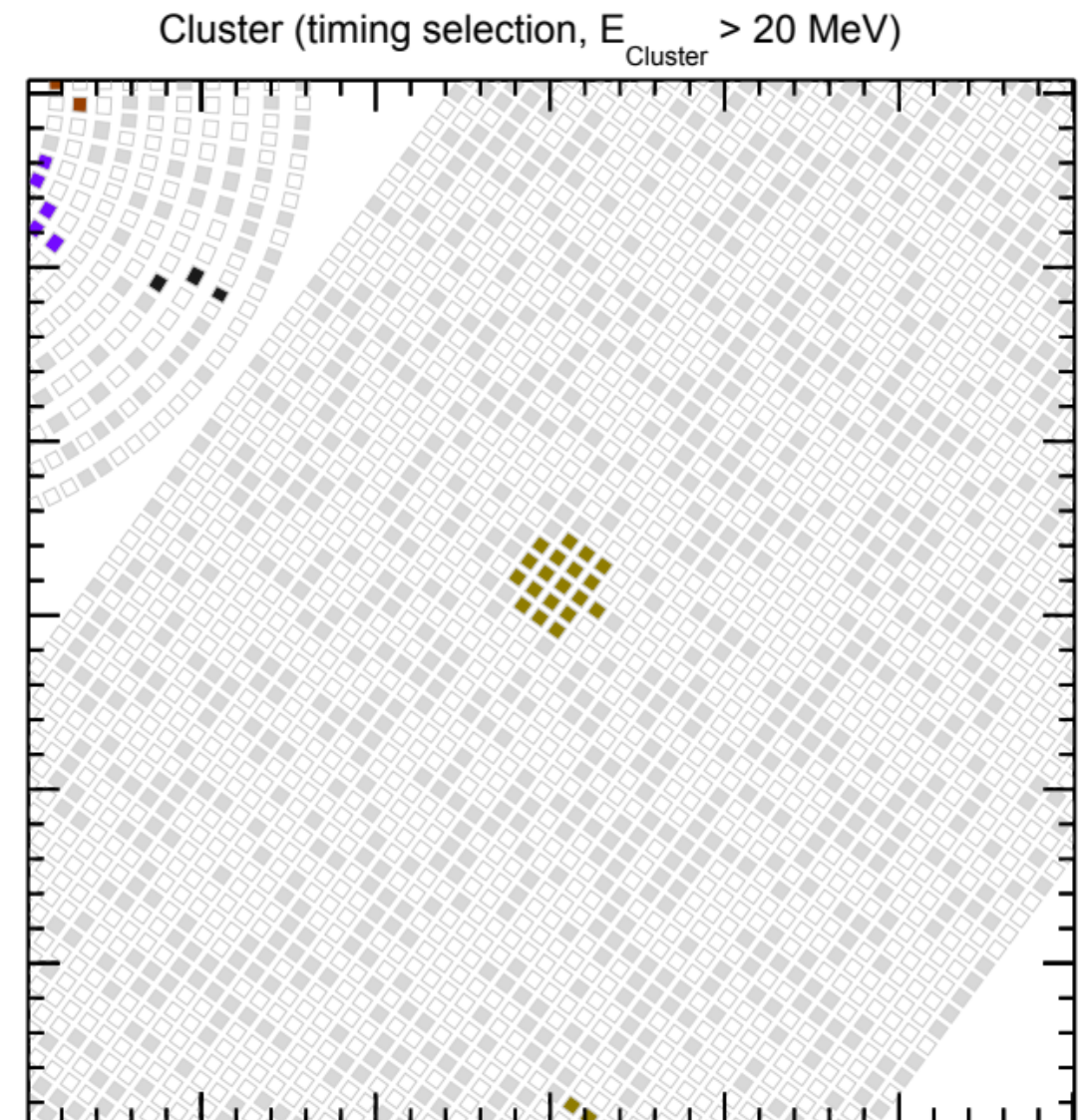
- Belle II calorimeter crystals are reused from Belle
 - 8736 CsI(Tl) crystals
 - New readout electronics
- New clustering → **high luminosity environment**



Nominal backgrounds
+ single 2.5 GeV photon

Calorimeter details

- Belle II calorimeter crystals are reused from Belle
 - 8736 CsI(Tl) crystals
 - New readout electronics
- New clustering → **high luminosity environment**



Timing and minimal
cluster energy requirement

- signal side

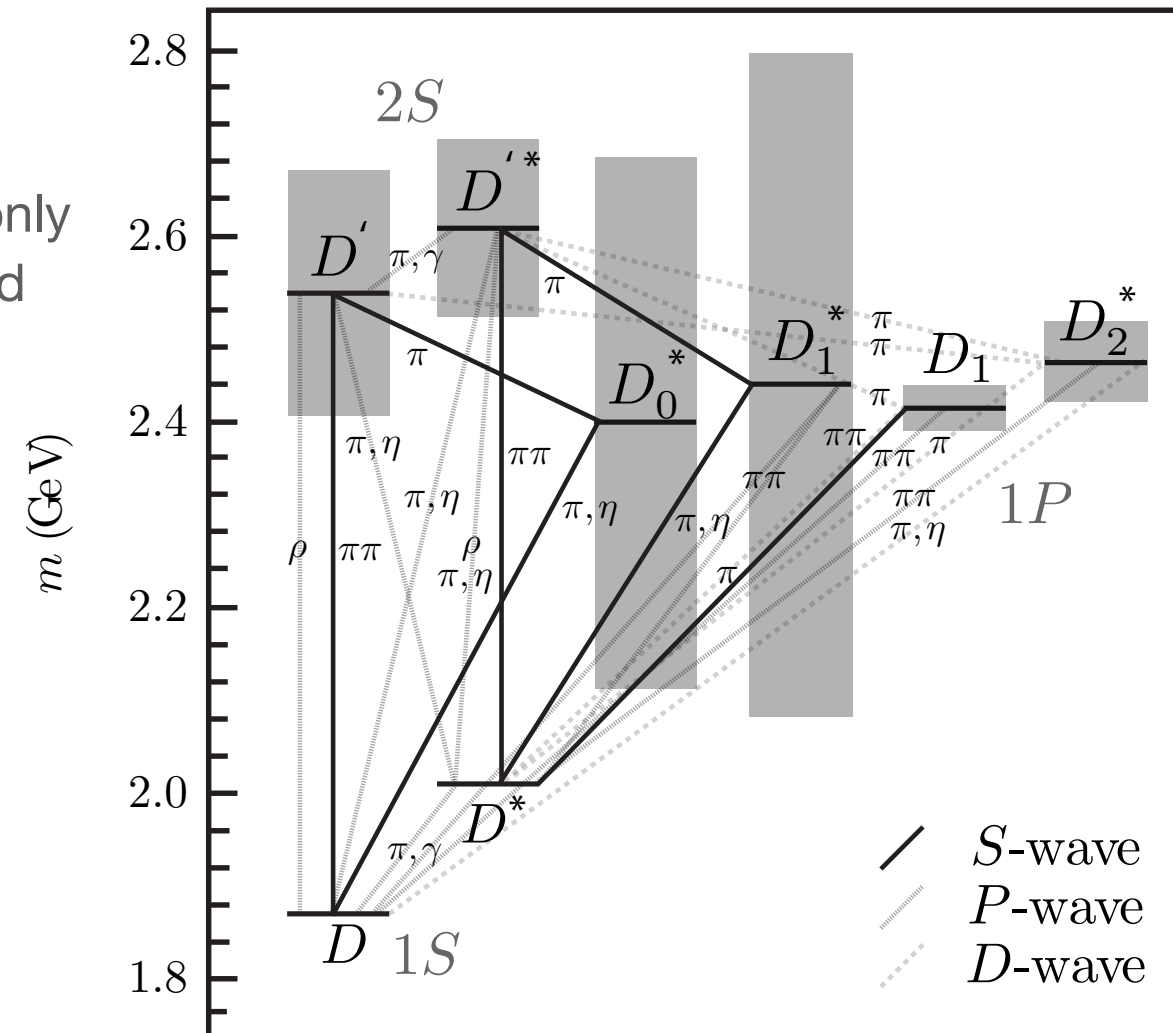
tag side

► Decays from higher charm resonances can sneak past

$$B \rightarrow D^{**} [\rightarrow D^{(*)} \pi^0] \ell / \tau \bar{\nu}_\ell$$

$$B \rightarrow D^{**} [\rightarrow D^{(*)} 2\pi^0] \ell / \tau \bar{\nu}_\ell$$

$$B \rightarrow D^{**} [\rightarrow D^{(*)} \eta^{(')}] \ell / \tau \bar{\nu}_\ell$$


$$B \rightarrow D^{(*)} \tau \bar{\nu}_\tau \quad \text{looks like} \quad B \rightarrow D^{(*)} \pi \pi \ell \bar{\nu}_\ell$$

$\searrow \rightarrow \ell \bar{\nu}_\ell \nu_\tau$
not reconstructed or missing

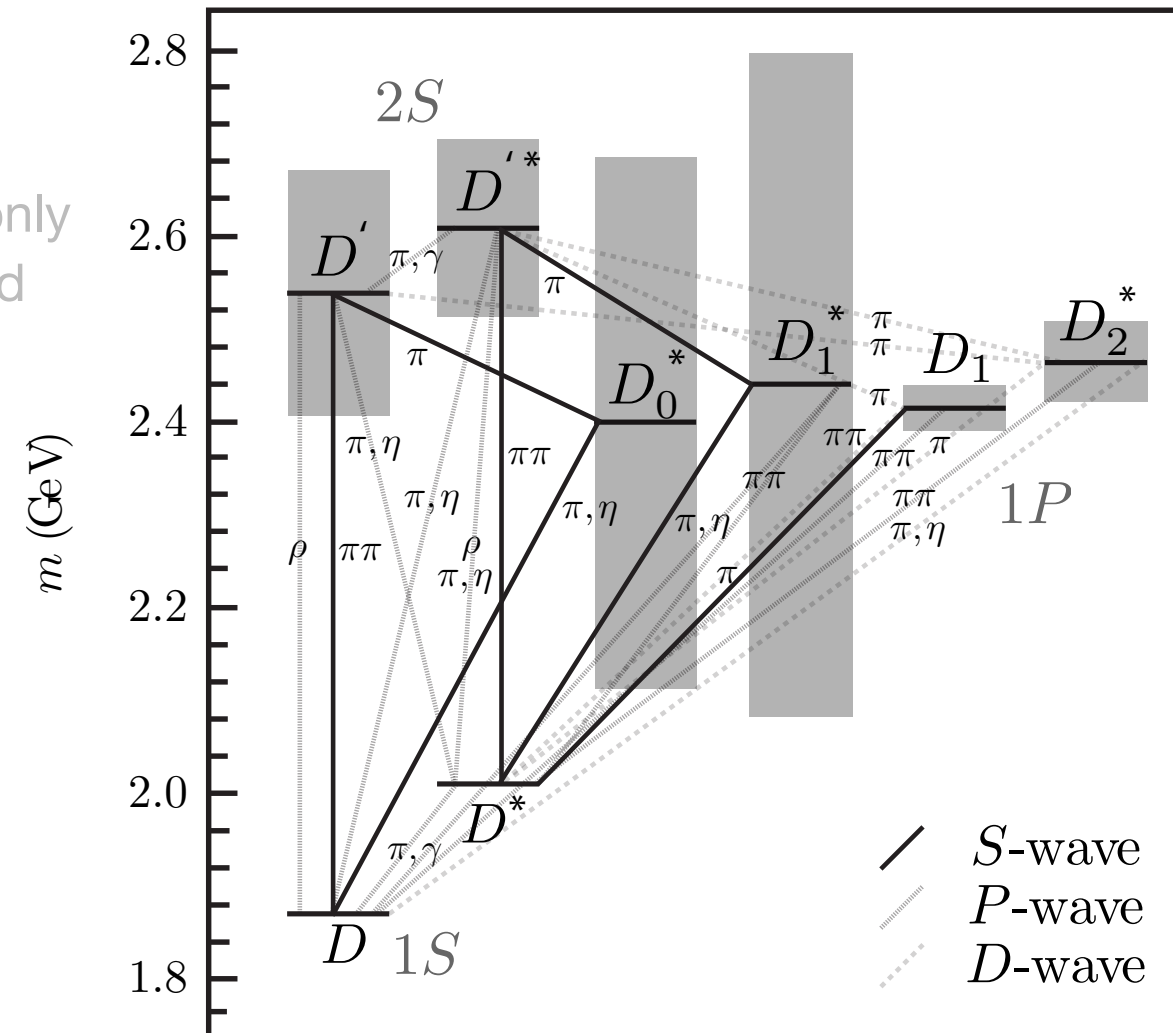
- The diagram illustrates the Belle II detector layout and particle decays. On the left, a red vertical bar is labeled "tag side". In the center, a horizontal beam line shows an e^+ beam entering from the left and an e^- beam entering from the right, colliding at a point labeled $\Upsilon(4S)$. From this collision point, two orange circles represent the production of B^0 and $\bar{B}^0$ mesons. The B^0 meson is labeled "tag" and is shown decaying into J/ψ (green dashed line) and π (red solid line). The $\bar{B}^0$ meson is labeled "signal" and is shown decaying into D^{*0} (green dashed line) and π (red solid line). The D^{*0} meson further decays into D^0 (green dashed line) and π (red solid line). The D^0 meson decays into K (red solid line) and π (red solid line). The τ lepton (green dashed line) decays into ν (green dashed line) and $\bar{\nu}_\ell$ (green dashed line). The ℓ lepton (green dashed line) decays into ν (green dashed line) and $\bar{\nu}_\ell$ (green dashed line). On the right, a red vertical bar is labeled "signal side".

Decays from higher charm resonances can sneak past

$$B \rightarrow D^{**} [\rightarrow D^{(*)} \pi^0] \ell / \tau \bar{\nu}_\ell$$

$$B \rightarrow D^{**} [\rightarrow D^{(*)} 2\pi^0] \ell / \tau \bar{\nu}_\ell$$

$$B \rightarrow D^{**} [\rightarrow D^{(*)} \eta^{(')}] \ell / \tau \bar{\nu}_\ell$$



Problem at a glance:

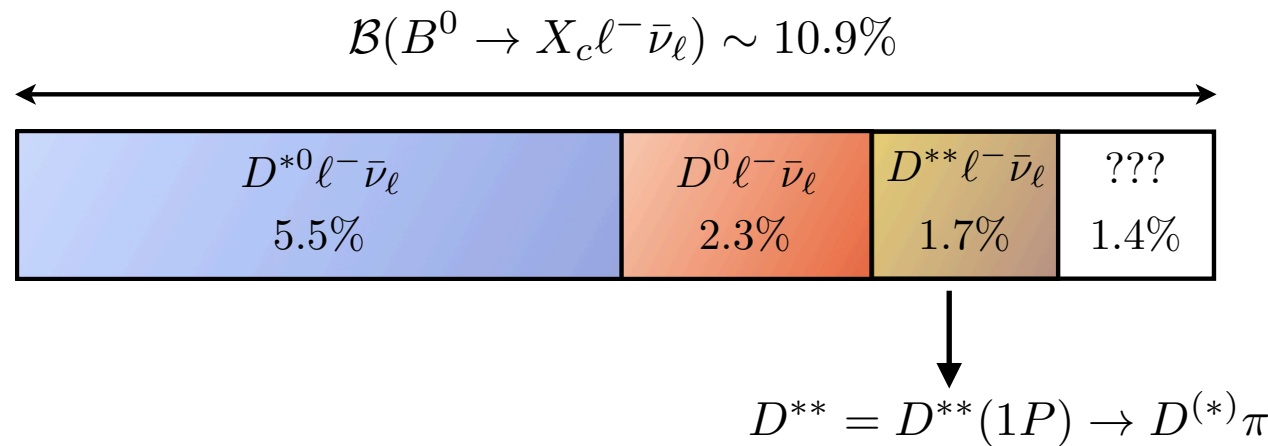
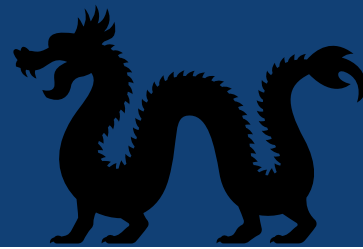
$$\mathcal{B}(B^0 \rightarrow X_c \ell^- \bar{\nu}_\ell) \sim 10.9\%$$

- ▶ We don't know what is the exclusive make-up of **14%** of all semileptonic decays



$D^{*0} \ell^- \bar{\nu}_\ell$ 5.5%	$D^0 \ell^- \bar{\nu}_\ell$ 2.3%	$D^{*+} \ell^- \bar{\nu}_\ell$ 1.7%	??? 1.4%
--	-------------------------------------	--	-------------

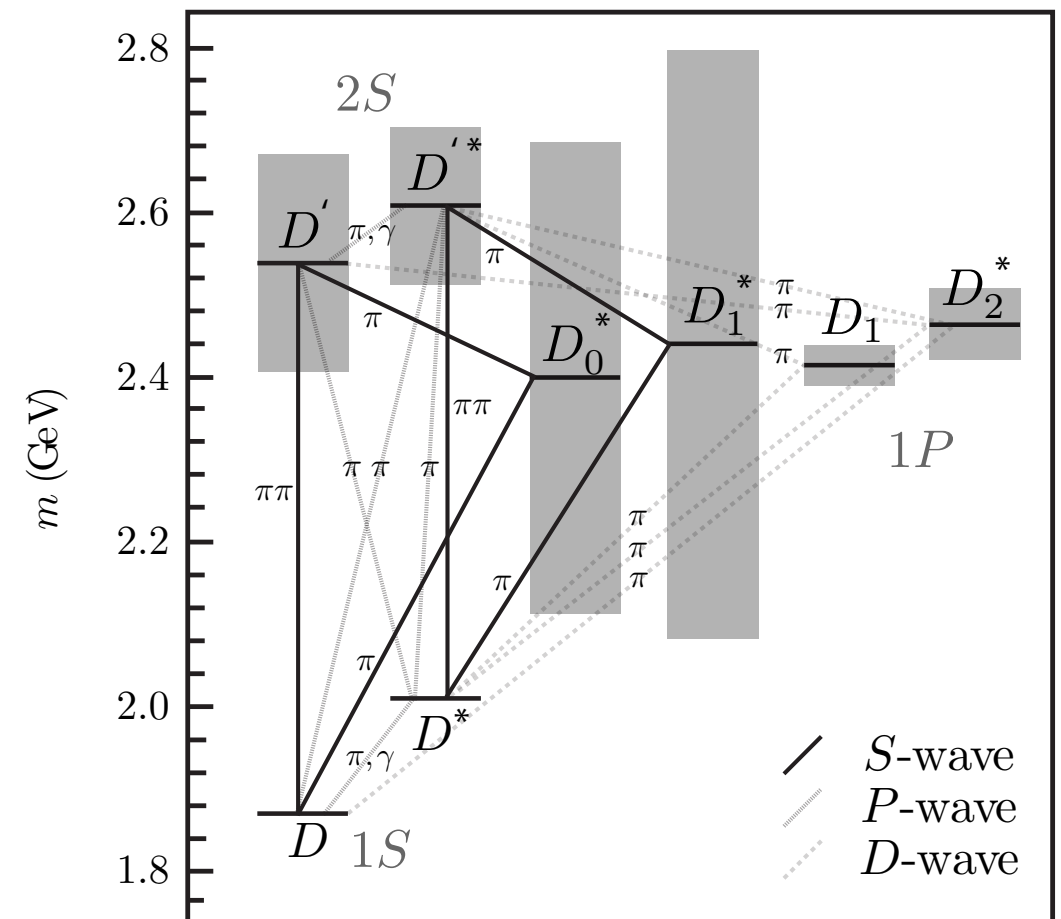
Missing contributions urgently needed



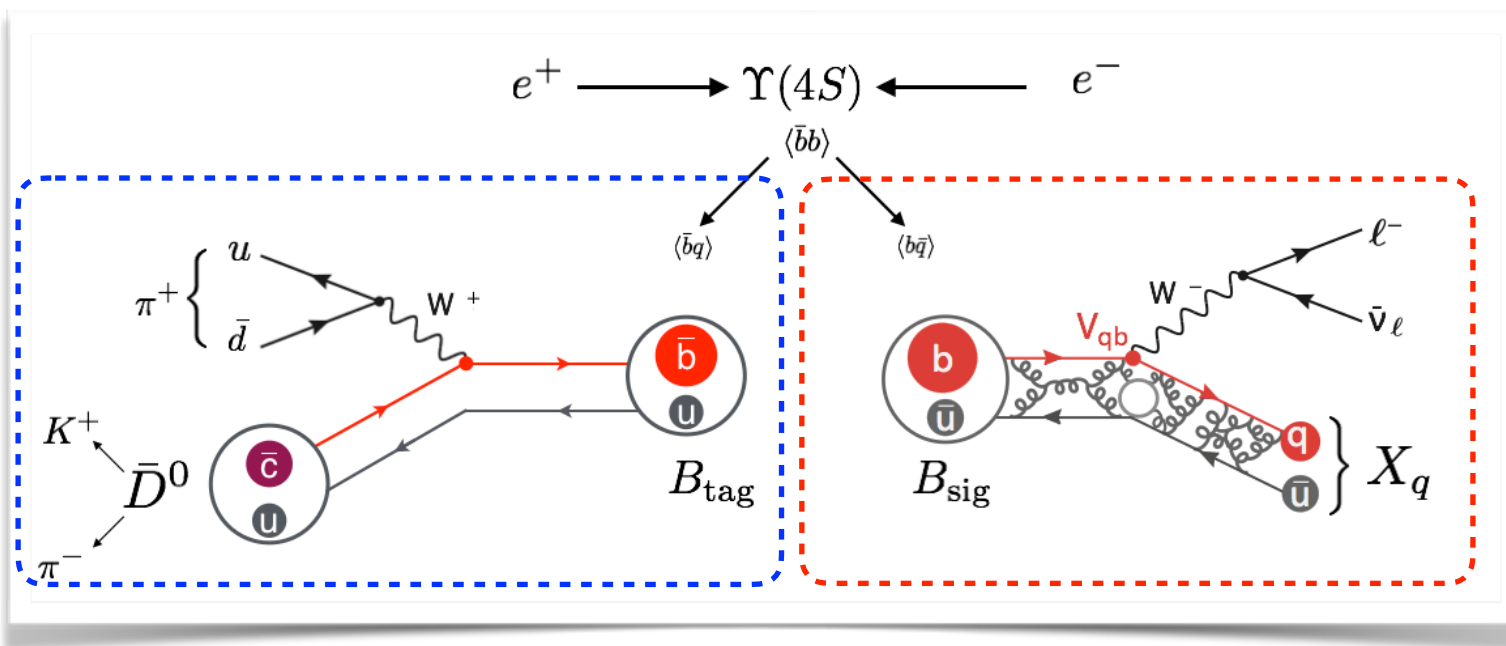
Semi-inclusive search most promising strategy

$$B \rightarrow D^{(*)} \pi^+ \pi^- \ell \bar{\nu}_\ell$$

* Strategy: identical to $B \rightarrow D^{(*)} \tau \bar{\nu}_\tau$



FB et al, Phys.Rev. D85 (2012) 094033



$$p_{\text{miss}} = \boxed{p_\nu} = (p_{e^+ e^-} - \boxed{p_{\text{tag}}} - \boxed{p_{X_q}} - p_\ell)$$

$$p_{X_q} = p_{D^{(*)}} + p_\pi + p_\pi$$

Background suppression via **Fisher-discriminant**

Background subtraction via **unbinned likelihood fit** in

$$E_{\text{miss}} - |\vec{p}_{\text{miss}}|$$

Simultaneous extraction of all channels:
 $[D^0, D^+, D^{*0}, D^{*+}] \pi^+ \pi^-$

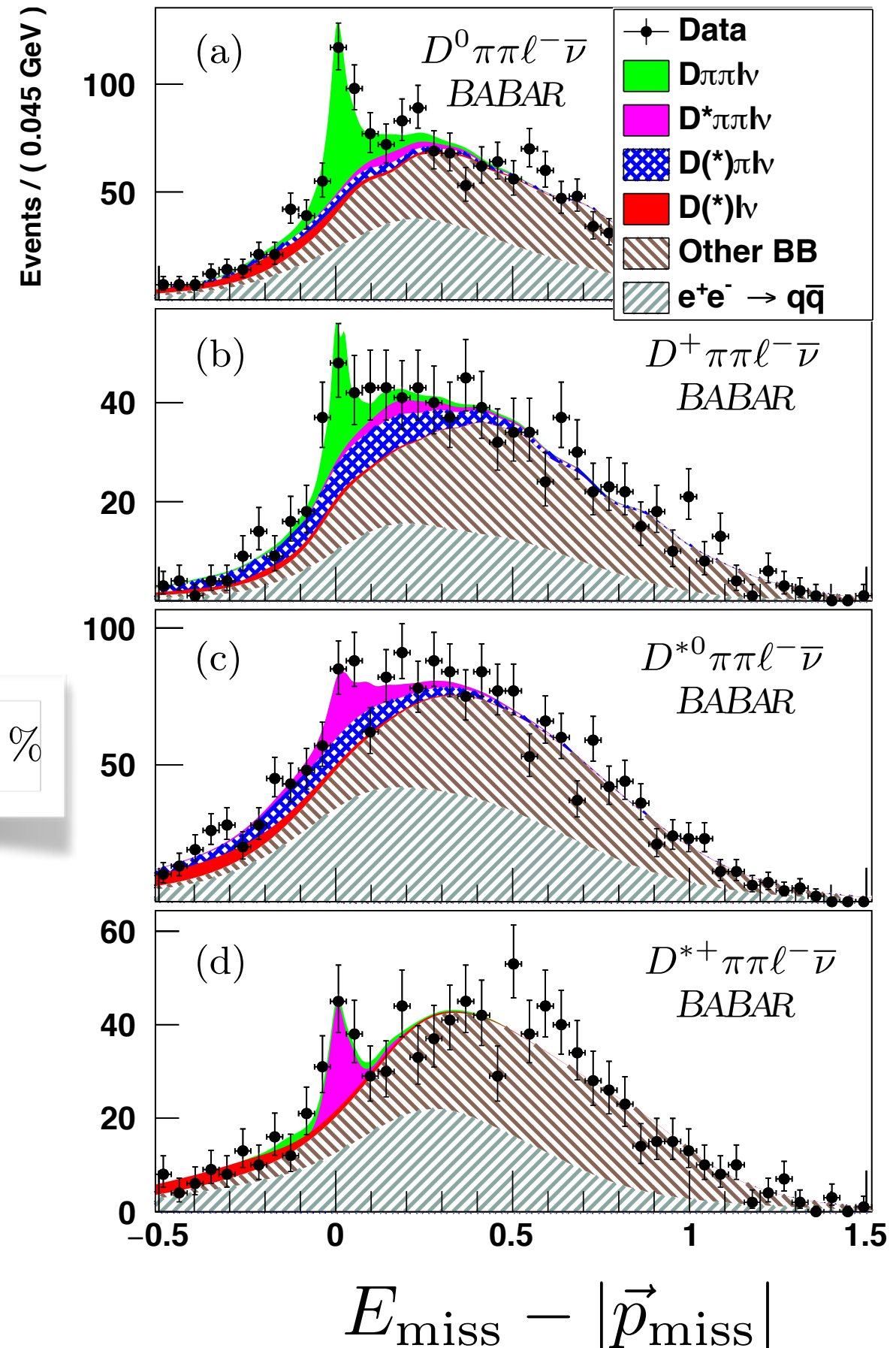
$$\mathcal{B}(B \rightarrow D \pi \pi \ell \bar{\nu}_\ell) + \mathcal{B}(B \rightarrow D^* \pi \pi \ell \bar{\nu}_\ell) = (0.52^{+0.14+0.27}_{-0.07-0.13}) \%$$

unmeasured neutral components added via isospin extrapolation

$$\mathcal{B}(B^0 \rightarrow X_c \ell^- \bar{\nu}_\ell) \sim 10.9\%$$

$D^{*0} \ell^- \bar{\nu}_\ell$ 5.5%	$D^0 \ell^- \bar{\nu}_\ell$ 2.3%	$D^{*+} \ell^- \bar{\nu}_\ell$ 1.7%	???
			1.4%

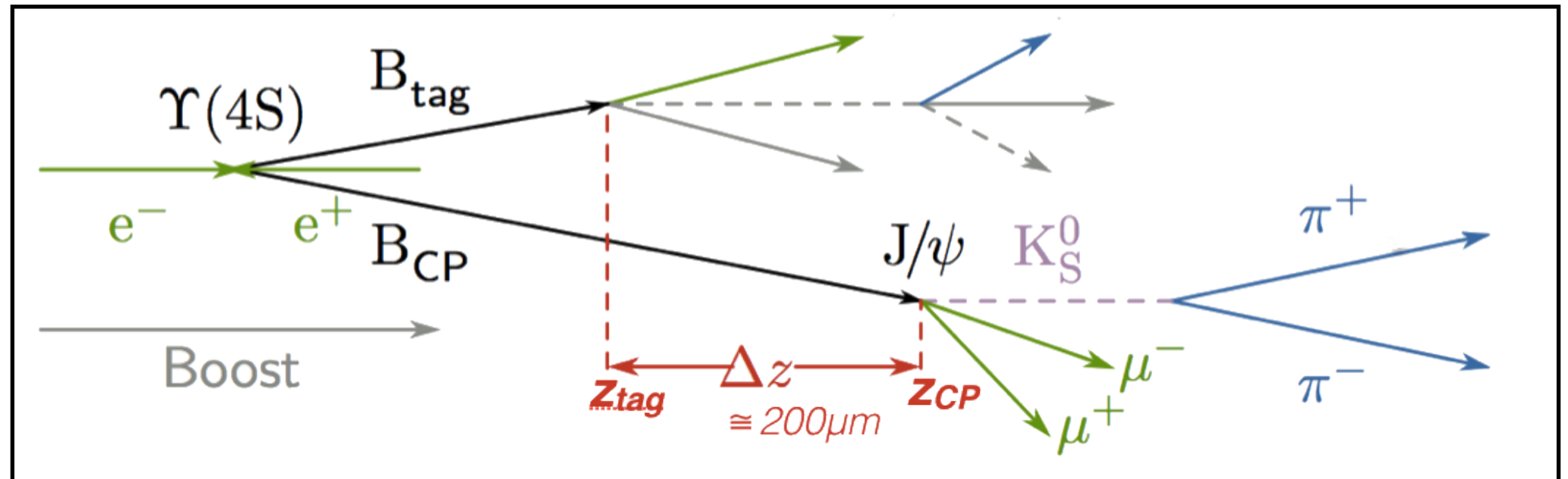
~0.9% still unknown



Flavour Tagger with Deep Neural Networks

- Flavour tagging:
 - important tool for time-dependent and time-integrated CPV measurements

$\sin 2\beta$
Golden mode



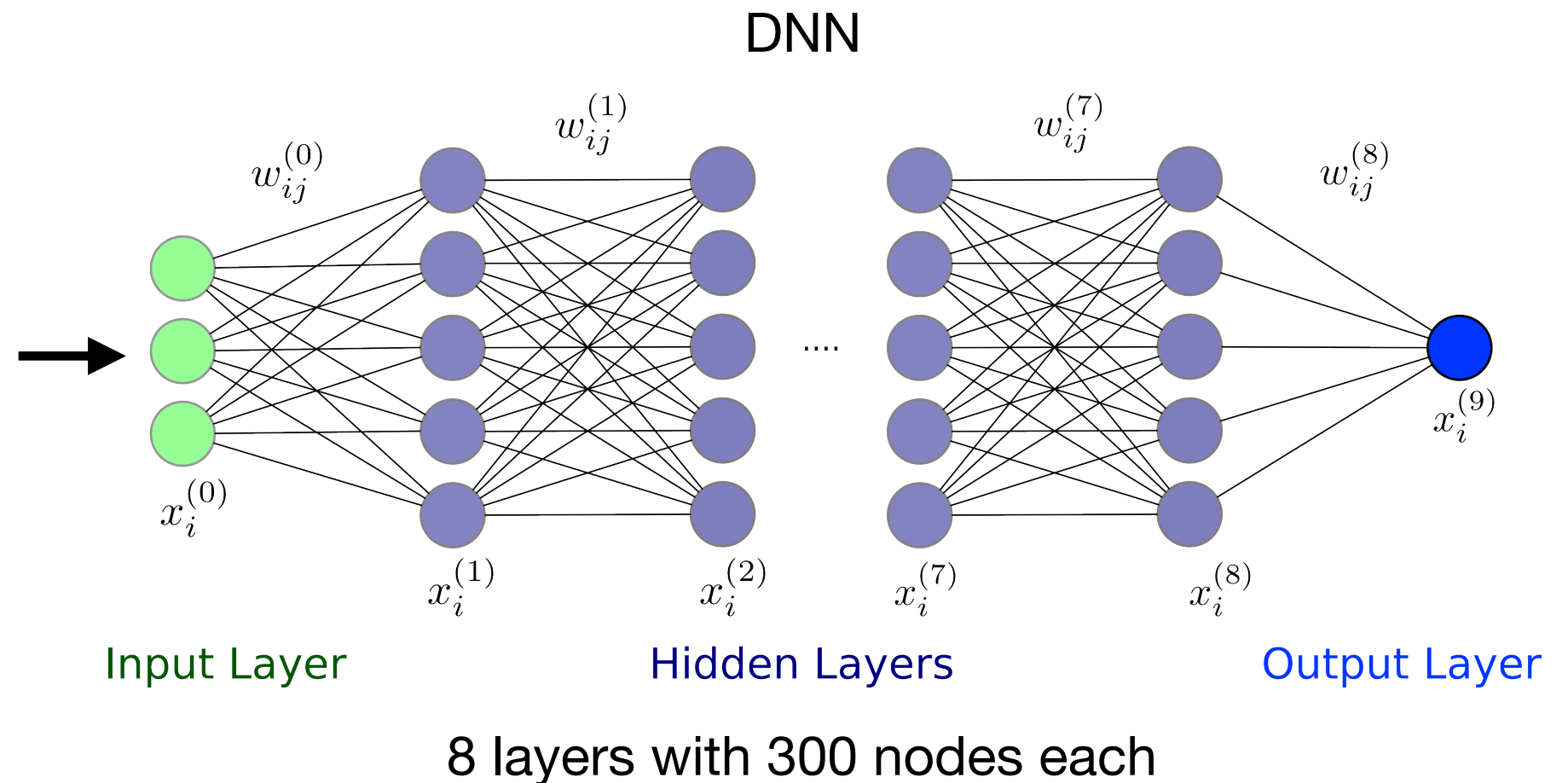
- Current approaches use categories

flavor-specific categories	decay processes
■ Primary Leptons ■ Secondary Leptons ■ Slow Pion ■ Fast Strange Particles ■ Slow Strange Particles	■ $\bar{b} \rightarrow \bar{c} \ell^+ \nu$ ■ $\bar{b} \rightarrow \bar{c} \rightarrow \bar{s} \ell^- \bar{\nu}$ ■ $B^0 \rightarrow D^{*-} X, D^{*-} \rightarrow \bar{D}^0 \pi^-$ ■ $B^0 \rightarrow K^+ X_{c\bar{c}}$ ■ $\bar{b} \rightarrow \bar{c} \rightarrow \bar{s}$

Flavour Tagger with Deep Neural Networks

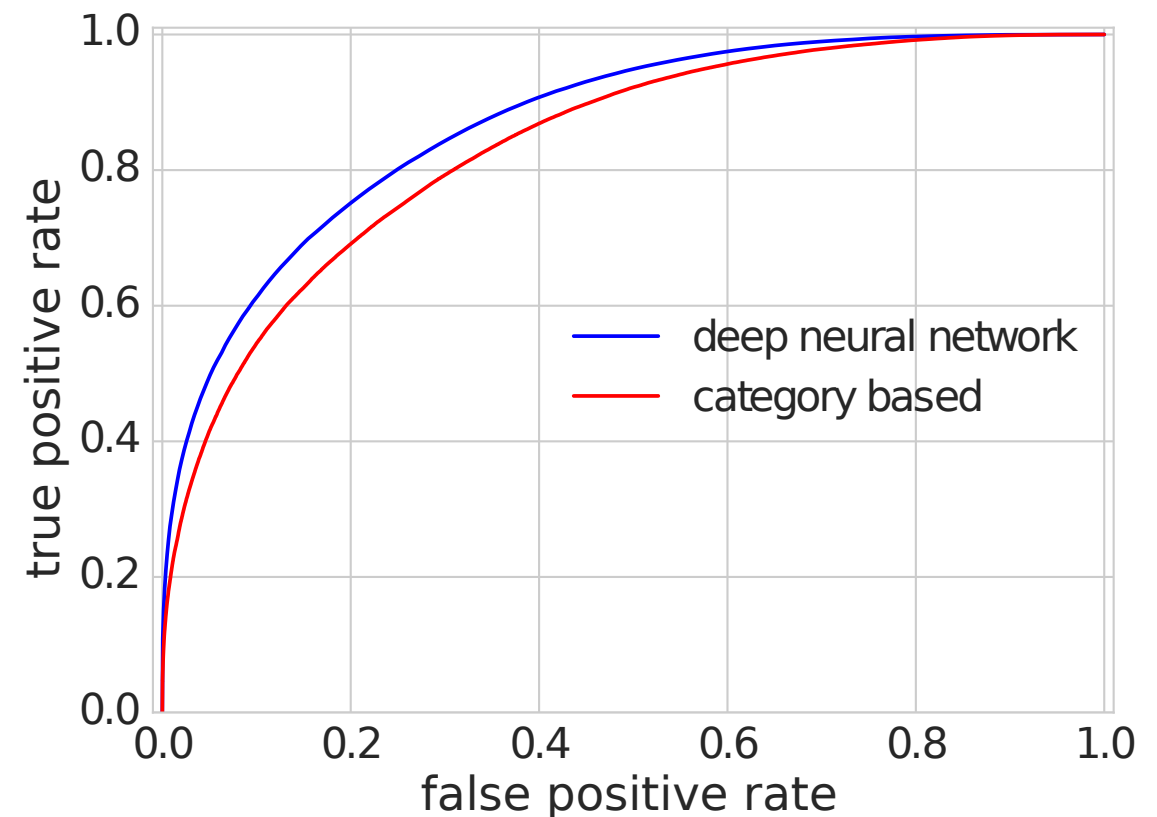
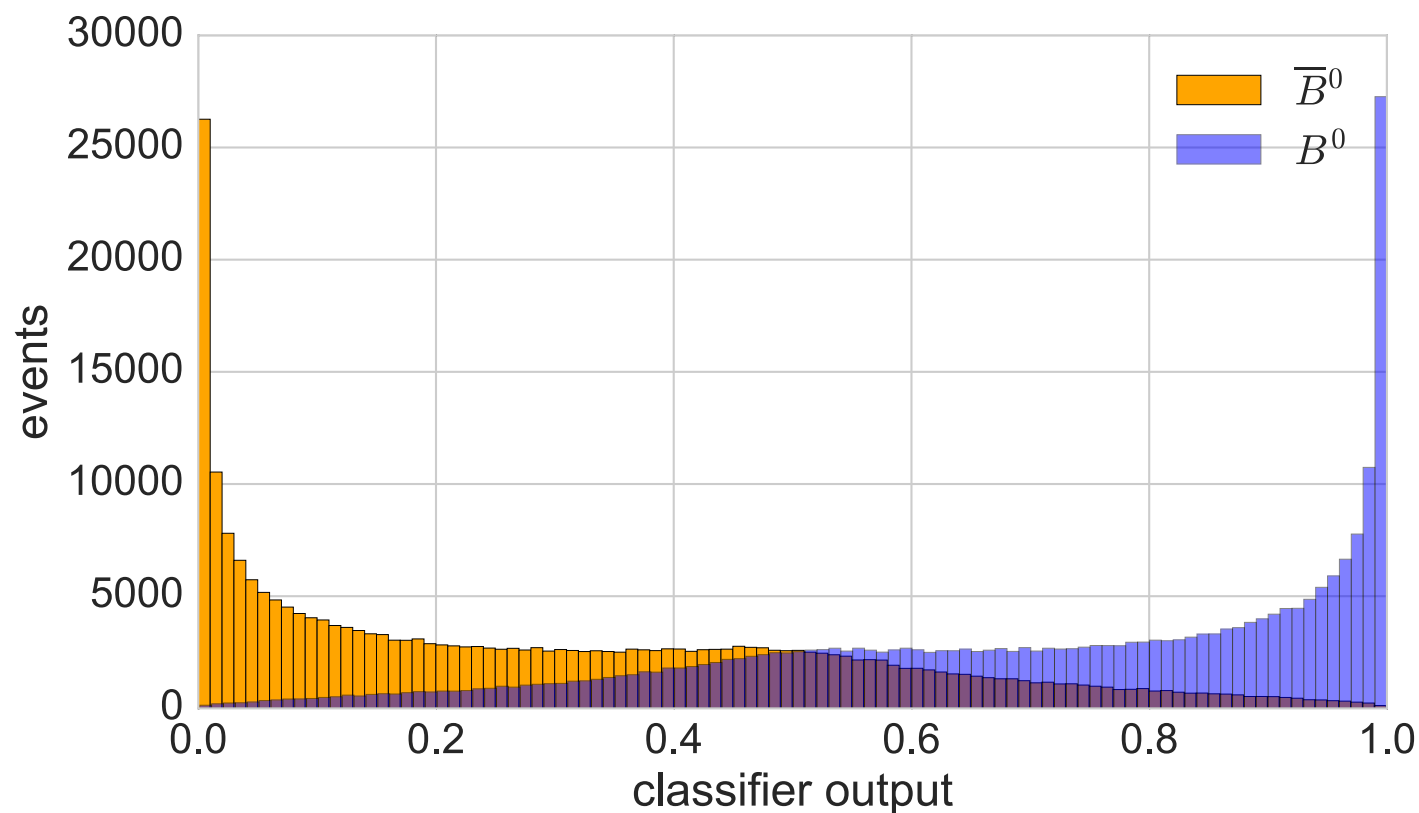
- Great playground for deep learning:
 - Human made high-level categories **versus** full set of input observables

Features	
■	10 charged tracks at maximum
■	sorted by momentum, grouped by charge
■	p_{CMS} , $\cos(\theta_{CMS})$, ϕ_{CMS}
■	electron, pion, muon, kaon, proton ID
■	hit count of the Belle II-tracking detectors (3)
■	track perigee (dr, dz)
■	pValue
■	overall 140 input features

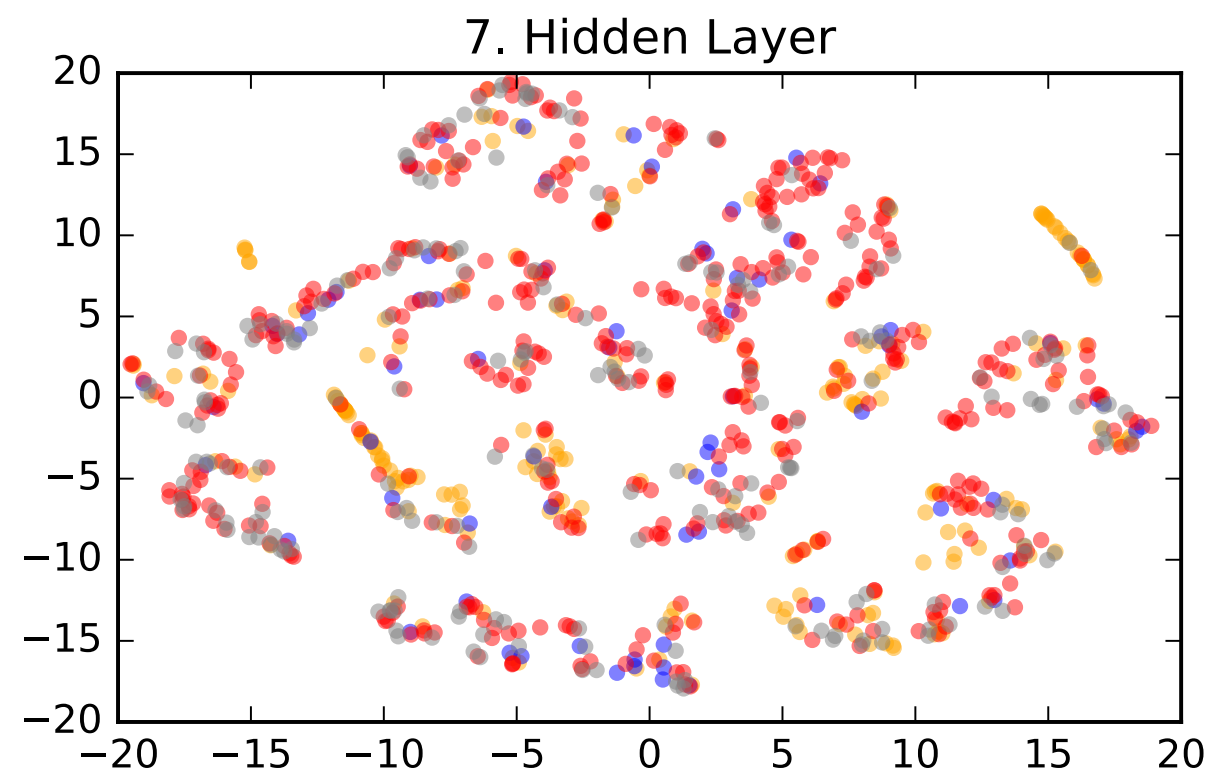
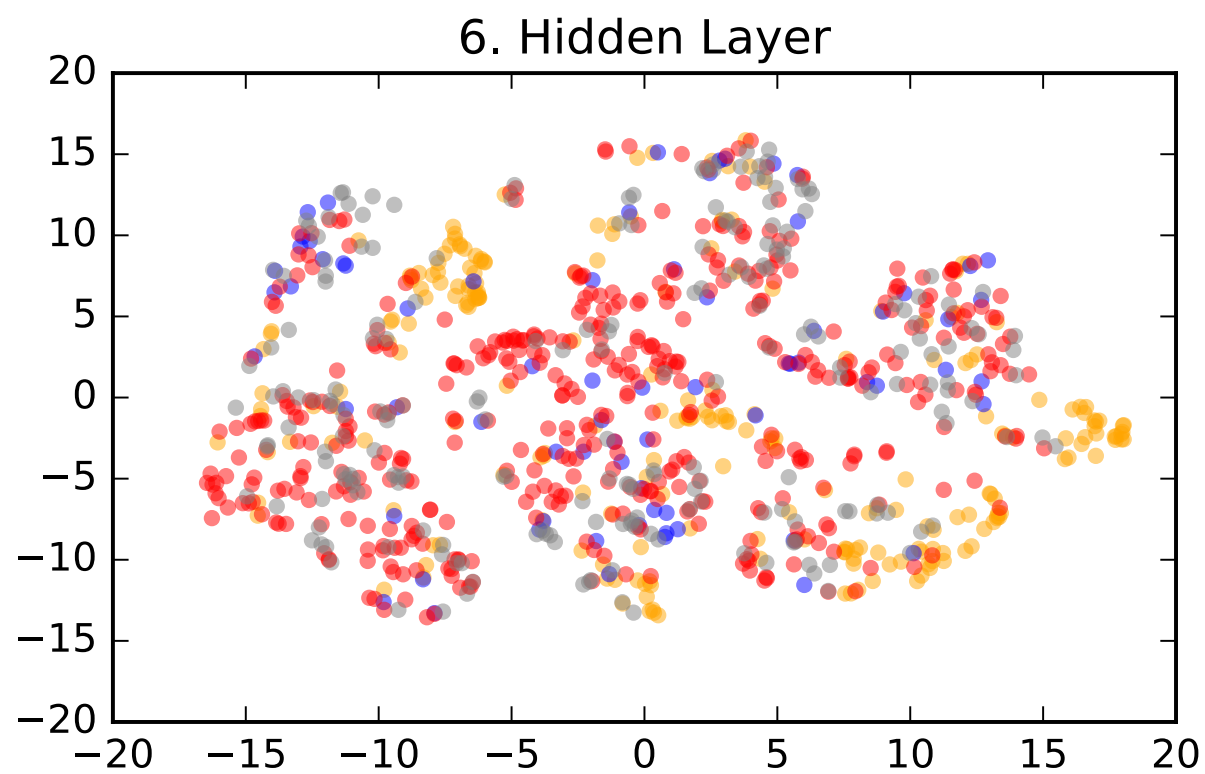
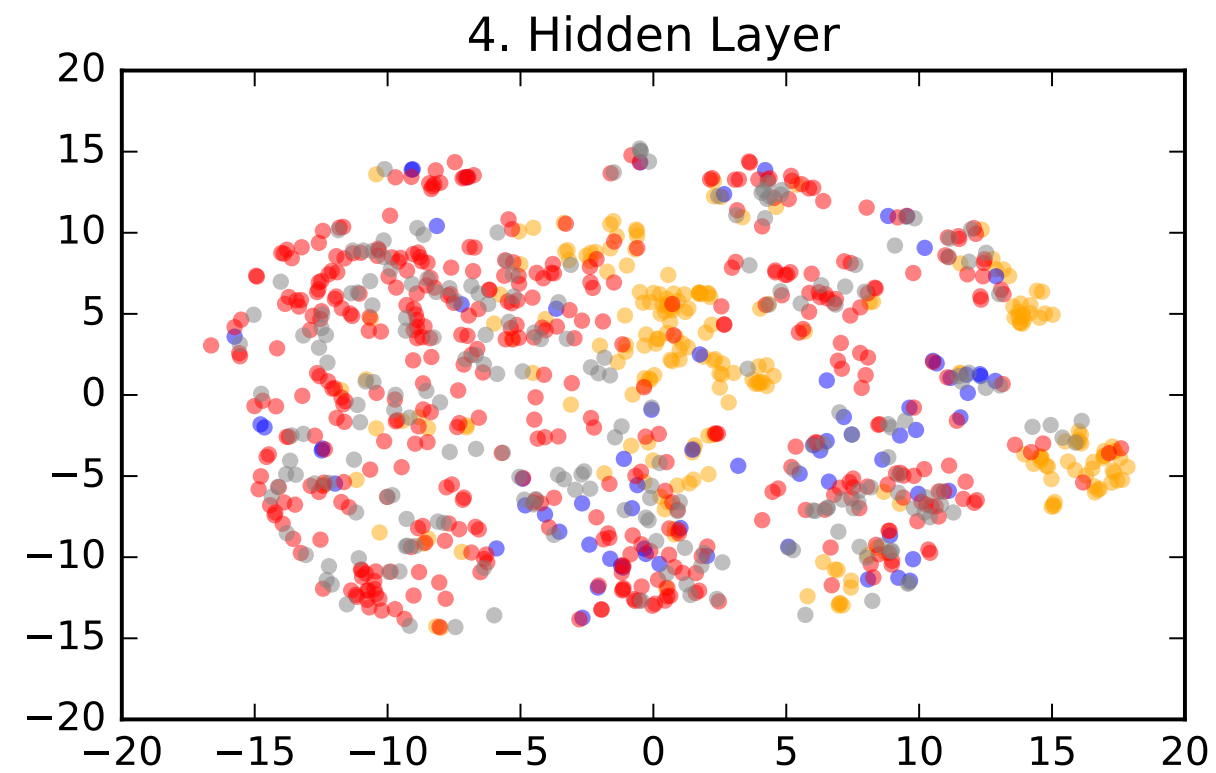
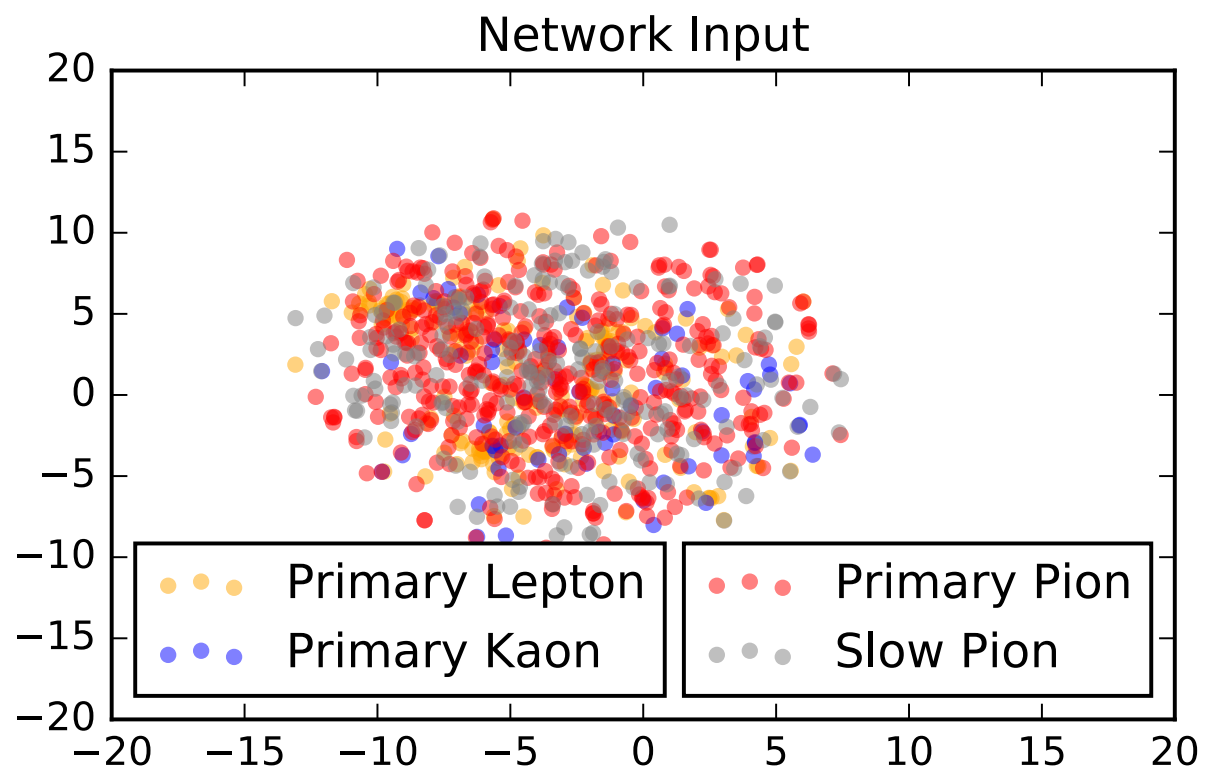


Flavour Tagger with Deep Neural Networks

- Great playground for deep learning:
 - Human made high-level categories **versus** full set of input observables

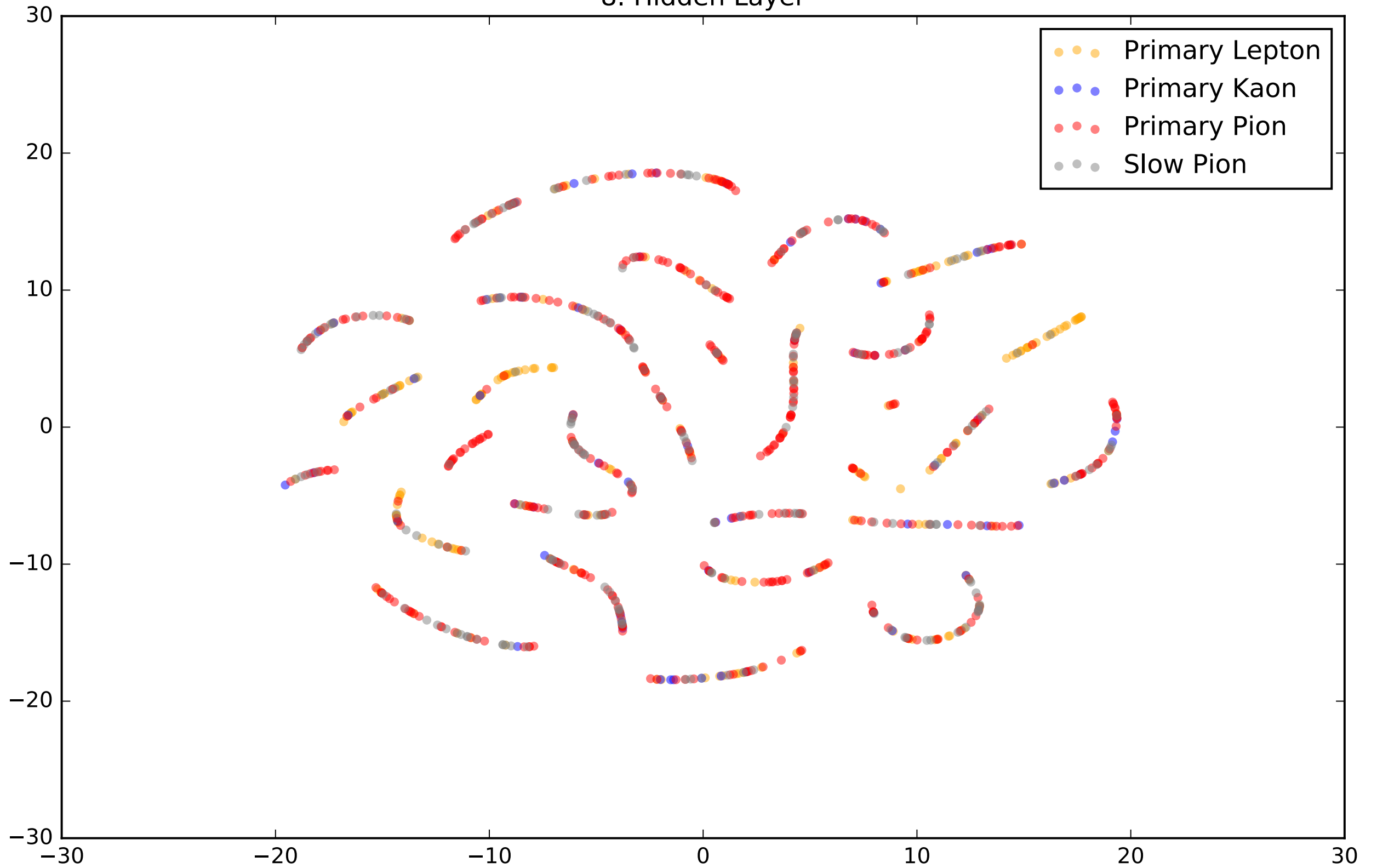


		Category Based	Deep Neural Network
Belle	$J/\psi K_S^0$	0.293 ± 0.01^1	0.3442 ± 0.0009

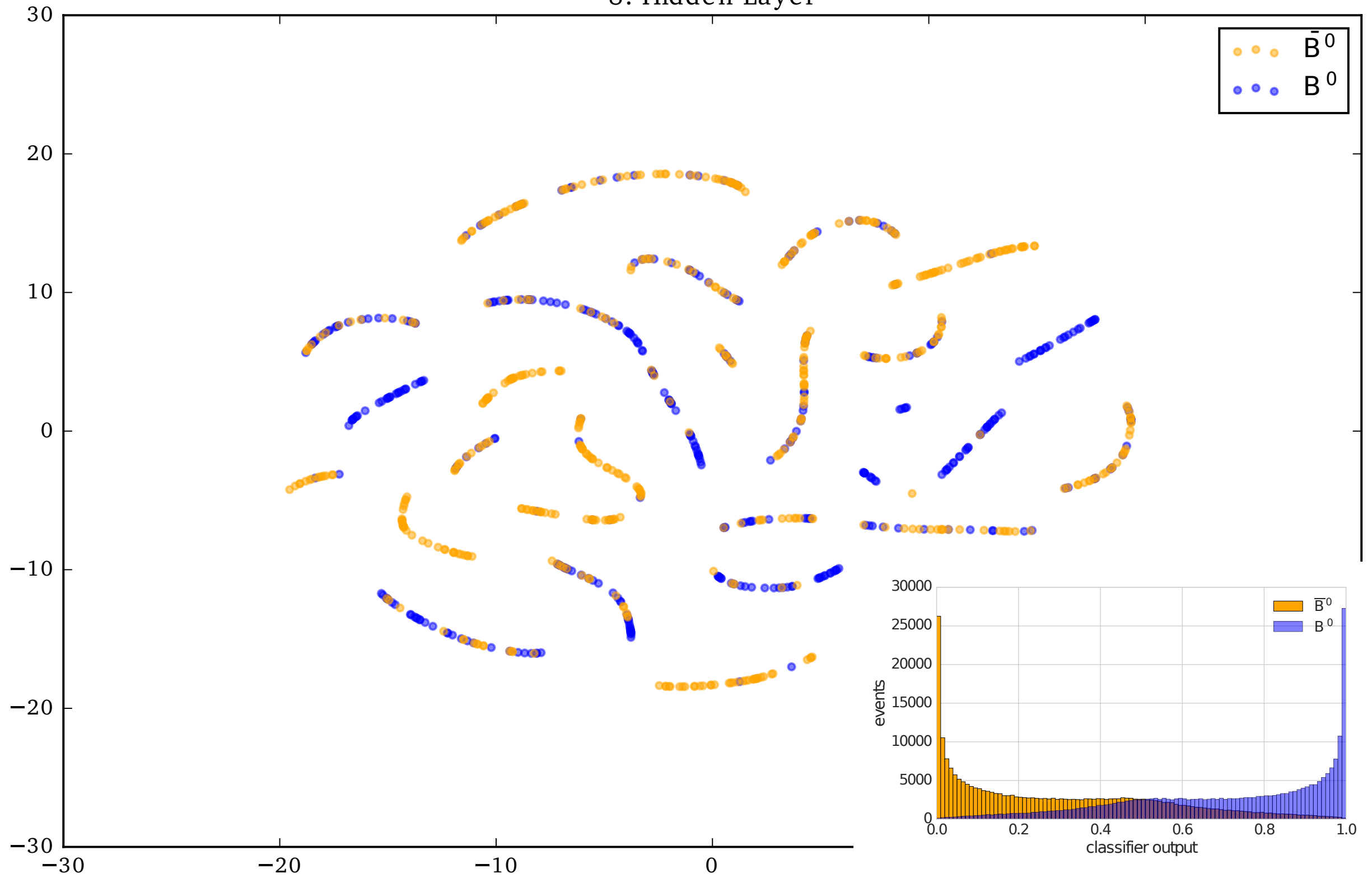


T-distributed Stochastic Neighbour Embedding (TSNE)

8. Hidden Layer



8. Hidden Layer

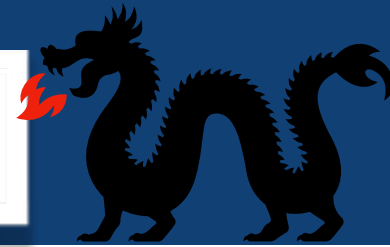


Excerpt of my work on the subject of semileptonic decays:

The $B \rightarrow \pi \tau \bar{\nu}_\tau$ decay in the context of the 2HDM type II

Florian U. Bernlochner¹

¹Physikalisches Institut der Rheinische Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany



A proposal to solve some puzzles in semileptonic B decays

Florian U. Bernlochner,¹ Zoltan Ligeti,² and Sascha Turczyk²

¹University of Victoria, Victoria, British Columbia, Canada V8W 3P

²Ernest Orlando Lawrence Berkeley National Laboratory, University of California, Berkeley, CA 94720

Phys.Rev. D85 (2012) 094033

Semileptonic $B_{(s)}$ decays to excited charmed mesons with e, μ, τ and searching for new physics with $R(D^{**})$

Florian U. Bernlochner¹ and Zoltan Ligeti²

¹Physikalisches Institut der Rheinischen Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany

²Ernest Orlando Lawrence Berkeley National Laboratory, University of California, Berkeley, CA 94720

Phys. Rev. D 95, 014022 (2017)

Tensions and correlations in $|V_{cb}|$ determinations

Florian U. Bernlochner,^{1,2} Zoltan Ligeti,³ Michele Papucci,³ and Dean J. Robinson⁴

¹Physikalisches Institut der Rheinischen Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany

²Karlsruher Institute of Technology, 76131 Karlsruhe, Germany

³Ernest Orlando Lawrence Berkeley National Laboratory, University of California, Berkeley, CA 94720, USA

⁴Physics Department, University of Cincinnati, Cincinnati OH 45221, USA

Phys. Rev. D 96, 091503 (2017)



BABAR

PHYSICAL REVIEW LETTERS

week ending
29 JANUARY 2016

Observation of $\bar{B} \rightarrow D^{(*)} \pi^+ \pi^- \ell^- \bar{\nu}_\ell$ Decays in e^+e^- Collisions at the $\Upsilon(4S)$ Resonance

J. P. Lees,¹ V. Poireau,¹ V. Tisserand,¹ E. Grauges,² A. Palano,^{3a,3b} G. Eigen,⁴ B. Stugu,⁴ D. N. Brown,⁵ L. T. Kerth,⁵ Yu. G. Kolomensky,⁵ M. J. Lee,⁵ G. Lynch,⁵ H. Koch,⁶ T. Schroeder,⁶ C. Hearty,⁷ T. S. Mattison,⁷ J. A. McKenna,⁷ R. Y. So,⁷ A. Khan,⁸ V. E. Blinov,^{9a,9b,9c} A. R. Buzykaev,^{9a} V. P. Druzhinin,^{9a,9b} V. B. Golubev,^{9a,9b} E. A. Kravchenko,^{9a,9b} A. P. Onuchin,^{9a,9b,9c} S. I. Serednyakov,^{9a,9b} Yu. I. Skovpen,^{9a,9b} E. P. Solodov,^{9a,9b} K. Yu. Todyshev,^{9a,9b} A. J. Lankford,¹⁰ J. W. Gary,¹¹ O. Long,¹¹ M. Franco Sevilla,¹² T. M. Hong,¹² D. Kovalskyi,¹² J. D. Richman,¹² C. A. West,¹² A. M. Eisner,¹³ W. S. Lockman,¹³ W. Panduro Vazquez,¹³ B. A. Schumm,¹³ A. Seiden,¹³ D. S. Chao,¹⁴ C. H. Cheng,¹⁴ B. Echenard,¹⁴ K. T. Flood,¹⁴ D. G. Hitlin,¹⁴ J. Kim,¹⁴ T. S. Miyashita,¹⁴ P. Ongmongkolkul,¹⁴ F. C. Porter,¹⁴ M. Röhrken,¹⁴

Phys. Rev. Lett. 116, 041801 (2016)

plus more (HAMMER, other to be published projects)

Phys. Rev. D 92, 115019 (2015)

Constraints on exclusive branching fractions
 $\mathcal{B}_i(B^+ \rightarrow X_c^i l^+ \nu)$ from moment measurements in inclusive
 $B \rightarrow X_c l \nu$ decays

Florian U. Bernlochner

University of Victoria, Victoria, British Columbia, Canada V8W 3P

Eur.Phys.J. C74 (2014) no.6, 2914

Model independent analysis of semileptonic B decays to D^{**} for arbitrary new physics

Florian U. Bernlochner,^{1,2} Zoltan Ligeti,³ and Dean J. Robinson⁴

¹Physikalisches Institut der Rheinischen Friedrich-Wilhelms-Universität Bonn, 53115 Bonn, Germany

²Karlsruher Institute of Technology, 76131 Karlsruhe, Germany

³Ernest Orlando Lawrence Berkeley National Laboratory, University of California, Berkeley, CA 94720, USA

⁴Physics Department, University of Cincinnati, Cincinnati OH 45221, USA

Phys. Rev. D 97, 075011 (2018)

Combined analysis of semileptonic B decays to D and D^* :

$R(D^{(*)})$, $|V_{cb}|$, and new physics

Florian U. Bernlochner,¹ Zoltan Ligeti,² Michele Papucci,² and Dean J. Robinson³

Phys. Rev. D 95, 115008 (2017)



Precise determination of the CKM matrix element $|V_{cb}|$ with
 $\bar{B}^0 \rightarrow D^{*+} \ell^- \bar{\nu}_\ell$ decays with hadronic tagging at Belle

A. Abdesselam,⁹³ I. Adachi,^{20,16} K. Adamczyk,⁶⁷ H. Aihara,¹⁰¹ S. Al Said,^{93,42}

BELLE-CONF-1612

New predictions for $\Lambda_b \rightarrow \Lambda_c$ semileptonic decays and tests of heavy quark symmetry

Florian U. Bernlochner,¹ Zoltan Ligeti,² Dean J. Robinson,^{2,3} and William L. Sutcliffe¹

accepted by PRL