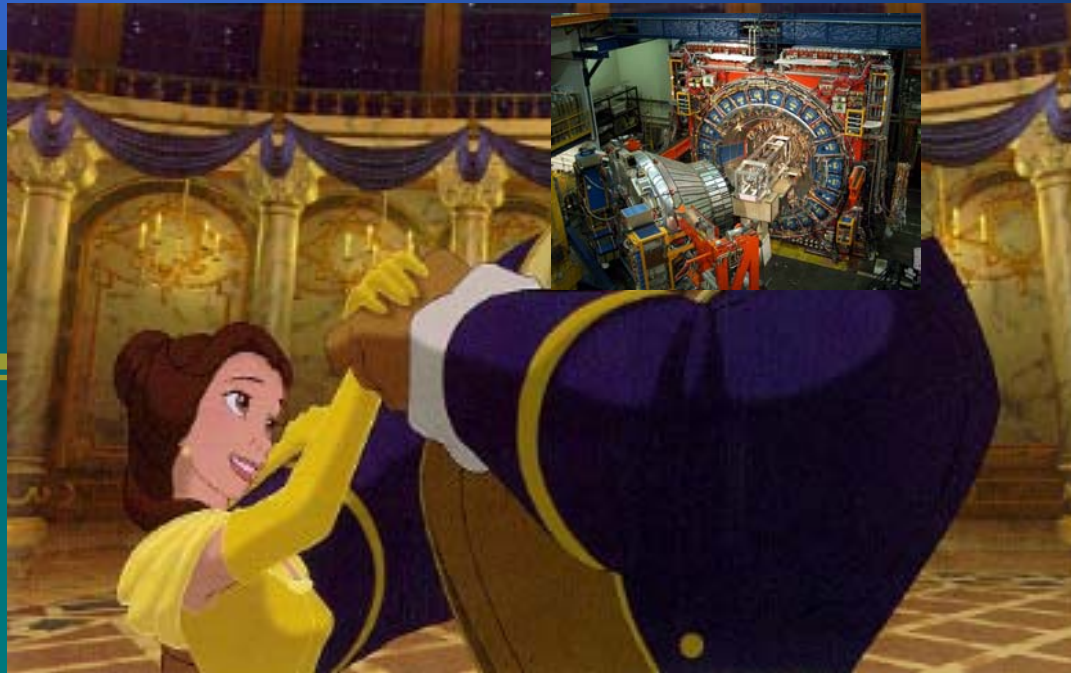


# Beauty(ful) and Charm(ing) physics with CDF II



Mario Campanelli  
DPNC Université de Genève

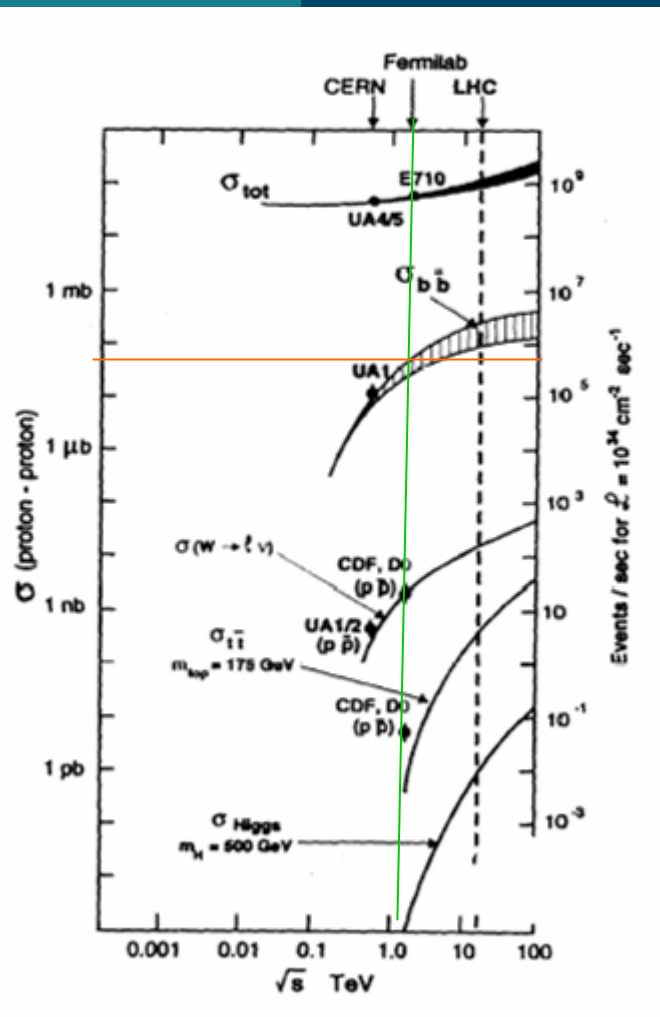
# Introduction: why?

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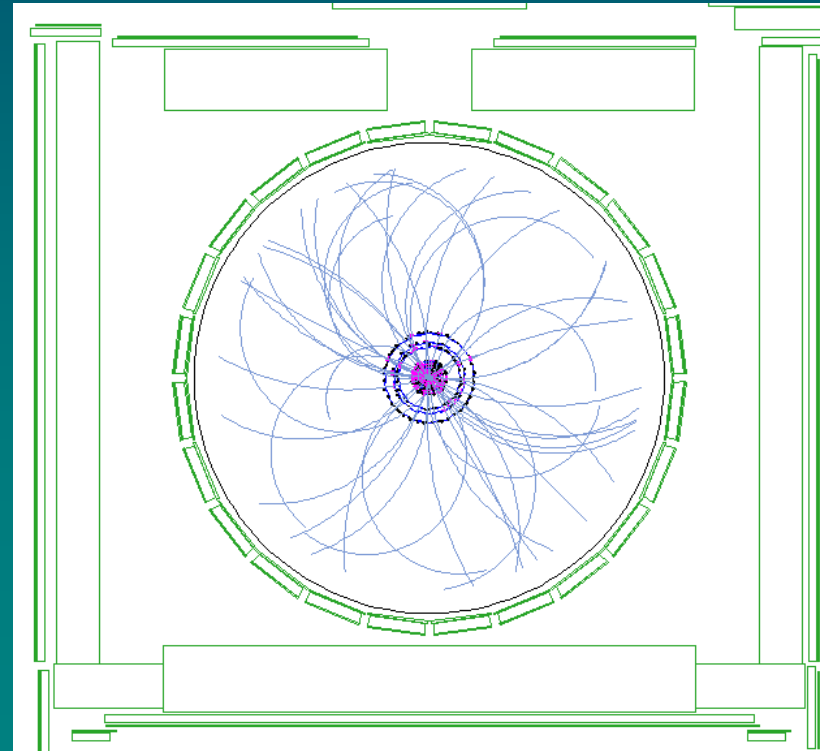
- CDF is known in the physics community for having discovered the top quark, and running at the world's largest energy accelerator
- Does it make sense to study low-energy events, a field dominated by dedicated experiments running at b factories?

# Introduction: why b physics at Tevatron



- Extremely high cross section
- Access to heavy states ( $B_s, \Lambda_b$ )
- Relatively “clean” events

$\sigma(bb)$ :  
 • TeV  $\approx 50$   
 $\mu\text{b}$ ,  $\text{cc} \times 10$   
 •  $\Upsilon(4S) \approx 1 \text{ nb}$   
 •  $Z^0 \approx 7 \text{ nb}$



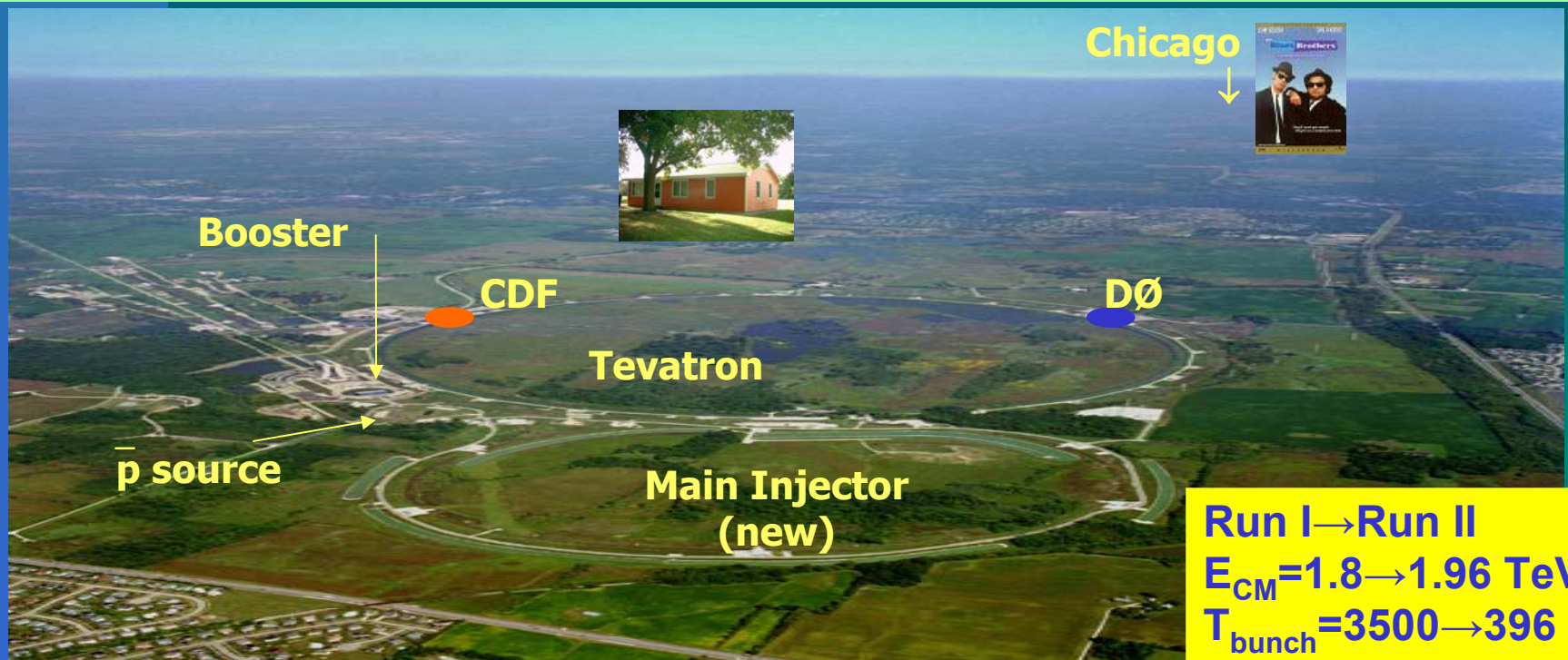
# Introduction: why b physics at Tevatron

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- However:
  - Luminosity factor 1000 lower than b-factories
  - Not optimal calorimetry (and PID)
  - Large backgrounds (important combinatorics, trigger issues)
- Not obvious *a priori*: more details, please!

# The accelerator

- The Tevatron is the largest-energy accelerator ever built.
- It serves two collider experiments (CDF and D0), plus several fixed targets (KTeV, NuTeV, DoNuT etc.)
- From 2001 it started phase 2 to increase collider luminosity

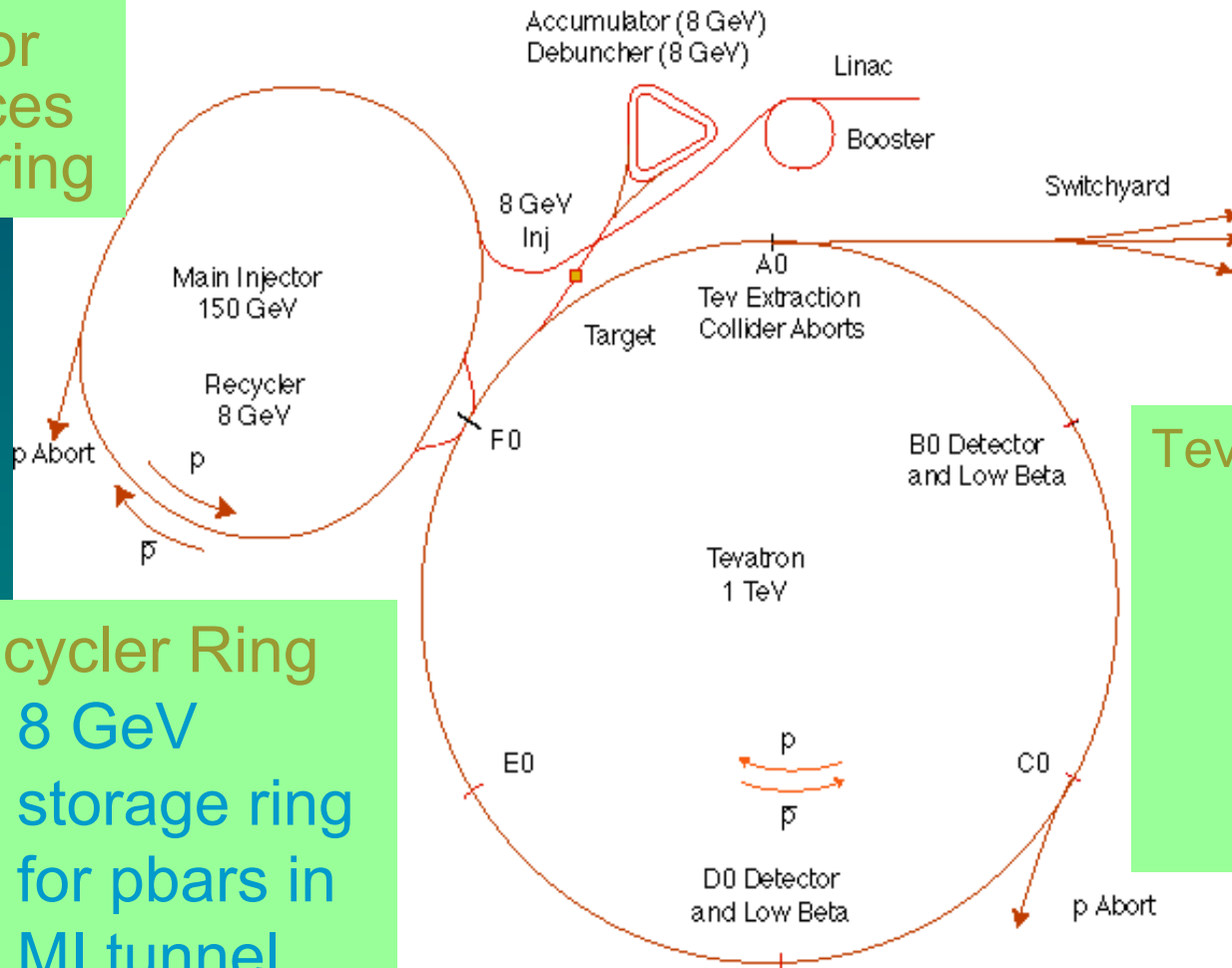


# Changes between Run I -> Run II

■ Main injector replaces main ring

Recycler Ring  
8 GeV  
storage ring  
for pbars in  
MI tunnel

Fermilab Tevatron Accelerator With Main Injector

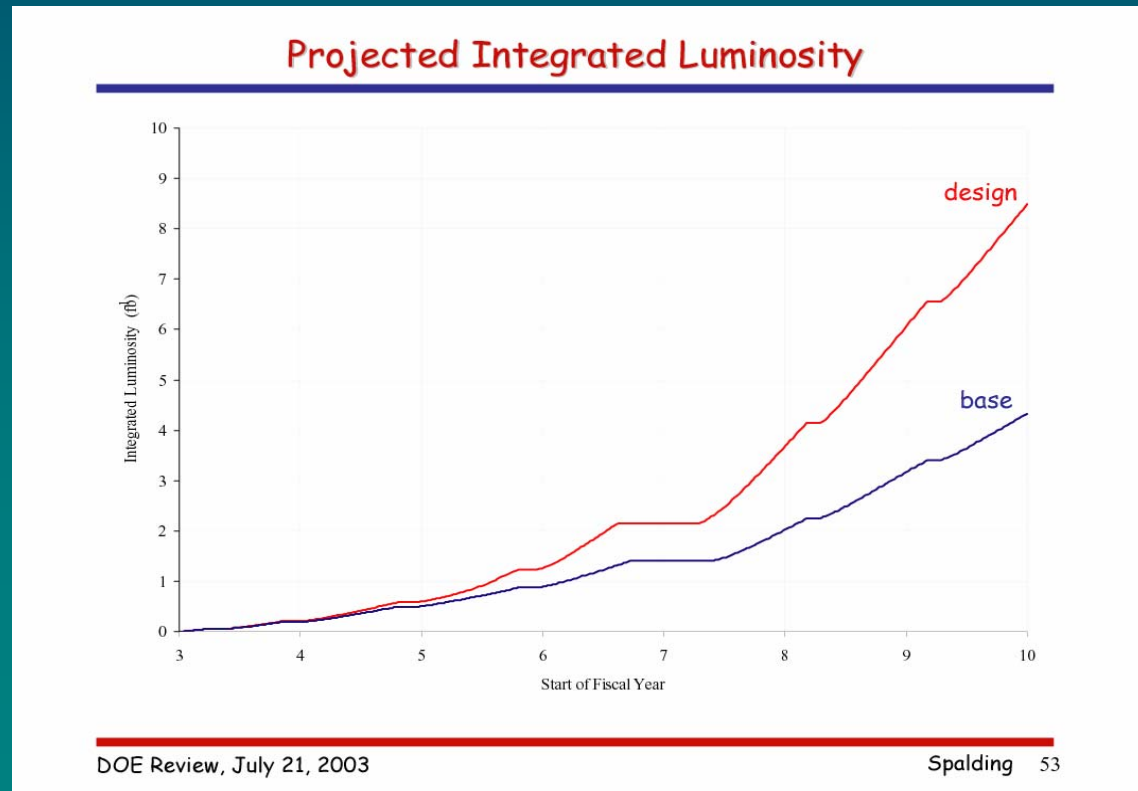


Tevatron  
# bunches:  
6x6 ->  
36x36  
Two-stage  
collimation  
system

# Initial and revised luminosity goals

- Initial planning for RunII was to achieve instantaneous luminosities of  $2 \times 10^{32}$ , for an integrated luminosity of  $2 \text{ fb}^{-1}$  over a 2-3 year period and  $15 \text{ fb}^{-1}$  before LHC.

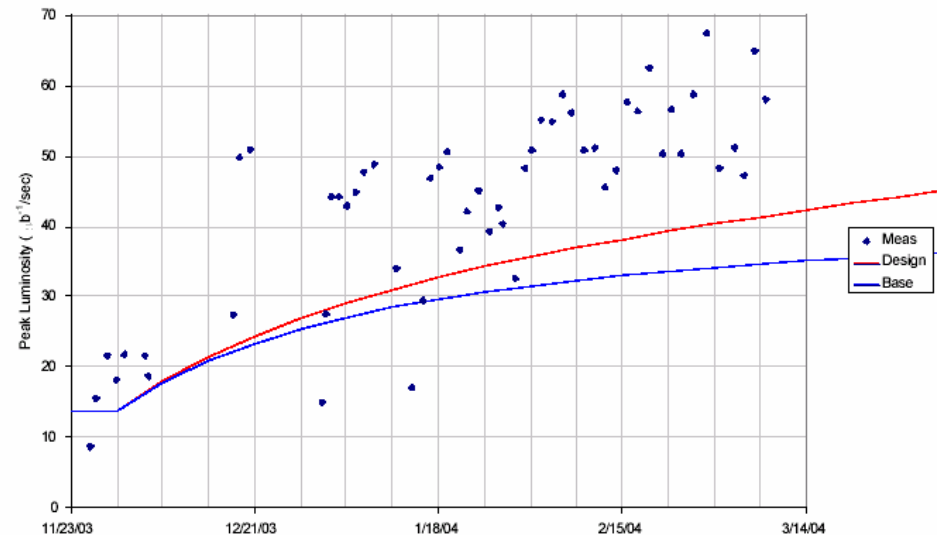
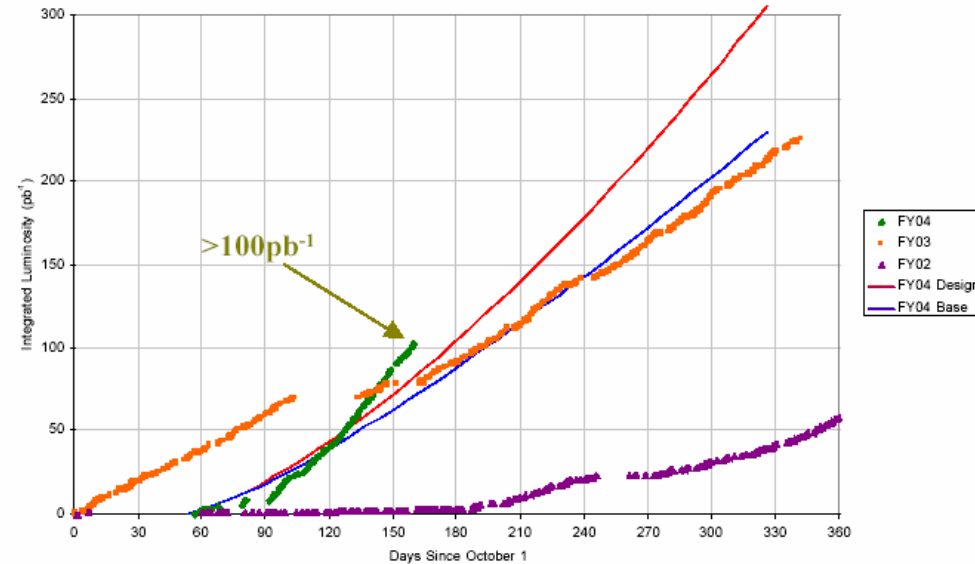
- First goals were not reached, schedule revised by DOE reviews (oct. 2002, july 2003)





# The progress of Tevatron luminosity

- 1.5 years after that looks like the accelerator is much better understood, performances exceed (revised) expectations, still far from design goals





# Reasons for improvements

## Fight for better Tevatron

	10/02	03/03	09/03	02/04	p/p only
Record Luminosity, e30	36	41	50	63	n/a
Protons/bunch	170e9	205e9	245e9	245e9	same
Pbars/bunch	22e9	23e9	25e9	30e9	same
P-loss at 150 GeV	14%	10%	8%	5%	5%
Pbar-loss at 150	9%	4%	2%	2%	2%
P-loss on ramp	6%	5%	5%	4%	3% *
Pbar-loss on ramp	8%	11%	8%	6%	2%
Pbar-loss in squeeze	5%	2%	3%	1%	0%
... at the beginning of store:					
Pbar lifetime at HEP, hr	~40	~35	~35	~30	~900
Proton lifetime at HEP, hr	~90	~60	~20	~100	~300 *
Eff.emittance lifetime, hr	~14	~26	~31	~16	n/a
Luminosity lifetime, hr	~10	~13	~10	~9	n/a



# Collider Detector Fermilab

## Muon Chamber (collision hall)

- position and  $p_T$
- 4 systems of scintillators and proportional chambers
- min scattering resolution  $[12/p; 25/p]$  cm/p

## TOF

- time
- Scintillators
- 100 ns resolution

## Solenoid (1.4 T)

## CENTRAL and PLUG Calorimeter

- energy and direction
- 2 systems of passive layers-scintillators

## COT

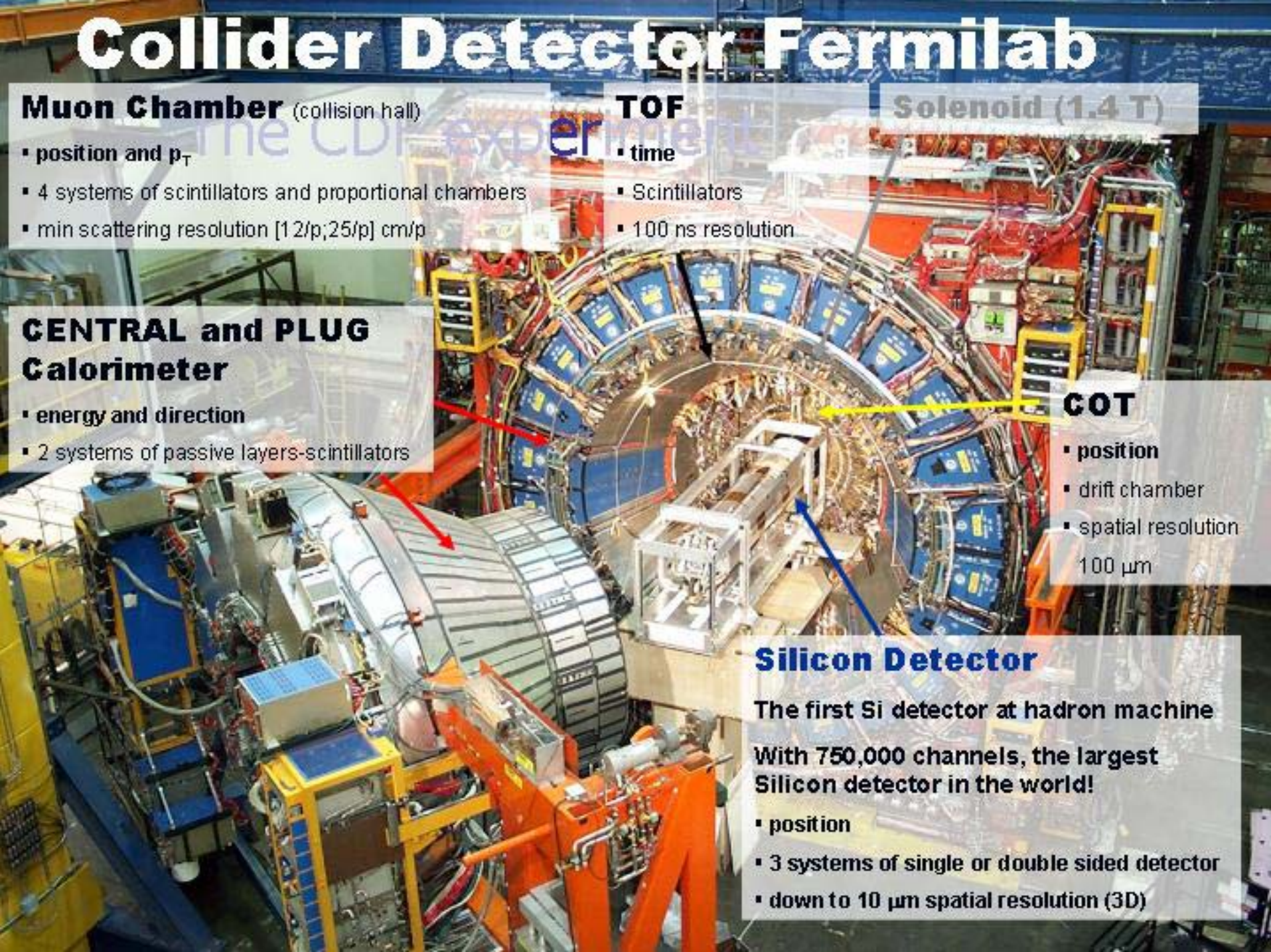
- position
- drift chamber
- spatial resolution  
100  $\mu\text{m}$

## Silicon Detector

The first Si detector at hadron machine

With 750,000 channels, the largest Silicon detector in the world!

- position
- 3 systems of single or double sided detector
- down to 10  $\mu\text{m}$  spatial resolution (3D)





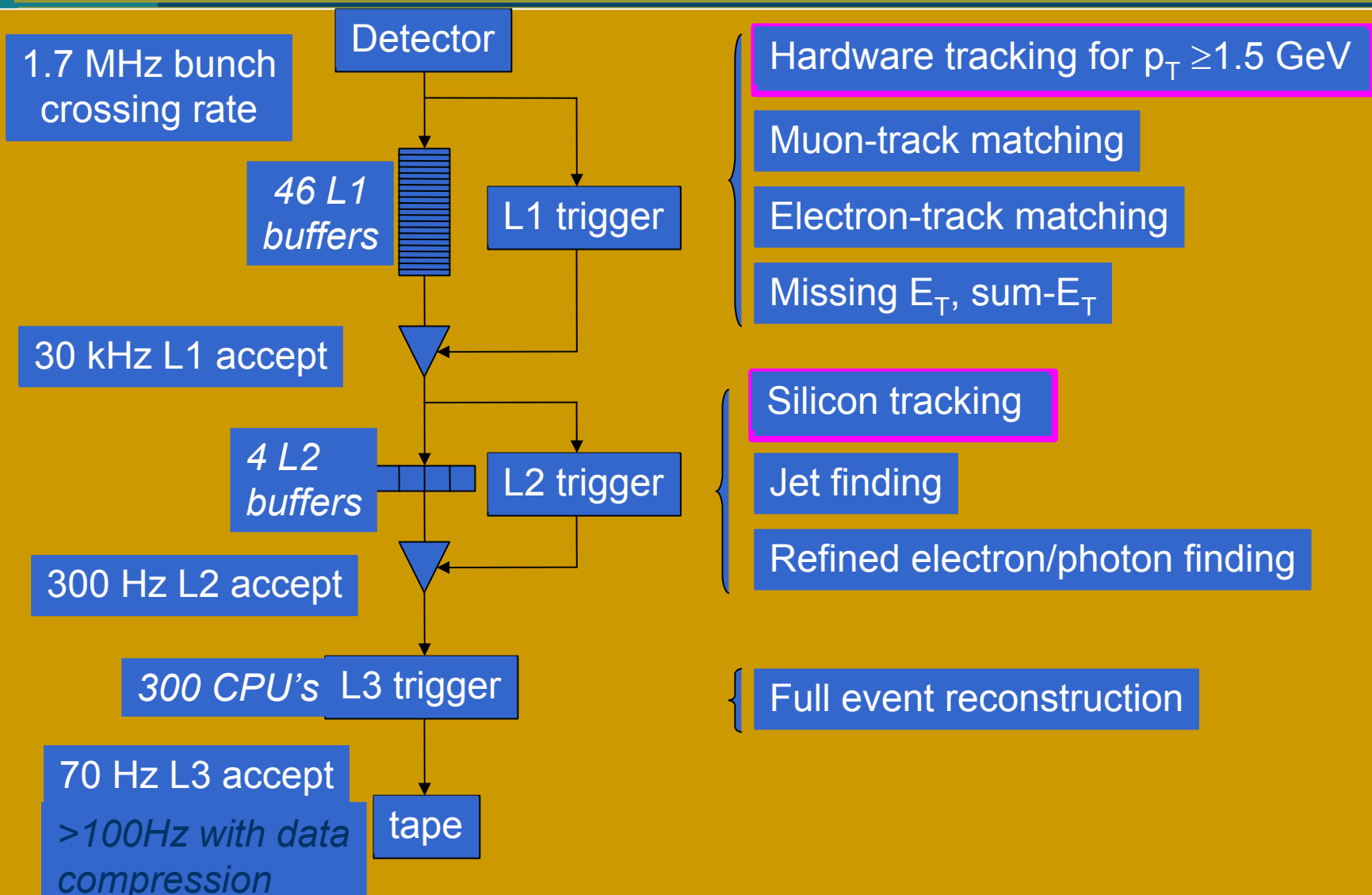
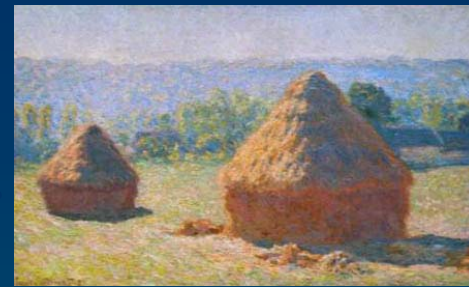
# Trigger issues

1.7 MHz events in central region  
Only 70 Hz can be stored on tape

Process	Cross-section	Event Rate
Inelastic pp	60 mb	6 MHz
pp $\rightarrow$ bb (b $p_T > 6$ GeV, $ \eta  < 1$ )	10 $\mu$ b	1 kHz
pp $\rightarrow$ WX $\rightarrow$ $\ell$ v X	5 nb	0.4 Hz
pp $\rightarrow$ ZX $\rightarrow$ $\ell\ell$ X	0.5 nb	0.04 Hz
pp $\rightarrow$ tt $\rightarrow$ WWbb $\rightarrow$ $\ell$ v bb X	2 pb	0.0002 Hz
pp $\rightarrow$ WH $\rightarrow$ $\ell$ v bb ( $M_H = 120$ GeV)	15 fb	15 $10^{-7}$ Hz

Assume  $L = 100 \times 10^{30} \text{ cm}^{-2}\text{s}^{-1}$ ,  $\ell$  = electron or muon

# Finding needles in haystacks: the CDF trigger



# Strategies to trigger on Heavy Flavors

- Di-lepton - dilepton sample
  - $p_T(\mu/e) > 1.5/4.0$  GeV/c
  - $J/\psi$  modes, masses, lifetime, x-section
  - Yield 2x Run I (low Pt threshold, increased acceptance)
- lepton + displaced track - semileptonic sample
  - $p_T(e/\mu) > 4$  GeV/c  $120 \mu\text{m} < d_0(\text{Trk}) < 1\text{mm}$ ,  $p_T(\text{Trk}) > 2$  GeV/c
  - Semileptonic decays, Lifetimes, flavor tagging.
  - B Yields 3x Run I
- Two displaced vertex tracks - hadronic sample
  - $p_T(\text{Trk}) > 2$  GeV/c,  $120 \mu\text{m} < d_0(\text{Trk}) < 1\text{mm}$ ,  $S p_T > 5.5$  GeV/c
  - Branching ratios, Bs mixing, ...

Traditional

New!

New!

# eXtremely Fast Tracker

## Heart of CDF Run II trigger

L1 tracks  $p_T > 1.5 \text{ GeV}$  every 132ns

Efficiency = 96%  $\sigma(\Phi) = 5 \text{ mrad}$

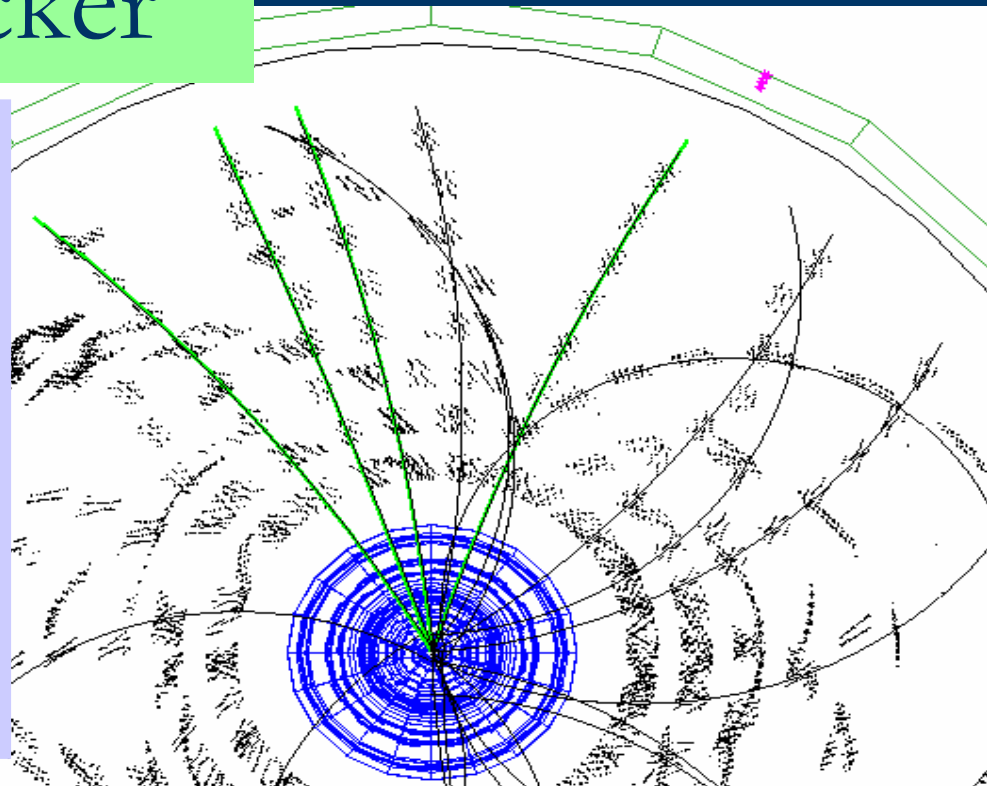
$\sigma(p_T) = (1.74 p_T)\%$

L1 electron = L1 track + EM cluster

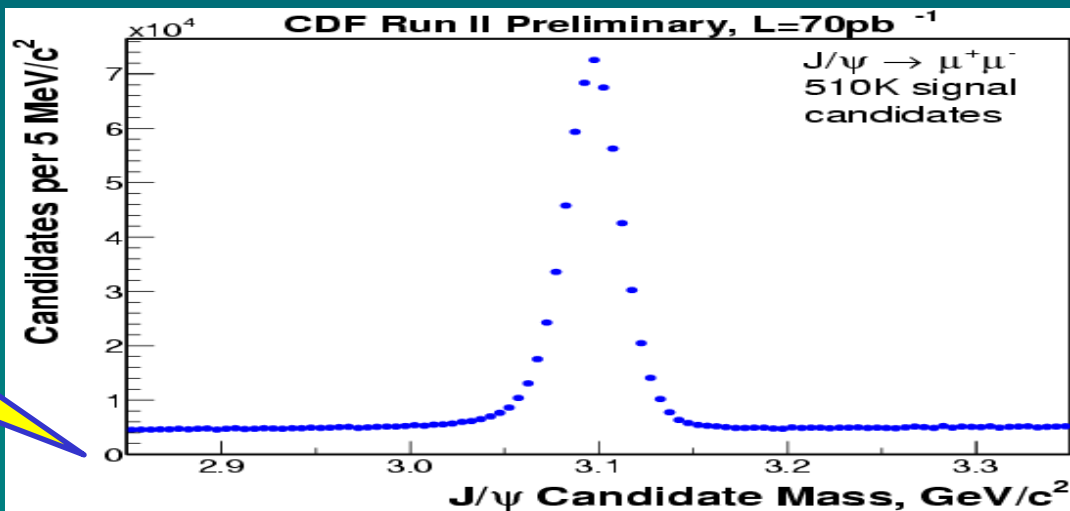
L1 muon = L1 track + muon stub

L1 high  $p_T$  lepton triggers for W/Z

L1 low  $p_T$  lepton/track triggers for B



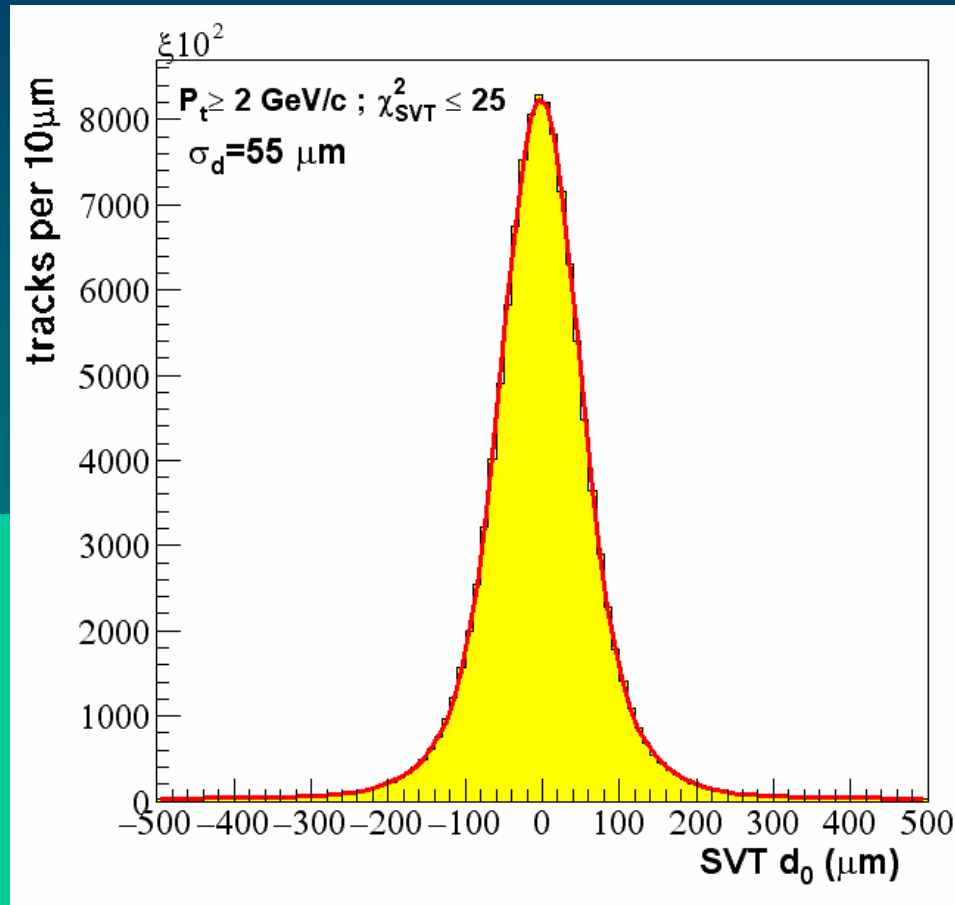
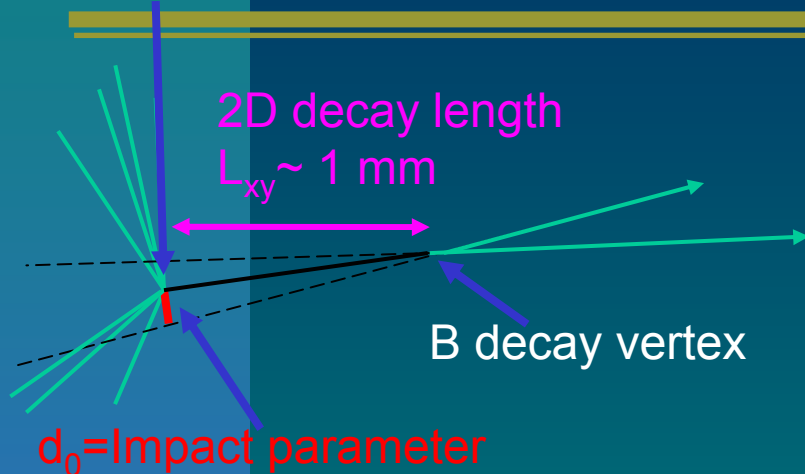
Low  $p_T$  di-muon trigger:  
2 L1 muons  $p_T > 1.5 \text{ GeV}$   
Collect  $J/\Psi$ 's for calibration  
and B physics



# The SVT

Exploit long b, c lifetimes in Trigger  
L1 track + Si hits = Impact parameter @L2  
A first at a hadron collider!  
CDF is a charm/ B Factory!

Proton-antiproton  
collision point



**Lepton ( $e, \mu$ ) + displaced track**

Lepton:  $p_T > 4 \text{ GeV}$

Track:  $p_T > 2 \text{ GeV}, d_0 > 120 \mu\text{m}$

Semi-leptonic B decays ( $B \rightarrow \ell \nu X$ )

**Displaced two track trigger**

Tracks:  $p_T > 2 \text{ GeV}, d_0 > 120 \mu\text{m}$

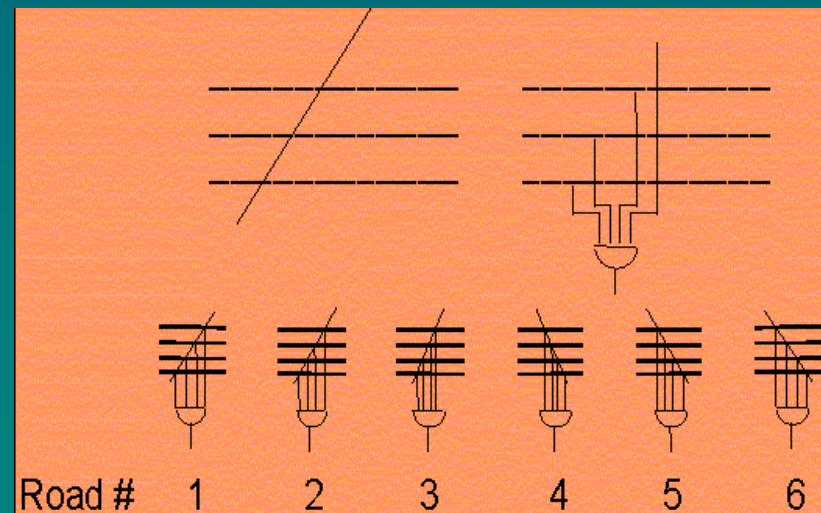
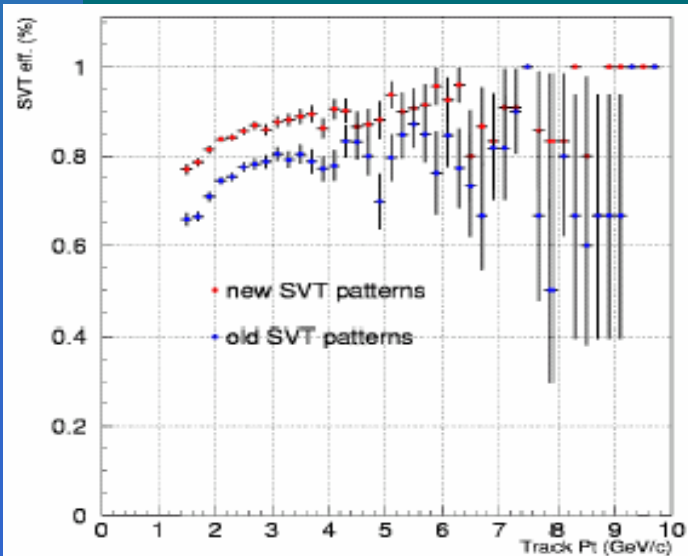
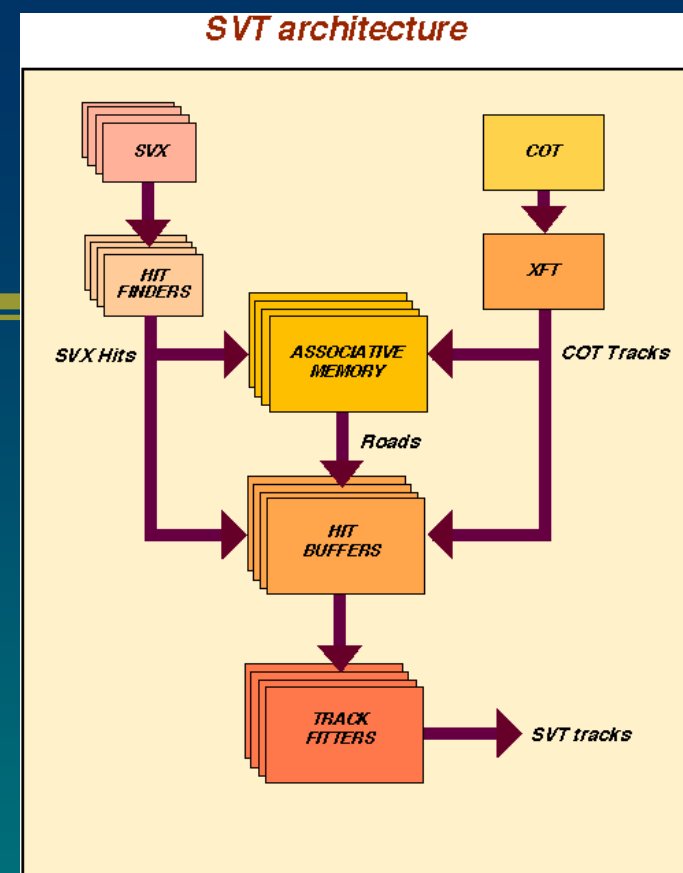
$\Sigma p_T > 5.5 \text{ GeV}$

Fully hadronic B decays ( $B \rightarrow hh', B_s \rightarrow D_s \pi, D \rightarrow K\pi \dots$ )



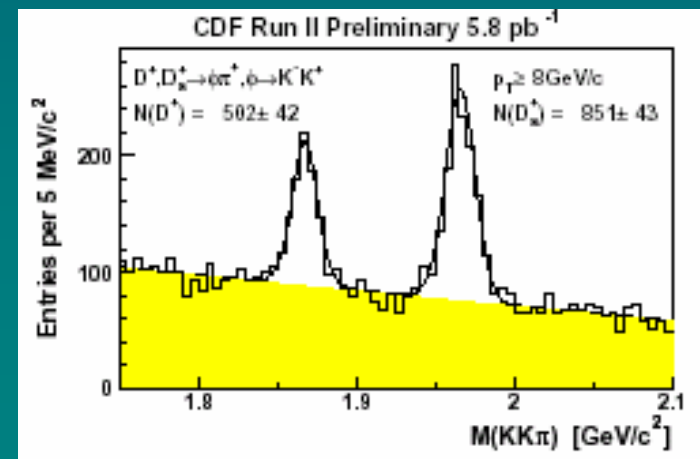
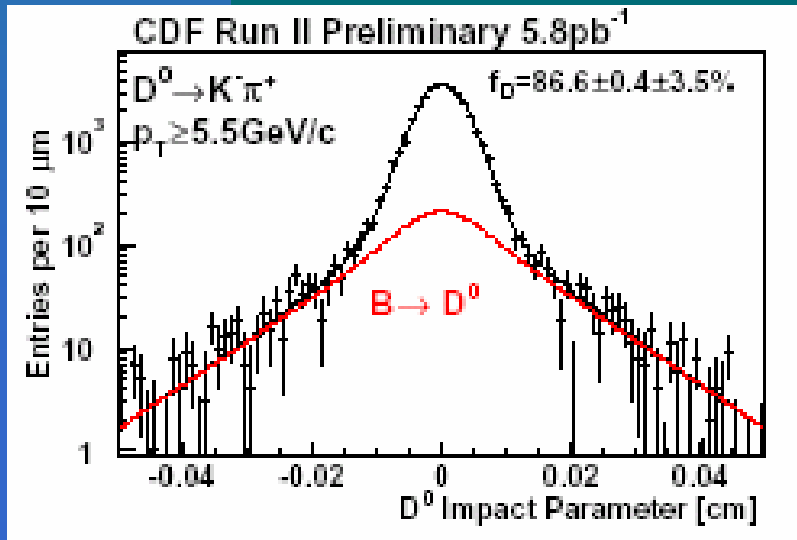
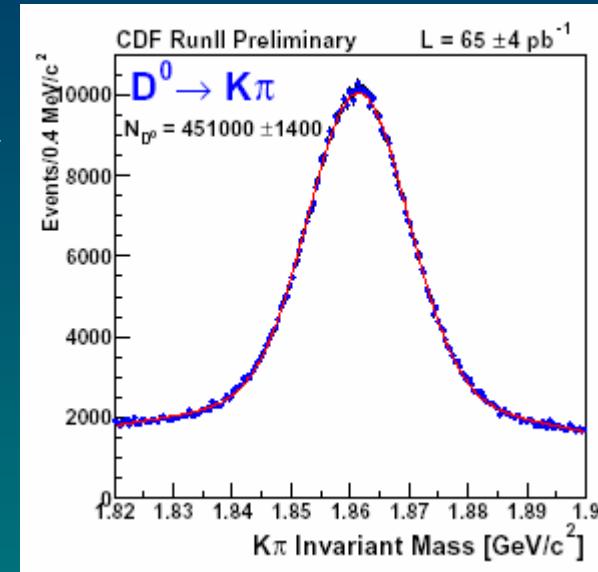
# The SVT

The Silicon Vertex tracker allows reconstructing track parameters (including impact parameter) on-line. Based on an associative memory, pre-defined roads stored and compared to detector information.

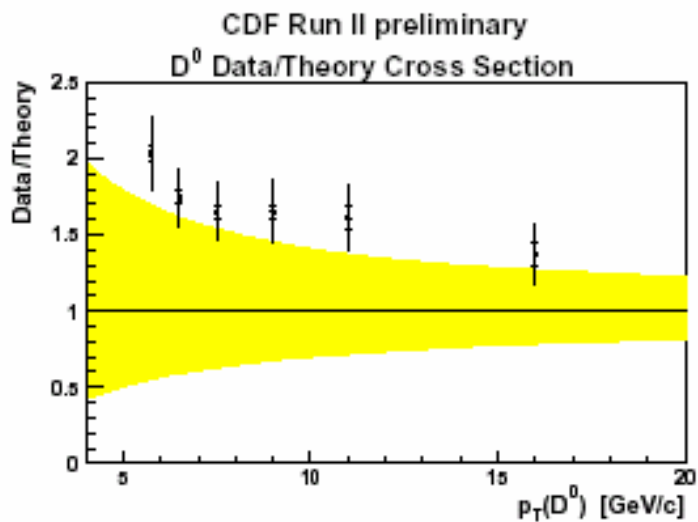
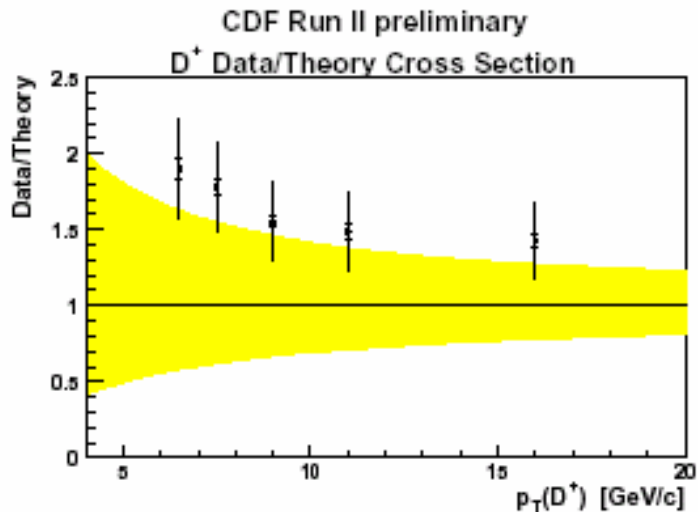


# Now we know what the C in CDF stands for... (K.Pitts, LP'03)

- Two-Track Trigger :  
 $p_T > 2 \text{ GeV}$ ,  $d_0 > 100 \text{ m}$ ,  $\Sigma p_T > 5.5 \text{ GeV}$   
 selects a huge sample of  $D^0$   
 (prompt or from B)



# Charm cross section



Done with few runs (syst. lim)

- $\sigma(D^0)p_T > 5.5 \text{ GeV} = 13.3 \pm 0.2 \pm 1.5 \mu\text{b}$
- $\sigma(D^*)p_T > 6.0 \text{ GeV} = 5.2 \pm 0.1 \pm 0.8 \mu\text{b}$
- $\sigma(D^+)p_T > 6.0 \text{ GeV} = 4.3 \pm 0.1 \pm 0.7 \mu\text{b}$
- $\sigma(D^+_s)p_T > 8 \text{ GeV} = 0.75 \pm 0.05 \pm 0.22 \mu\text{b}$

Agrees with Cacciari Nason JHEP  
0309, 006 (2003), but on the high side

# Cabibbo-suppressed decays and asymmetries

D0 decays other than  $K\pi$  seen in mass plot.

$$\Gamma(D^0 \rightarrow KK) / \Gamma(D^0 \rightarrow K\pi) = 9.38 \pm 0.18 \pm 0.10\%$$

$$\Gamma(D^0 \rightarrow \pi\pi) / \Gamma(D^0 \rightarrow K\pi) = 3.686 \pm 0.076 \pm 0.036\%$$

compare with FOCUS (2003)

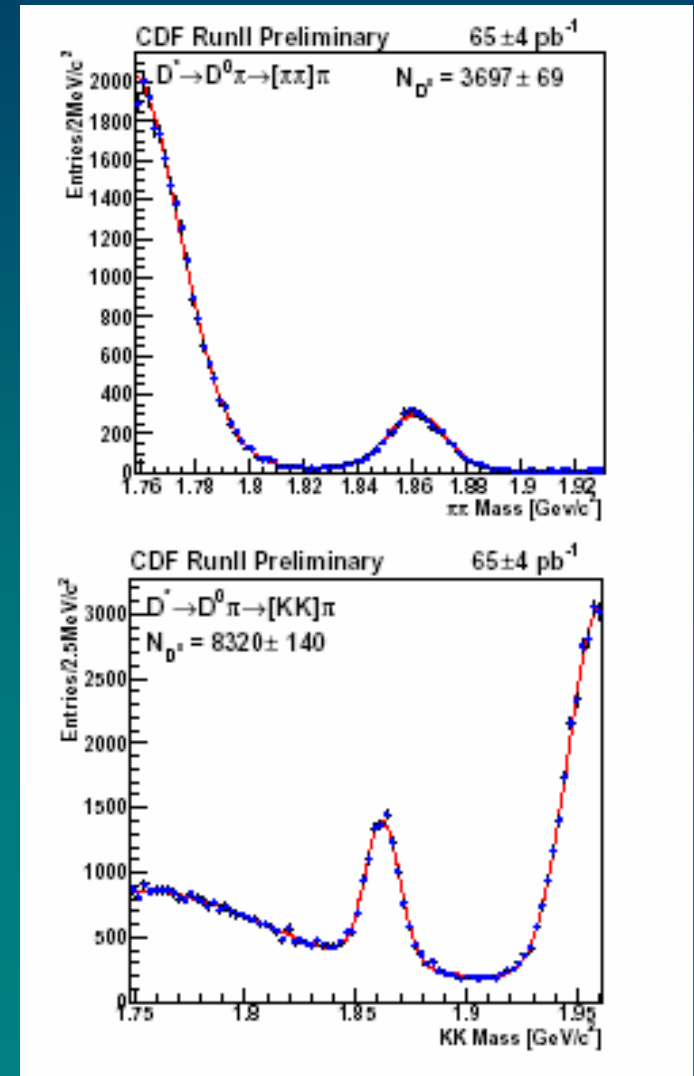
$$\Gamma(D^0 \rightarrow KK) / \Gamma(D^0 \rightarrow K\pi) = 9.93 \pm 0.14 \pm 0.14\%$$

$$\Gamma(D^0 \rightarrow \pi\pi) / \Gamma(D^0 \rightarrow K\pi) = 3.53 \pm 0.12 \pm 0.06\%$$

CP asymmetry: tagging the soft  $\pi$  from  $D^*$  decays.

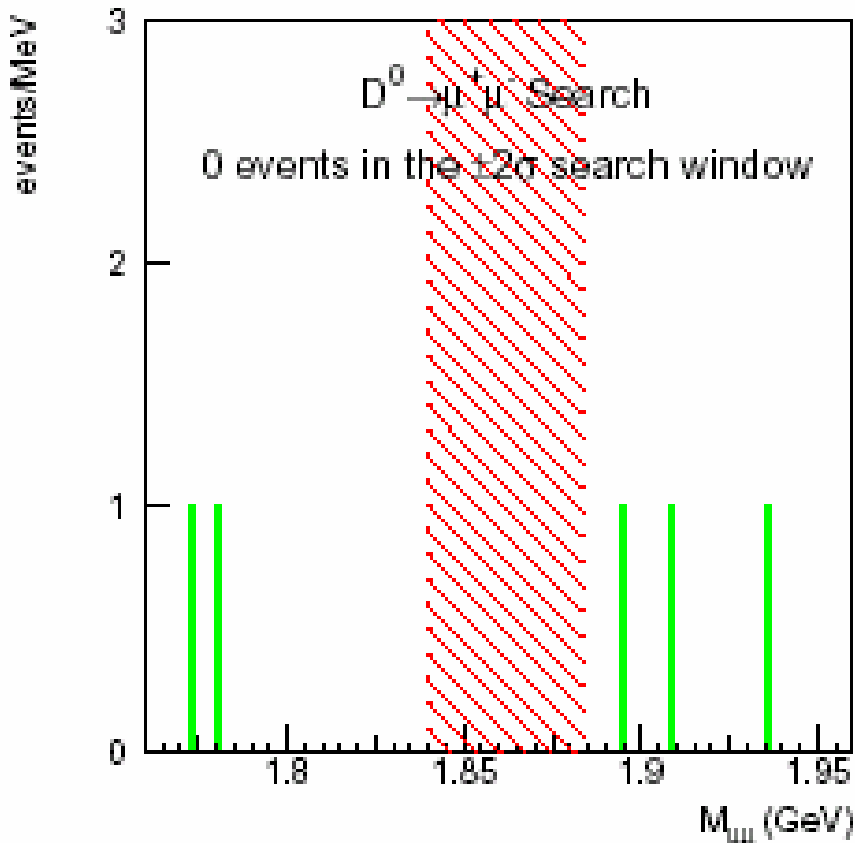
$$A(D^0 \rightarrow KK) = 2.0 \pm 1.7 \pm 0.6\%$$

$$A(D^0 \rightarrow \pi\pi) = 3.0 \pm 1.9 \pm 0.6\%$$



# FCNC $D^0 \rightarrow \mu \mu$ decays

CDF Run II Preliminary



SM Br is  $3 \times 10^{-13}$

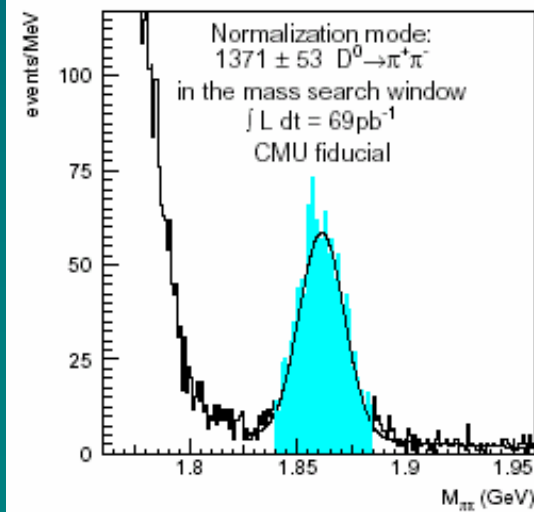
Can grow by  $10^7$  in R-violating SUSY

$D^0 \rightarrow \pi\pi$  used as reference sample

0 events observed,  $1.8 \pm 0.7$  from BG

$BR(D^0 \rightarrow \mu\mu) < 2.4 \times 10^{-6}$  at 90% CL  
(improves PDG by a factor 2)

CDF Run II Preliminary

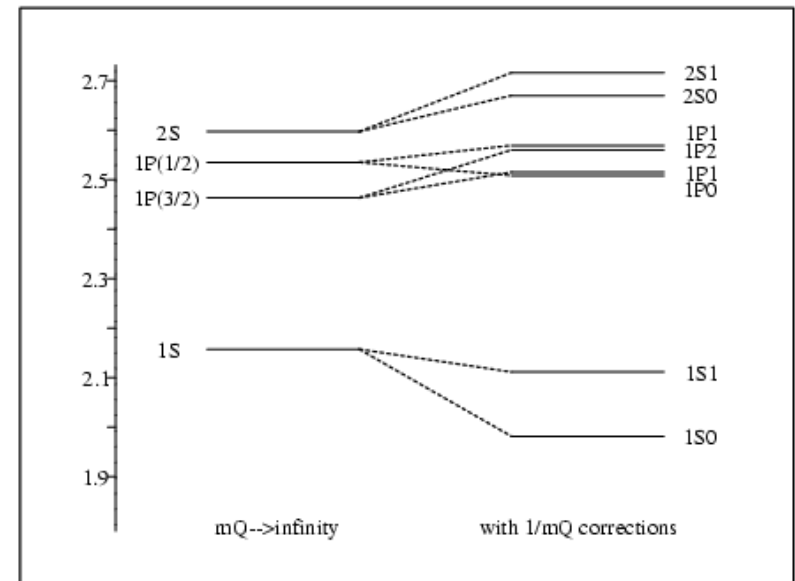
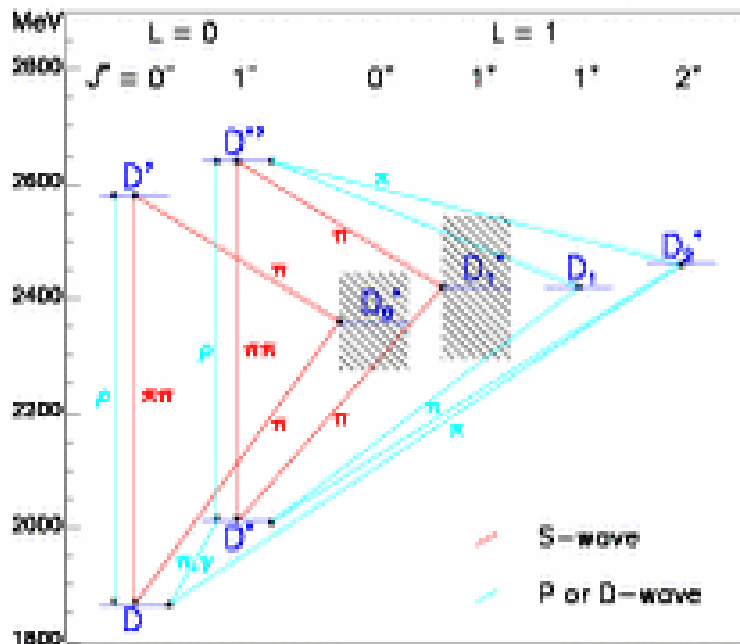


# Orbitally-excited charm mesons

Total angular momentum of a meson:  $J = s_q + s_Q + L$ . Depending on relative spin orientation, 4 P-wave mesons ( $L=1$ )

In heavy quark limit, masses of mesons with same  $j_q = s_q + L$  are degenerate.

$1/m_Q$  corrections introduce hyperfine splitting, particularly visible for  $j_q = 3/2$  states, decaying via a suppressed D-wave, (width  $\cong 20$  MeV). Width of  $j_q = 1/2$  states is about 200 MeV.



# Decay topology

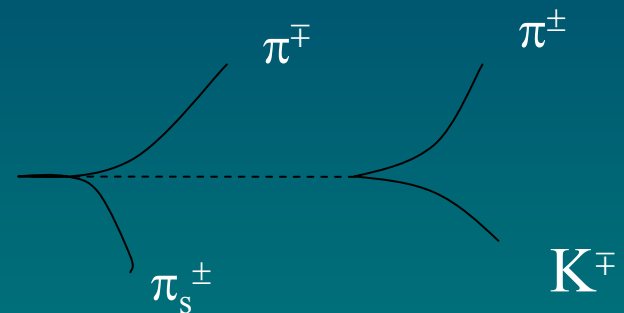
J=3/2 narrow resonances:  $D_1(2420)$  and  $D_2^*(2460)$ .

Mass is known with a precision of about 2 MeV and width with about 5 MeV. Studied in CDF in the decay

$$D^{**} \rightarrow D^* \pi^\mp$$

$$\rightarrow D^0 \pi^\pm$$

$$\rightarrow K^\pm \pi^\mp$$

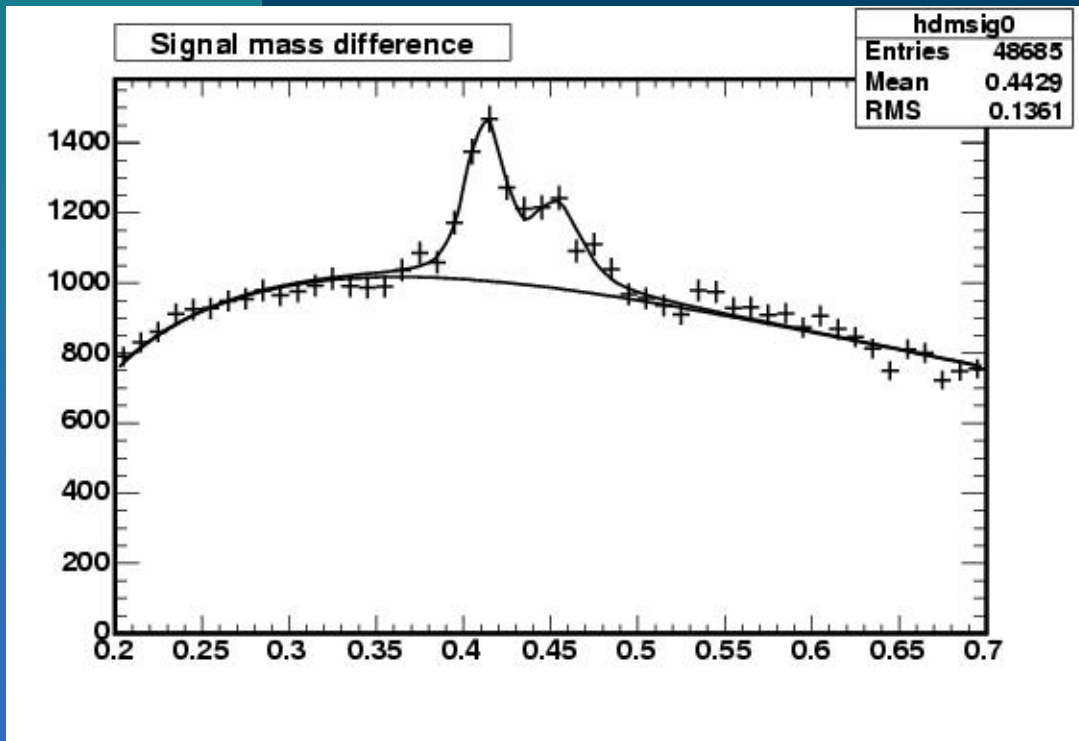


two strong and a weak decay, giving rise to a displaced vertex from the  $D^0$ .

These kind of events are observed for the first time in RunII due to the impact parameter trigger done thanks to the SVT.



# D\*\* signals: 7000 and 4000 events



D\*\* candidates are created combining the D\* candidates with all tracks (assumed  $\pi$ ) with opposite charge and  $P_t > 1.5$  GeV

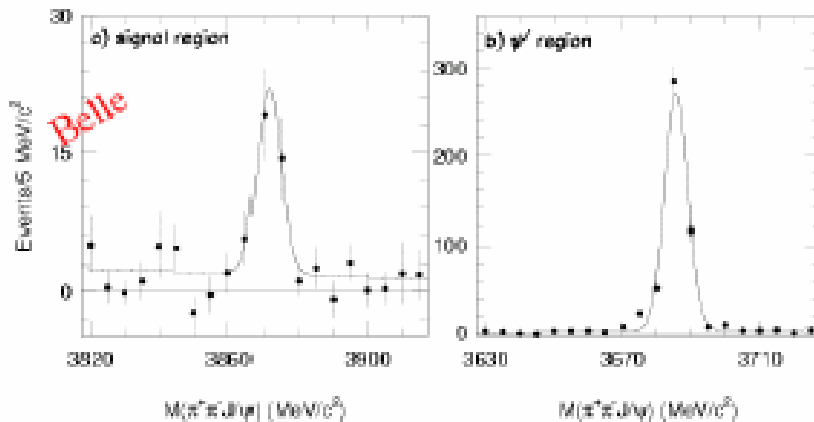
Detector resolution is much better in the mass difference D\*\* - D\*, where the two peaks are clearly resolved

Fitted with 2 BWxGaus

Plus BG described as  $e^{-am} m^b \sqrt{(m-m_\pi)}$

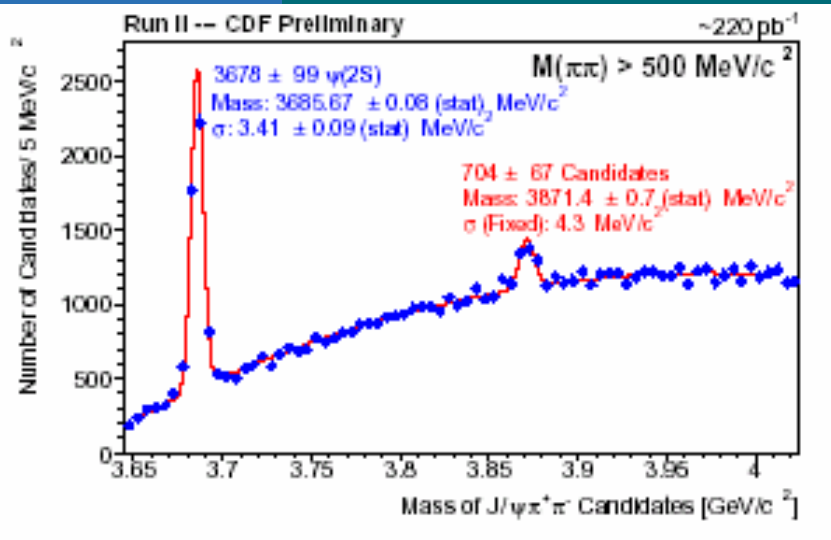
Errors on masses  $\approx 1$  MeV  
(PDG: 2 MeV)

# X(3872) confirmed by CDF



- New unexpected narrow state observed by Belle in  $J/\psi\pi\pi$
- $M(X) = 3872.0 \pm 0.6 \pm 0.5$  MeV
- CDF has 2M  $J/\psi$
- We observe a  $11\sigma$  signal with mass

$$M(X) = 3871.4 \pm 0.7 \pm 0.4 \text{ MeV}$$

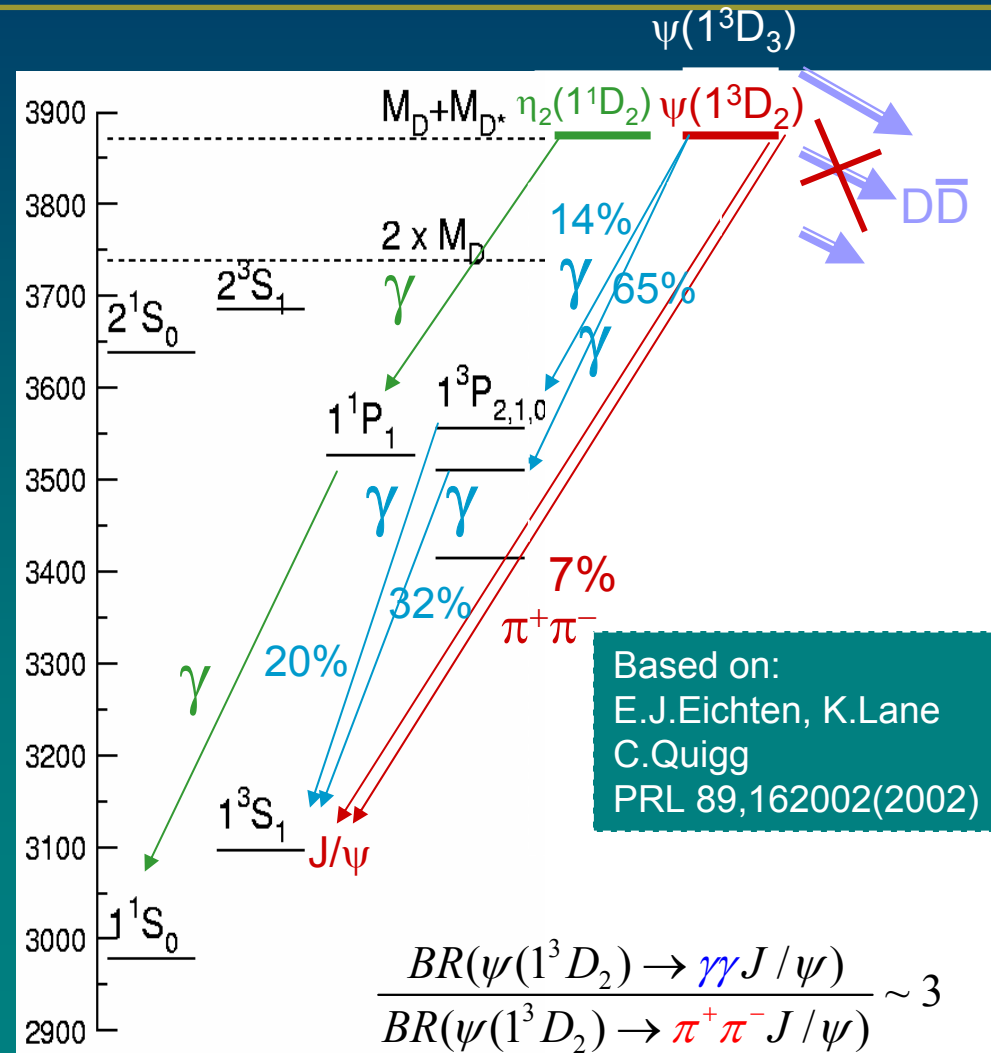


What is it?

- Charmonium?
- DD molecule?

# Possible explanations

- A  $\psi(1^3D_2)$  state:
  - Because D-states have negative parity, spin-2 states cannot decay to  $D\bar{D}$
  - They are narrow as long as below the  $D\bar{D}^*$  threshold
  - $\eta_2(1^1D_2)$  preferentially decays to  $h_c(1^1P_1)$ . Decays to  $\pi^+\pi^- J/\psi$  would be of magnetic type and are suppressed.
  - Some models predict large widths for  $\psi(1^3D_2) \rightarrow \pi^+\pi^- J/\psi$
  - All models predict even larger widths for  $\psi(1^3D_2) \rightarrow \gamma \chi_c(1^3P_{2,1})$
  - Should easily see  $\psi(1^3D_2) \rightarrow \gamma\gamma J/\psi$ .
- Discovery is very recent.



# B production from J/Ψ

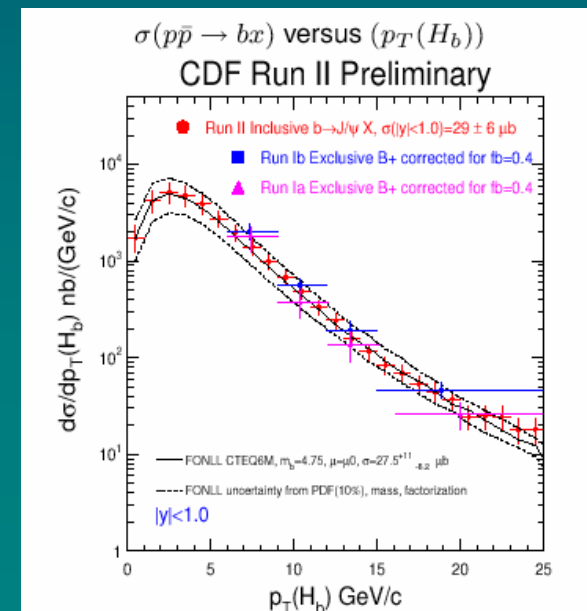
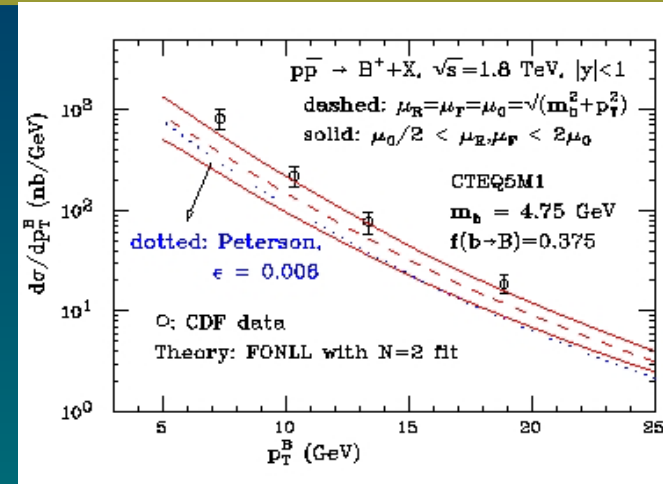
- Run I b cross-section  $\sim 3x$  NLO QCD
- theoretical approaches: new physics, Next-to-Leading-log resummations, non perturbative fragmentation function from LEP, new factorization schemes... discrepancy reduced to  $1.7 \pm 0.5(\text{theo}) \pm 0.5(\text{exp})$  (see M.Cacciari in two weeks)
- Only top 10% in Pt of the total x-section measured
- New measurements to lower  $p_T(B)$  :
- Inclusive J/Psi cross section up to  $PT(J/Psi)=0$  (first time hadron collider)

$$\sigma(pp \rightarrow J/\Psi X)_{|y(J/\Psi)| < 0.6} = (4.08 \pm 0.02 (\text{stat})^{+0.60}_{-0.48} (\text{syst})) \mu\text{b}$$

- Bottom Quark Production cross-section

$$\sigma(pp \rightarrow b X)_{|y| < 1.0} = (29.4 \pm 0.06 (\text{stat}) \pm 6.2(\text{sys})) \mu\text{b}$$

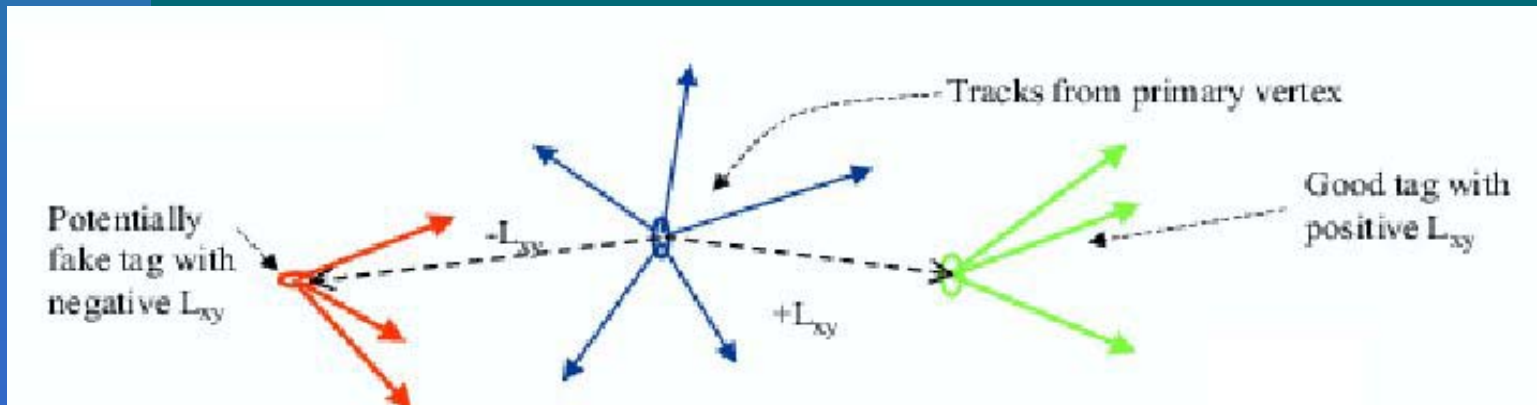
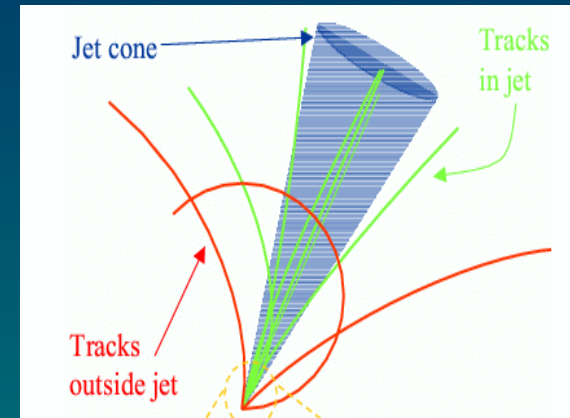
$$\text{FONLL } \sigma(pp \rightarrow b X)_{|y| < 1.0} = (27.5^{+11}_{-8.2}) \mu\text{b}$$



# B production from secondary vertex (Monica)



- Search for high-pt secondary vertices inside a jet (midpoint with  $R < 0.7$ ), if  $\geq 2$  tracks with large impact parameter



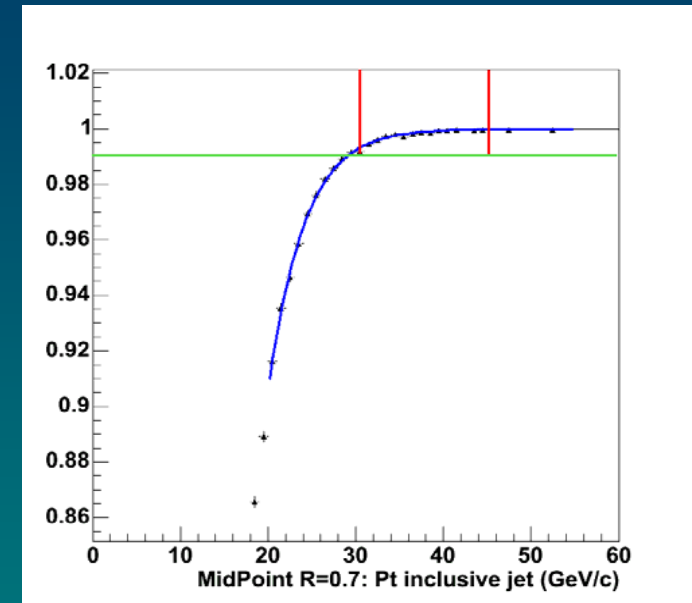
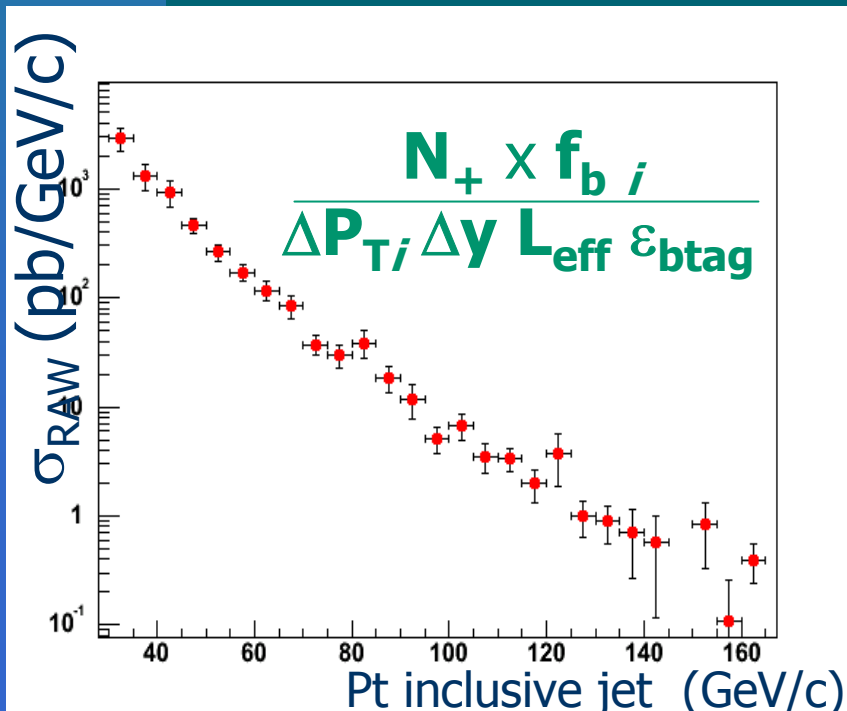
Positive tags for efficiency, negative tags for background estimation

# B production: samples and first results

## Inclusive sample Datasets:

ST05, Jet20, Jet50, Jet70, Jet100

Each sample used in  $P_t$  range where  $\epsilon > 99\%$

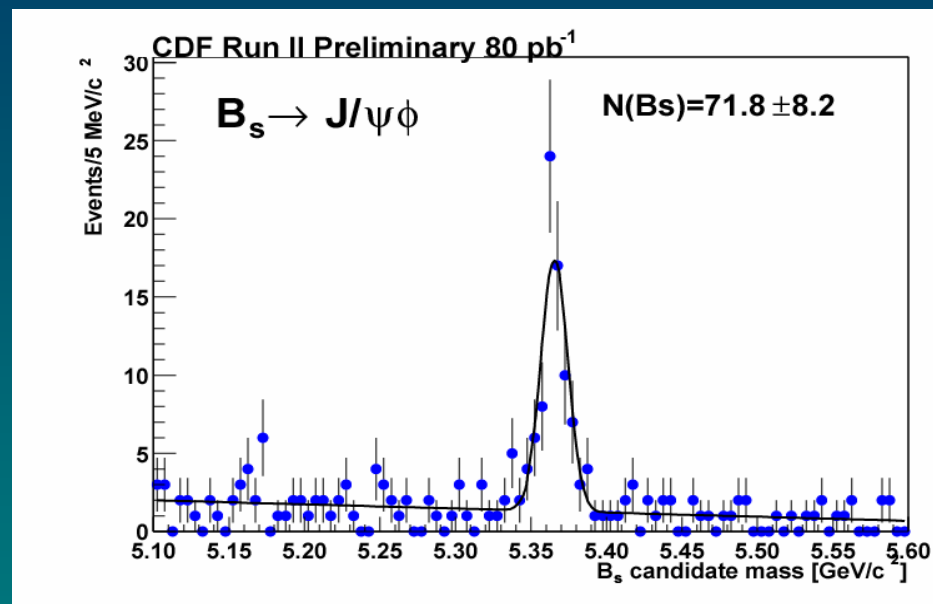


Preliminary cross section using efficiency and b jet fraction from MC

# Measuring B masses



- Measure masses using fully reconstructed  $B \rightarrow J/\psi X$  modes
- High statistics  $J/\psi \rightarrow \mu^+ \mu^-$  and  $\psi(2s) \rightarrow J/\psi \pi^+ \pi^-$  for calibration.
- Systematic uncertainty from tracking momentum scale
  - *Magnetic field*
  - *Material (energy loss)*
- $B^+$  and  $B^0$  consistent with world average.
- **$B_s$  measurements are world's best.**



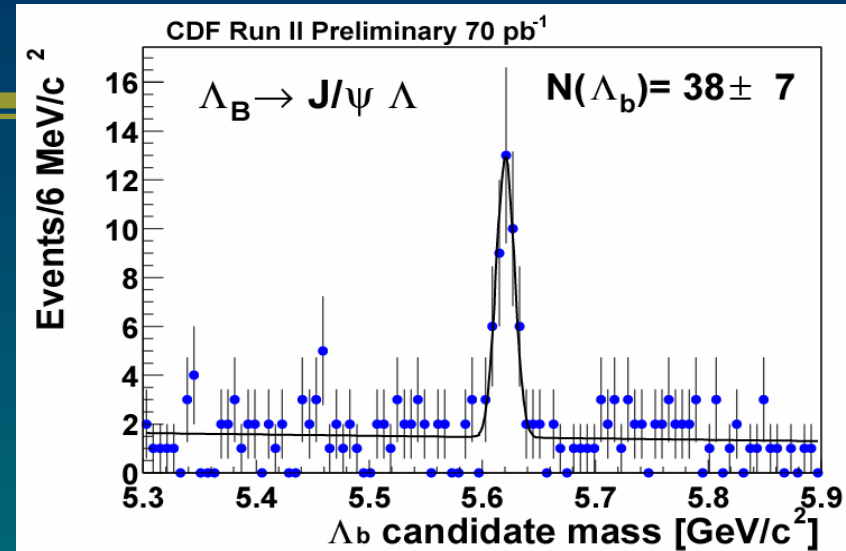
**CDF result:**  $M(B_s) = 5365.5 \pm 1.6$  MeV  
**World average:**  $M(B_s) = 5369.6 \pm 2.4$  MeV



# $\Lambda_b$ and $\Lambda_c$

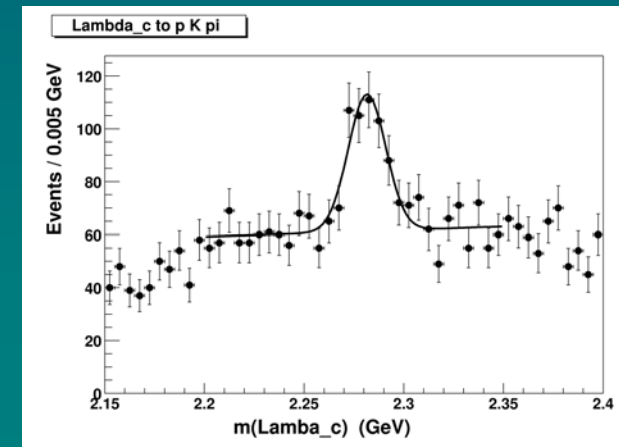
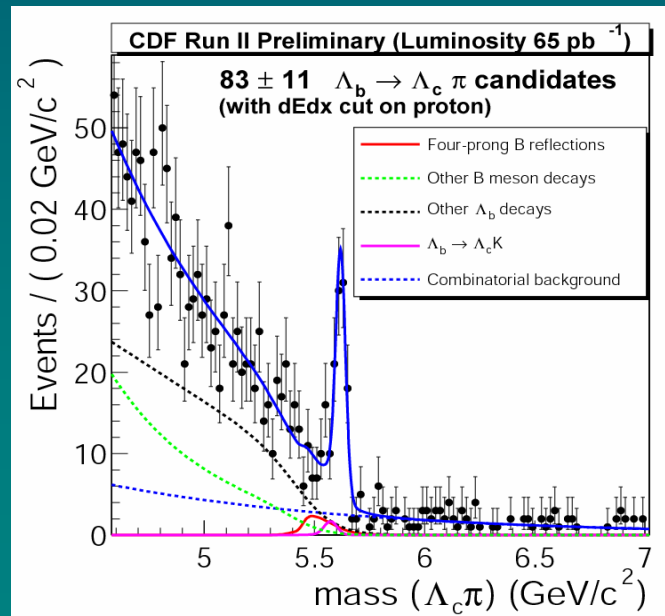
$\Lambda_b$  mass measured in  $J/\Psi$  mode  
best world measurement

- **CDF result:**  $M(\Lambda_b) = 5620.4 \pm 2.0 \text{ MeV}$
- **World average:**  $M(\Lambda_b) = 5624.4 \pm 9.0 \text{ MeV}$



Also seen in  $\Lambda_c \pi$   
mode, will be used  
for mass soon

$$\text{BR}(\Lambda_b \rightarrow \Lambda_c \pi^\pm) = (6.0 \pm 1.0_{\text{stat}} \pm 0.8_{\text{sys}} \pm 2.1_{\text{BR}}) \times 10^{-3}$$



# Lifetimes



## ■ Exclusive $J/\psi$ modes

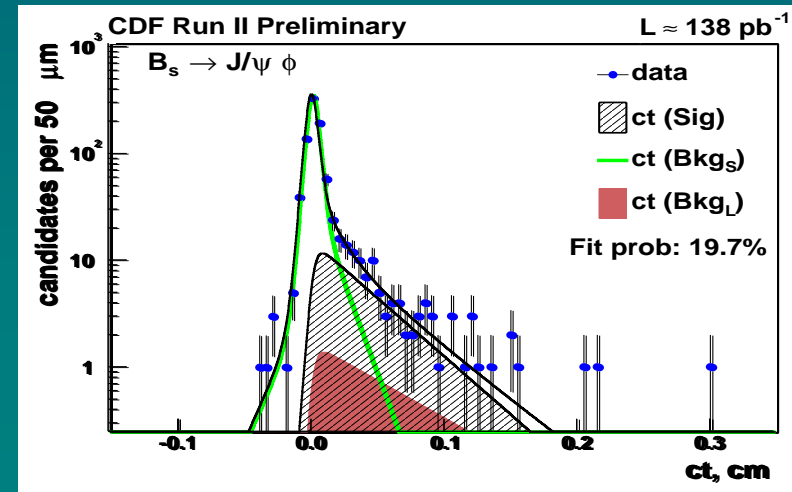
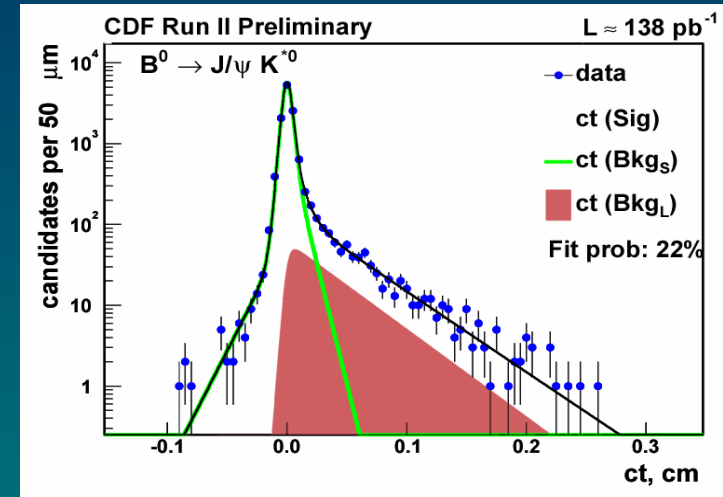
$$\tau(B^0) \quad 1.63 \pm 0.05(\text{stat.}) \pm 0.04 (\text{syst.}) \text{ ps}$$

$$\tau(B^+) \quad 1.51 \pm 0.06(\text{stat.}) \pm 0.02 (\text{syst.}) \text{ ps}$$

$$\tau(B_s) \quad 1.33 \pm 0.14(\text{stat.}) \pm 0.02 (\text{syst.}) \text{ ps}$$

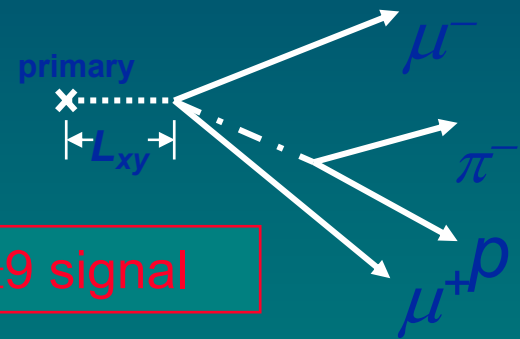
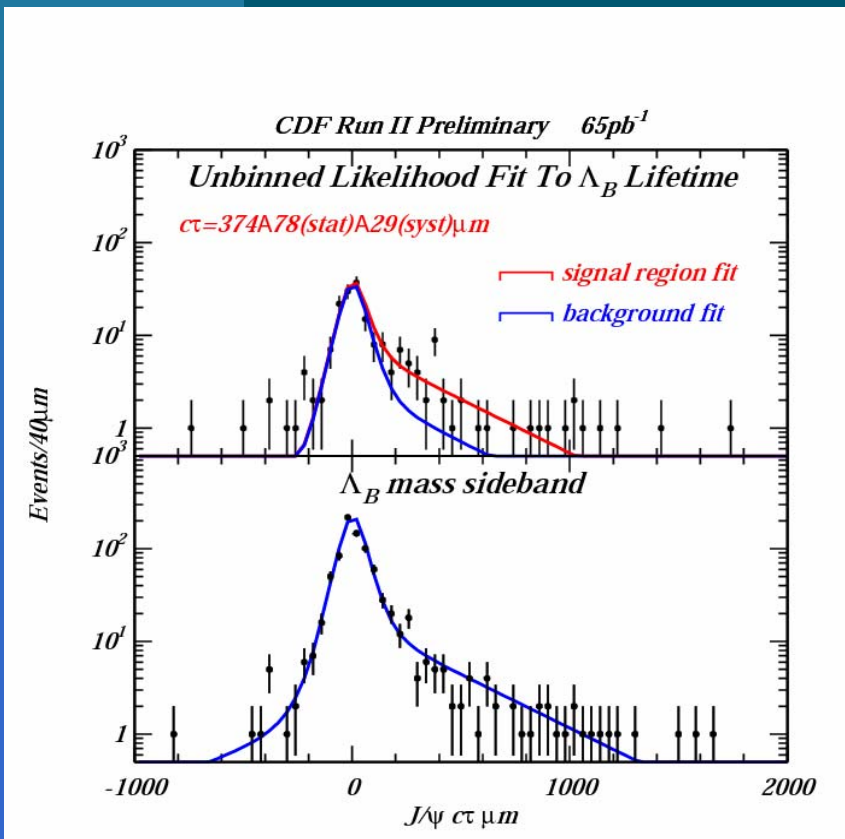
$$ct = \frac{L_{xy}}{\beta\gamma} = \frac{L_{xy} m_B}{p_T}$$

$B_s \rightarrow J/\psi \Phi$  with  $J/\psi \rightarrow \mu^+ \mu^-$  and  $\Phi \rightarrow K^+ K^-$   
 $B^+ \rightarrow J/\psi K^+$ ,  $B^0 \rightarrow J/\psi K^0$  check  
 technique, systematics



# $\Lambda_b$ lifetimes

- Use fully reconstructed  $\Lambda_b \rightarrow J/\psi \Lambda$   $J/\psi \rightarrow \mu^+ \mu^-$  and  $\Lambda \rightarrow p \pi^-$ 
  - Previous LEP/CDF measurements: semileptonic  $\Lambda_b \rightarrow \Lambda_c l \nu$



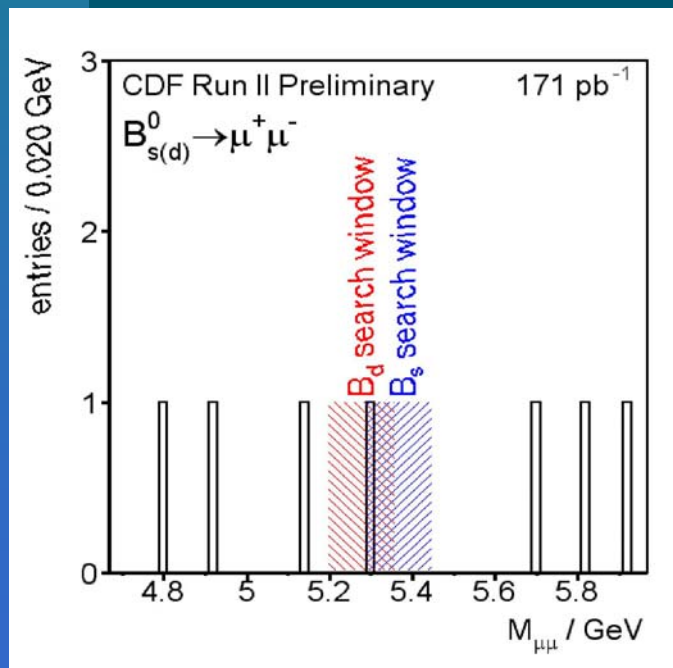
$46 \pm 9$  signal

$$\tau(\Lambda_b) = 1.25 \pm 0.26 \text{ (stat.)} \pm 0.10 \text{ (syst.) ps}$$

**First lifetime from fully reconstructed  $\Lambda_b$  decay!**

# Also for beauty: rare $B \rightarrow \mu\mu$ decays

- $\text{BR}(B_s \rightarrow \mu\mu) \sim 10^{-9}$  in SM (SUSY physics two orders of magnitude enhancement)
- Blind analysis optimized for  $300\text{-}400 \text{ pb}^{-1}$  ( $\sim 1 \pm 0.3$  expected bkg)



Limits at 90% C.L.

$\text{BR}(B_s \rightarrow \mu\mu) < 5.8 \text{ E-}7$

$\text{BR}(B_d \rightarrow \mu\mu) < 1.5 \text{ E-}7$

- $B_s$  factor 3 better than best published limit (Run I)
- $B_d$  slightly better than Belle's at LP03:  $1.6 \text{ E-}7 @ 90\% \text{CL}$

# Finding beauty in only two tracks

- charmless two-body decays

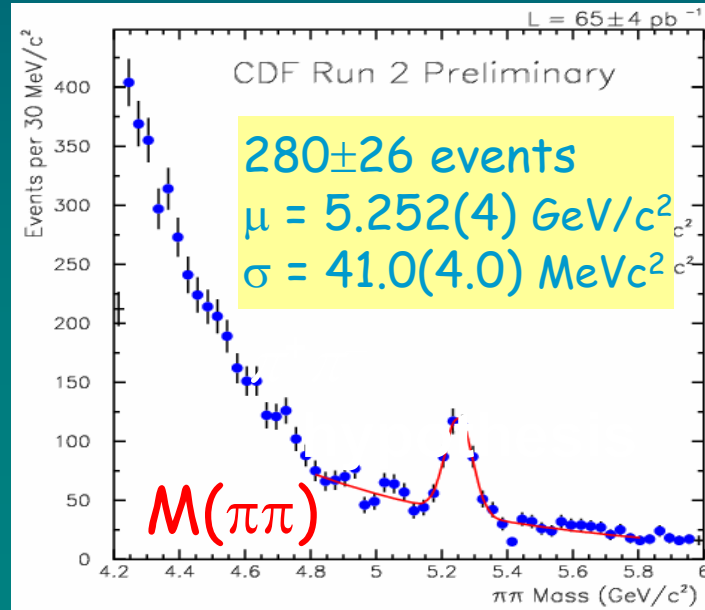
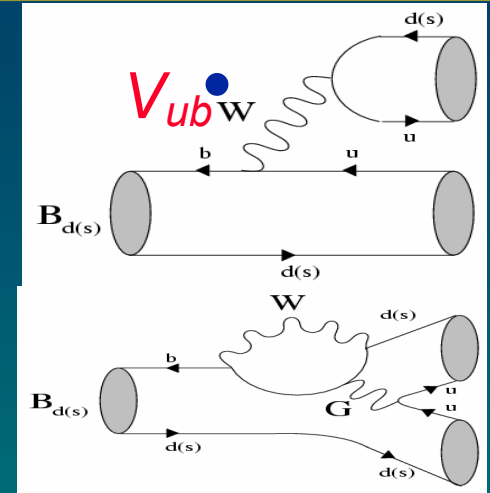
- longer term  $B_s$  modes help extract unitarity angle  $\gamma$

- Signal is a combination of:

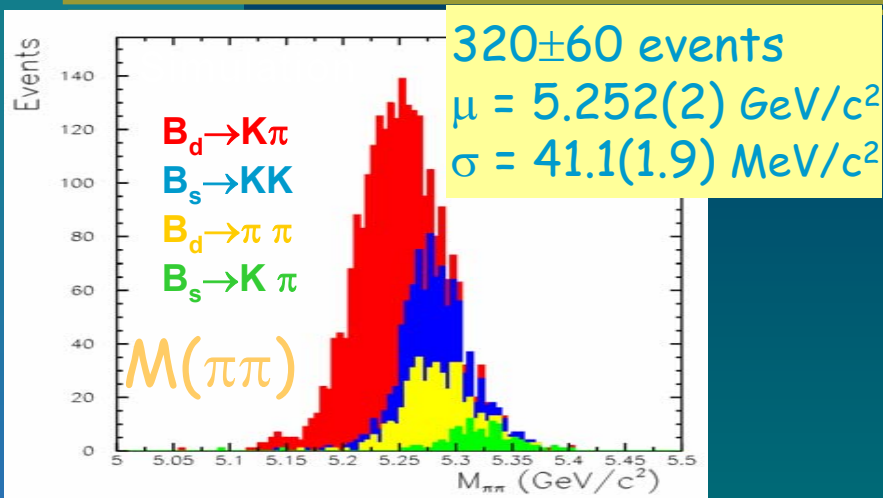
- $B^0 \rightarrow \pi^+ \pi^-$   $BR \sim 5 \times 10^{-6}$
- $B^0 \rightarrow K^+ \pi^-$   $BR \sim 2 \times 10^{-5}$  }  $Y(4s), \text{Tevatron}$
- $B_s \rightarrow K^+ K^-$   $BR \sim 5 \times 10^{-5}$  }  $\text{Tevatron}$
- $B_s \rightarrow \pi^+ K^-$   $BR \sim 1 \times 10^{-5}$  }

- Requirements

- Displaced track trigger
- Good mass resolution
- Particle ID ( $dE/dx$ )

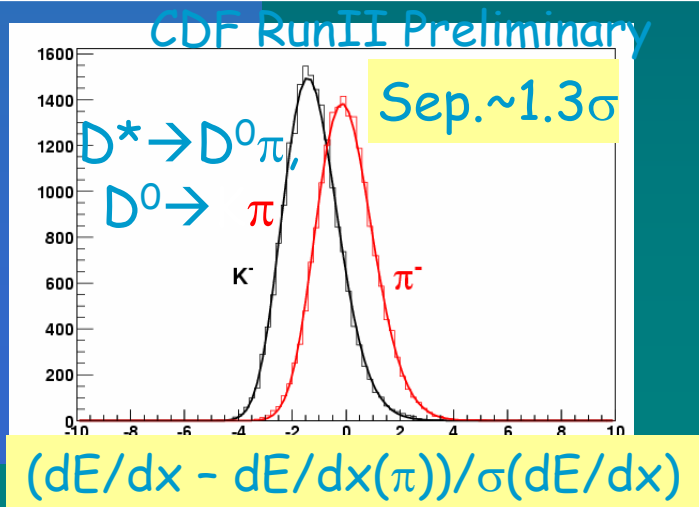


# Composition of the $B \rightarrow hh$ peak



mode	Yield (65 pb <sup>-1</sup> )
$B^0 \rightarrow K\pi$	$148 \pm 17(\text{stat.}) \pm 17(\text{syst})$
$B^0 \rightarrow \pi\pi$	$39 \pm 14(\text{stat.}) \pm 17(\text{syst})$
$B_s \rightarrow KK$	$90 \pm 17(\text{stat.}) \pm 17(\text{syst})$
$B_s \rightarrow K\pi$	$3 \pm 11(\text{stat.}) \pm 17(\text{syst})$

kinematics &  $dE/dx$  to separate contributions



First observation of  $B_s \rightarrow K^+ K^-$  !!

Result: 
$$\frac{f_s BR(B_s \rightarrow KK)}{f_d BR(B^0 \rightarrow K\pi)} = 0.74 \pm 0.20 \pm 0.22$$

Measure  $A_{CP}$

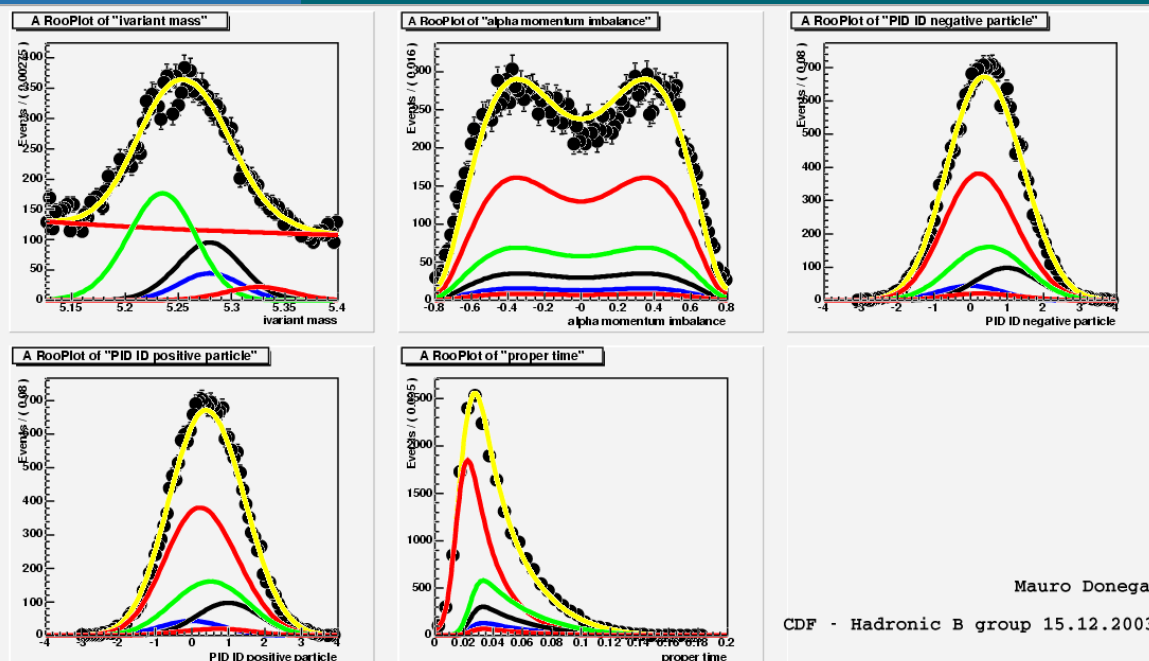
$$\frac{N(\bar{B} \rightarrow K^- \pi^+) - N(B \rightarrow K^+ \pi^-)}{N(\bar{B} \rightarrow K^- \pi^+) + N(B \rightarrow K^+ \pi^-)} = 0.02 \pm 0.15 \pm 0.02$$

# More involved: using $B \rightarrow hh$ for $\Delta\Gamma_s$ (Mauro)



- $\Delta\Gamma_s/\Delta m_s = -3\pi/2 m_b^2/m_t^2 \eta(\Delta\Gamma_s)/\eta(\Delta m_s)$
- SM:  $\Delta\Gamma_s/\Delta m_s = 3.7^{+0.8}_{-1.5} \cdot 10^{-3}$
- LQCD:  $\Delta\Gamma_s/\Gamma_s = 0.12 \pm 0.06$
- Present 95% C.L. limit:  $\Delta\Gamma_s/\Gamma_s < 0.54$

CKM-  
independent  
QCD factors



Disentangle on a statistical basis contributions to the  $B \rightarrow hh$  peak, then fit lifetimes for the different charges

Expected sensitivity:

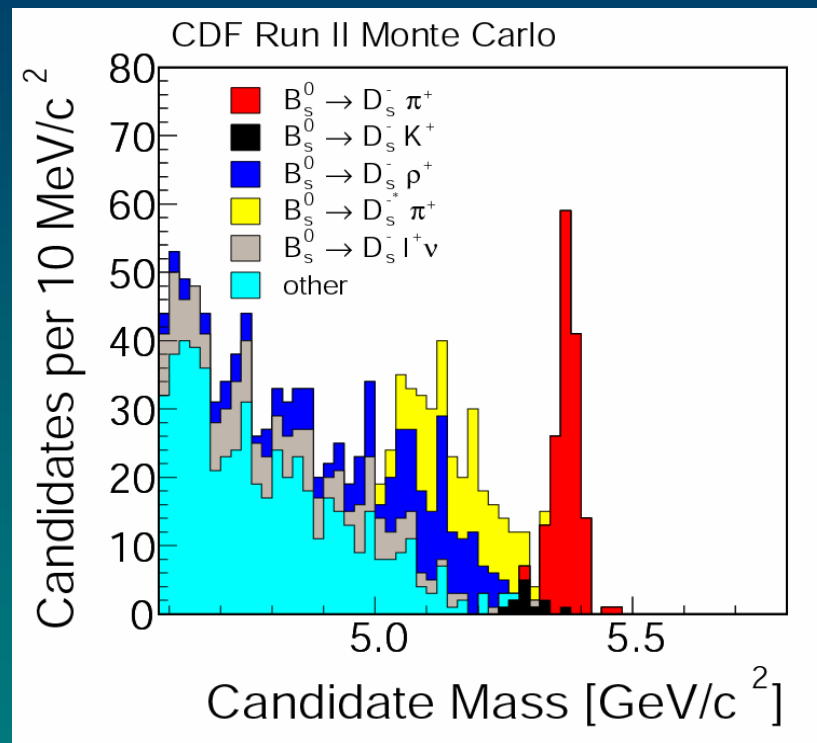
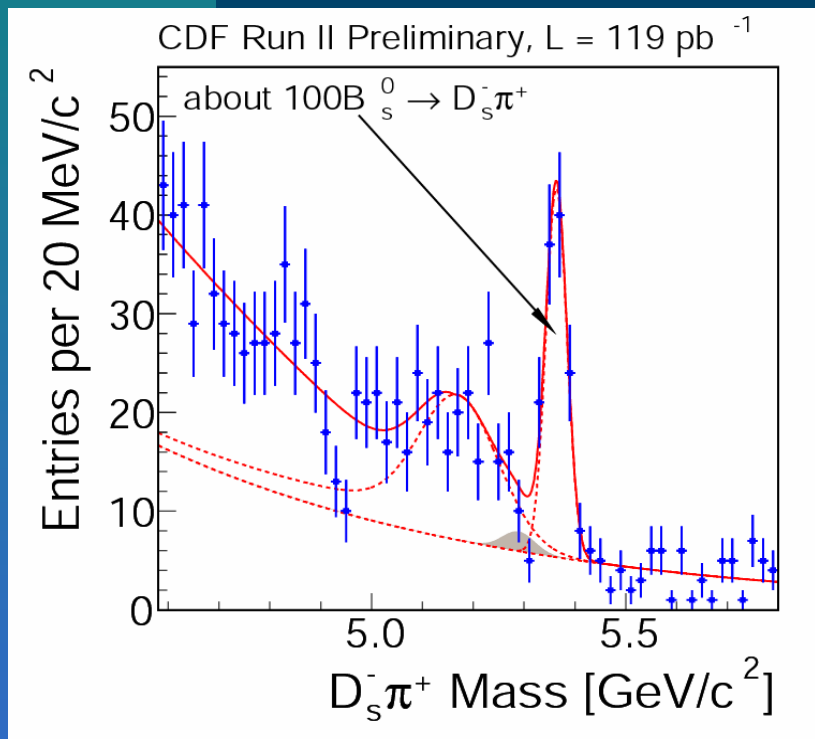
- 0.29 at  $500 \text{ pb}^{-1}$
- 0.10 at  $2 \text{ fb}^{-1}$

Mauro Donega

CDF - Hadronic B group 15.12.2003



# Bs: signal reconstruction in Ds π



$$BR(B_s \rightarrow D_s \pi^\pm) = (4.8 \pm 1.2 \pm 1.8 \pm 0.8 \pm 0.6) \times 10^{-3}$$

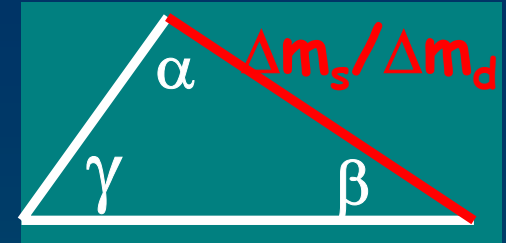
(Stat) (BR) (sys) ( $f_s/f_d$ )

***New measurement!***

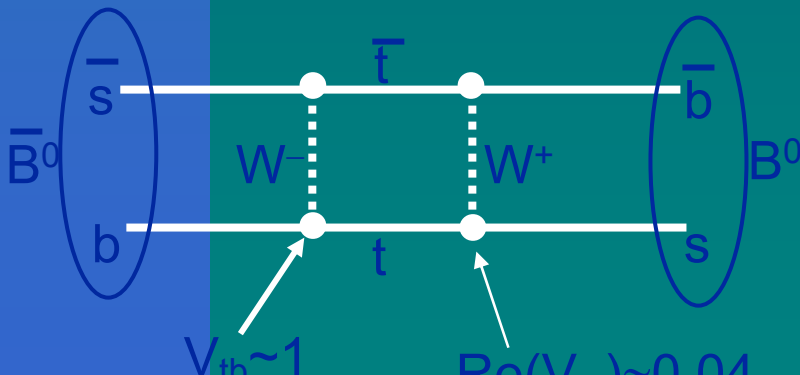
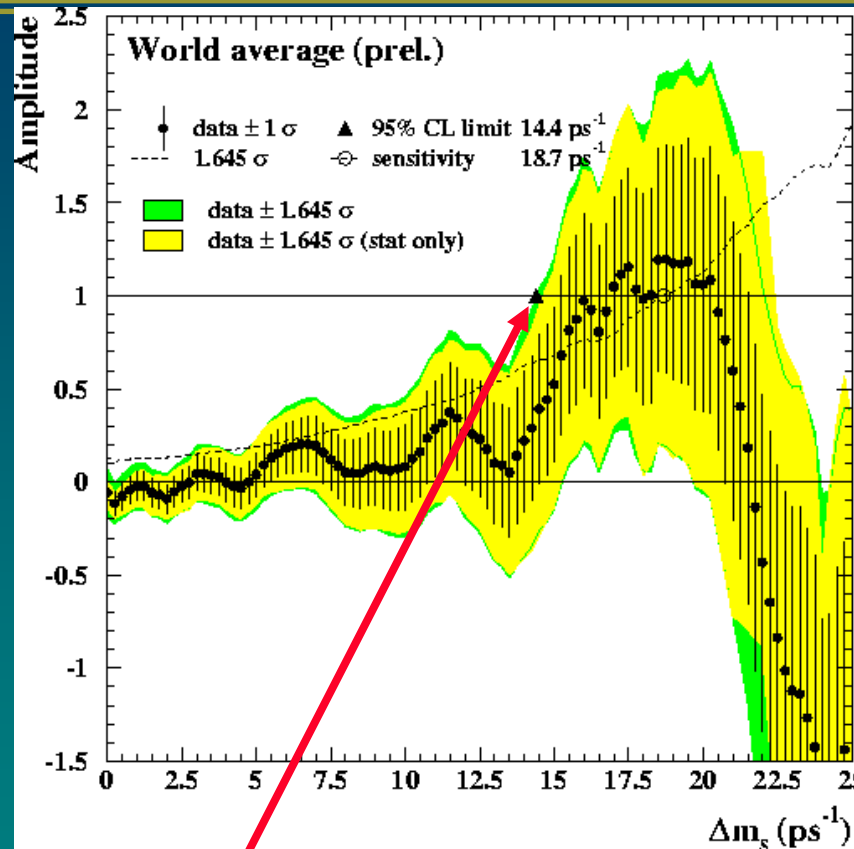
Previous limit set by OPAL:  $BR(B_s \rightarrow D_s \pi^\pm) < 13\%$

*BR result uses less data than shown in plot.*

# Towards $B_s$ Mixing



- Measurement of  $\Delta m_s$  helps improve our knowledge of CKM triangle.
- Combined world limit on  $B_s$  mixing
  - $\Delta m_s > 14.4 \text{ ps}^{-1}$  @95%CL
  - **$B_s$  fully mixes in  $< 0.15 \tau$**
- $B_s$  oscillation much faster than  $B_d$  because of coupling to top quark:
 
$$\text{Re}(V_{ts}) \approx 0.040 > \text{Re}(V_{td}) \approx 0.007$$



**Combined limit comes from 13 measurements from LEP, SLD & CDF Run I**

# Ingredients for $B_s$ mixing

- $B_s$  reconstruction ( $B_s \rightarrow D_s \pi$ )
- Flavor tagging ( $B_s$  or  $B_s$  at time of production?)
  - Tagging "dilution":  $D=1-2w$
  - Power proportional to:  $\epsilon D^2$

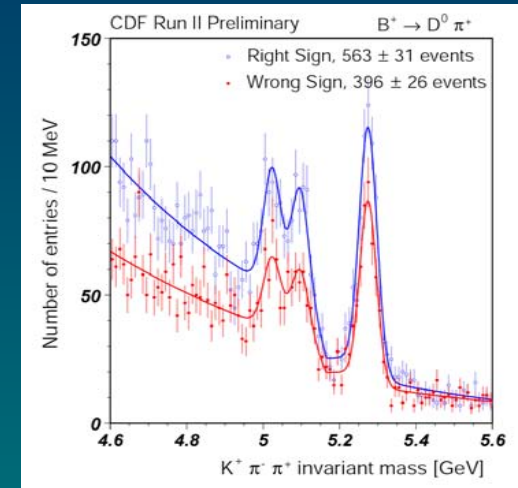
Typical power (one tag):  
 $\epsilon D^2 = O(1\%)$  at Tevatron  
 $\epsilon D^2 = O(10\%)$  at PEP-II/KEKB

- Proper decay time

$$ct = \frac{L_{xy}}{(\beta\gamma)} = \frac{L_{xy} m_B}{p_T} \xrightarrow{\text{uncertainty}}$$

$$\sigma_{ct} = \frac{m_B}{p_T} \sigma_{L_{xy}} \oplus ct \left( \frac{\sigma_{p_T}}{p_T} \right)$$

- Crucial for fast oscillations (i.e.  $B_s$ )



## Results:

- Same-side ( $B^+$ )  $\epsilon D^2 = (2.1 \pm 0.7)\%$   
 ( $B^+ / B^0 / B_s$  correlations different)
- Muon tagging  $\epsilon D^2 = (0.7 \pm 0.1)\%$

# Bs: expected sensitivities

## ■ Current performance:

- $S=1600$  events/fb<sup>-1</sup> (i.e.  $\sigma_{effective}$  for produce+trigger+recon)
- $S/B = 2/1$
- $\epsilon D^2 = 4\%$
- $\sigma_t = 67$ fs

2 $\sigma$  sensitivity for  $\Delta m_s = 15$ ps<sup>-1</sup> with  $\sim 0.5$ fb<sup>-1</sup> of data

surpass the current world average

## ■ With “modest” improvements

- $S=2000$  fb (improve trigger, reconstruct more modes)
- $S/B = 2/1$  (unchanged)
- $\epsilon D^2 = 5\%$  (kaon tagging)
- $\sigma_t = 50$ fs (event-by-event vertex + L00)

5 $\sigma$  sensitivity for  $\Delta m_s = 18$ ps<sup>-1</sup> with  $\sim 1.7$ fb<sup>-1</sup> of data (2005?)

5 $\sigma$  sensitivity for  $\Delta m_s = 24$ ps<sup>-1</sup> with  $\sim 3.2$ fb<sup>-1</sup> of data (2007?)

$\Delta m_s = 24$ ps<sup>-1</sup> “covers” the expected region based upon indirect fits.

# Final remarks



- CDF has a huge program in charm and beauty physics- I just scratched the surface
- despite non-dedicated, it plays a major role in the field
- best for light (charm->largest sample in the world) and heavy ( $B_s$ ,  $\Lambda$ ) states
- $B_s$  oscillations will be seen in Run II (unless something really strange over there)
- Most of this success is due to the craziness of few people who believed more than 10 years ago to the possibility of reconstructing on-line tracks at trigger level... any idea for the LHC?