

Simulated exoplanet transit across Sirius, observed with $50 \mu\text{s}$ angular resolution.

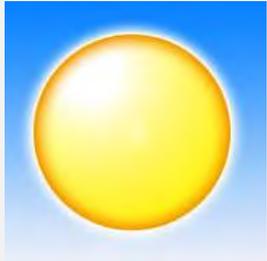
THOUSAND TIMES SHARPER THAN HUBBLE

Optical Interferometry with the Cherenkov Telescope Array

Dainis Dravins — Lund Observatory

www.astro.lu.se/~dainis

ANGULAR SCALES IN ASTRONOMY



Sun, Moon ~ 30 arcmin



Planets ~ 30 arcsec



Largest stars ~ 30 mas



Typical bright stars ~ 1 mas



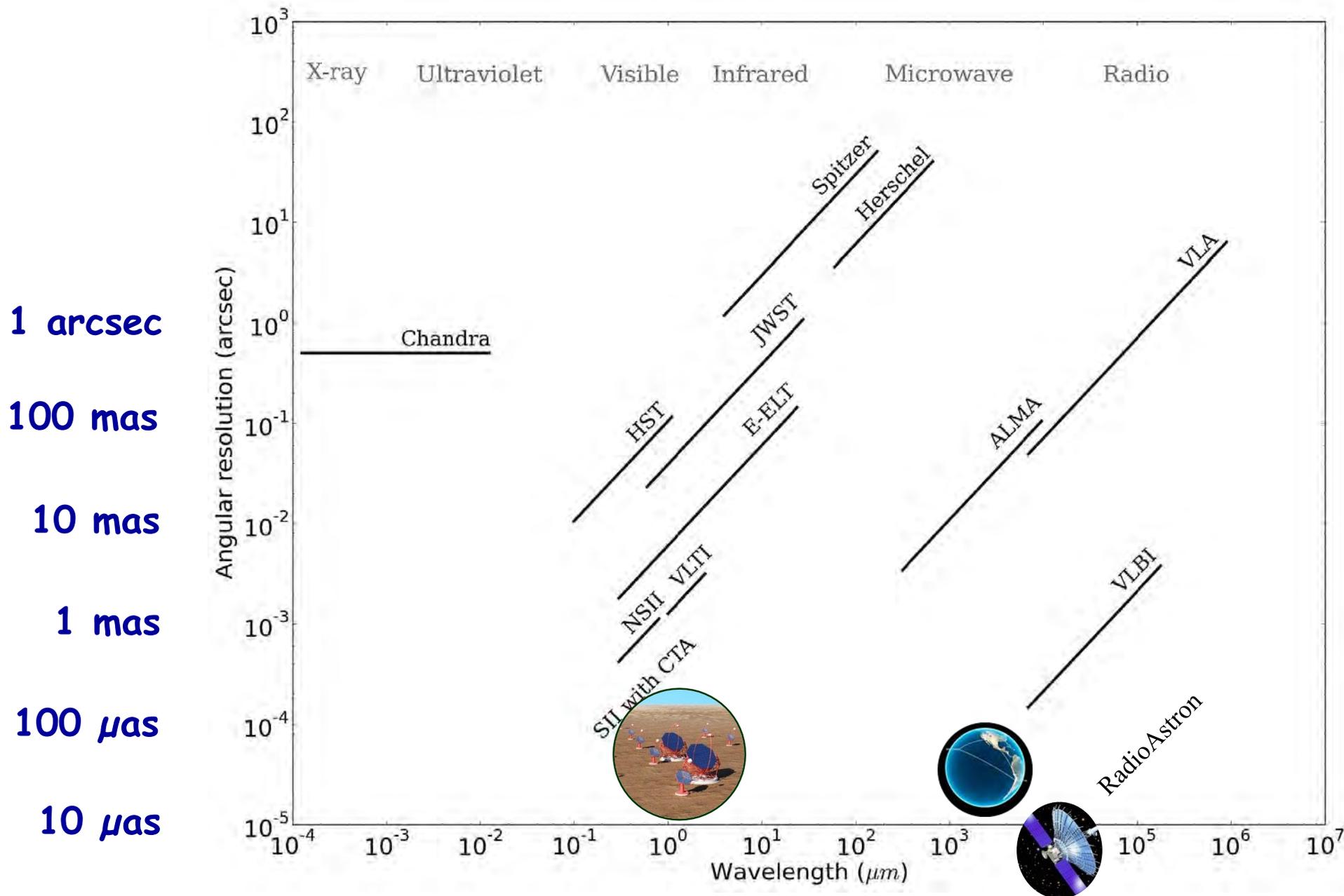
Spatial Resolution

1 arcsecond

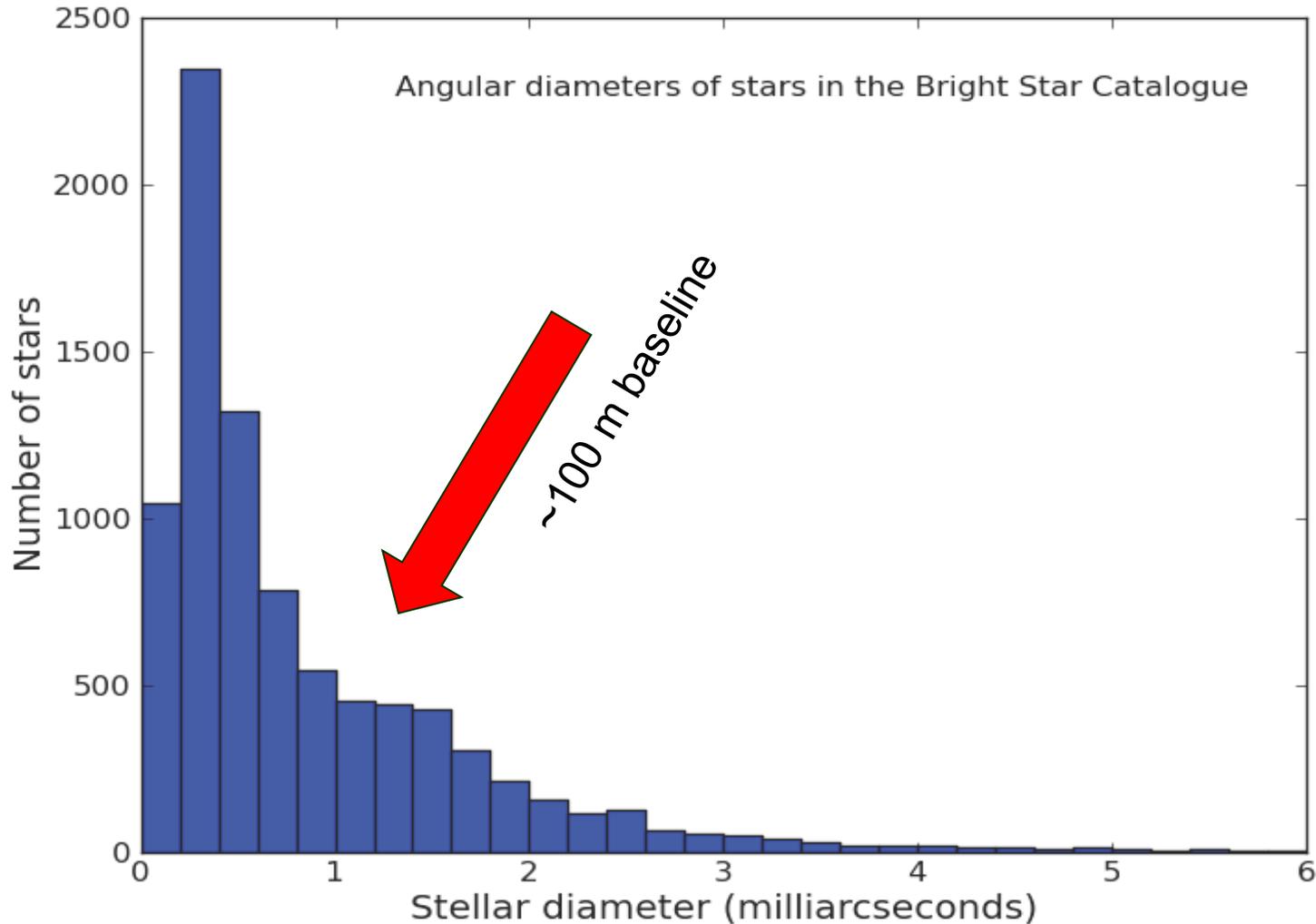


E-ELT
(diffraction
limit a few
milliarcsec in
the near-IR)

ANGULAR RESOLUTION IN ASTRONOMY



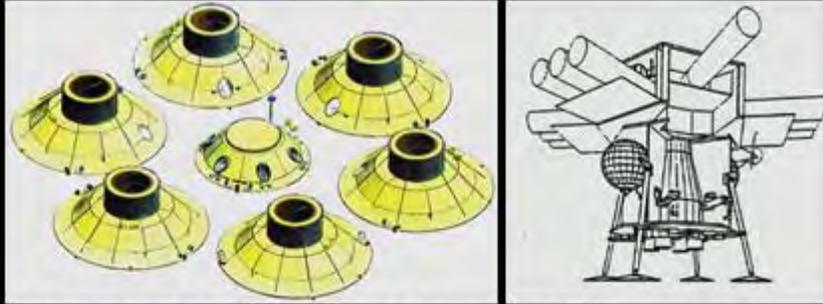
How large (i.e., *small*) are sources of interest?



**Many stars become
resolved surface objects
for baselines 100-1000 m**

Kilometer-scale interferometry!?

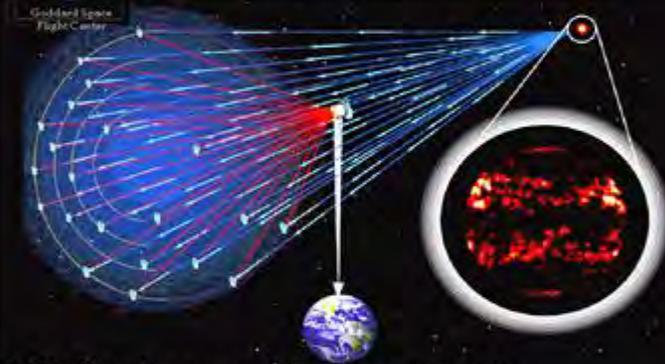
Proposed kilometric diffraction-limited optical imagers



Kilometric Baseline Space Interferometry

Comparison of free-flyer and moon-based versions.

Report by the Space Interferometry Study Team, ESA (1996)



NASA Stellar Imager mission concept

K.G.Carpenter et al.: <http://hires.gsfc.nasa.gov/si/>



KEOPS optical array at Concordia Base in Antarctica

(Vakili et al.: EAS Publ. Ser. 14, 211, 2005)



A many-mirror hypertelescope operates like a giant diluted telescope

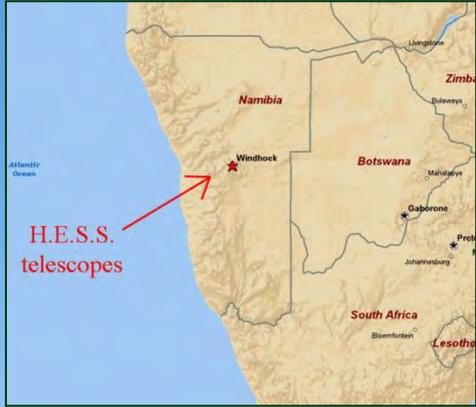
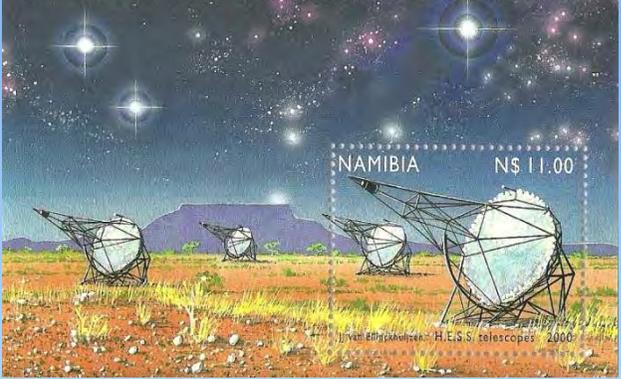
(Labeyrie et al., Exp.Astron. 23, 463, 2009)



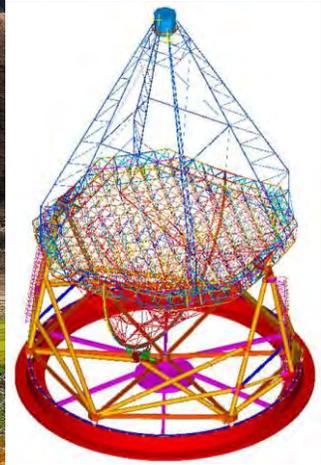
With telescopes distributed over a few km², the *Cherenkov Telescope Array* can operate as a kilometric optical intensity interferometer to achieve diffraction-limited imaging and optical aperture synthesis

Air Cherenkov Telescopes

HIGH ENERGY STEREOSCOPIC SYSTEM TELESCOPES IN NAMIBIA



High Energy Stereoscopic System (H.E.S.S.) array of Imaging Atmospheric Cherenkov Telescopes (IACT) Telescopes, Khomas Highland, near Windhoek, Namibia



The High Altitude Gamma Ray Telescope (HAGAR), Hanle, Ladakh, India

World's highest major optical observatory in the western Himalayas, 4,517 m above sea level.
Site of 21-m MACE (*Major Atmospheric Cherenkov Experiment*) telescope. Photo by Prabhu B. Doss

<http://www.cta-observatory.org/>



cta
cherenkov telescope array

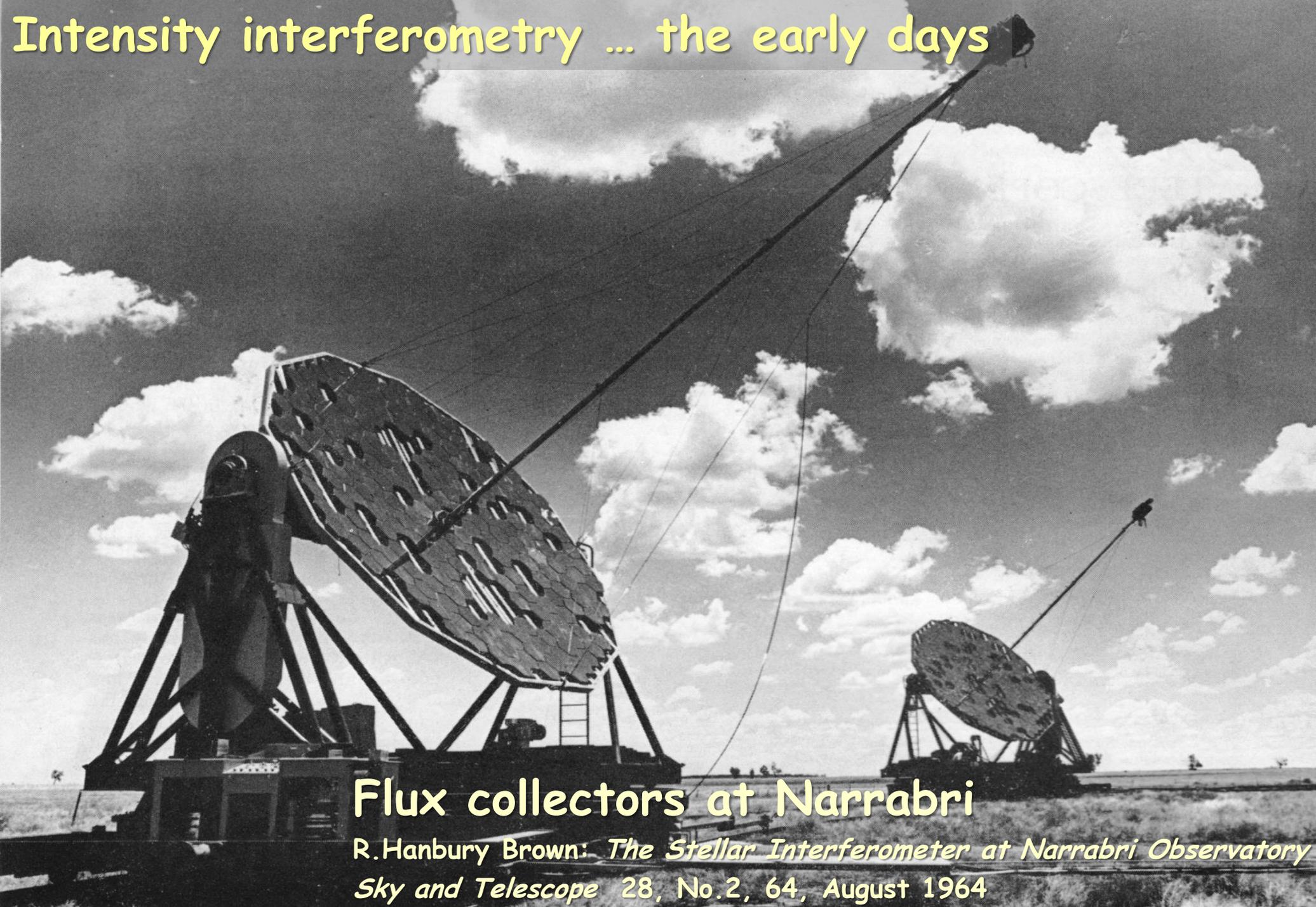
CTA medium-size telescope prototype



A prototype for the 12-meter medium-size CTA telescopes, built at DESY in Berlin/Zeuthen
<http://www.desy.de/cta>



Intensity interferometry ... the early days



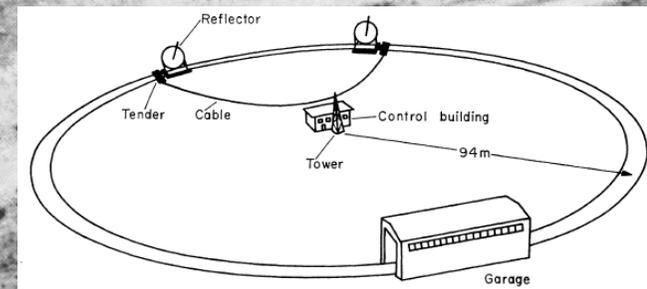
Flux collectors at Narrabri

R. Hanbury Brown: *The Stellar Interferometer at Narrabri Observatory*
Sky and Telescope 28, No.2, 64, August 1964

Intensity interferometry ... the early days

Narrabri observatory with its circular railway track

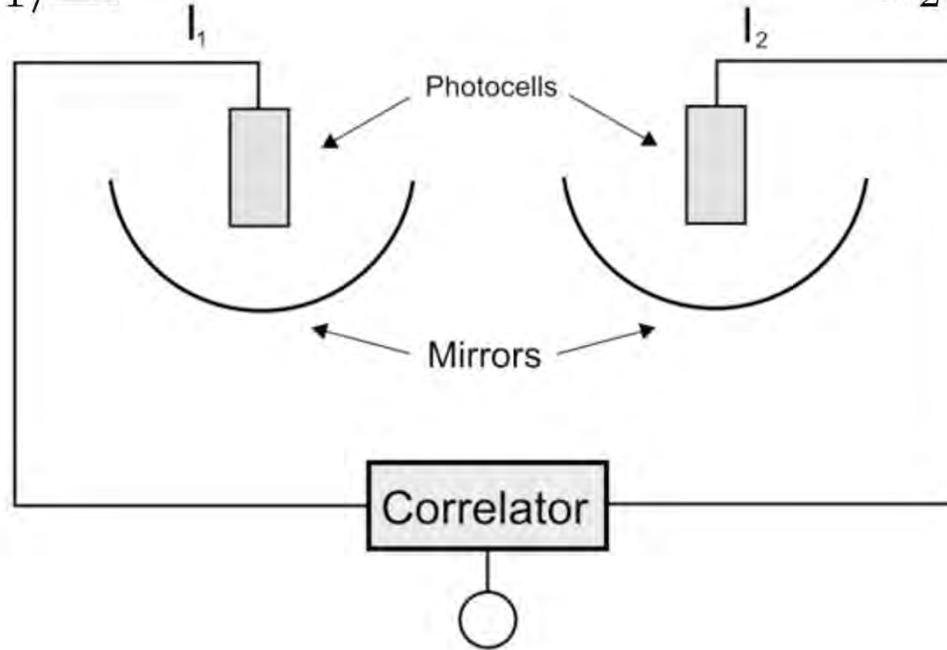
R. Hanbury Brown: *BOFFIN. A Personal Story of the Early Days of Radar, Radio Astronomy and Quantum Optics* (1991)



INTENSITY INTERFEROMETRY

$$P_1 = \alpha_1 \langle I_1 \rangle \Delta t$$

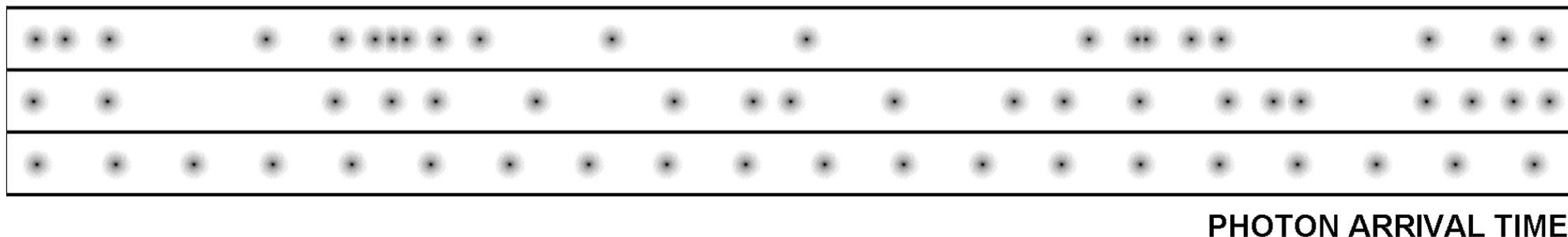
$$P_2 = \alpha_2 \langle I_2 \rangle \Delta t$$



$$P_{12} = \alpha_1 \alpha_2 \langle I_1 \rangle \langle I_2 \rangle (1 + |\gamma_{12}|^2) \Delta t^2$$

Photon clumping

PHOTON STATISTICS



Top: Bunched photons (Bose-Einstein; 'quantum-random')

Center: Antibunched photons (like fermions)

Bottom: Coherent and uniformly spaced (like ideal laser)

After R. Loudon: *The Quantum Theory of Light* (2000)

PHOTON CORRELATIONS*

Roy J. Glauber

Lyman Laboratory, Harvard University, Cambridge, Massachusetts

(Received 27 December 1962)

In 1956 Hanbury Brown and Twiss¹ reported that the photons of a light beam of narrow spectral width have a tendency to arrive in correlated pairs. We have developed general quantum mechanical methods for the investigation of such correlation effects and shall present here results for the distribution of the number of photons counted in an incoherent beam. The fact that photon correlations are enhanced by narrowing the spectral bandwidth has led to a prediction² of large-scale correlations to be observed in the beam of an optical maser. We shall indicate that this prediction is misleading and follows from an inappropriate model of the maser beam. In considering these problems we shall outline

a method of describing the photon field which appears particularly well suited to the discussion of experiments performed with light beams, whether coherent or incoherent.

The correlations observed in the photoionization processes induced by a light beam were given a simple semiclassical explanation by Purcell,³ who made use of the methods of microwave noise theory. More recently, a number of papers have been written examining the correlations in considerably greater detail. These papers^{2,4-6} retain the assumption that the electric field in a light beam can be described as a classical Gaussian stochastic process. In actuality, the behavior of the photon field is considerably more

Roy Glauber

Nobel prize in physics

Stockholm, December 2005



"For his contribution to the quantum theory of optical coherence"

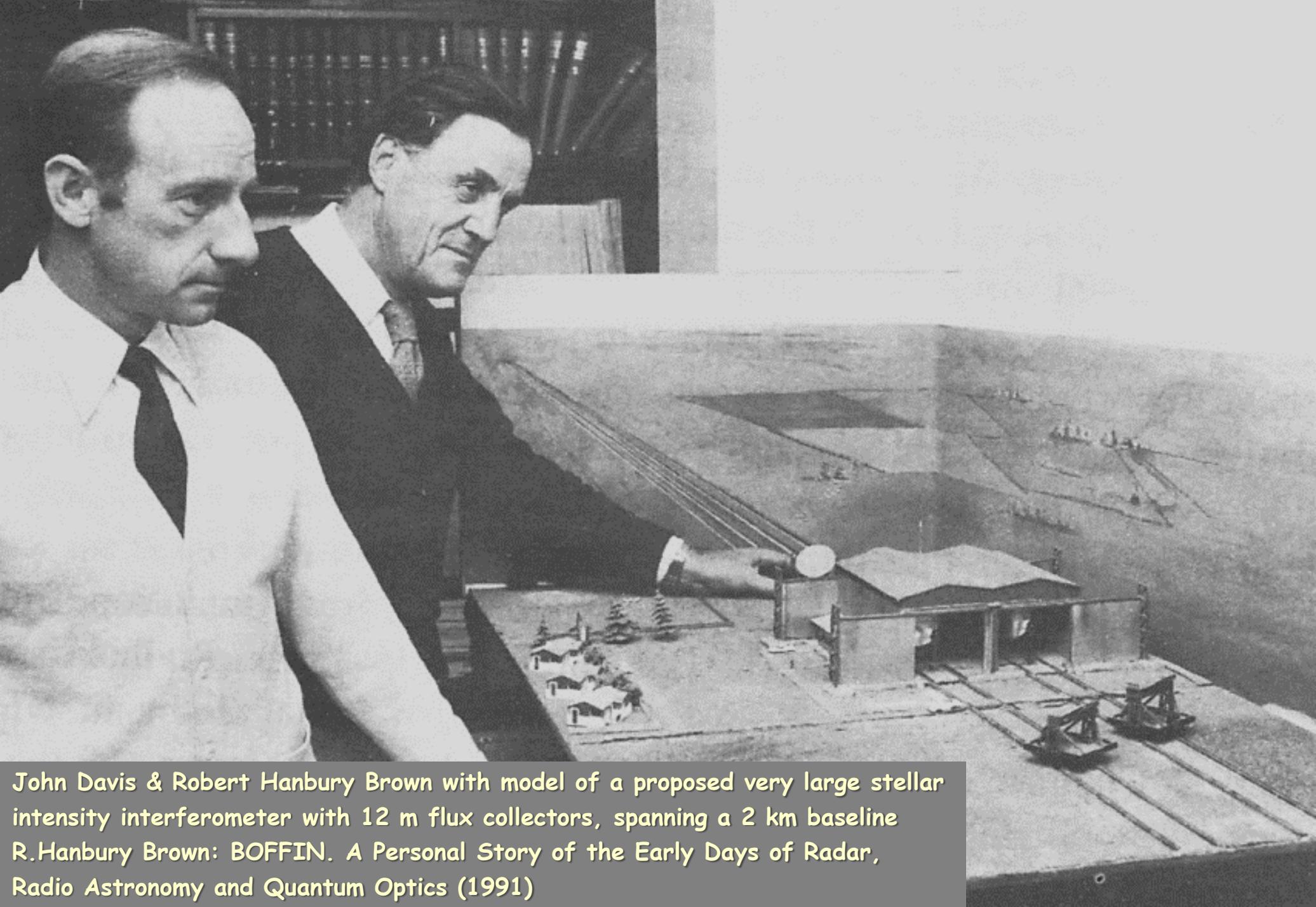
Intensity interferometry

Pro: Time resolution of 10 ns, say, implies 3 m light travel time; no need for more accurate optics nor atmosphere.

Short wavelengths no problem; hot sources observable

Con: Signal comes from two-photon correlations, increases as signal squared.

Realistic time resolutions require high photometric precision, therefore large flux collectors.



John Davis & Robert Hanbury Brown with model of a proposed very large stellar intensity interferometer with 12 m flux collectors, spanning a 2 km baseline
R.Hanbury Brown: BOFFIN. A Personal Story of the Early Days of Radar, Radio Astronomy and Quantum Optics (1991)



Sic transit gloria mundi...
Motel restaurant and bar in Narrabri,
its wall covered with mirrors from the
former observatory.

Photos: D.Dravins

**Astronomy out ...
particle physics in**

Bosons

Fermions

BOSONS BUNCH TOGETHER, FERMIONS DON'T

Pauli exclusion principle:
Fermions cannot share the same quantum state

(but bosons can! 😊)

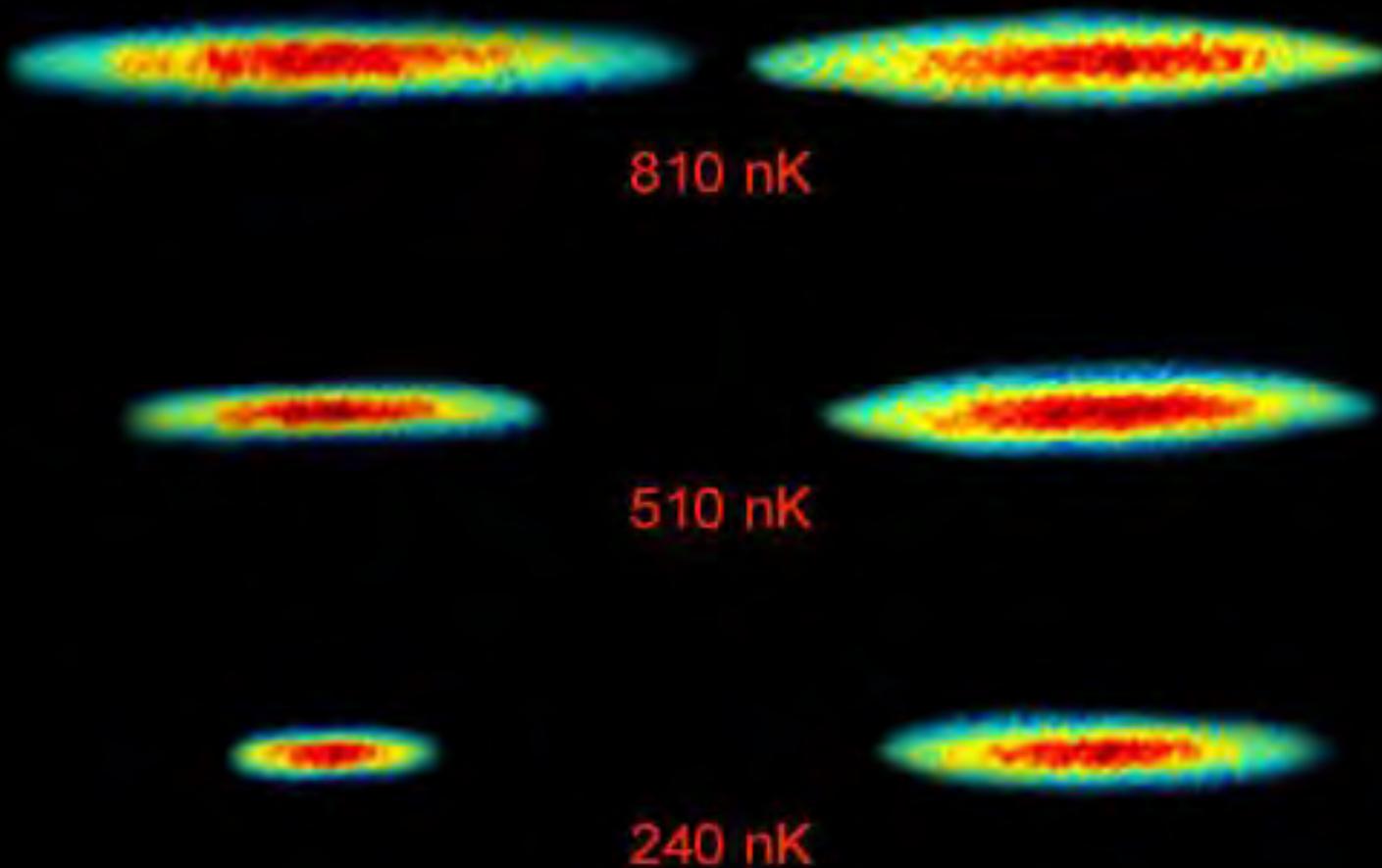
Bose-Einstein condensates of lithium isotopes;

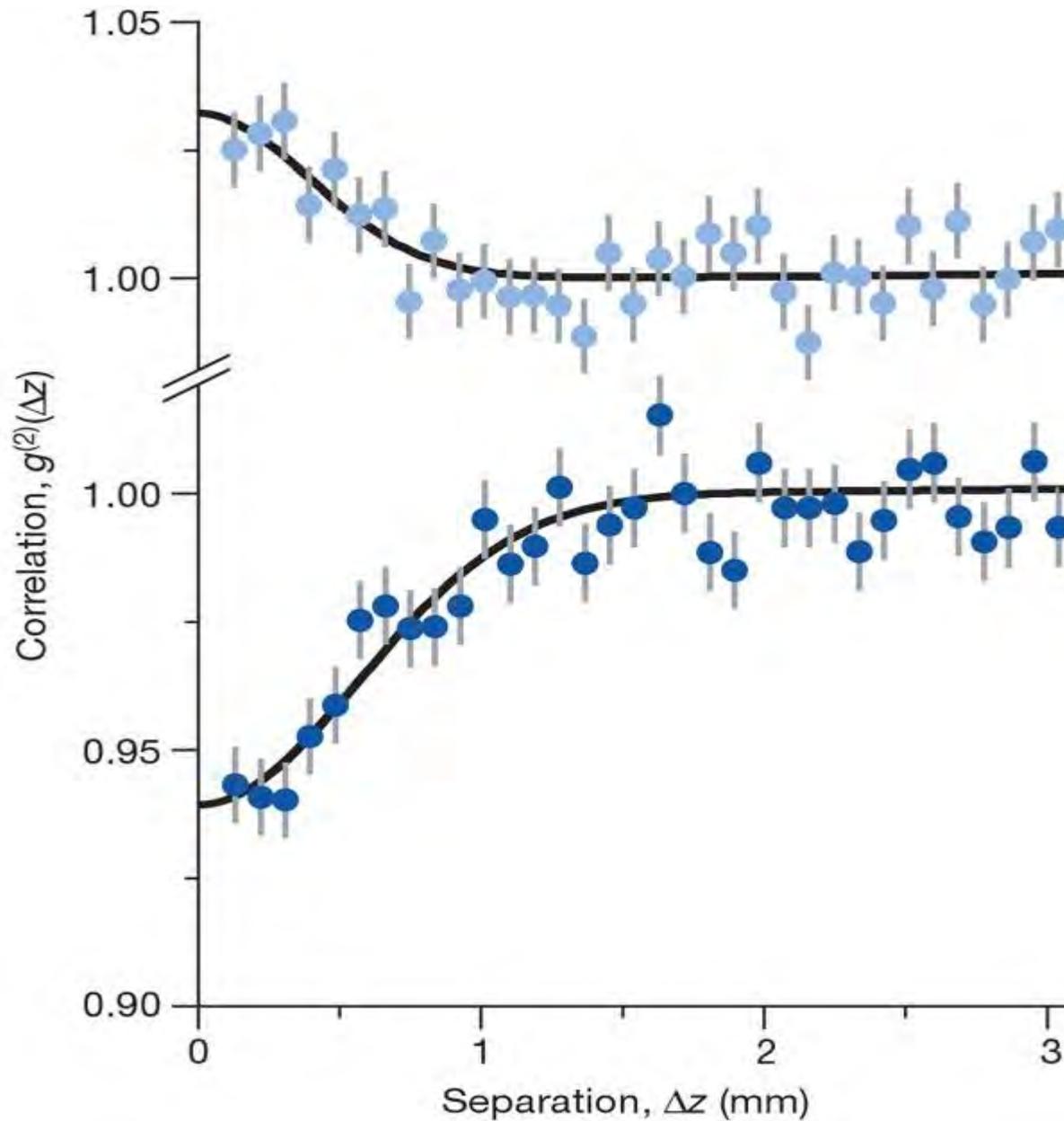
Left: ${}^7\text{Li}$ bosons (integer spin)

Right: ${}^6\text{Li}$ fermions

As temperature drops, bosons bunch together, while fermions keep their distance

Truscott & Hulet (Rice Univ.)





Correlation functions at $T=0.5 \mu\text{K}$

Top: ^4He (bosons)

Bottom: ^3He (fermions)

Bosons show bunching;
fermions show antibunching

PARTICLE PHYSICS

HBT Interferometry: Historical Perspective

Sandra S. Padula

Instituto de Física Teórica - UNESP, Rua Pamplona 145, 01405-900 São Paulo, Brazil

Received on 15 December, 2004

I review the history of HBT interferometry, since its discovery in the mid 1950's, up to the recent developments and results from BNL/RHIC experiments. I focus the members of our Brazilian group.

Review of HBT or Bose-Einstein correlations in high energy heavy ion collisions

T. Csörgő

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Abstract. A brief review is given on the discovery and the first five decades of the Hanbury Brown - Twiss effect and its generalized applications in high energy nuclear and particle physics, that includes a meta-review. Interesting and inspiring new directions are also highlighted, including for example source imaging, lepton and photon interferometry, non-Gaussian shape analysis as well as many other new directions. Existing models are compared to two-particle correlation measurements and the so-called RHIC HBT puzzle is resolved. Evidence for a (directional) Hubble flow is presented and the conclusion is confirmed by a successful description of the pseudorapidity dependence of the elliptic flow as measured in Au+Au collisions by the PHOBOS Collaboration.

Annu. Rev. Nucl. Part. Sci. 1992. 42:77-100
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HADRONIC INTERFEROMETRY IN HEAVY-ION COLLISIONS

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KEY WORDS: intensity interferometry, Hanbury Brown and Twiss effect, two-particle correlation functions, transport theory

THE PHYSICS OF HANBURY BROWN-TWISS INTENSITY INTERFEROMETRY: FROM STARS TO NUCLEAR COLLISIONS *

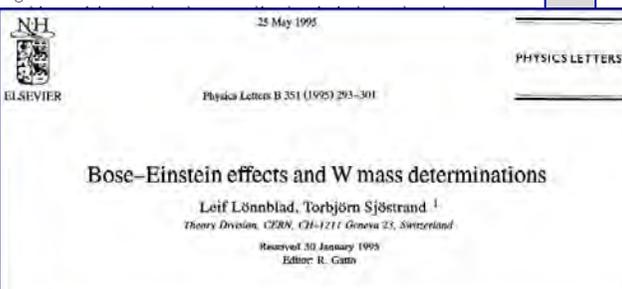
GORDON BAYM

Department of Physics, University of Illinois at Urbana-Champaign
 1110 W. Green St., Urbana, IL 61801, USA

(Received April 14, 1998)

In the 1950's Hanbury Brown and Twiss showed that one could measure the angular sizes of astronomical radio sources and stars from correlations of signals received at two antennas.

Their subsequent application to the study of photon and neutron quantum statistics has become a major tool in providing information on the structure of matter and the dependence of the basic laws of physics on the conditions of matter and energy.



Abstract
 In $e^+e^- \rightarrow W^+W^- \rightarrow q\bar{q}q\bar{q}$ events at LEP 2, the two W decay vertices are much closer to each other than typical hadronization distances. Therefore the Bose-Einstein effects, associated with the production of identical bosons (mainly pions), may provide a 'cross-talk' between the W^+ and the W^- decay products. If so, the observable W masses are likely to be affected. We develop algorithms for the inclusion of Bose-Einstein effects in multi-hadronic events. In this way we can study potential uncertainties in the W mass determination. In some scenarios the effects are significant, so that this source of uncertainty cannot be neglected.

TWO-PARTICLE CORRELATIONS IN RELATIVISTIC HEAVY-ION COLLISIONS

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Key Words Hanbury Brown-Twiss interferometry, Bose-Einstein correlations, collective expansion, source size/lifetimes

■ **Abstract** Two-particle momentum correlations between pairs of identical particles produced in relativistic heavy ion collisions are reviewed.

Annu. Rev. Nucl. Part. Sci. 2005. 55:537-402
 doi: 10.1146/annurev.nucl.55.090704.151533
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FEMTOSCOPY IN RELATIVISTIC HEAVY ION COLLISIONS: Two Decades of Progress

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Key Words HBT, intensity interferometry, heavy ion collisions, femtoscopy

■ **Abstract** Analyses of two-particle correlations have provided the chief means for determining spatio-temporal characteristics of relativistic heavy ion collisions. We discuss the theoretical formalism behind these studies and the experimental methods used in carrying them out. Recent results from RHIC are put into context in a systematic review of correlation measurements performed over the past two decades. The current understanding of these results is discussed in terms of model comparisons and overall trends.

Back to astronomy ...

Software telescopes in radio and the optical

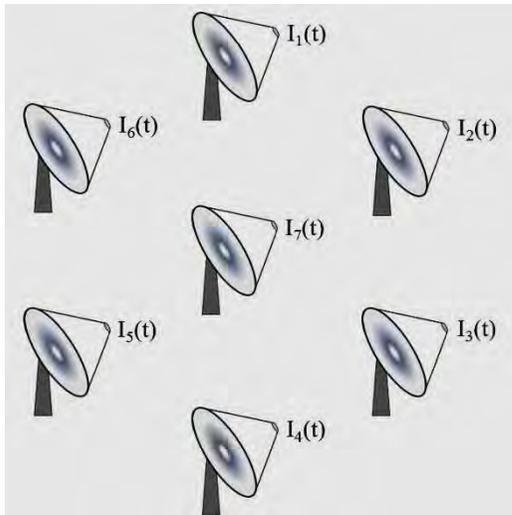


LOFAR low-band antennas at Onsala Space Observatory

Low-frequency radio waves, ~ 100 MHz

Many antennas, huge data flows.
Radio-wave amplitude sampled 12 bits deep.
Spectral resolution ~ 1 kHz, bandwidth 32 MHz.
Measures first-order coherence.
Large, central on-line data processing facility.

Optical Intensity Interferometer

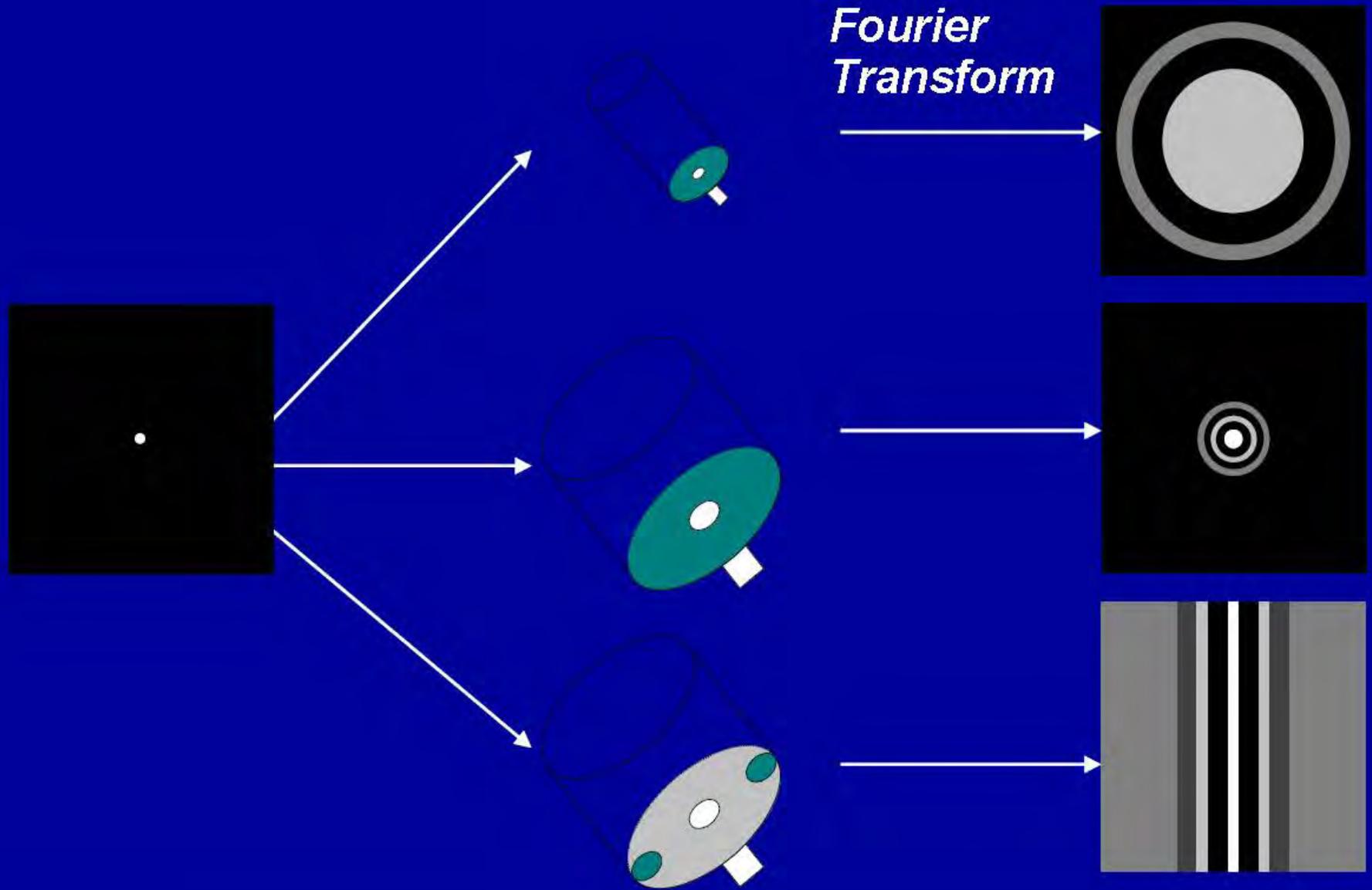


Low-frequency optical fluctuations, ~ 100 MHz

Many telescopes, moderate data flows.
Photon counts recorded (1 bit).
Spectral resolution by optical filters.
Measures second-order coherence.
On-line or off-line data processing.

Many telescopes combined in software 'fully' cover the interferometric (u, v) -plane

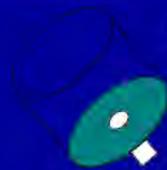
Point Spread Function of Telescopes / Interferometers



Primary Mirror Configuration



Point Spread Function



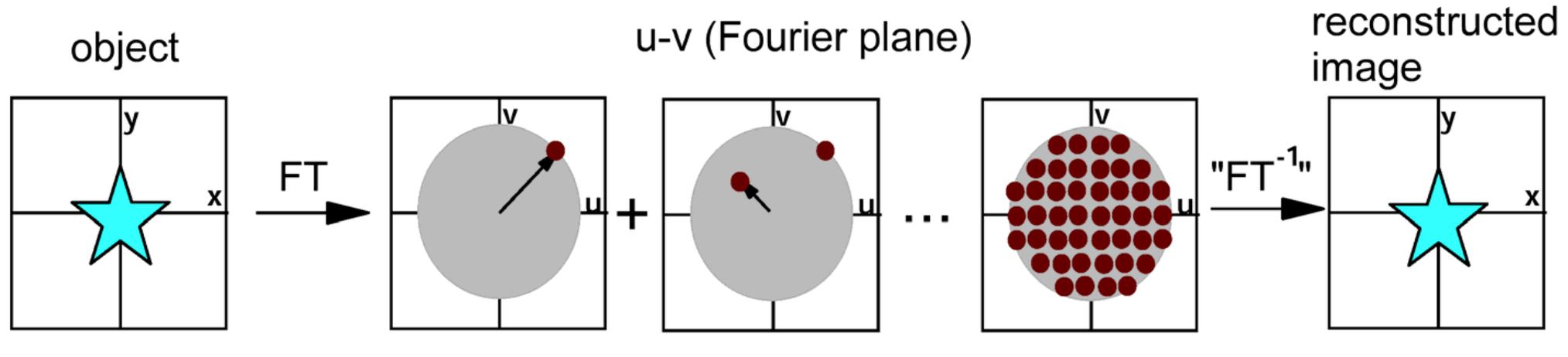
Synthetic Aperture

Synthetic PSF



Synthetic Aperture Imaging with an Interferometer

Aperture synthesis imaging

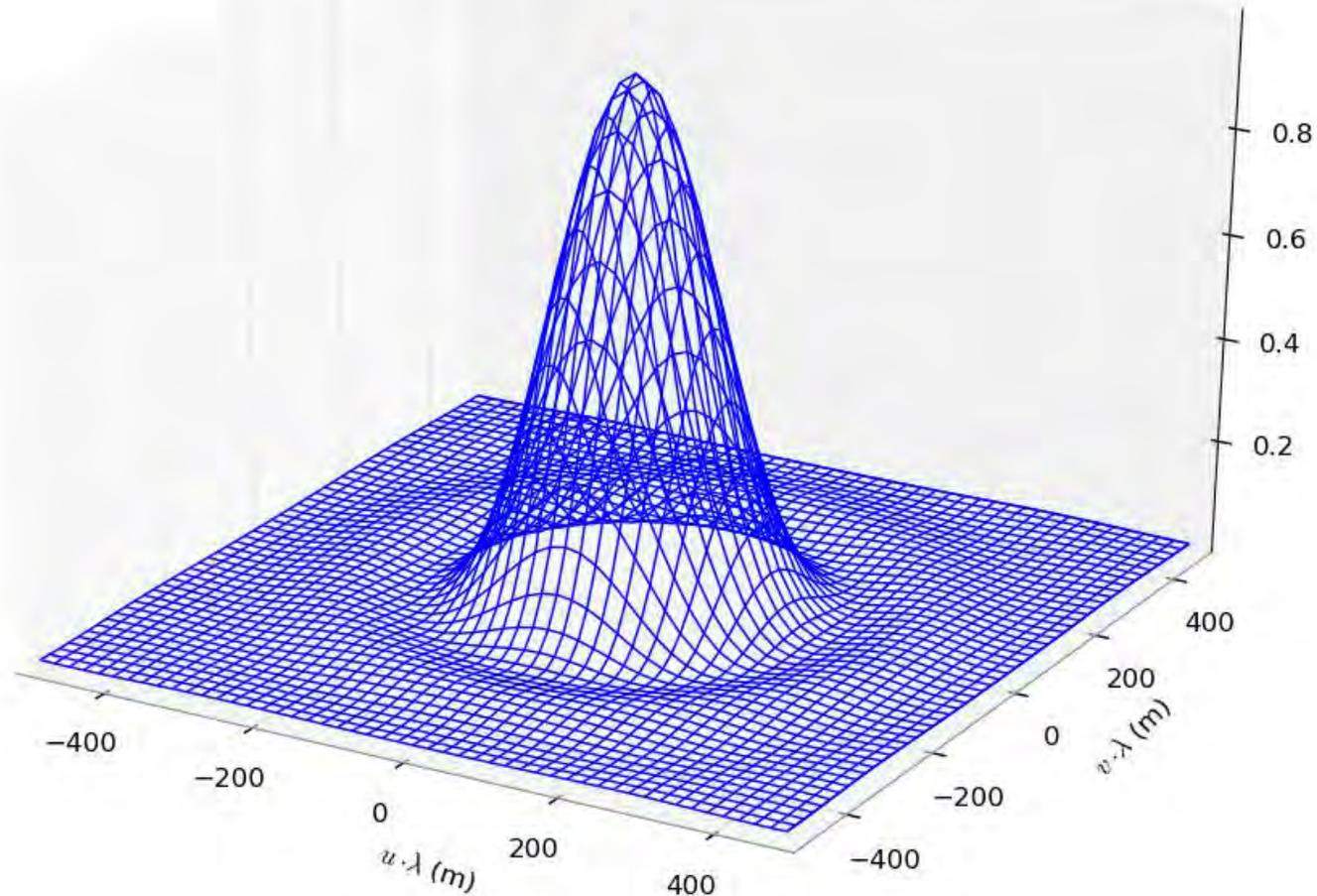


* **Each observation measures one Fourier component of the brightness distribution.**

One observation thus contributes one data point in the (u,v) -plane, the coordinate plane of the two-dimensional Fourier transform of the brightness distribution of the source.

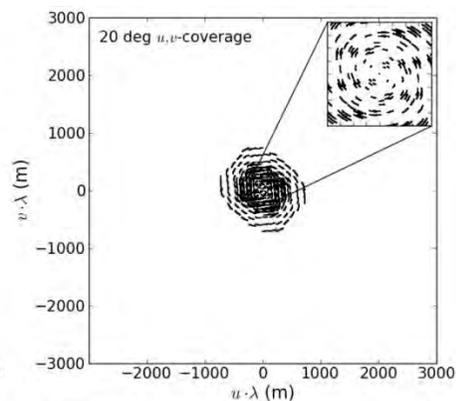
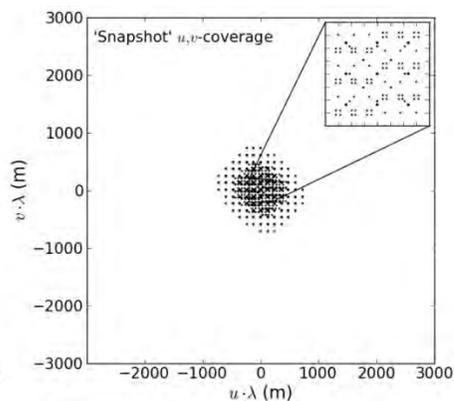
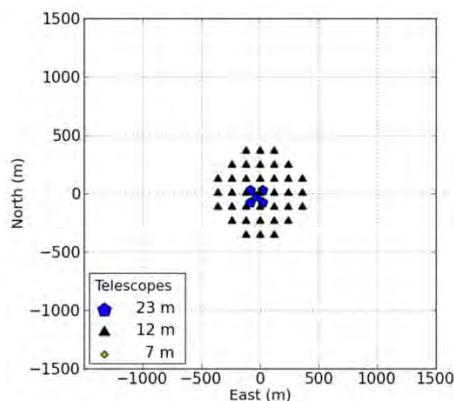
* **Complex visibilities (i.e., fringe amplitude and phase) required for Fourier inversion.**

OBSERVATIONS IN INTENSITY INTERFEROMETRY

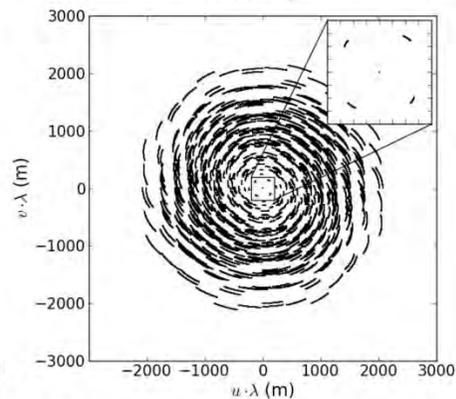
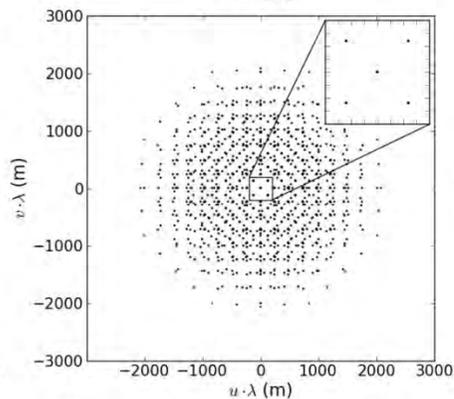
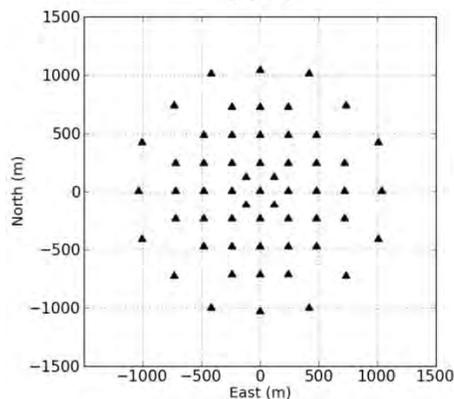


**Squared visibility ("diffraction pattern"), of a stellar disk of angular diameter 0.5 mas.
Z = normalized second-order coherence**

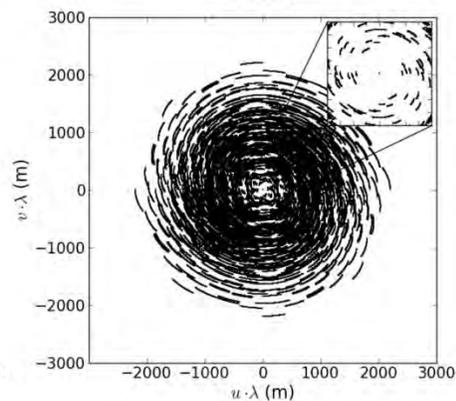
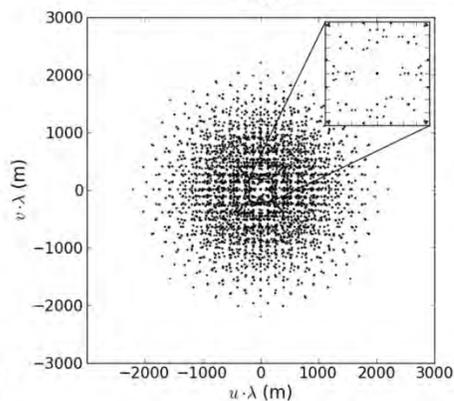
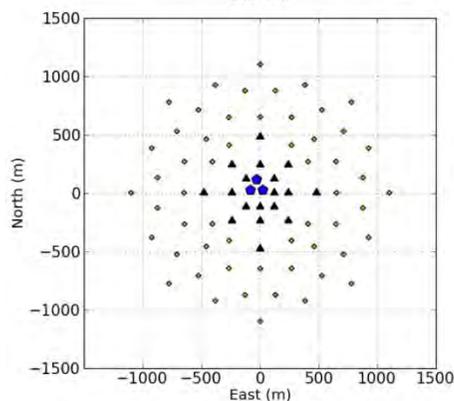
CTA B



CTA D



CTA I



Left: Telescopes for CTA configurations B, D, and I.

Center column: (u, v) -plane coverage for a star in zenith.

Right: (u, v) -plane coverage for a star moving from zenith through 20 degrees west.

Digital intensity interferometry

- ★ Cherenkov telescopes: Large flux collectors
- ★ Fast digital detectors & high-speed signal handling
- ★ Combine optical telescopes in software
- ★ Huge number of baselines, no loss of digital signal
- ★ Example: 65 telescopes: $N \times (N-1) / 2 = 2080$ baselines
- ★ Filled (u,v) -plane enables sub-milliarcsecond imaging

What can be observed?

S/N in intensity interferometry

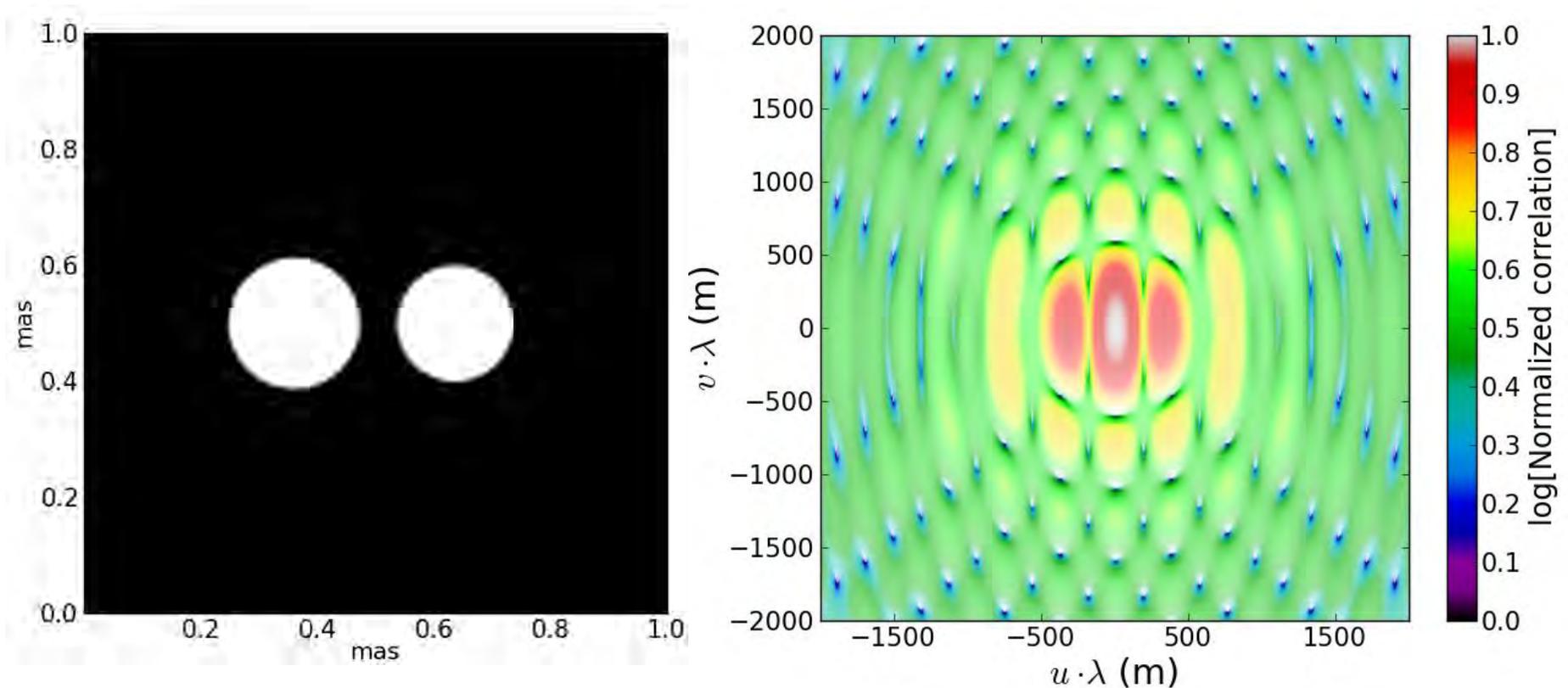
PROPORTIONAL TO:

- ★ Telescope areas (geometric mean)
- ★ Detector quantum efficiency
- ★ Square root of integration time
- ★ Square root of electronic bandwidth
- ★ Photon flux per optical frequency bandwidth

INDEPENDENT OF:

- ★ Width of optical passband

Simulated observations in intensity interferometry



Squared visibility from a close binary star.

Left: Pristine image; Right: Logarithm of magnitude of Fourier transform

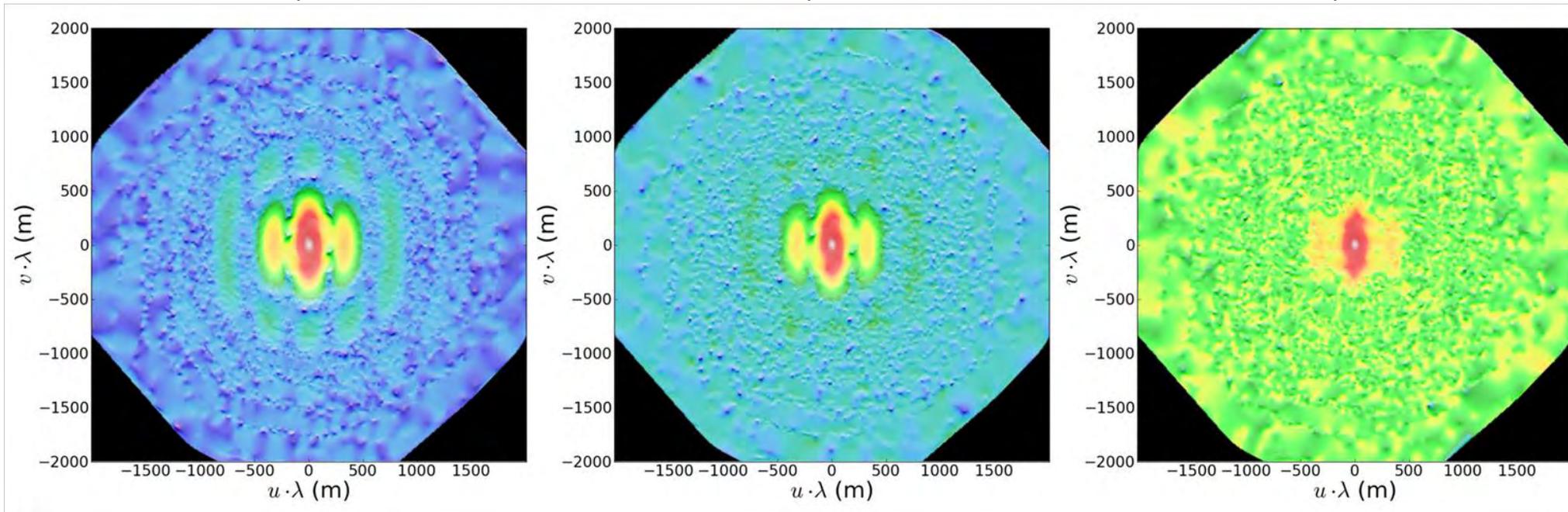
Simulated observations in intensity interferometry

Limiting magnitude for CTA with foreseen instrumentation

$m_v = 3$

$m_v = 5$

$m_v = 7$



Simulated observations of binary stars of visual magnitudes 3, 5, and 7.

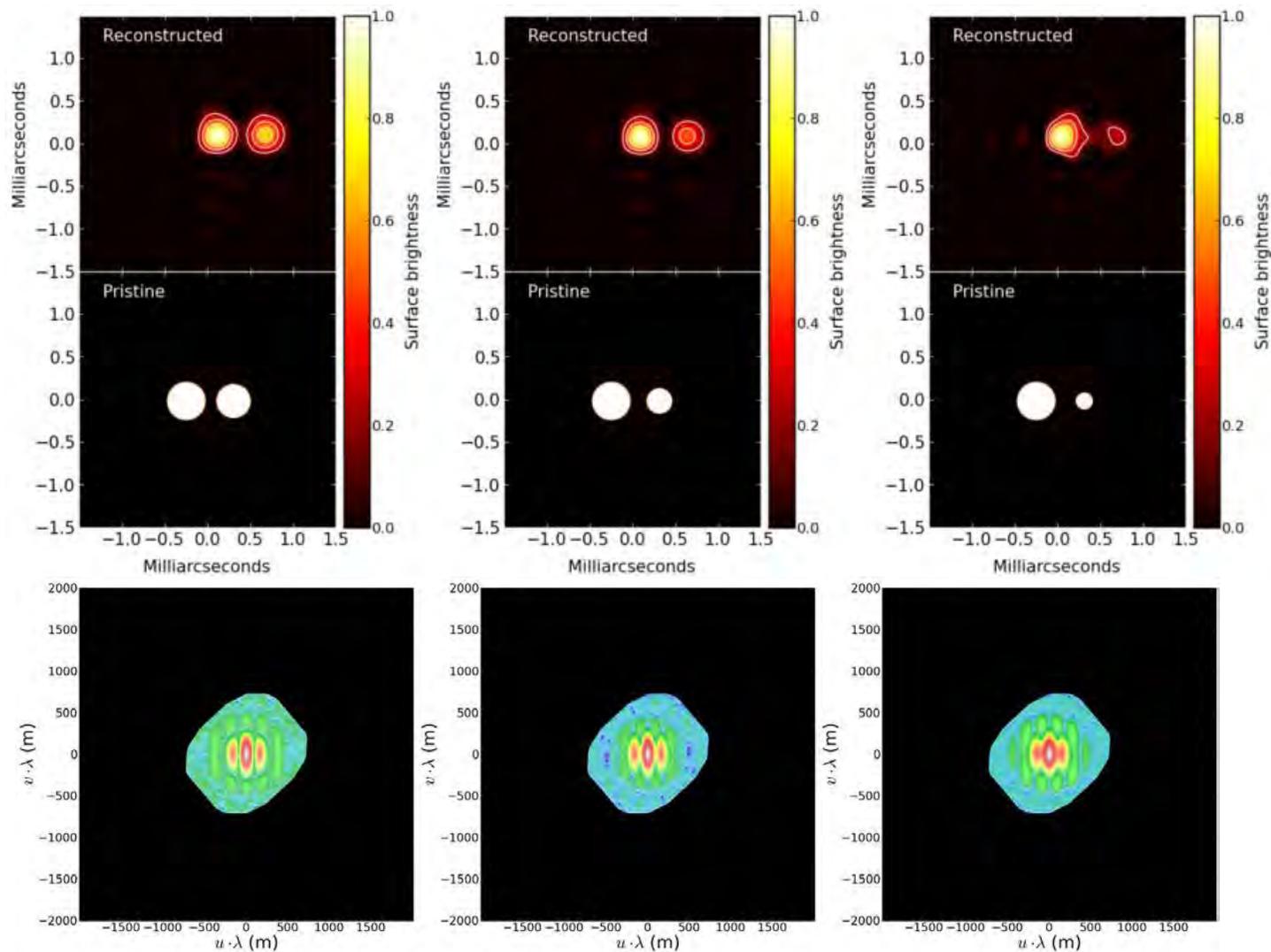
Total integration time: 20 hours; λ 500 nm, time resolution 1 ns, quantum efficiency = 70%

Array: CTA D

D.Dravins, S.LeBohec, H.Jensen, P.D.Nuñez:

Stellar Intensity Interferometry: Prospects for sub-milliarcsecond optical imaging, New Astron. Rev. **56**, 143 (2012)

CTA B



Simulated observations of binary stars with different sizes.

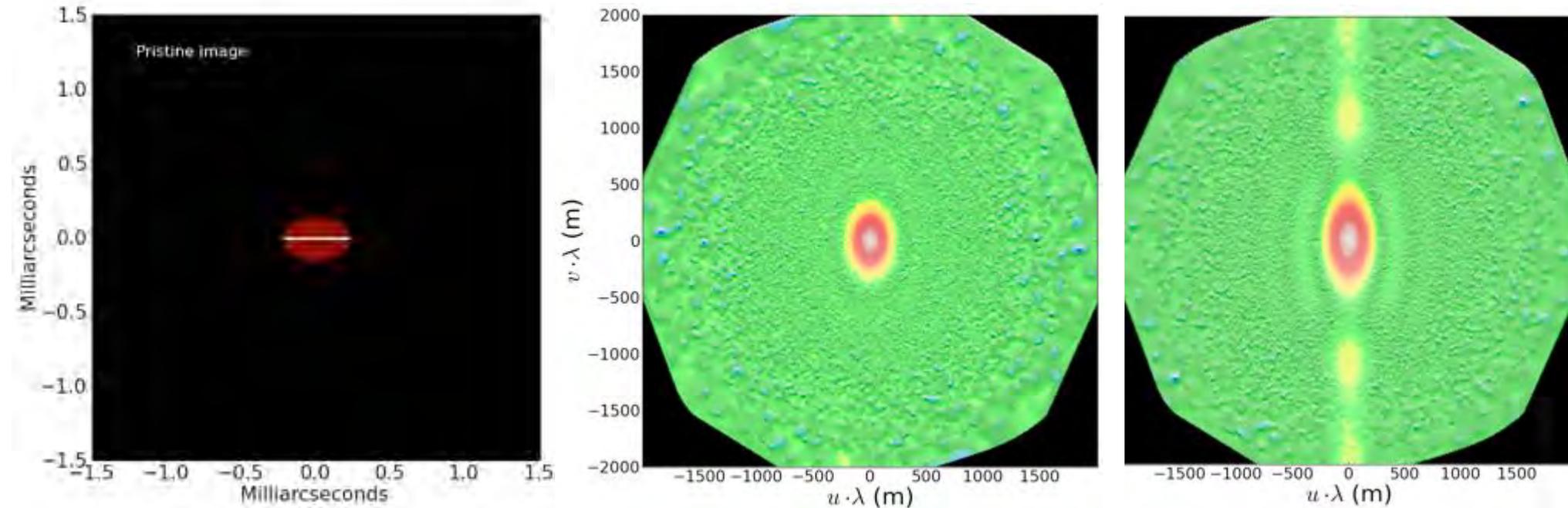
($m_V = 3$; $T_{\text{eff}} = 7000$ K; $T = 10$ h; $\Delta t = 1$ ns; $\lambda = 500$ nm; $\Delta\lambda = 1$ nm; QE = 70%, array = CTA B)

Top: Reconstructed and pristine images; Bottom: Fourier magnitudes.

Already changes in stellar radii by only a few micro-arcseconds are well resolved.

Simulated observations in intensity interferometry

S/N independent of spectral passband



SIMULATED OBSERVATIONS OF ROTATIONALLY FLATTENED STAR WITH EMISSION-LINE DISK

Left: Pristine image, 0.4 mas across with $10 \mu\text{as}$ equatorial emission-line disk, 6 times continuum intensity

Center: Observed magnitude of the Fourier transform in continuum light

Right: Same for a narrow-bandpass filter at He I λ 587 nm emission

Stellar magnitude: $m_v = 6$, $T_{\text{eff}} = 7000$ K; $T = 50$ h, $\text{QE} = 70\%$; Array = CTA I

D.Dravins, S.LeBohec, H.Jensen, P.D.Nuñez:

Stellar Intensity Interferometry: Prospects for sub-milliarcsecond optical imaging, New Astron. Rev. **56**, 143 (2012)

Image reconstruction

Second-order coherence $g^{(2)}$

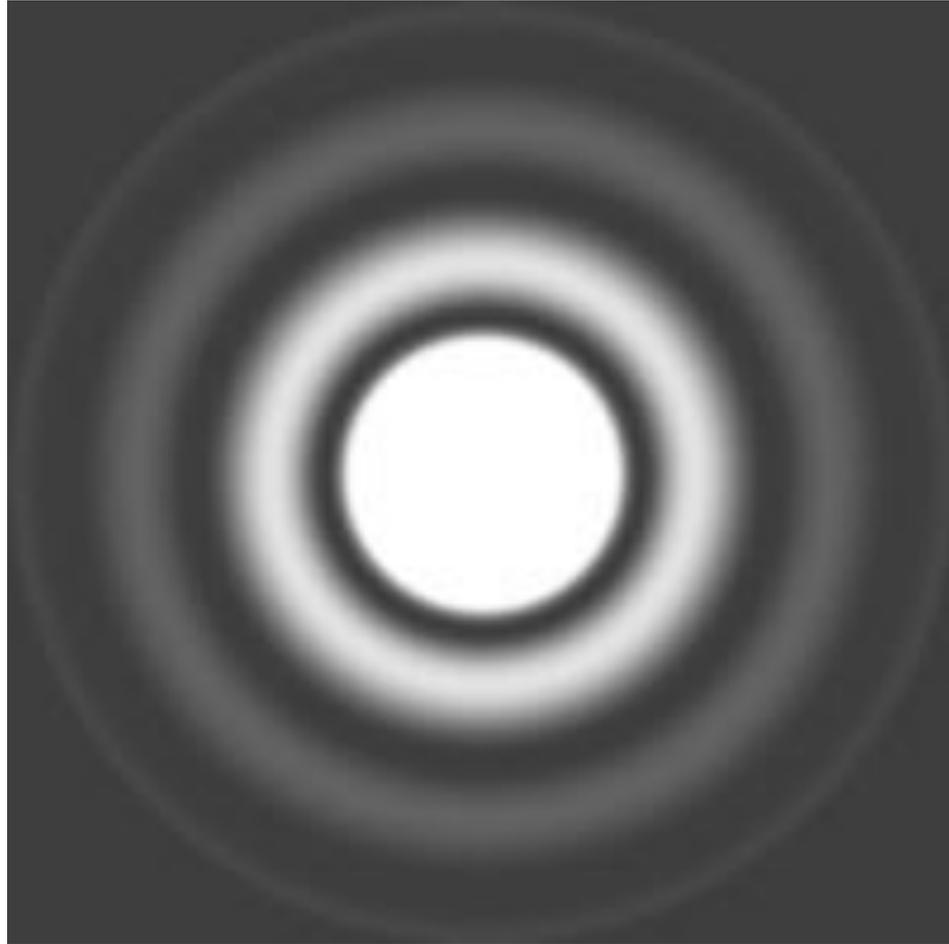
$$g^{(2)}(\tau) = 1 + |g^{(1)}(\tau)|^2$$

Does not retain phase information,
direct image reconstruction not possible.

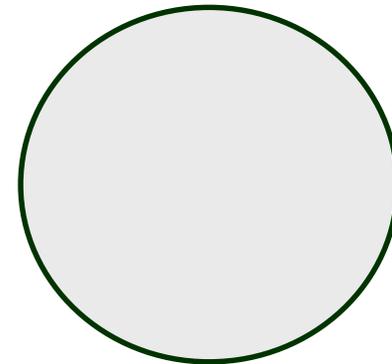
Imaging requires retrieval of
Fourier phases from amplitudes.

Feasible if dense coverage of (u,v) -plane

Image reconstruction from intensity interferometry

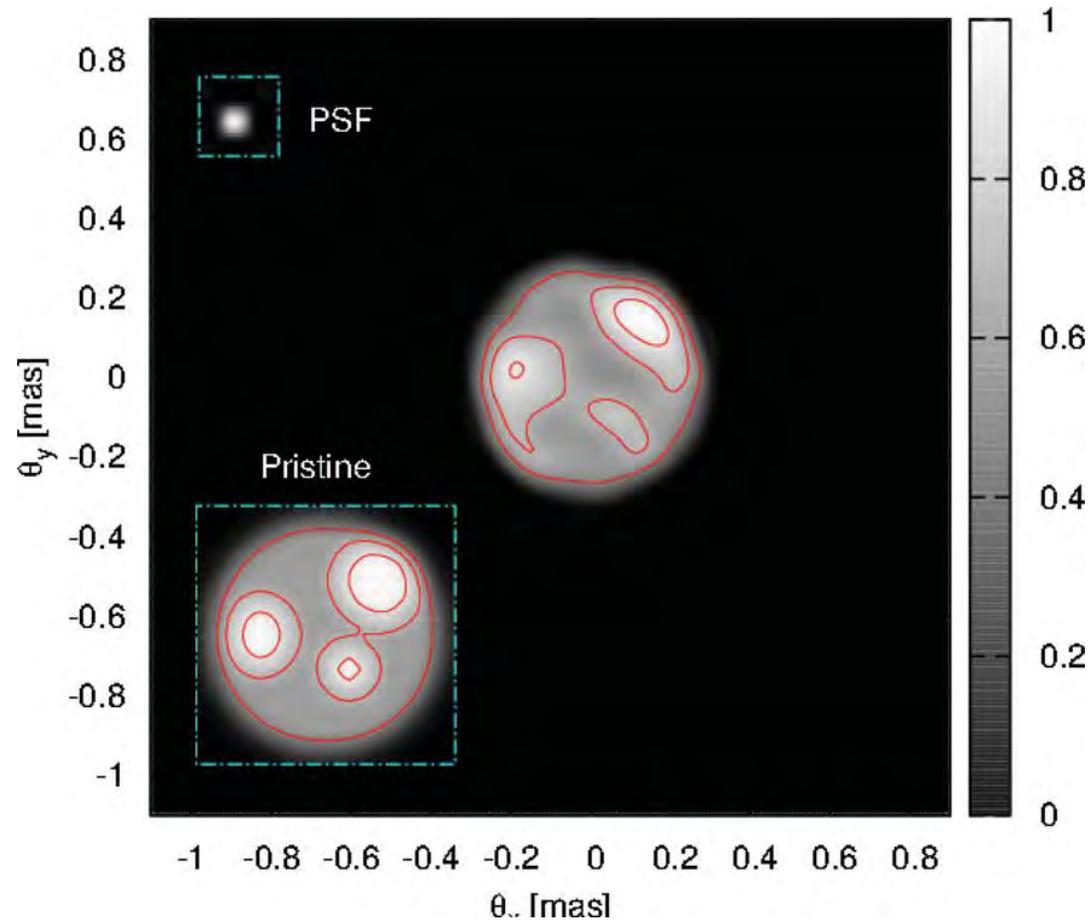


This Airy-disk diffraction pattern is immediately recognized as originating in a circular aperture, although only intensities are recorded.



Two-dimensional images can be reconstructed without phase information, provided two-dimensional coverage of the (u,v) -plane is available

Image reconstruction from intensity interferometry



Numerical simulations of intensity-interferometry observations with a CTA-like array, with image reconstruction of a star with three hotspots

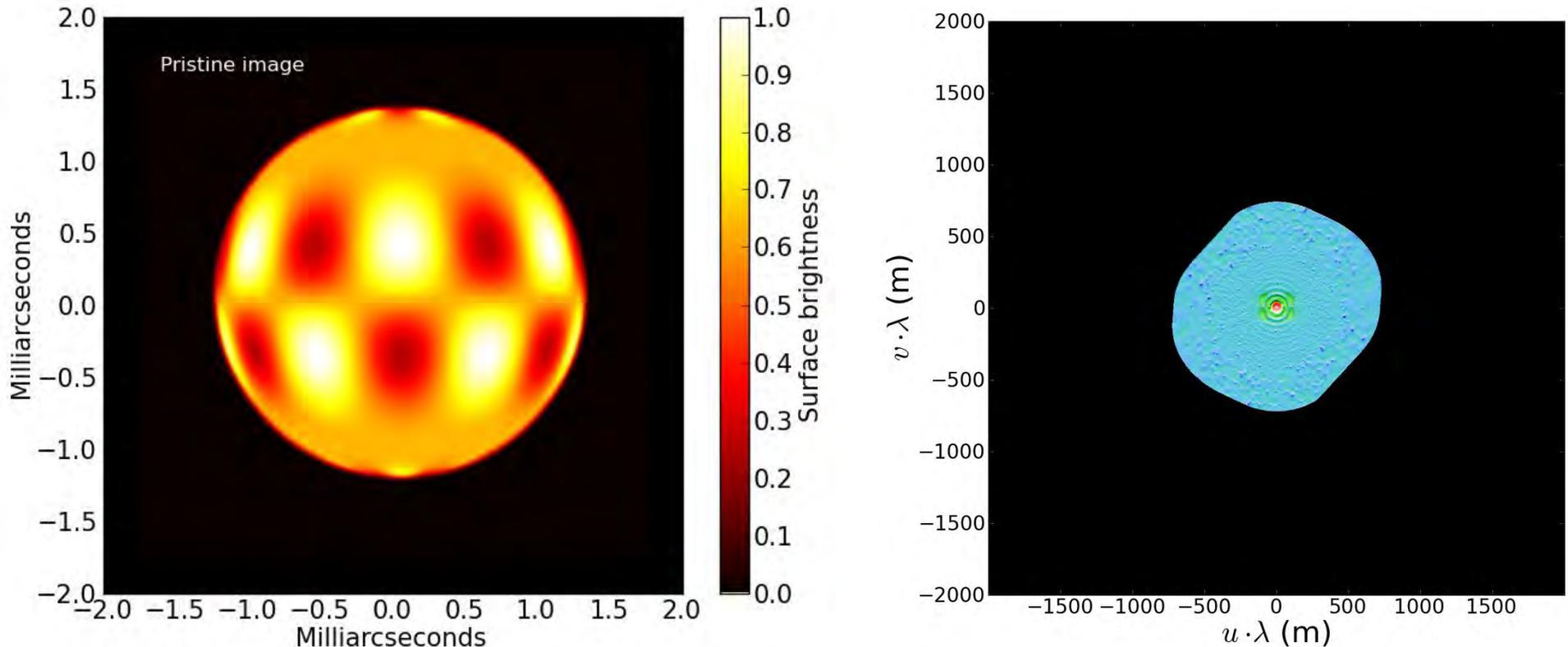
Pristine image has $T = 6000$ K; spots have 6500K (top-right and left) and 6800K.

Simulated data correspond to visual magnitude $m_v = 3$, and 10 hours of observation.

P.D.Nuñez, R.Holmes, D.Kieda, J.Rou, S.LeBohec, *Imaging submilliarcsecond stellar features with intensity interferometry using air Cherenkov telescope arrays*, MNRAS **424**, 1006 (2012)

NON-RADIAL PULSATIONS & VELOCITIES ACROSS STELLAR SURFACES

Observations through very narrow bandpass filters, spanning one spectral line
(might require ordinary telescopes rather than Cherenkov ones)



Simulated observations of a Cepheid-like star undergoing non-radial pulsations
 $m_V = 3.4$; $T_{\text{eff}} = 7000$ K; $\Delta t = 1$ ns; $\lambda = 500$ nm; Array = CTA B

Left: Pristine image; Right: Observed Fourier magnitude

Cherenkov Telescope Array as an Intensity Interferometer

Expected resolution for assumed exoplanet transit across the disk of Sirius



Stellar diameter = 1.7 solar

Distance = 2.6 pc

Angular diameter = 6 mas

Assumed Jupiter-size planet with rings;

four Earth-size moons;

equatorial diameter = 350 μ as.

CTA array spanning 2 km;

Resolution 50 μ as at λ 400 nm provides more than 100 pixels across the stellar diameter



Intensity interferometry

COULD BE: First km-scale optical imager with hundreds of baselines, imaging hot stars at short optical wavelengths.

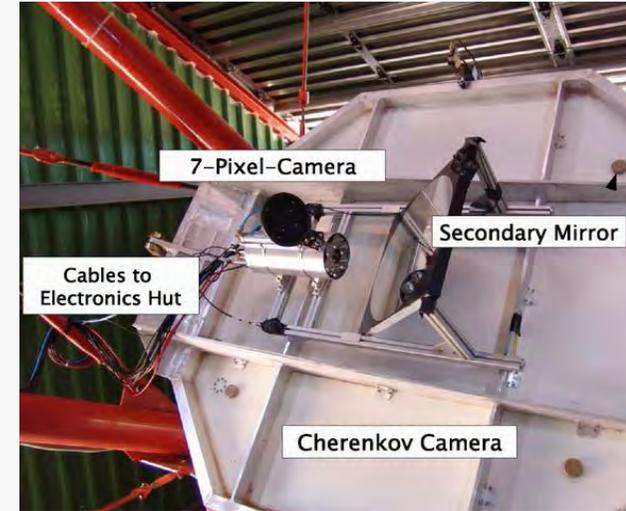
IS NOT: An alternative to phase/amplitude interferometers. These are superior in imaging cool and extended sources.

Other optical astronomy with CTA?

HIGH SPEED TRANSIENTS

Detectors on outside lid of the H.E.S.S. Cherenkov camera

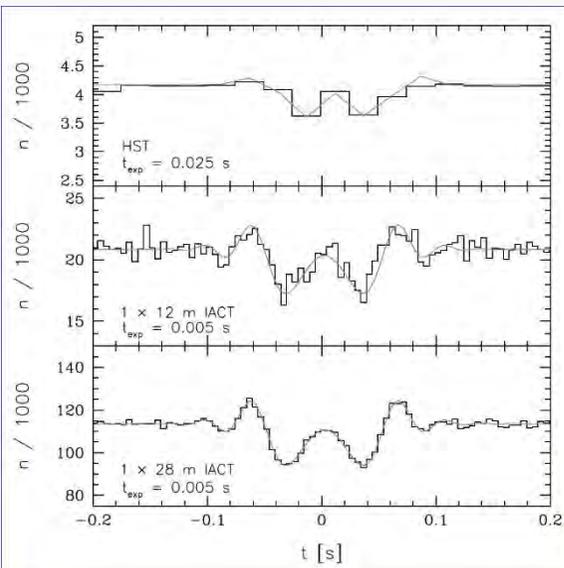
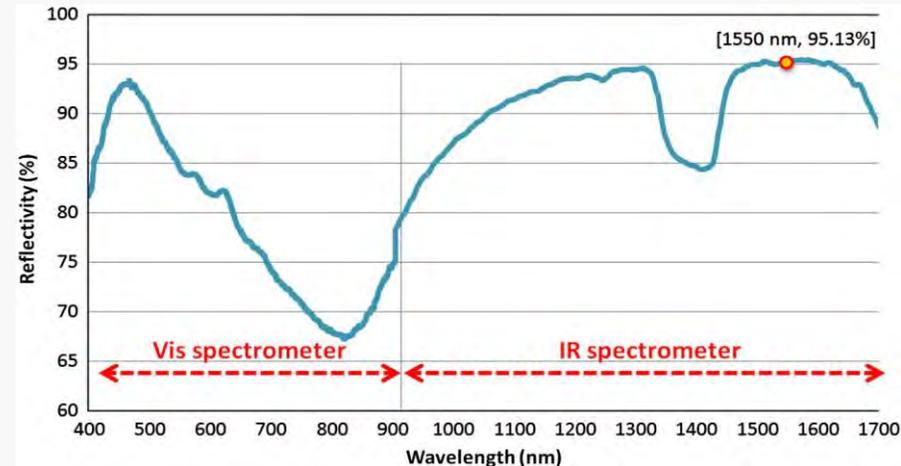
C.Deil, W.Domainko, G.Hermann, A.C.Clapson, A.Förster, C.van Eldik, W.Hofmann:
Capability of Cherenkov telescopes to observe ultra-fast optical flares
Astropart.Phys. **31**, 156 (2009)



OPTICAL SPACE COMMUNICATION

Reflectivity measurements of a MAGIC mirror

A.Carrasco-Casado, M.Vilera, R.Vergaz, J.Francisco Cabrero:
Feasibility of utilizing Cherenkov Telescope Array gamma-ray telescopes as free-space optical communication ground stations
Appl.Opt. **52**, 2353 (2013)



KUIPER-BELT OCCULTATIONS

Simulated occultation light curves

Brian C. Lacki:

On the Use of Cherenkov Telescopes for Outer Solar System Body Occultations
MNRAS (2014); arXiv1402.1179L

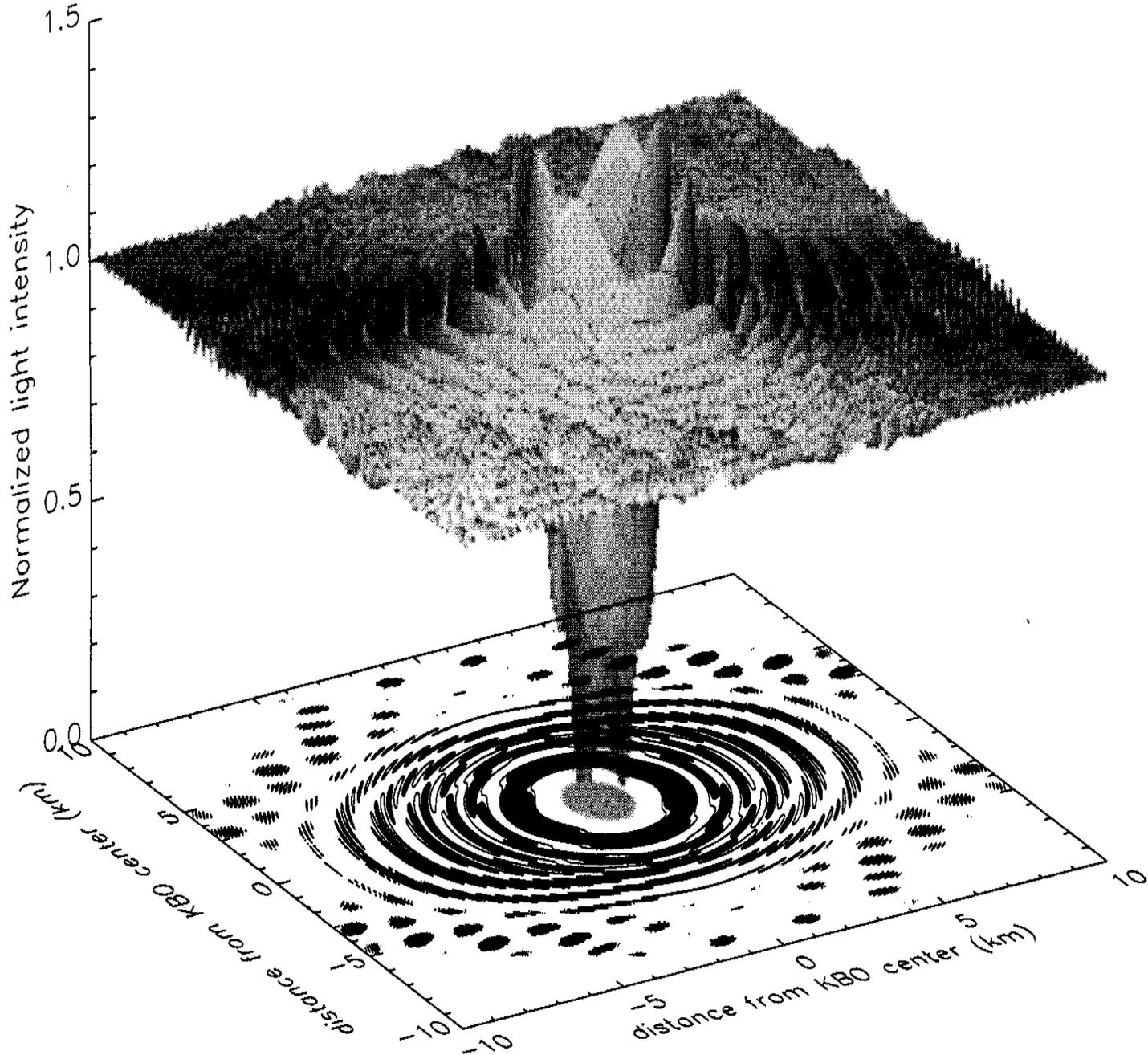
KUIPER-BELT OCCULTATIONS

Diffraction & shadow of irregular 1-km Kuiper-belt object in front of a point star.

Horizontal axes in km, vertical axis is stellar flux.

Grey central spot indicates the geometrical shadow.

(Roques & Moncuquet, 2000)





Intensity interferometry
can be carried out in moonlight
when Cherenkov observations
are not efficient



Laboratory & field experiments

Verify operation of an intensity interferometer; understand detector properties, issues in data handling



VERITAS telescopes at Basecamp, Arizona

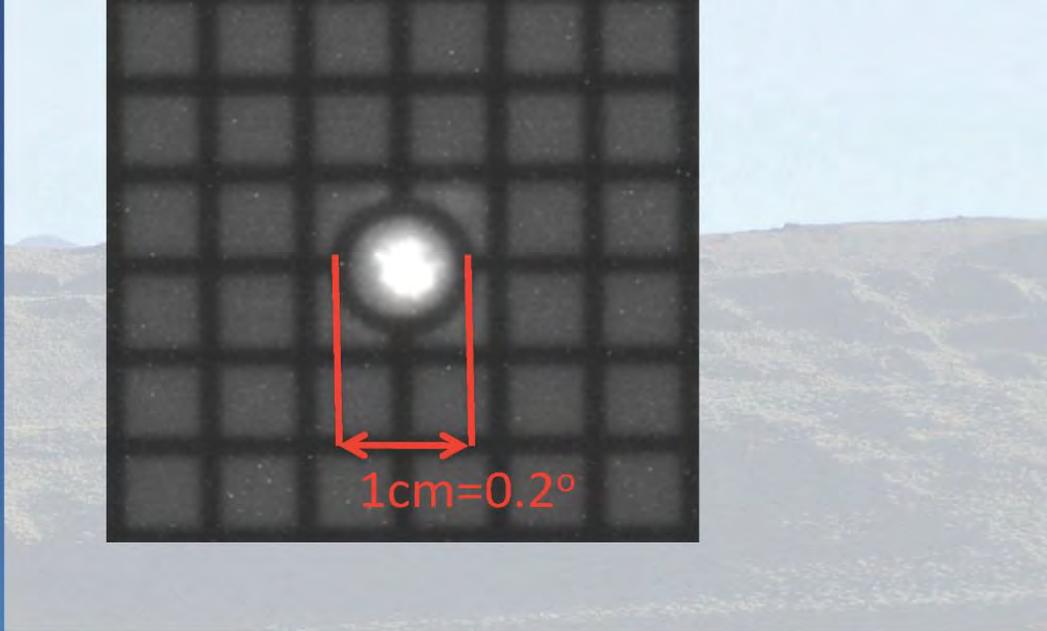
Site of first full-scale tests of digital intensity interferometry

** Digitally correlated pairs of 12-m telescopes*

** Photon rates >30 MHz per telescope*

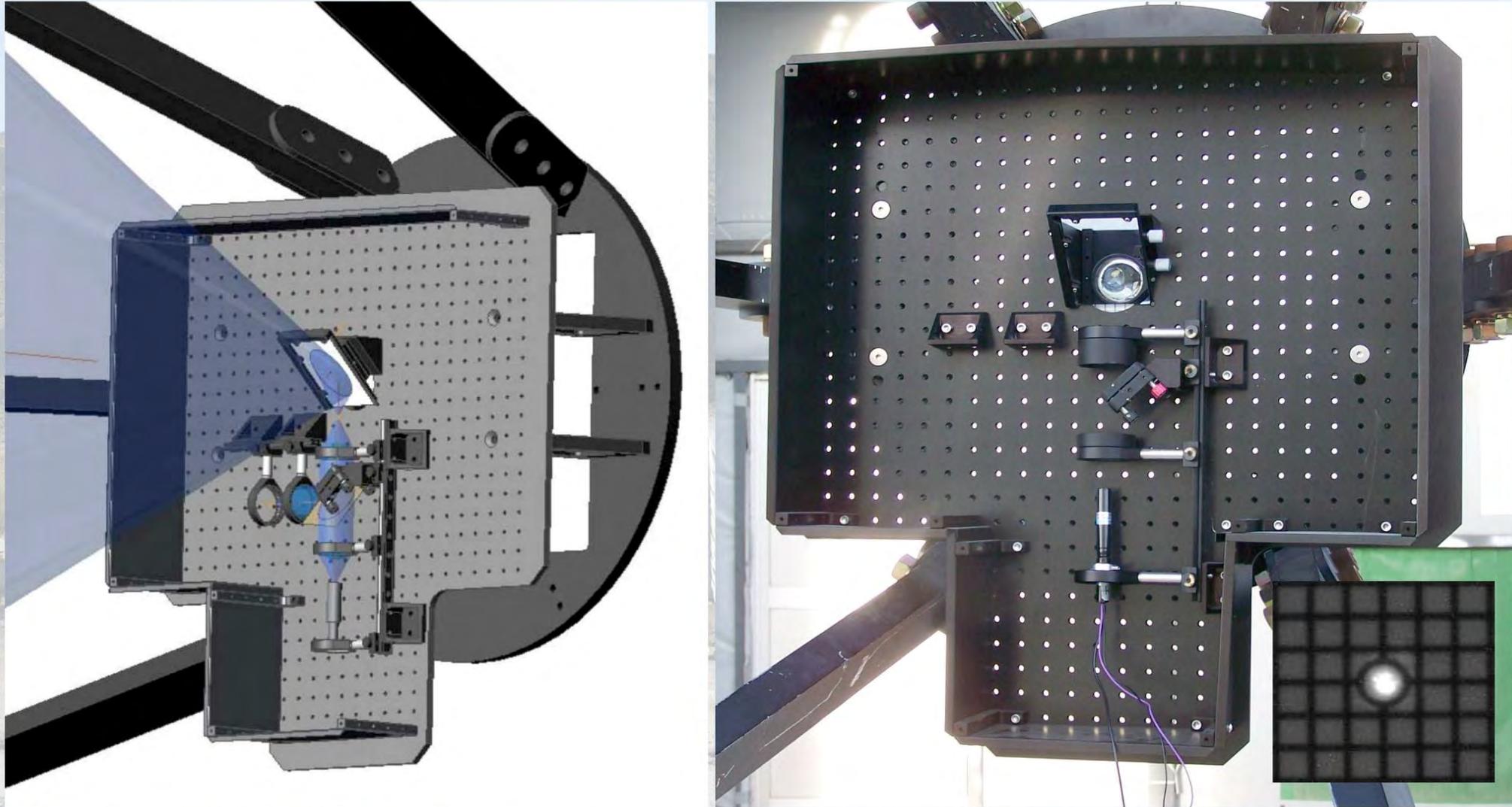
** Real-time cross correlation, $\Delta t = 1.6$ ns*

(D.Dravins & S.LeBohec, Proc. SPIE 6986)



STAR BASE UTAH, A testbed for air Cherenkov telescope instrumentation and intensity interferometry.
(S.LeBohec et al., The University of Utah)

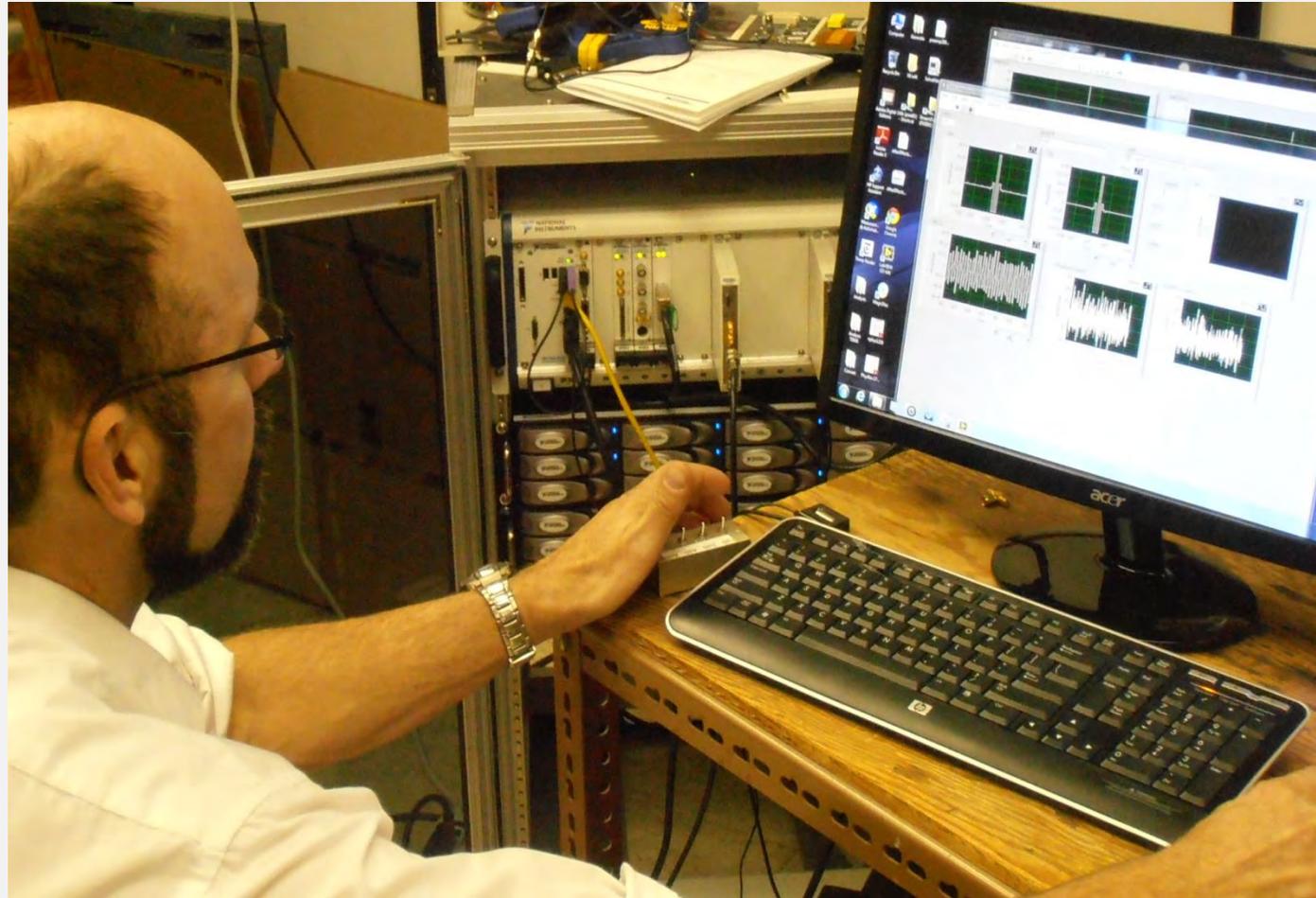
Star Base SII prototype camera



STAR BASE UTAH, Focal-plane assembly with optics and PMT for intensity interferometry.
(S.LeBohec et al., The University of Utah)

Stellar Intensity Interferometry

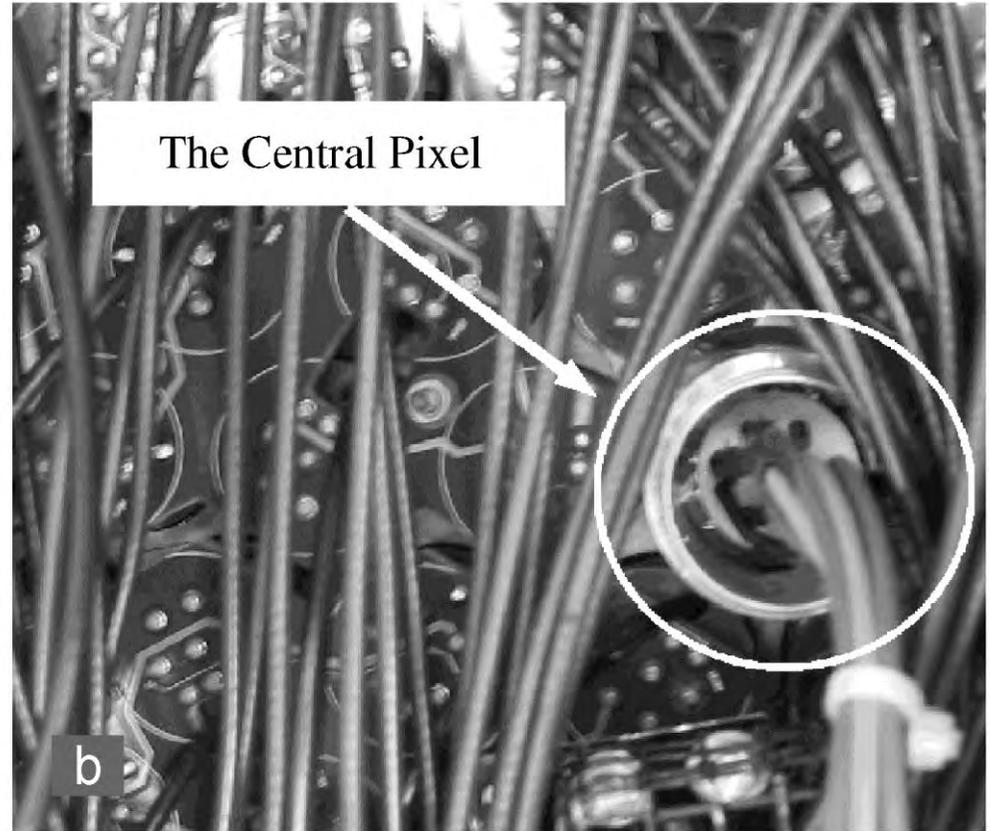
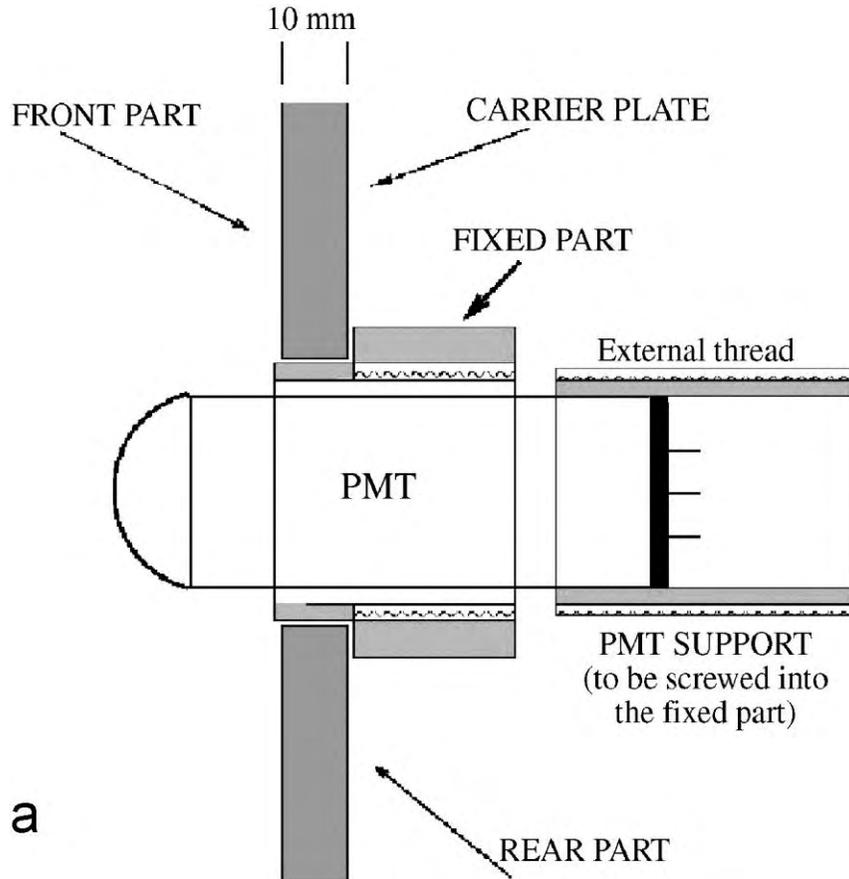
VERITAS upgrade & laboratory experiments @ The University of Utah



The recent VERITAS upgrade included provisions also for intensity interferometry. Here, David Kieda examines correlation functions computed off-line in electronics for real-time digitization and storage of photomultiplier signals.

(Photos by D.Dravins)

CENTRAL PIXEL IN THE *MAGIC I* TELESCOPE



Support of the central pixel, and a camera rear-side photograph with the PMT installed

The mechanical support holding the PMT at the central aperture position, consists of two parts:

- * One part is fixed to the metal support plate (dubbed "Swiss cheese" because of its many holes)
- * The second part, containing the PMT, is screwed into the central aperture of the "Swiss cheese" plate

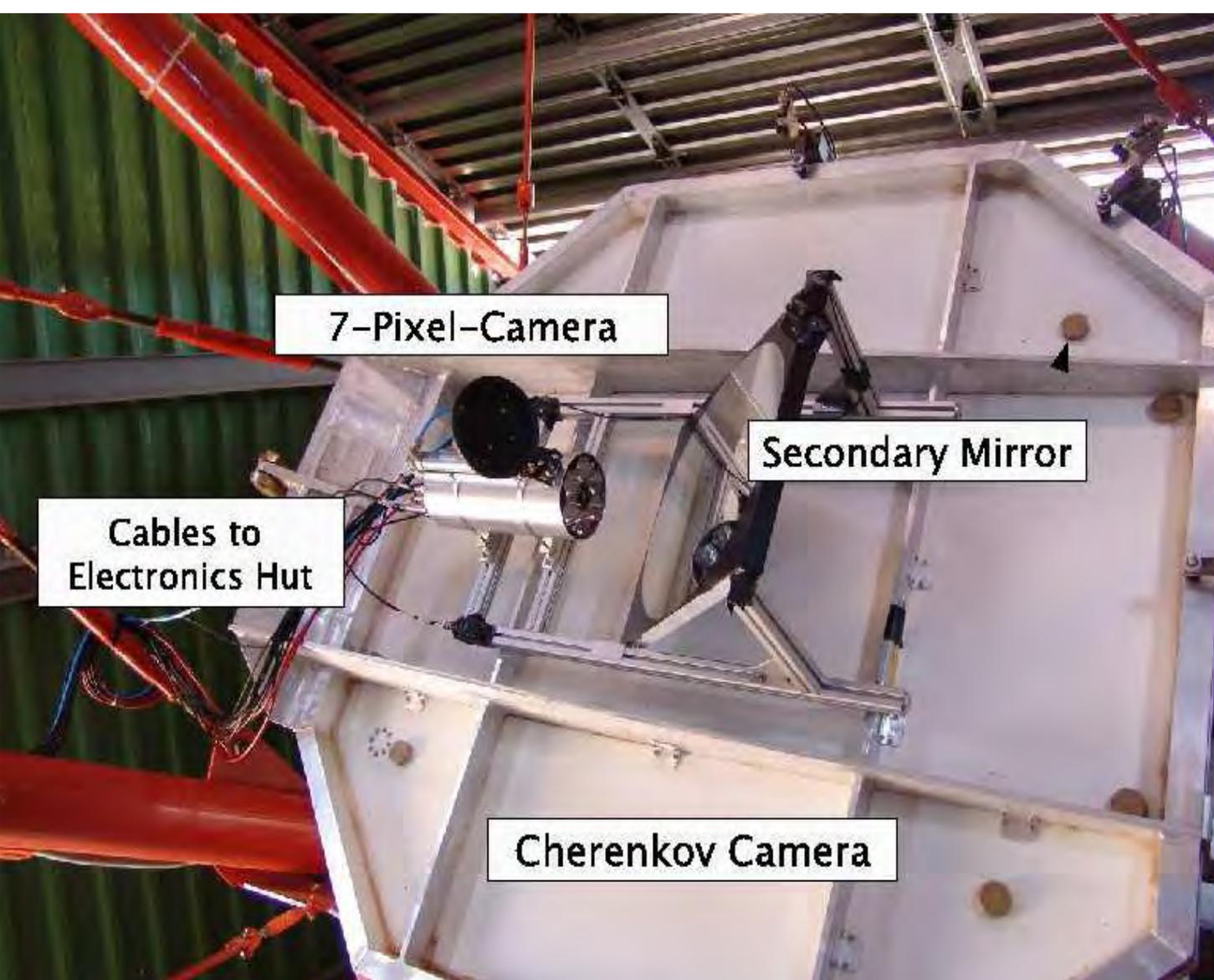
The Central Pixel of the *MAGIC* Telescope for Optical Observations

F.Lucarelli, J.A.Barrio, P.Antoranz, M.Asensio, M.Camara, J.L.Contreras, M.V.Fonseca, M.Lopez, J.M.Miranda, I.Oya, R.De los Reyes, R.Firpo, N.Sidro, F.Goebel, E.Lorenz, N.Otte
Nucl.Instr.Meth.Phys.Res.A, 589, 415 (2008)

7-pixel camera on the lid of the H.E.S.S. Cherenkov camera

A 7-pixel camera was custom-built and mounted on the lid of the Cherenkov camera of a H.E.S.S. telescope using a plane secondary mirror to put it into focus.

Its central pixel was used to continuously record the light curve of the target, while a ring of six 'outer' pixels was used both to monitor the sky background level and as a veto system to reject background events occurring in the atmosphere



7-Pixel-Camera

Secondary Mirror

Cables to Electronics Hut

Cherenkov Camera

Photon-counting detectors

Analyzing photon-counting detectors

Afterpulsing, afterglow and other signatures could mimic intensity correlations



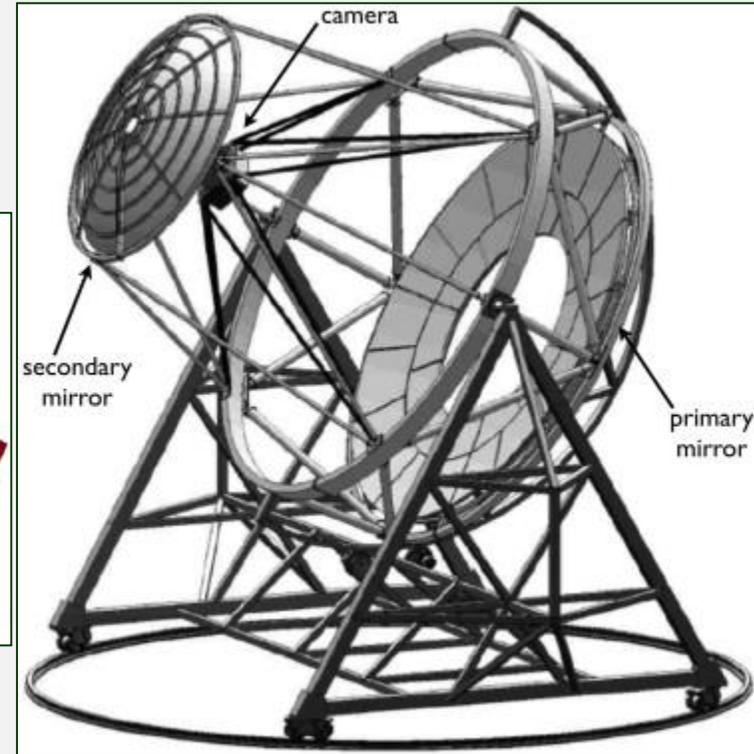
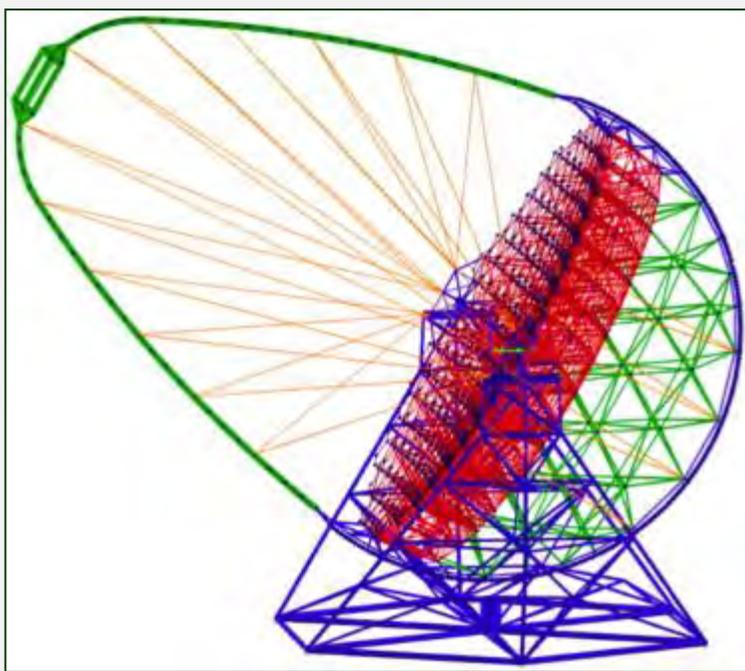
Single-photon-counting avalanche photodiode detectors being evaluated @ Lund Observatory
for digital intensity interferometry

(made by: *ID Quantique; Micro Photon Devices; PerkinElmer; SensL*)

Limits to time resolution? Isochronous telescopes?

Parabolic or Schmidt better than
Davies-Cotton for $\Delta t < \text{few ns}$

CTA telescope concepts



Left: Baseline design for a large telescope of 23 m diameter, with 4.5° field of view and 2500 pixels of 0.1° diameter.

Center: Baseline design for the 12 m diameter medium-sized telescope of Davies–Cotton optical design (spherical primary), with 8° FoV and 1500 pixels of 0.18° .

Right: Design for a Schwarzschild–Couder dual-mirror telescope, with a compact camera close to the secondary mirror. It will have a FoV of 8° diameter, consisting of 11000 square pixels of 0.067° side length.

Cherenkov telescopes are usually Davies-Cotton or parabolic

In a Davies-Cotton layout, all reflector facets have same focal length f , arranged on a sphere of radius f .

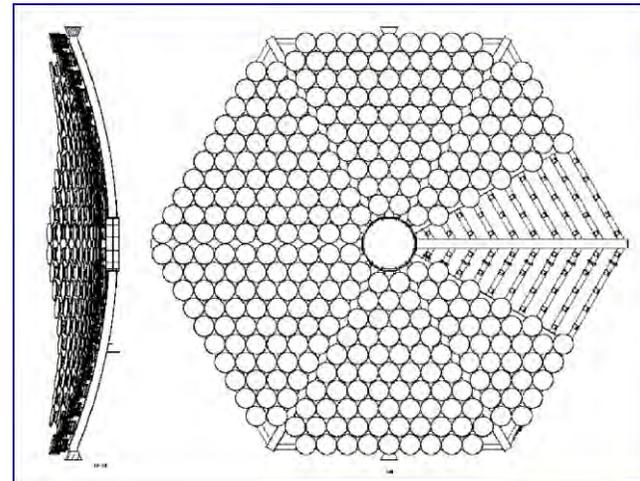
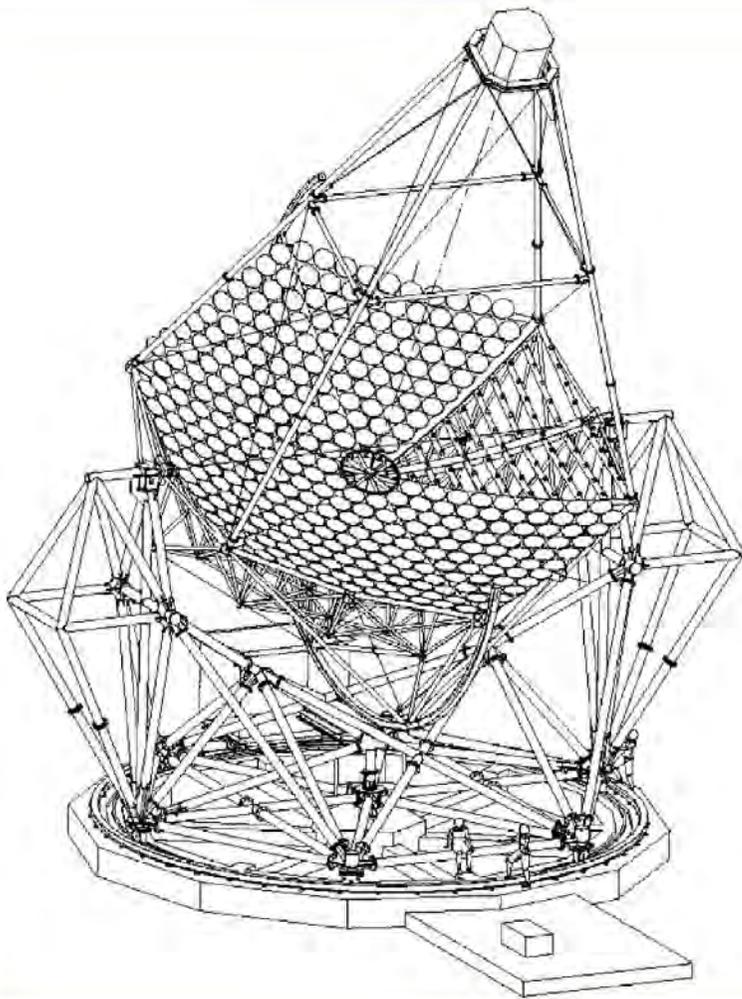
In a parabolic layout, mirrors are arranged on a paraboloid, and the focal length of the (usually spherical) mirror facets varies with the distance from the optical axis.

Both have significant aberrations off the optical axis, the parabolic slightly worse than Davies-Cotton.

Time dispersion introduced by the reflector should not exceed the intrinsic spread of the Cherenkov wavefront of a few ns.

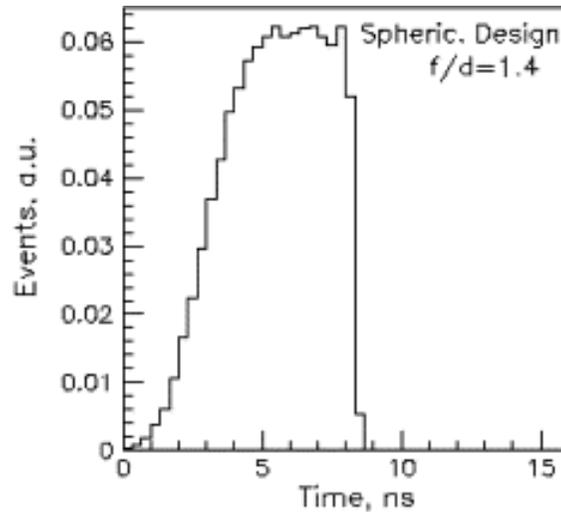
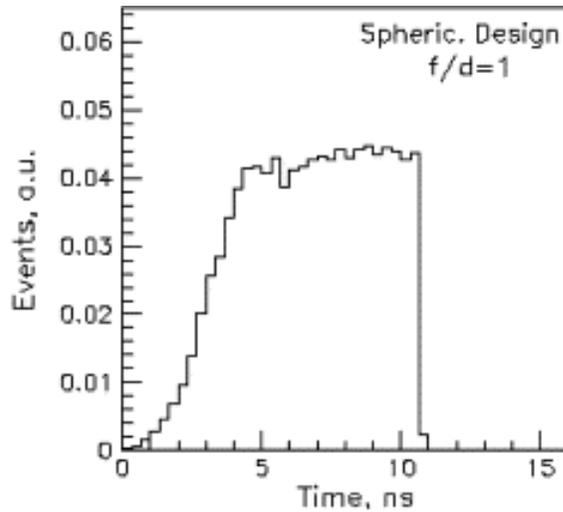
Parabolic reflectors are isochronal - apart from minute effects caused by individual mirror facets being spherical rather than parabolic.

Davies-Cotton layout causes a spread of photon arrival times at the camera; a plane incident wavefront results in photons spread over $\Delta t \approx 5$ ns, with an rms width ≈ 1.4 ns.



The optical system of the H.E.S.S. imaging atmospheric Cherenkov telescopes. Part I: Layout and components of the system
K. Bernlöhr, O. Carrol, R. Cornils, S. Elfahem, P. Espigat, S. Gillessen, G. Heinzelmann, G. Hermann, W. Hofmann, D. Horns, I. Jung, R. Kankanyan, A. Katona, B. Khelifi, H. Krawczynski, M. Panter, M. Punch, S. Rayner, G. Rowell, M. Tluczykont, R. van Staa
Astropart. Phys. 20, 111 (2003)

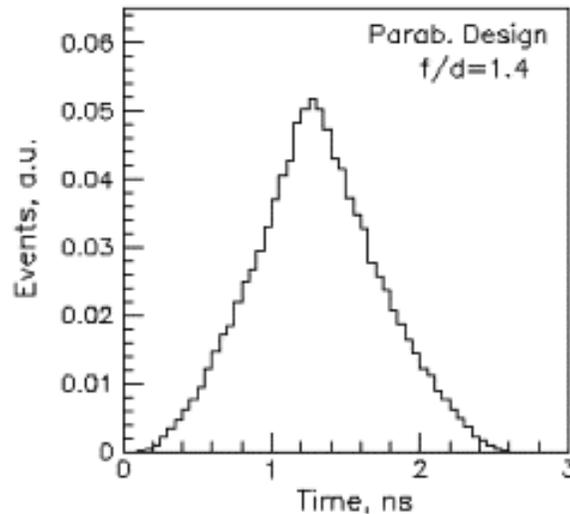
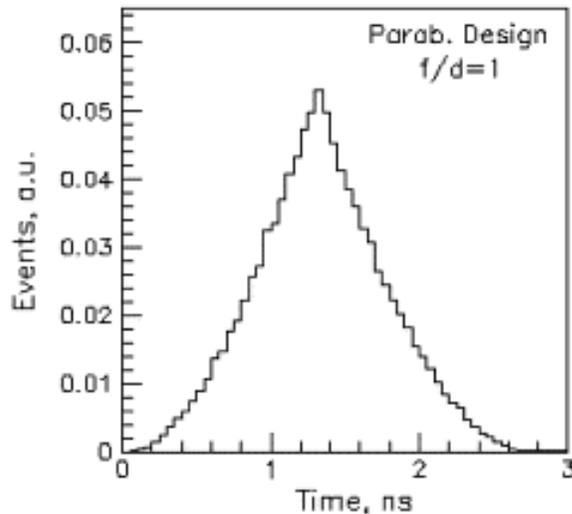
INTRINSIC TIME SPREAD IN 20 m \emptyset CHERENKOV TELESCOPES



Top: Spherical (Davies-Cotton)

A spherical reflector substantially widens the photon pulse.

At detecting 10 GeV γ -showers, the pulse width on the spherical telescope's focal plane may reach 15-20 ns instead of the inherent 5-8 ns.

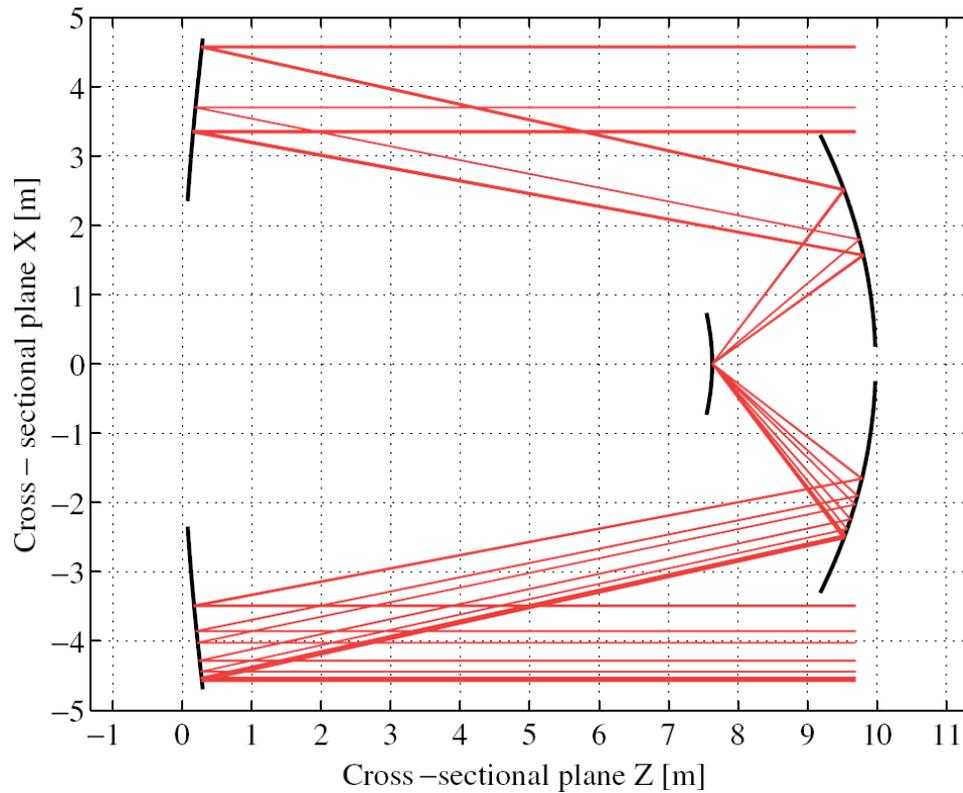


Angles of incidence = 2°

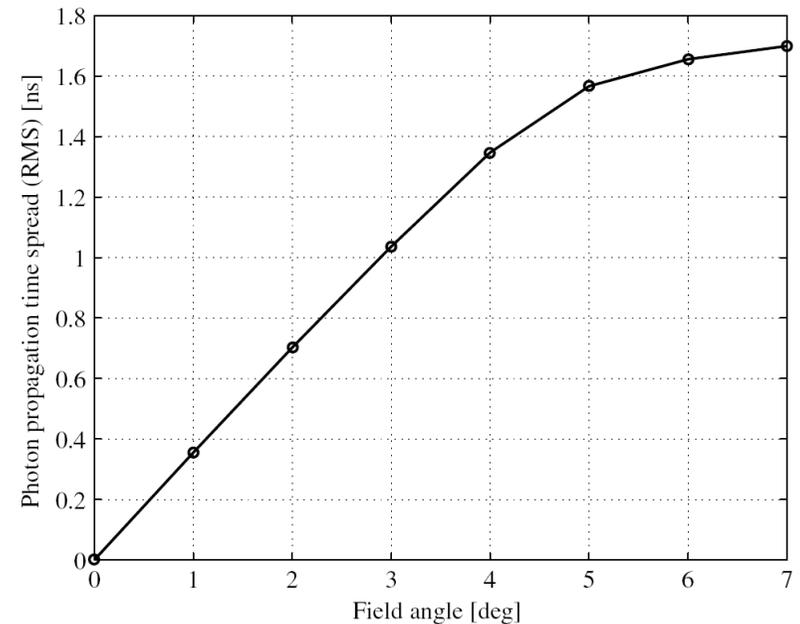
Bottom: Parabolic

Performance of a 20 m diameter Cherenkov imaging telescope
A. Akhperjanian & V. Sahakian
Astropart. Phys. 21, 149 (2004)

Schwarzschild-Couder two-mirror IACT telescope



RMS spread in arrival time of rays at focal plane as a function of field angle.
Design is isochronous on optical axis.



V.Vassiliev, S.Fegan, P.Brousseau:

Wide field aplanatic two-mirror telescopes for ground-based γ -ray astronomy

Astropart.Phys. **28**, 10 (2007)

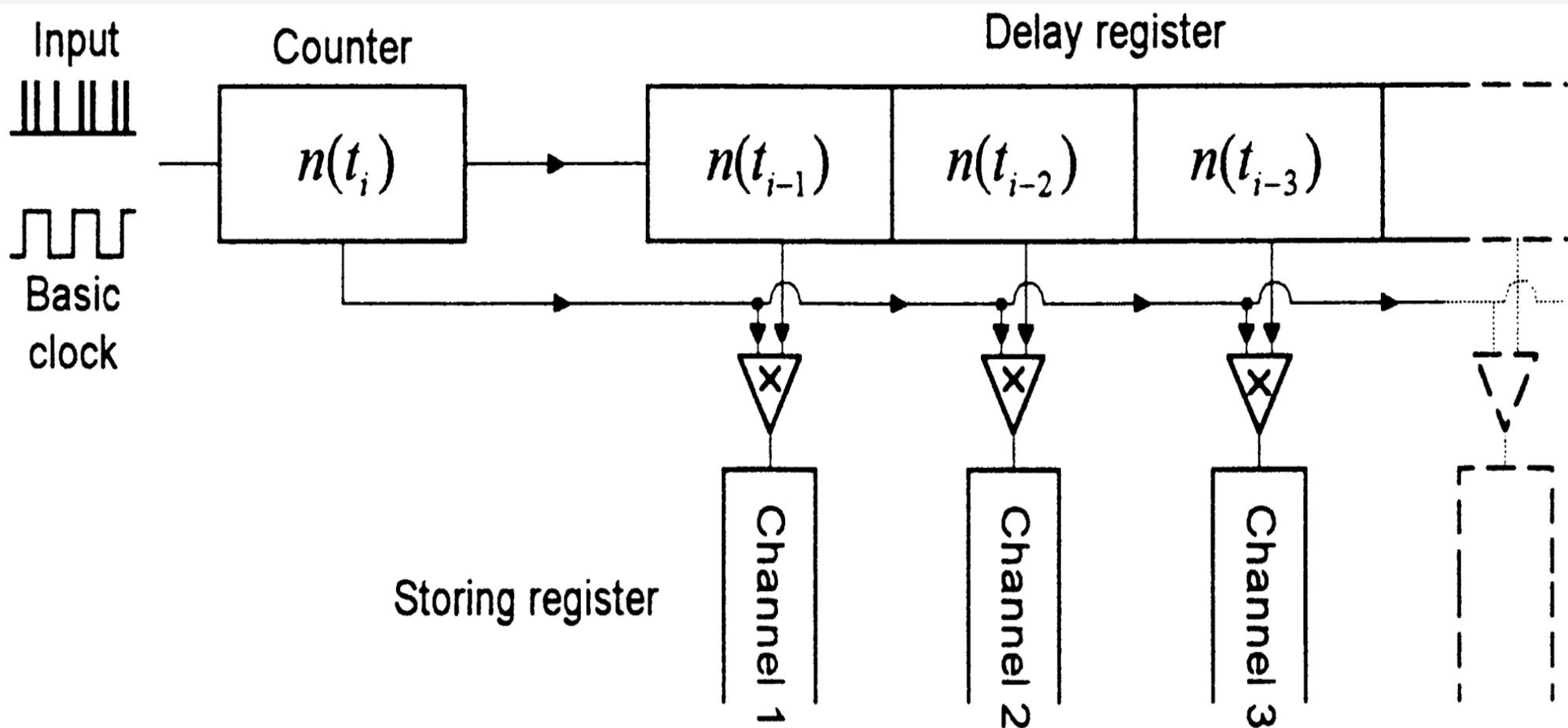
Real-time correlation

Pro: Search all timescales in real time,
store only reduced data

Con: Lose information on transients,
no alternative analyses

Real-time digital photon correlators

Permit to verify various observational modes, both in the lab, and at telescopes

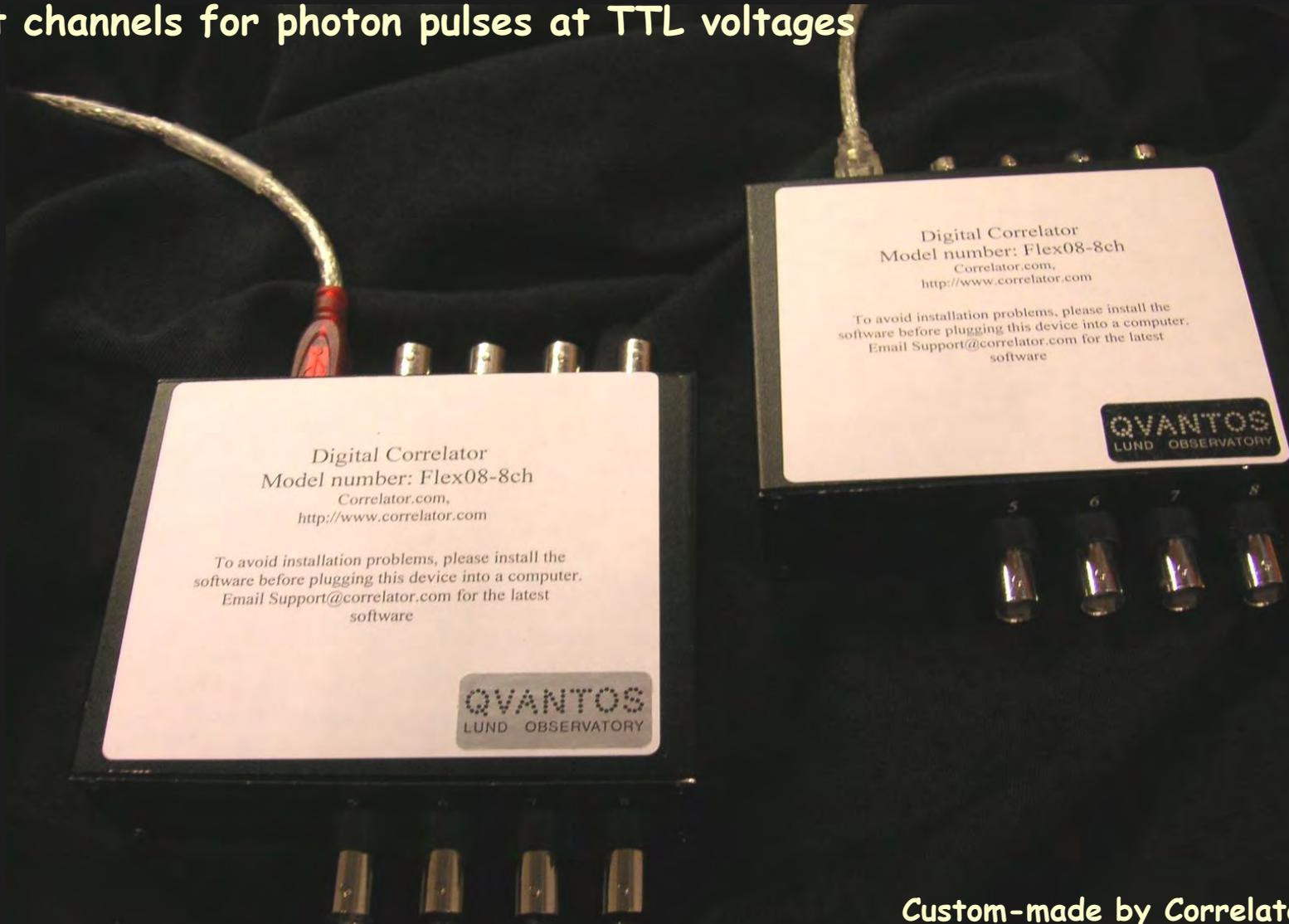


DIGITAL PHOTON CORRELATORS @ Lund Observatory

700 MHz clock rate (1.4 ns time resolution)

200 MHz maximum photon count rates per channel (pulse-pair resolution 5 ns)

8 input channels for photon pulses at TTL voltages



Digital Correlator
Model number: Flex08-8ch
Correlator.com,
<http://www.correlator.com>

To avoid installation problems, please install the software before plugging this device into a computer.
Email Support@correlator.com for the latest software

QVANTOS
LUND OBSERVATORY

Digital Correlator
Model number: Flex08-8ch
Correlator.com,
<http://www.correlator.com>

To avoid installation problems, please install the software before plugging this device into a computer.
Email Support@correlator.com for the latest software

QVANTOS
LUND OBSERVATORY

Custom-made by Correlator.com for applications in intensity interferometry

Intensity Interferometry correlator
Multi-channel, real-time, FPGA
32 channels ~20 k€



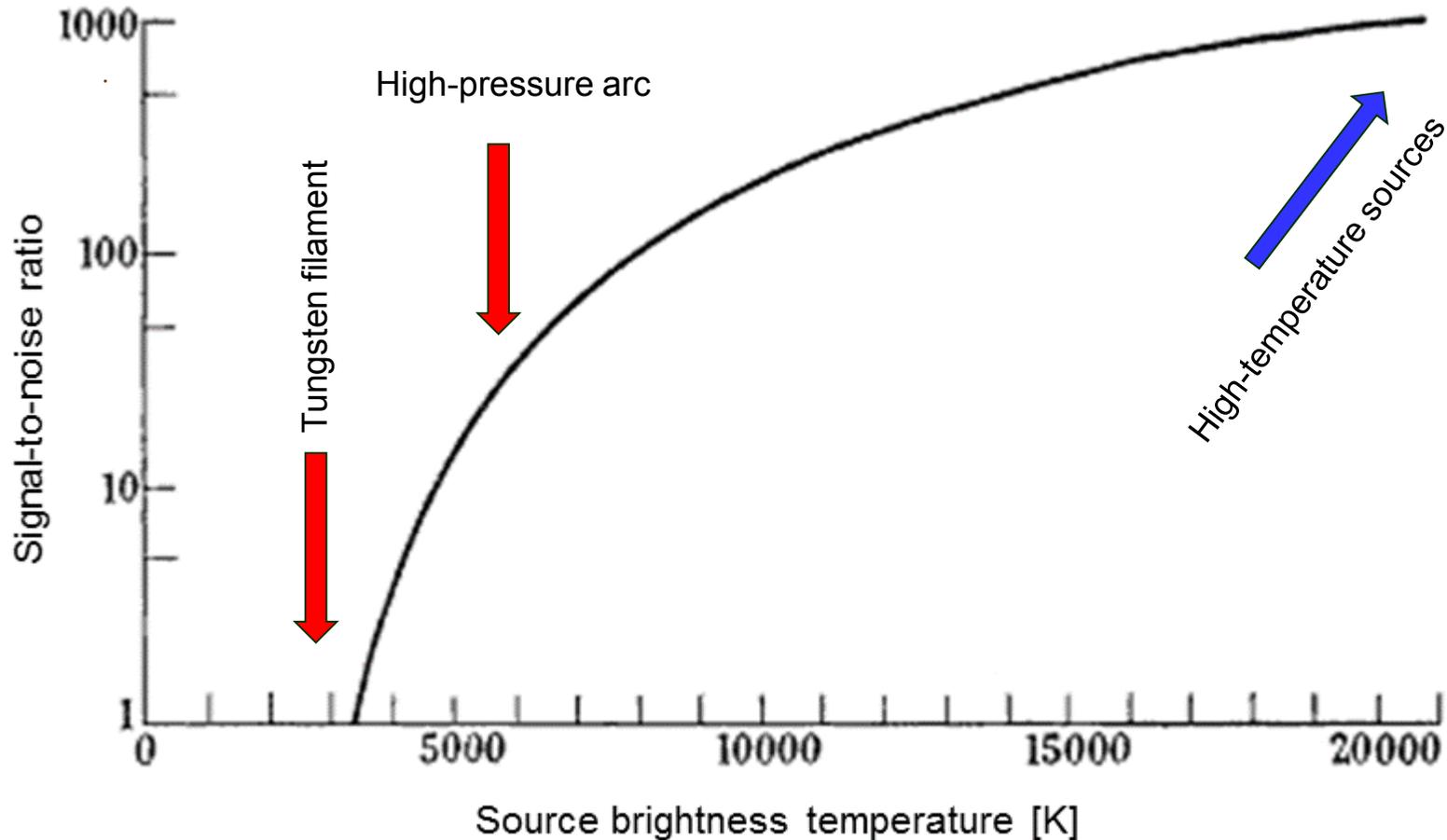
Very much more modest
computations than
in radio interferometry!

ALMA correlator
134 million processors

How to make an artificial star?

S/N in intensity interferometry depends not only on instrumentation but also on the source brightness temperature

S/N dependence on source temperature



For stars with same angular diameter but decreasing temperatures (thus decreasing fluxes), telescope diameter must successively increase to maintain the same S/N.

When the mirrors become so large that the star is resolved by a single mirror, S/N drops.

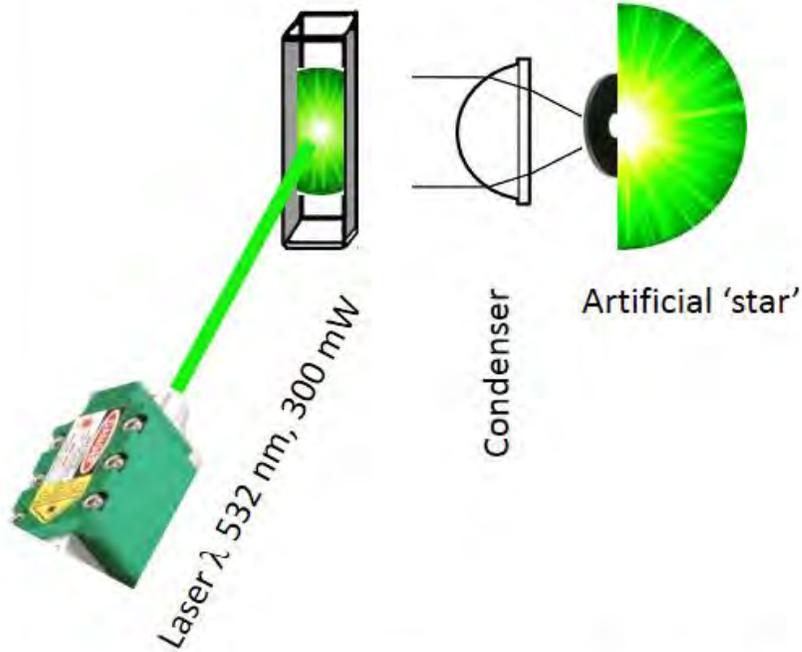
For stars cooler than a given temperature, no gain results from larger mirrors.

Laboratory Intensity Interferometer

INTENSITY INTERFEROMETER LABORATORY SCHEMATICS

← 23 meters →

Source of chaotic light:
Microparticle suspension
in light-scattering cuvette



Optical telescope array



BNC signal cables

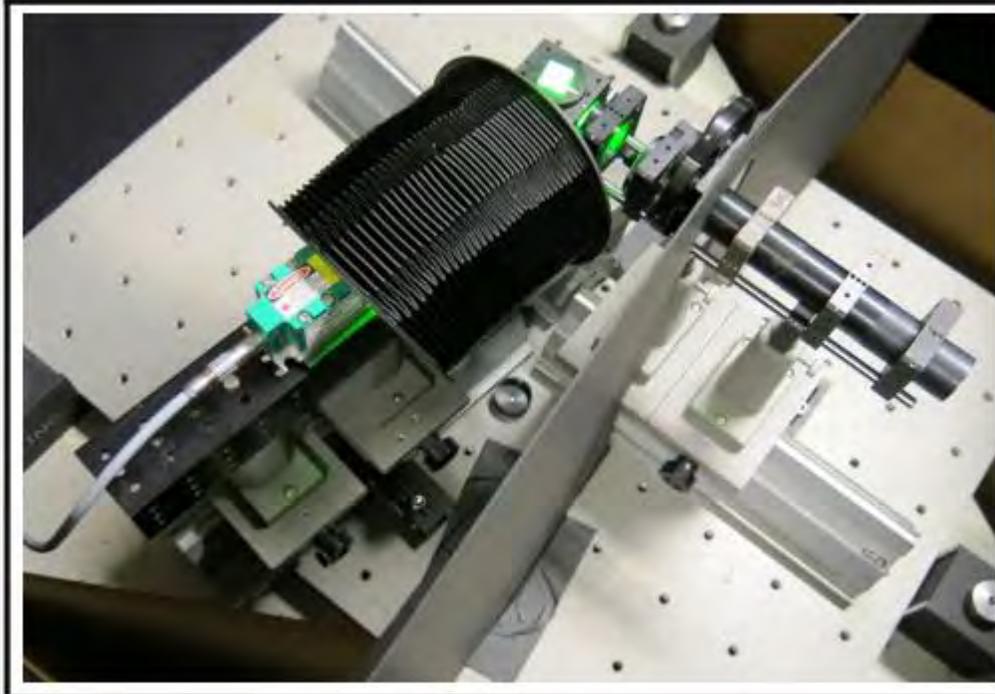
Digital photon correlator

USB data cable



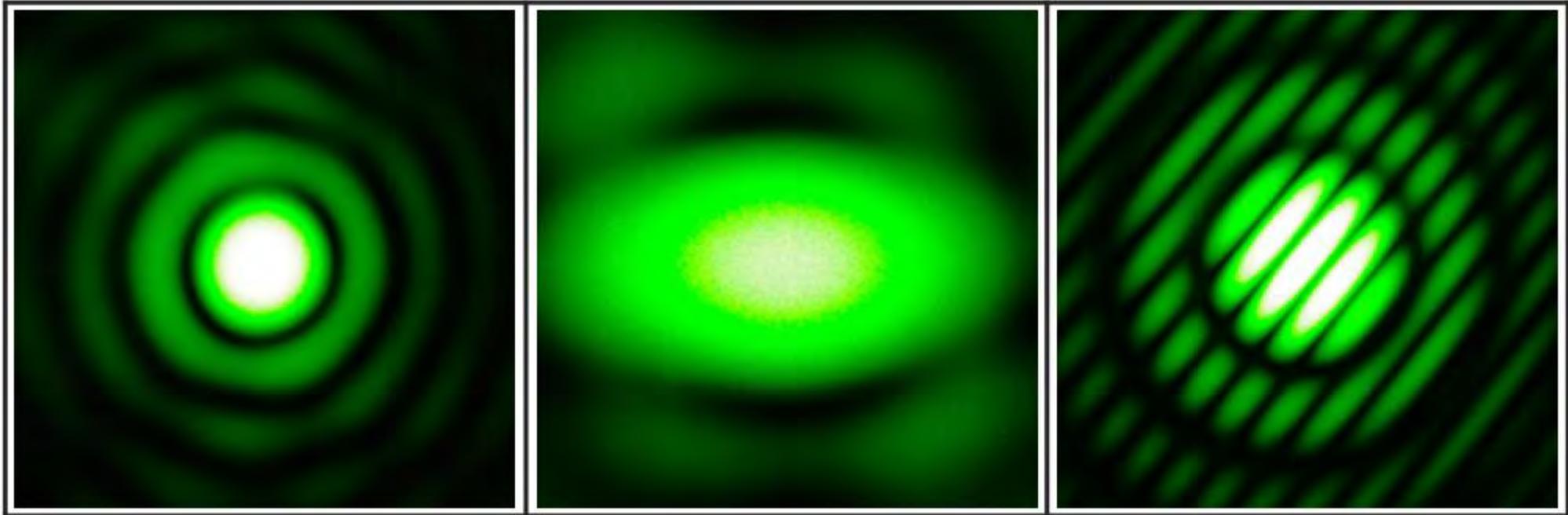
Computer

Laboratory Intensity Interferometer



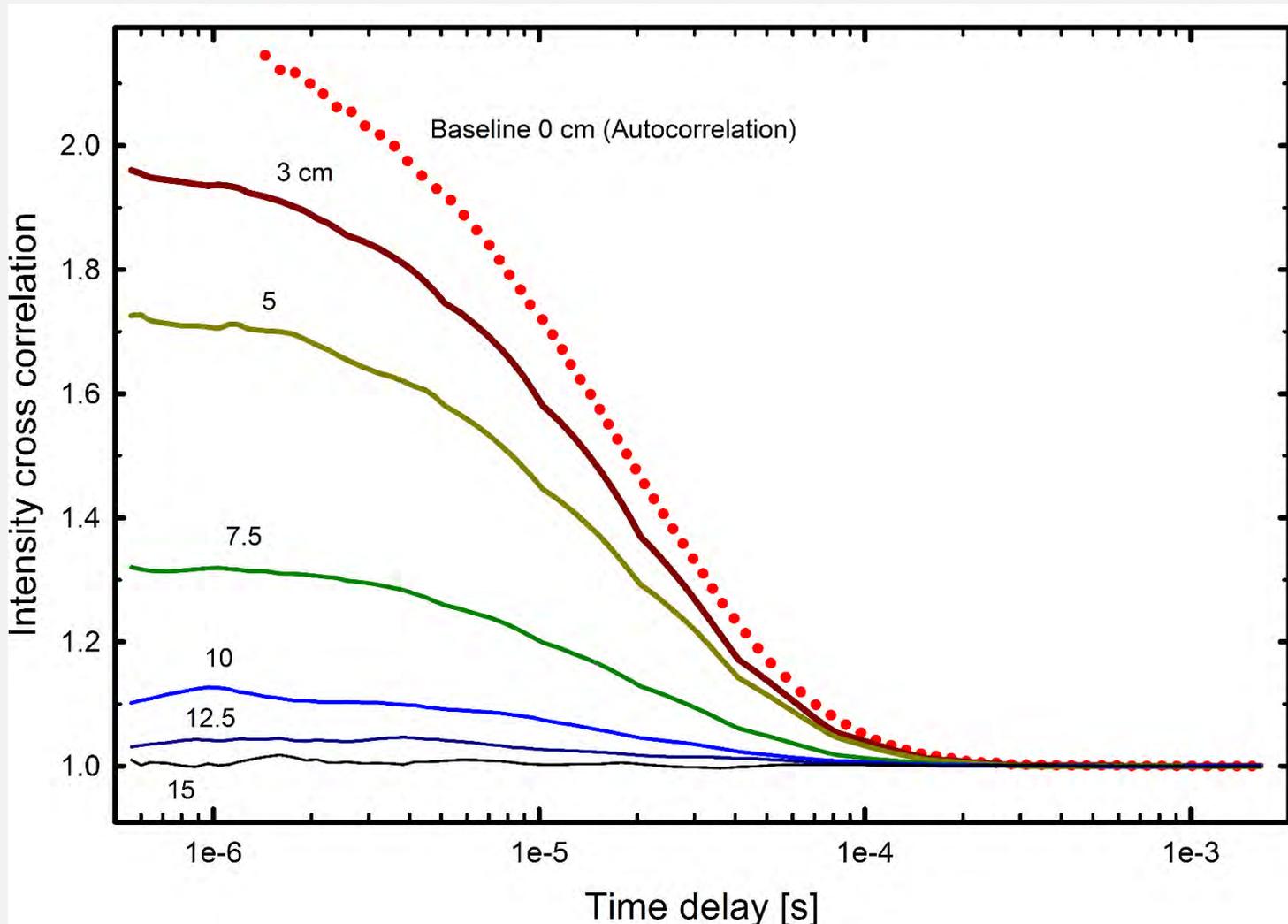
Left: Light from a 300 mW λ 532 nm laser is randomized through scattering against microscopic particles in a square-top cuvette and focused by a condenser onto artificial 'stars', being apertures in a rotatable holder.
Right: The 'stars' are observed by an array of small telescopes, each with a photon-counting SPAD detector. 2-D coverage is achieved by rotating the asymmetric source relative to the plane of the telescopes.

Artificial stars in laboratory intensity interferometer



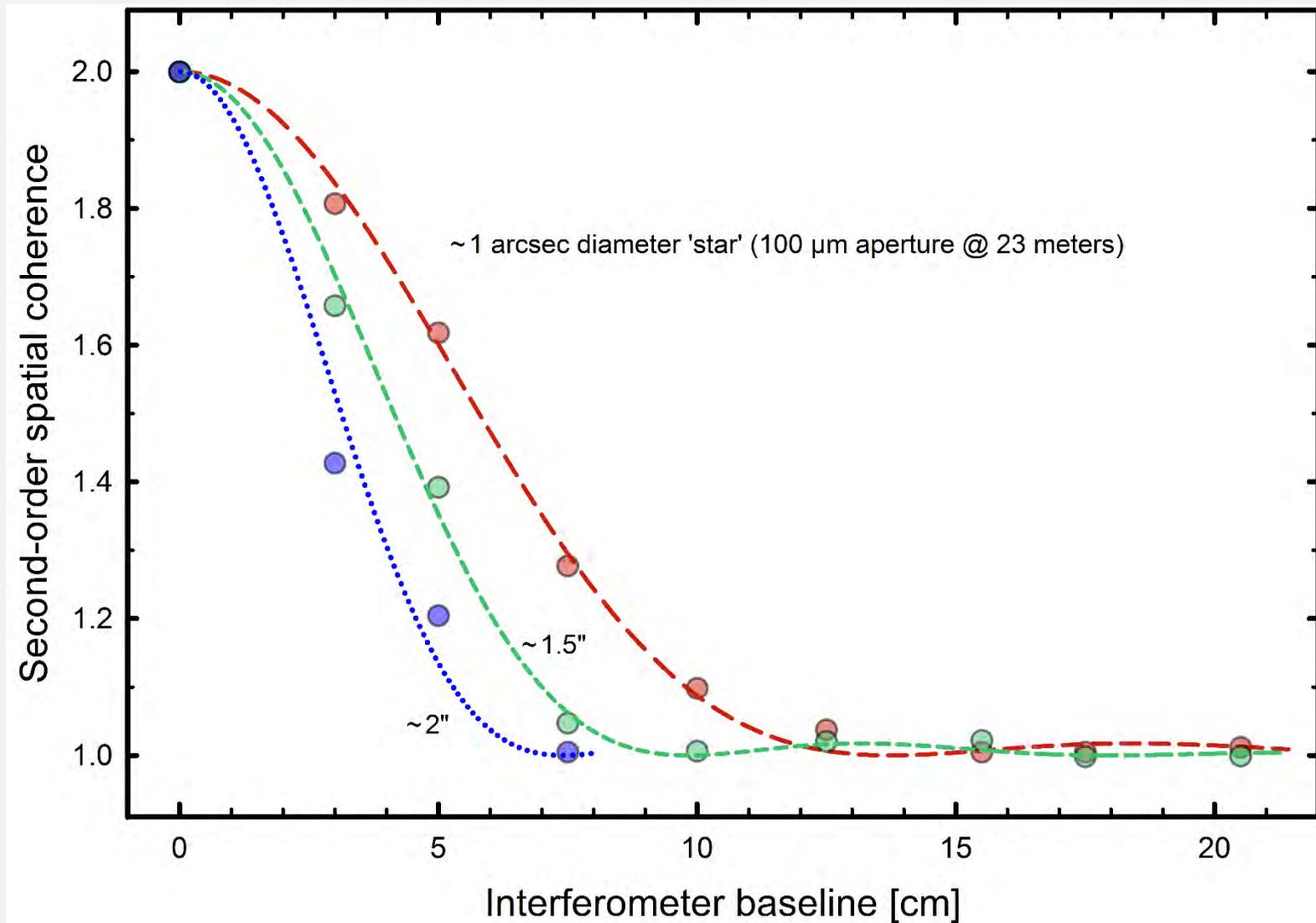
Diffraction patterns with laser light show the [squared] Fourier transforms of some artificial 'stars'. Circular single star; elliptic small single star; binary with equal components. Image widths correspond to ~ 70 cm in the telescope plane and such baselines are required to retrieve these patterns.

Laboratory intensity cross correlations for single star



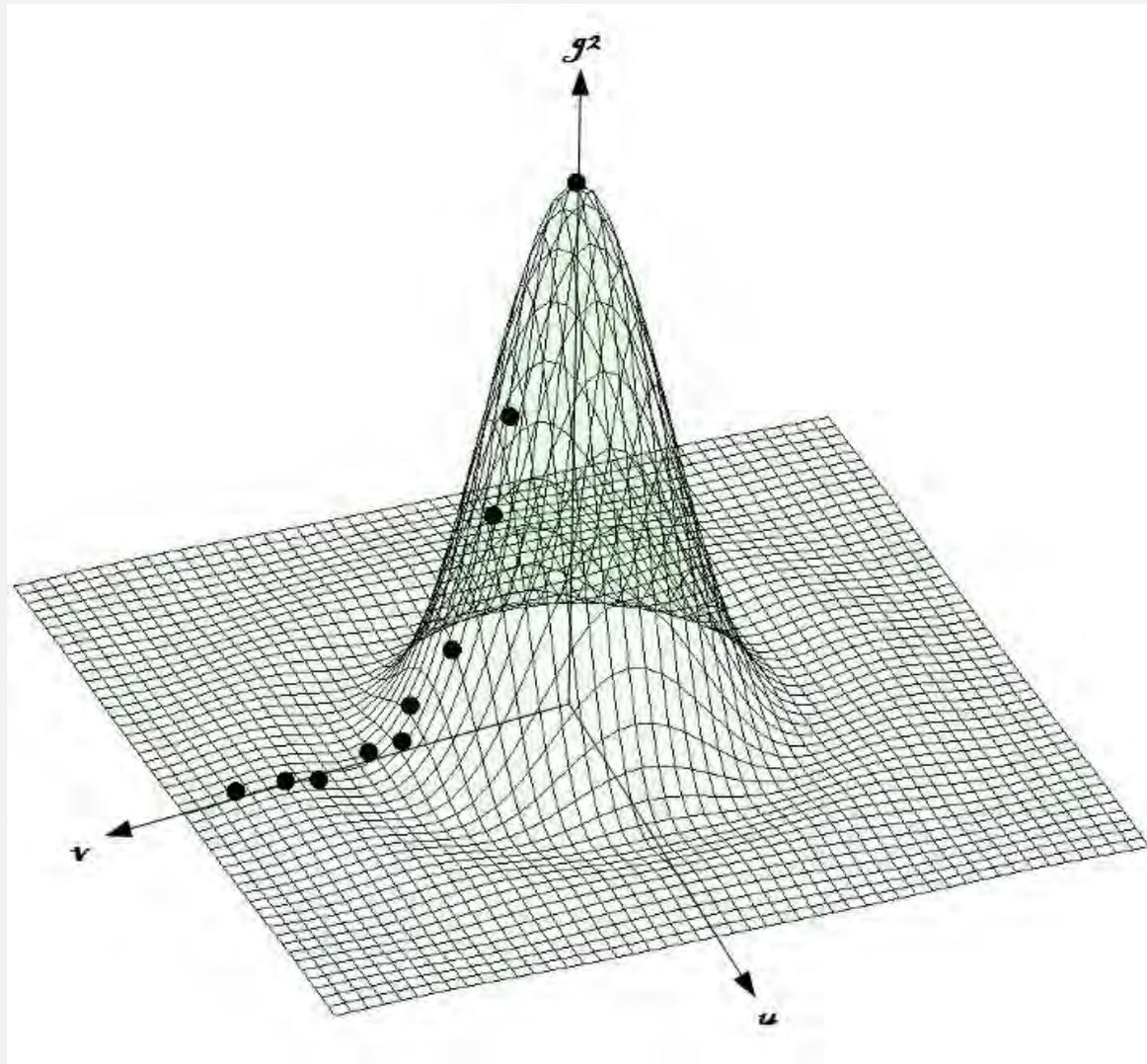
Cross correlations for an artificial single star of 1 arcsec apparent diameter show how (a) temporal coherence decreases with increasing time delay, and (b) spatial coherence decreases with baseline. Normalization to zero baseline is obtained as the autocorrelation for delays in the range 1-10 μ s (at the shortest delay times the autocorrelation signal rises due to internal detector afterpulsing).

Laboratory intensity interferometry of single stars



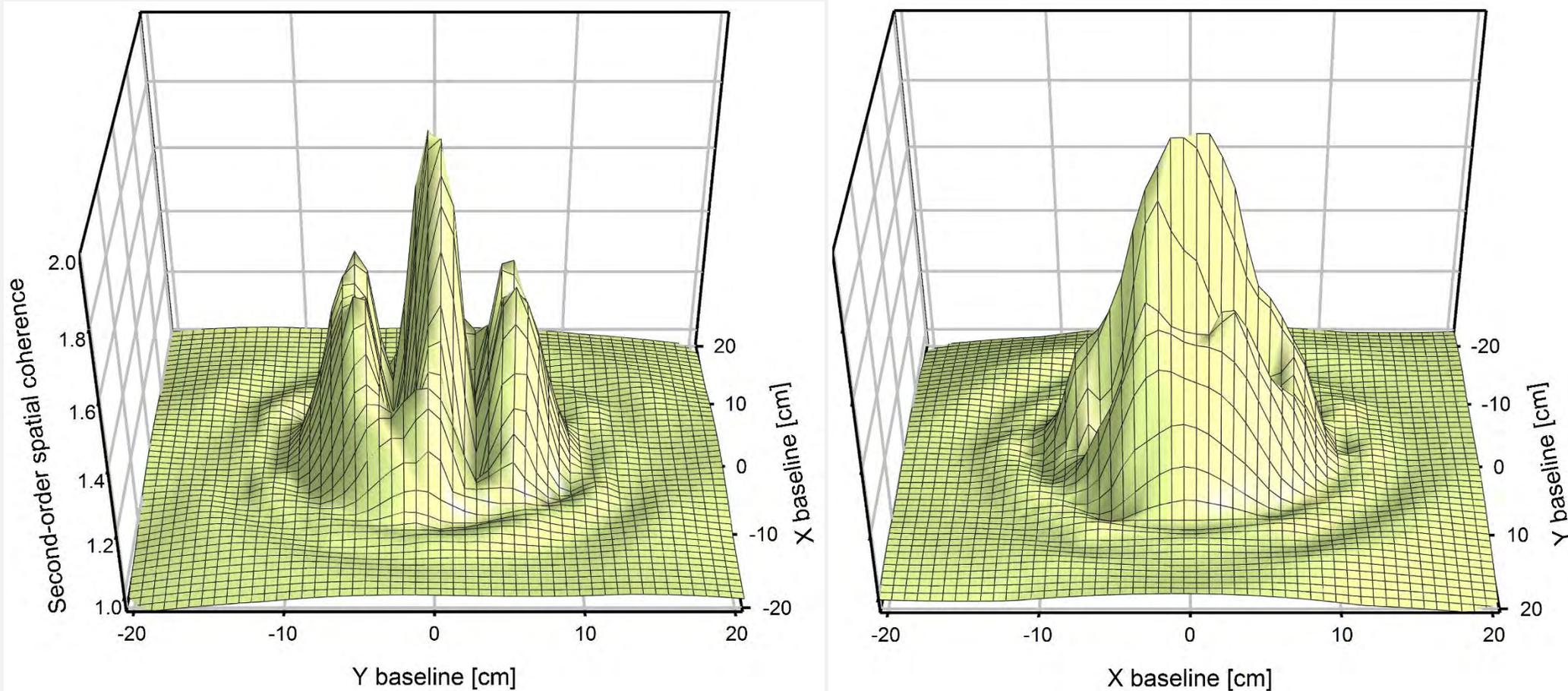
Second-order coherence $g(2)$ measured for artificial single stars of different angular sizes. Superposed are Airy functions for circular apertures (squared moduli of the Fourier transforms).

Laboratory intensity interferometry of single stars



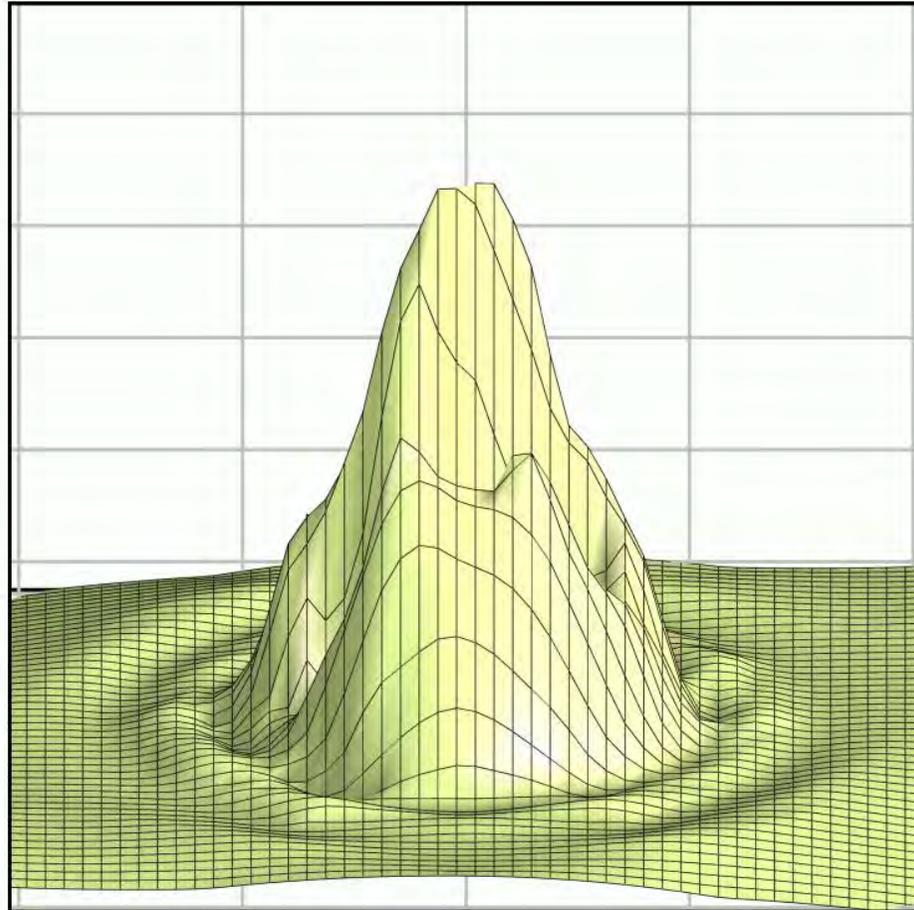
One-dimensional coherence functions sample one particular position angle of the two-dimensional coherence surface, here a sequence of measured points on the surface for an idealized circular aperture.

Laboratory intensity interferometry with many baselines



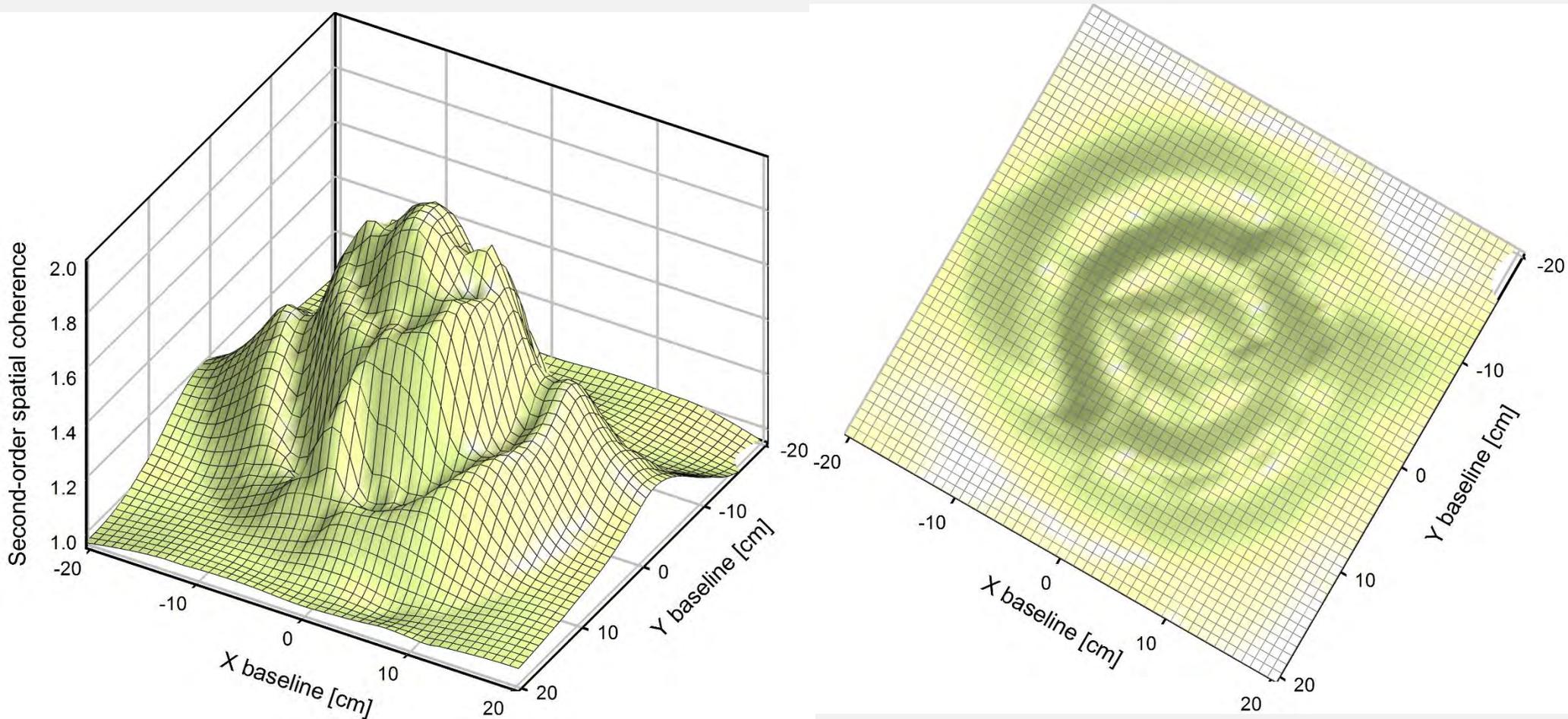
Second-order coherence $g(2)$ for an artificial binary stars with each component of diameter ~ 1 arcsec. This coherence surface was produced from intensity correlations measured across 60 different non-redundant baselines, illustrating how a telescope array fills in the interferometric plane. The central maxima (left) indicate the binary separation while the symmetric rings reveal the size of individual stars.

Laboratory intensity interferometry with many baselines



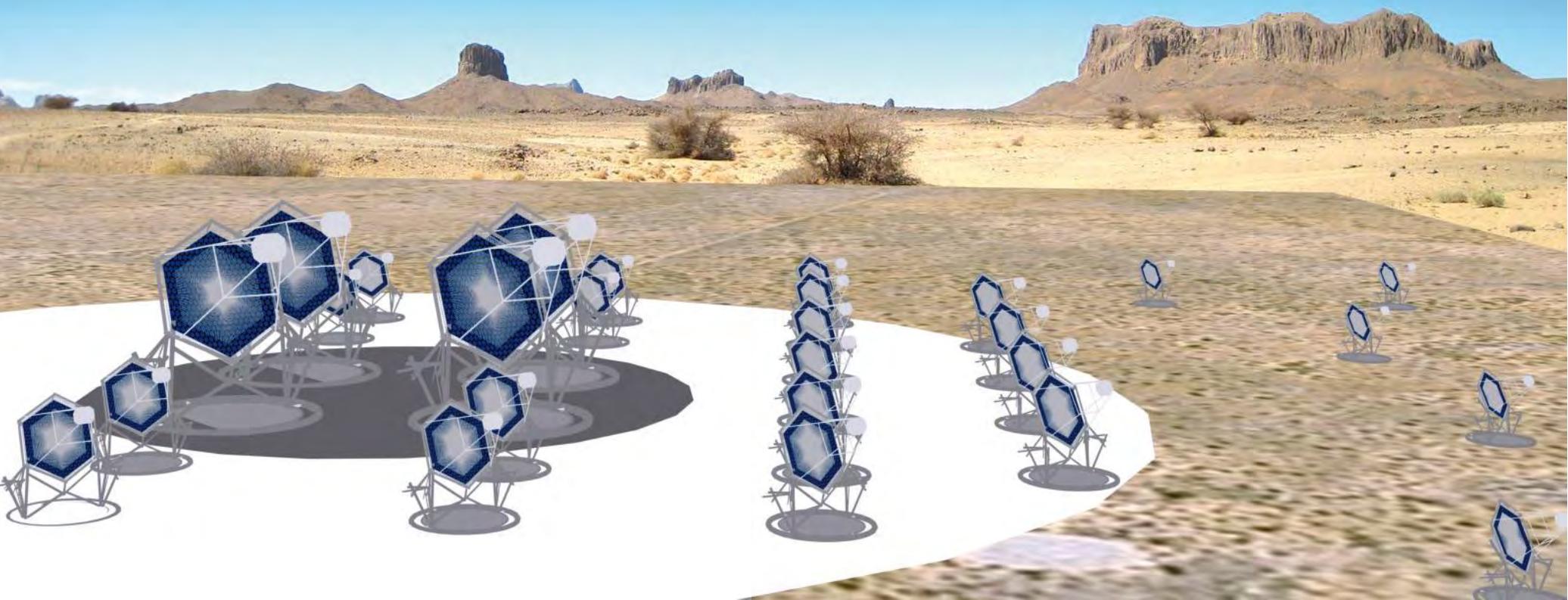
Second-order coherence $g(2)$ for an artificial binary stars with each component of diameter ~ 1 arcsec. This coherence surface was produced from intensity correlations measured across 60 different non-redundant baselines, illustrating how a telescope array fills in the interferometric plane. The central maxima (left) indicate the binary separation while the symmetric rings reveal the size of individual stars.

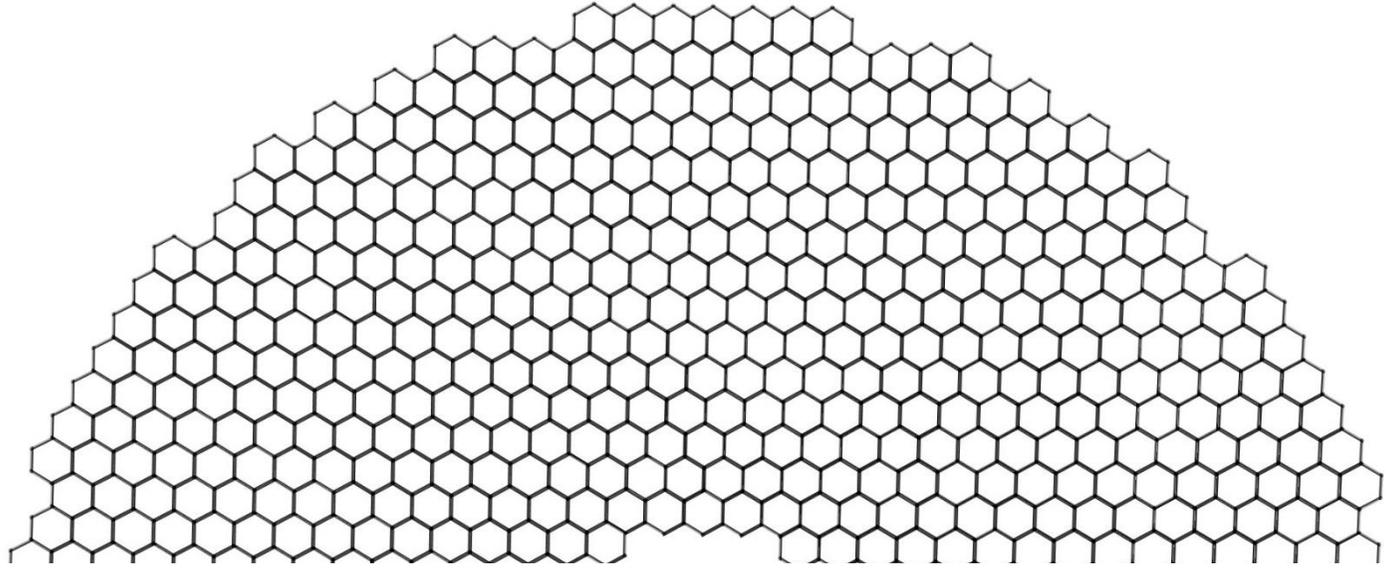
Laboratory intensity interferometry with 100 baselines



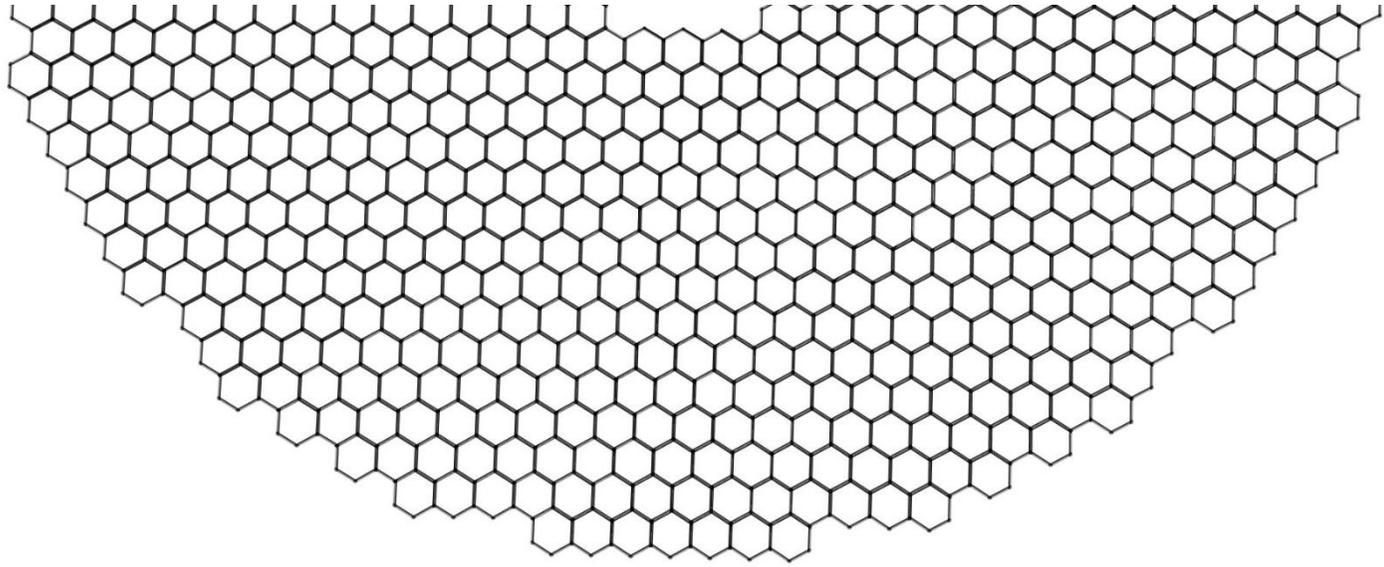
Intensity interferometry measurements with 100 different telescopic baselines. The data largely fill the interferometric (u,v) -plane of the second-order coherence $g(2)$ for an artificial star, somewhat irregular and elliptic, with angular extent just below 1 arcsecond. At right, the projection of the 3-D mesh is oriented straight down, showing [the modulus of] the source's Fourier transform ('diffraction pattern').

Intensity interferometry with 1000+ baselines!





**Intensity interferometry with
100,000 baselines??**



E-ELT
European Extremely
Large Telescope

...after CTA



**Mock-up of E-ELT 39.3 m main mirror with 798 hexagons, each 1.4 m wide
(ESO's Open House Day in Garching bei München)**

Cherenkov telescopes

- ★ Huge collecting area, $\sim 10,000 \text{ m}^2$
- ★ Davies-Cotton telescopes not isochronous, light spread \sim few ns
- ★ Large PSF, \sim few arcmin, PMT's
- ★ Non-collimated light complicates use of color filters
- ★ Separated telescopes, long signal lines, electronic source tracking
- ★ Limiting magnitude $m_v \sim 8$

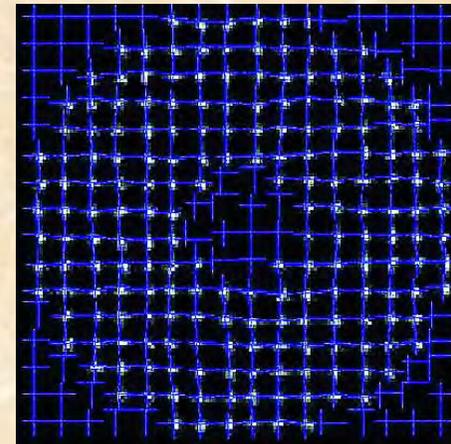
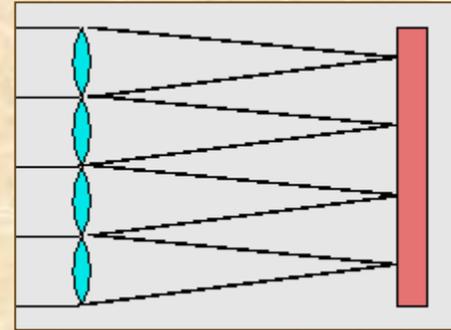
E-ELT

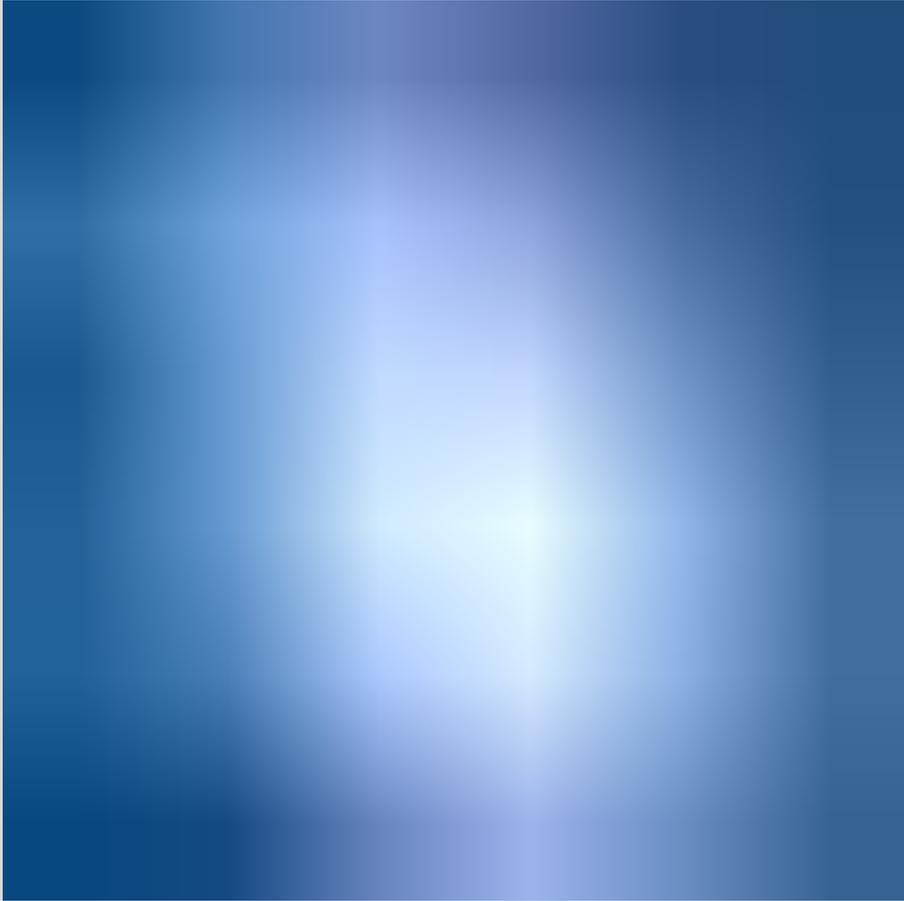
- ★ $40 \text{ m } \varnothing \Leftrightarrow 64 \text{ telescopes of } 5 \text{ m } \varnothing$
- ★ Isochronous optics permits very fast detectors down to $\sim 10 \text{ ps}$
- ★ Small PSF reduces skylight, enables small solid-state detectors
- ★ Collimated light enables narrow-band filters, multiple spectral bands
- ★ Compact focus, no signal transmission, telescope tracks source
- ★ Limiting magnitude might reach extragalactic sources

Small 'technical' instrument

(already during E-ELT construction phase?)

- ★ Lenslet array images E-ELT subapertures onto fast photon-counting detectors
- ★ Basically a Shack-Hartmann wavefront sensor
- ★ Electronic signal of photon streams is handled by on-line firmware or off-line software
- ★ Can use incompletely filled aperture, unadjusted mirror segments, poor seeing
- ★ Software access to signal enables intensity interferometry and high-speed photometry





Artist's vision image of SN 1987A from ESO press release eso1032

E-ELT

Adaptive optics @ 2 μm vs. Intensity interferometry @ 400 nm

Eta Carinae

NACO near-IR adaptive optics image from ESO VLT *Yepun*
Composite image: J, H, K bands & narrow-band filters @ 1.64, 2.12, 2.17 μm
(ESO Press release eso0817)



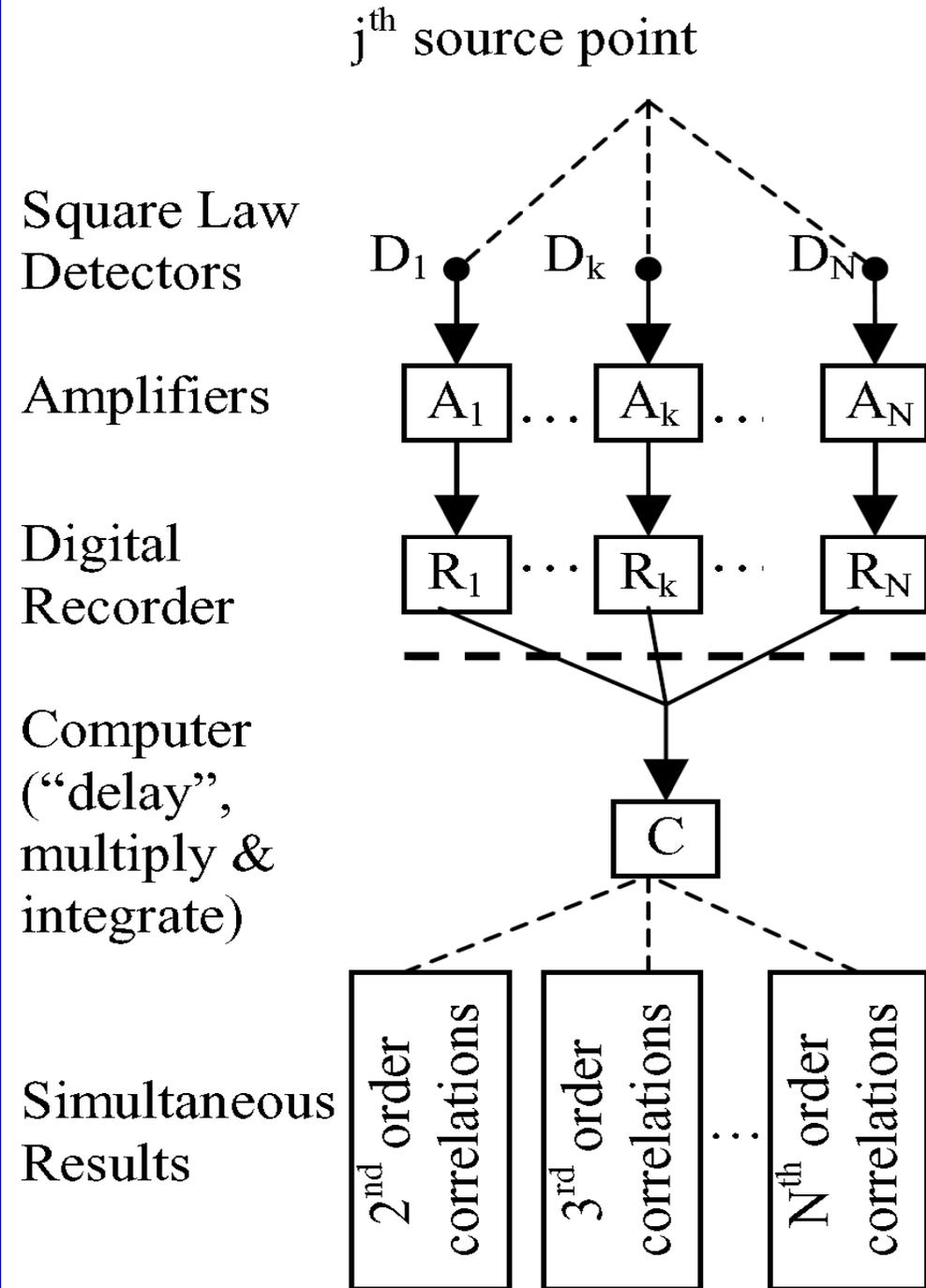
Diffraction in 8 m telescope @ λ 2 μm ~ 60 mas

E-ELT: 5 \times larger diameter
Intensity interferometry @ λ 400 nm: 5 \times shorter wavelength

Intensity interferometry @ E-ELT: ~ 2 mas

**Beyond intensity
interferometry...**

Multi-photon correlations and higher-order spatial and temporal coherence

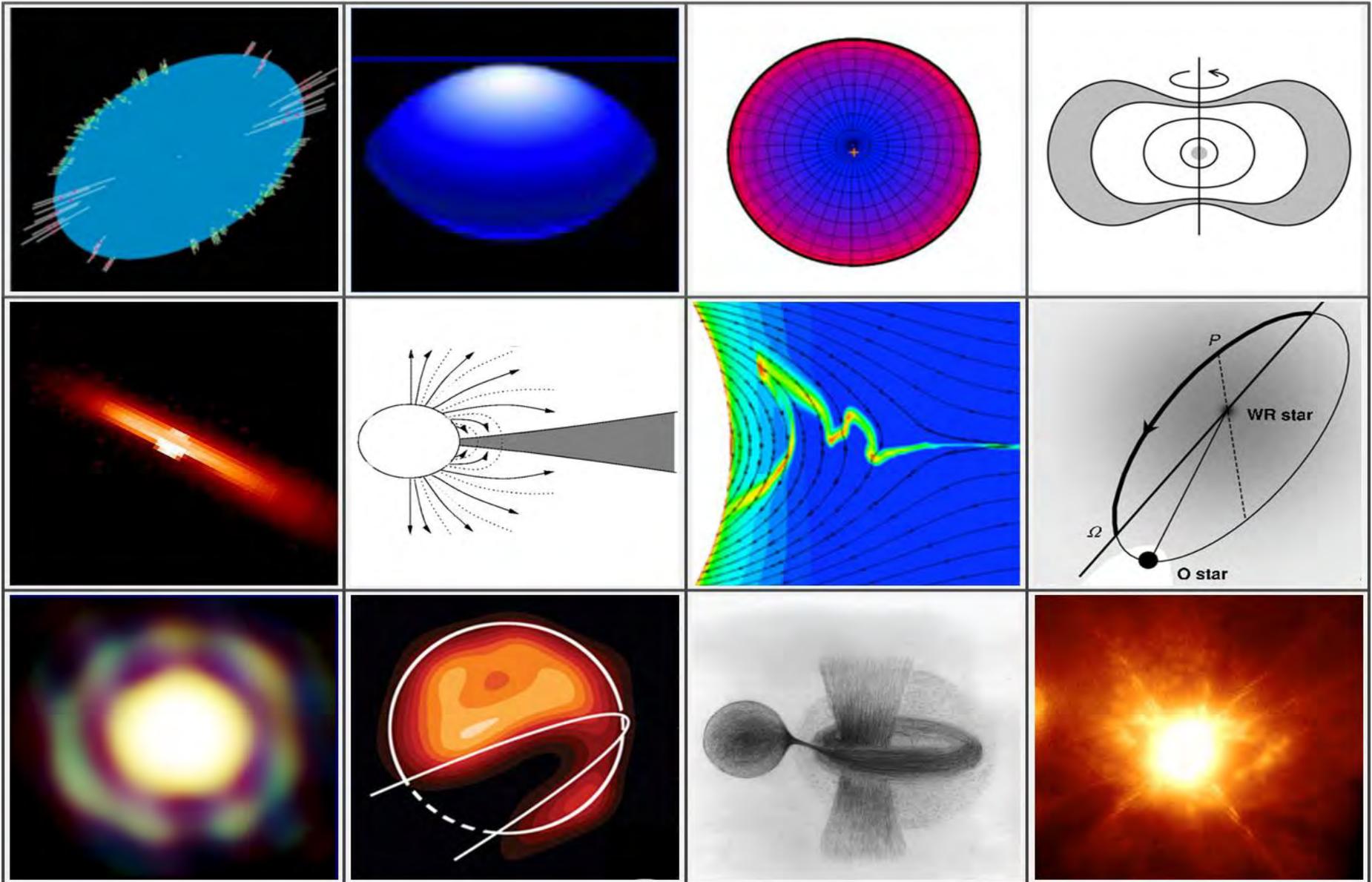


... the bottom line ...

Observing stars...

(and not only starlight)

Astrophysical targets for km-scale interferometry



D.Dravins, S.LeBohec, H.Jensen, P.D.Nuñez:, CTA Consortium

Optical intensity interferometry with the Cherenkov Telescope Array, *Astropart. Phys.* **43**, 331-347 (2013)

THE
END